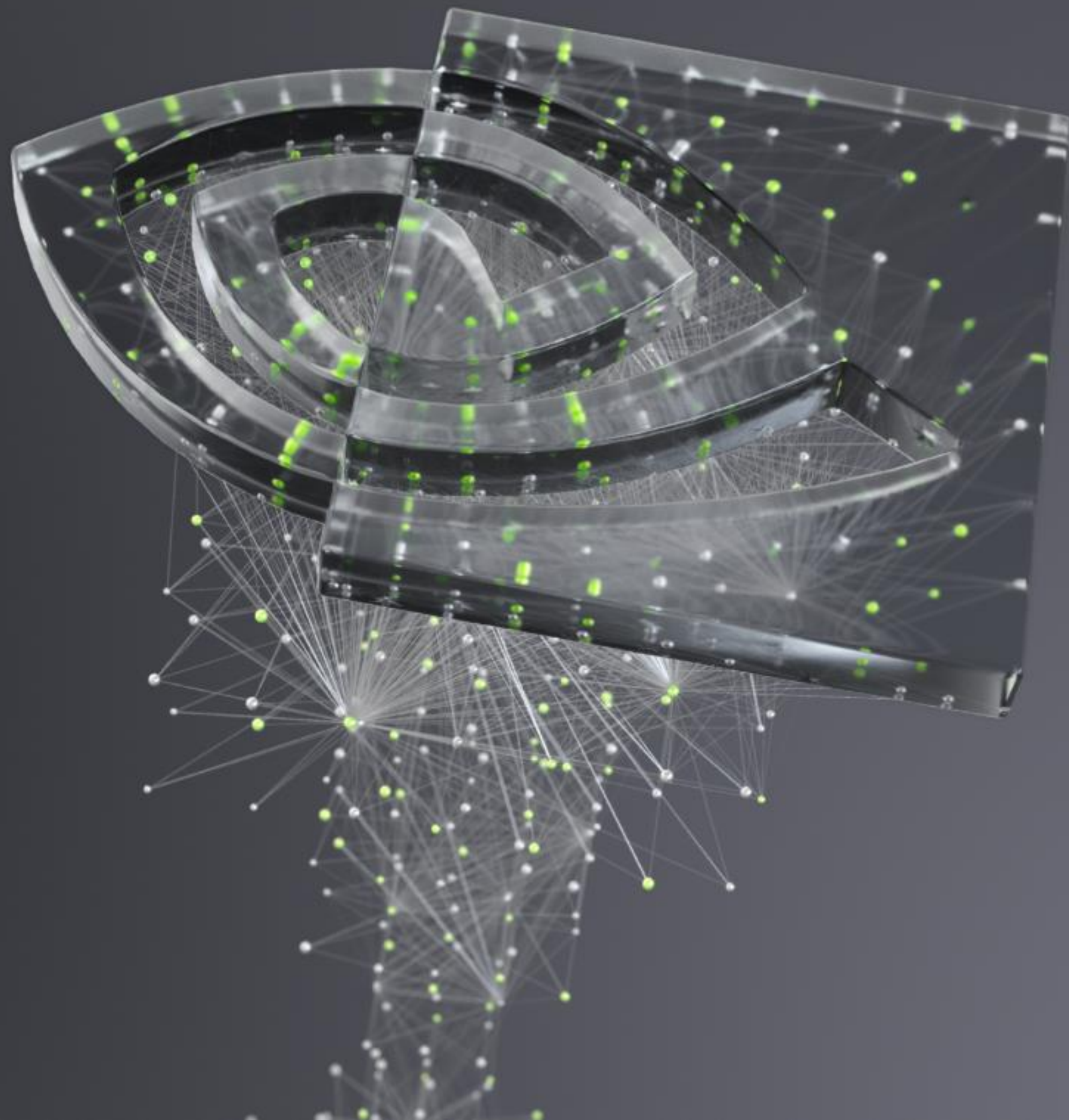




# AI FOR SCIENCE A PRACTICAL INTRODUCTION TO DEEP LEARNING

WITH KERAS AND TENSORFLOW





# LEARNING GOALS



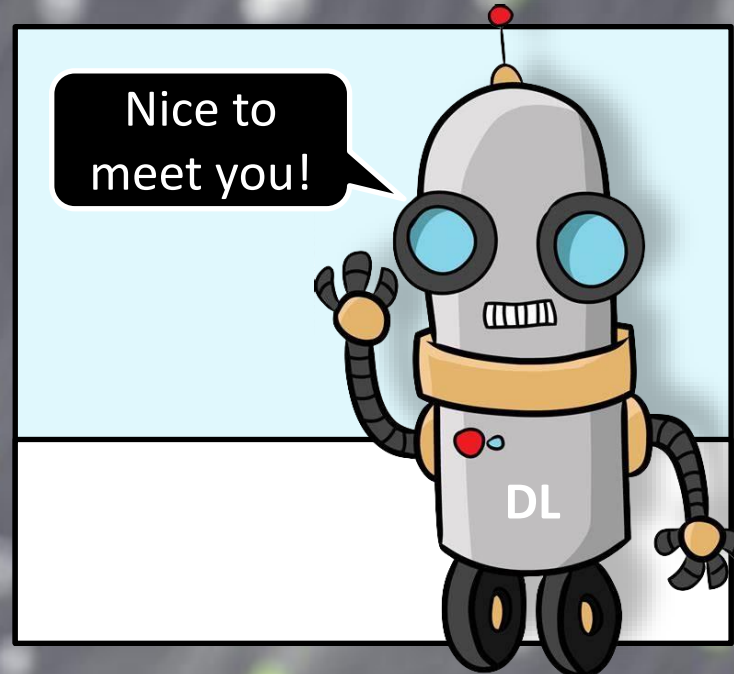
In couple of hours, we can only travel so far

Main goal:  
Become familiar with main ideas and process

A starting point for solving your own problems



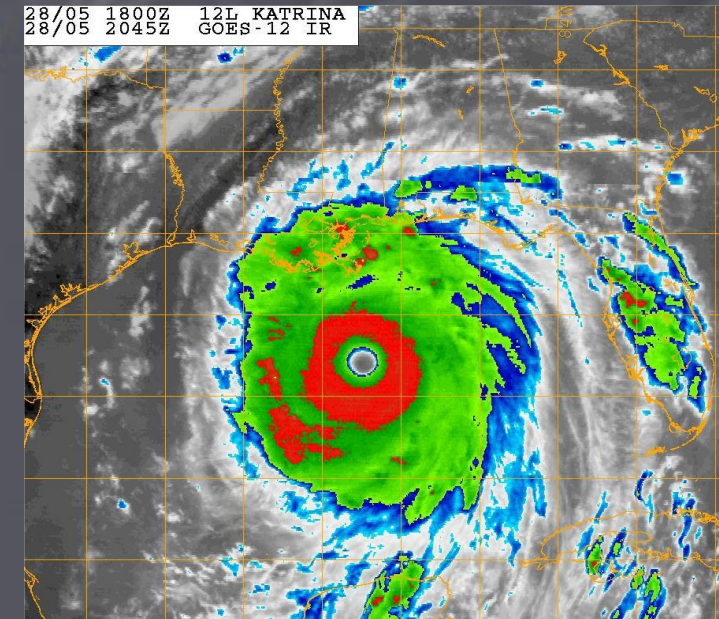
## INTRO TO DL, PART 1



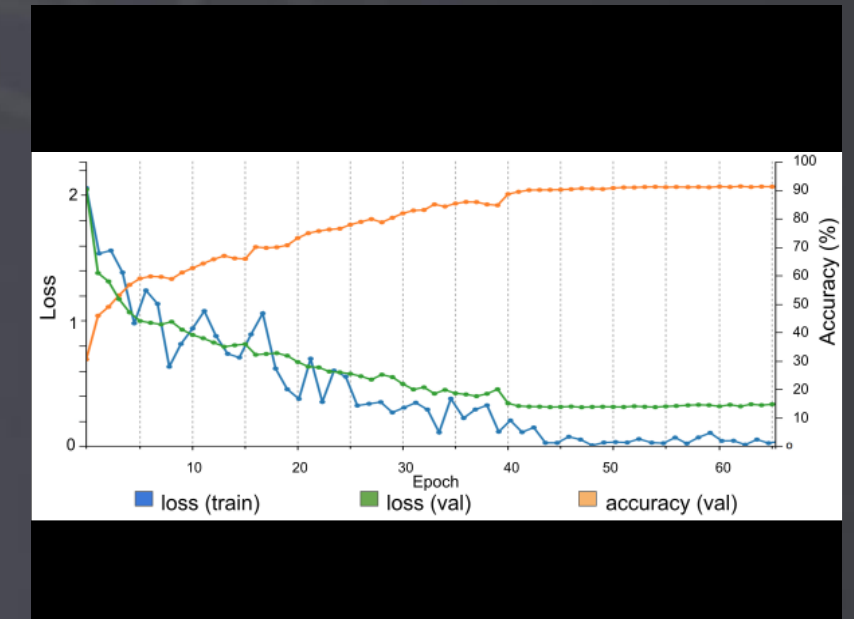
## LAB 1: CNNs AND KERAS



## LAB 2: TROPICAL CYCLONES



## LAB 3: CFD STEADY FLOW



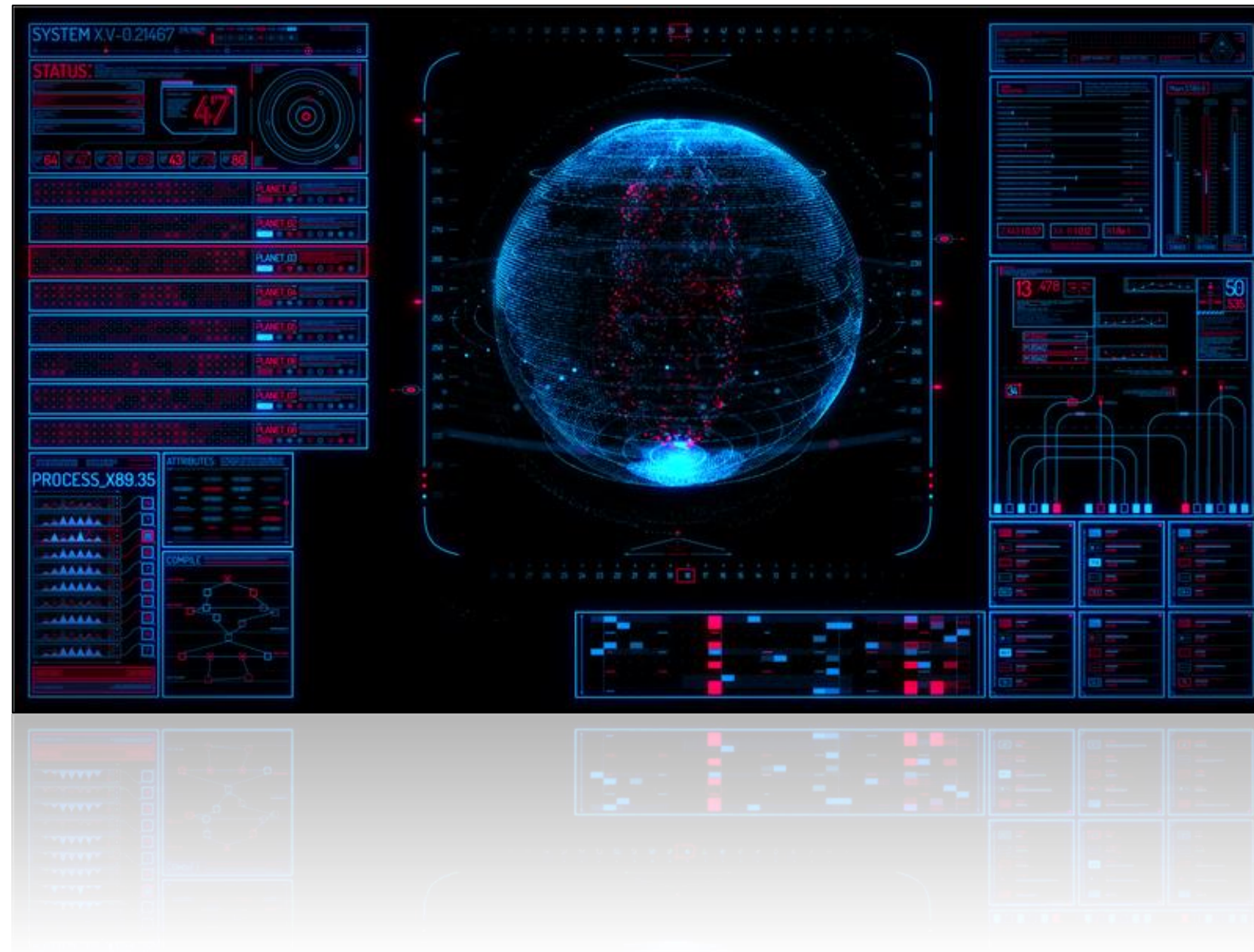
# AGENDA



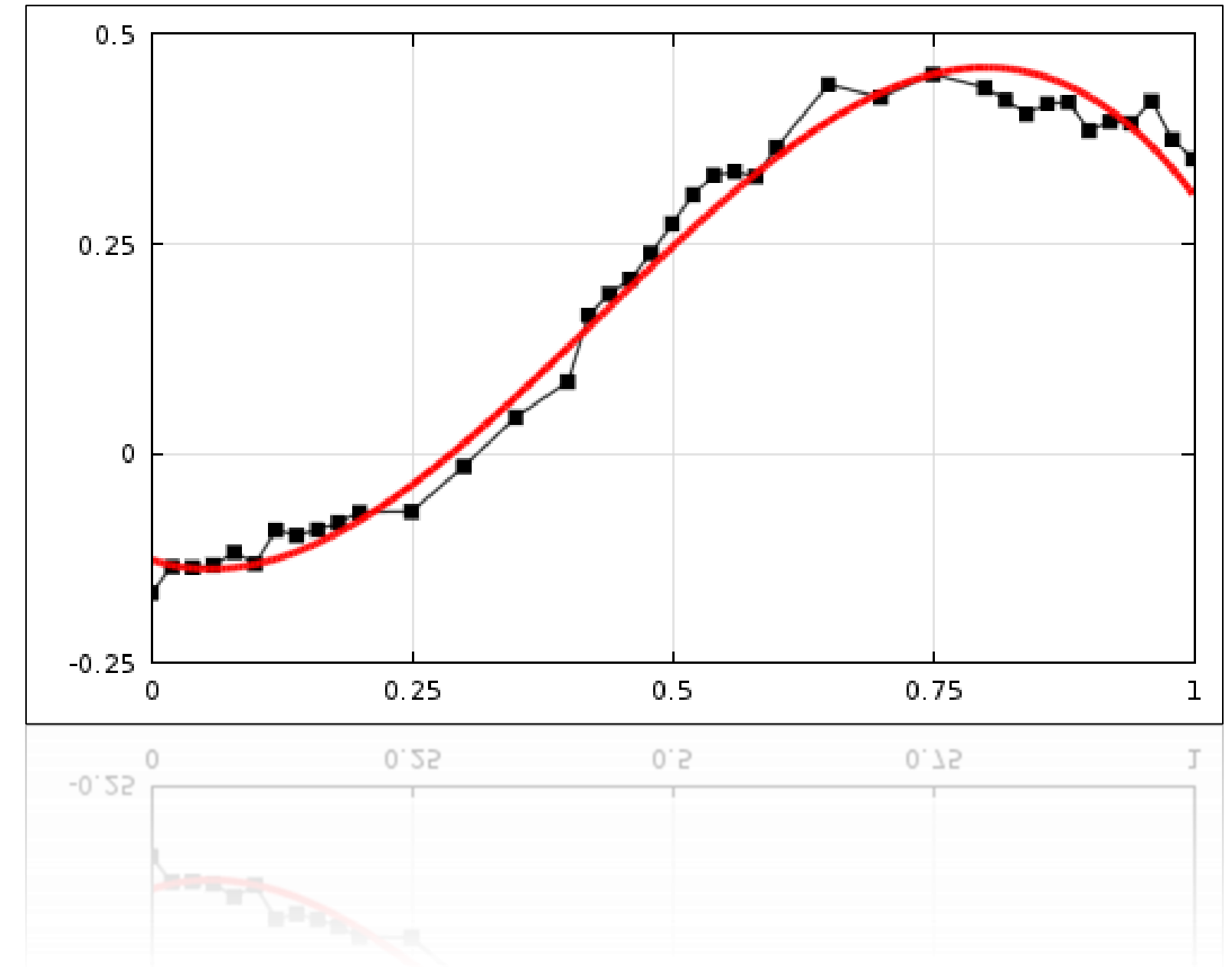
# DEEP LEARNING ANALOGIES

What is this deep learning thing, anyway?

A NEW TYPE OF SOFTWARE



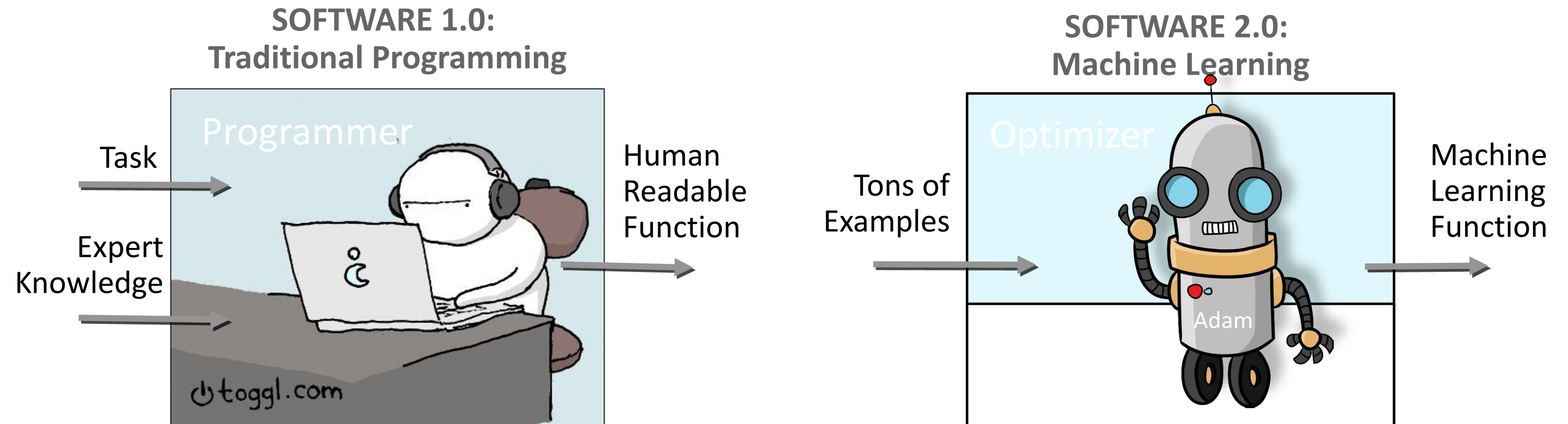
A GENERALIZATION OF CURVE FITTING





# A NEW WAY TO BUILD SOFTWARE

## Traditional Programming vs Machine Learning



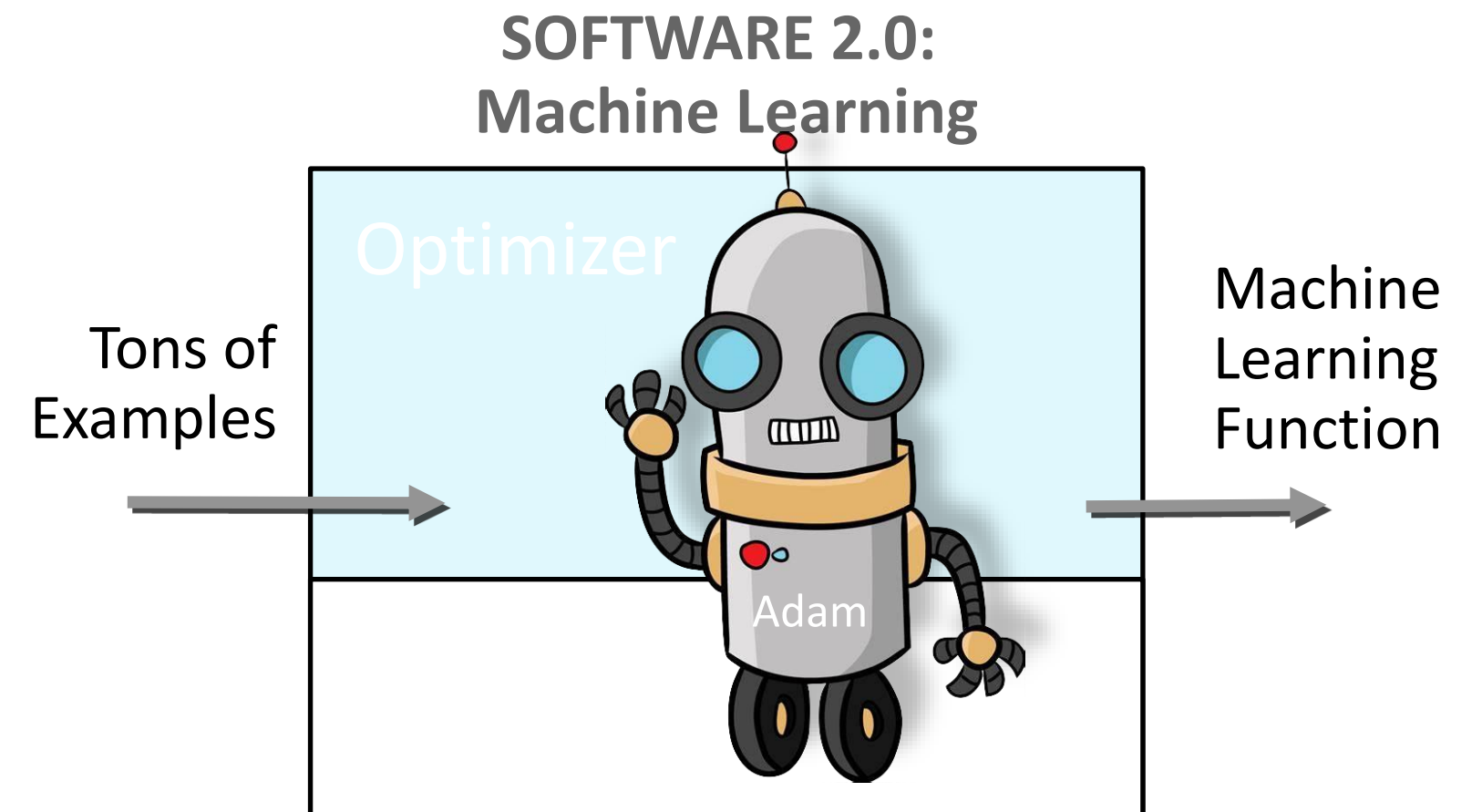


# A DIFFERENT WAY TO BUILD SOFTWARE

## Traditional Programming vs Machine Learning

Goals for today:

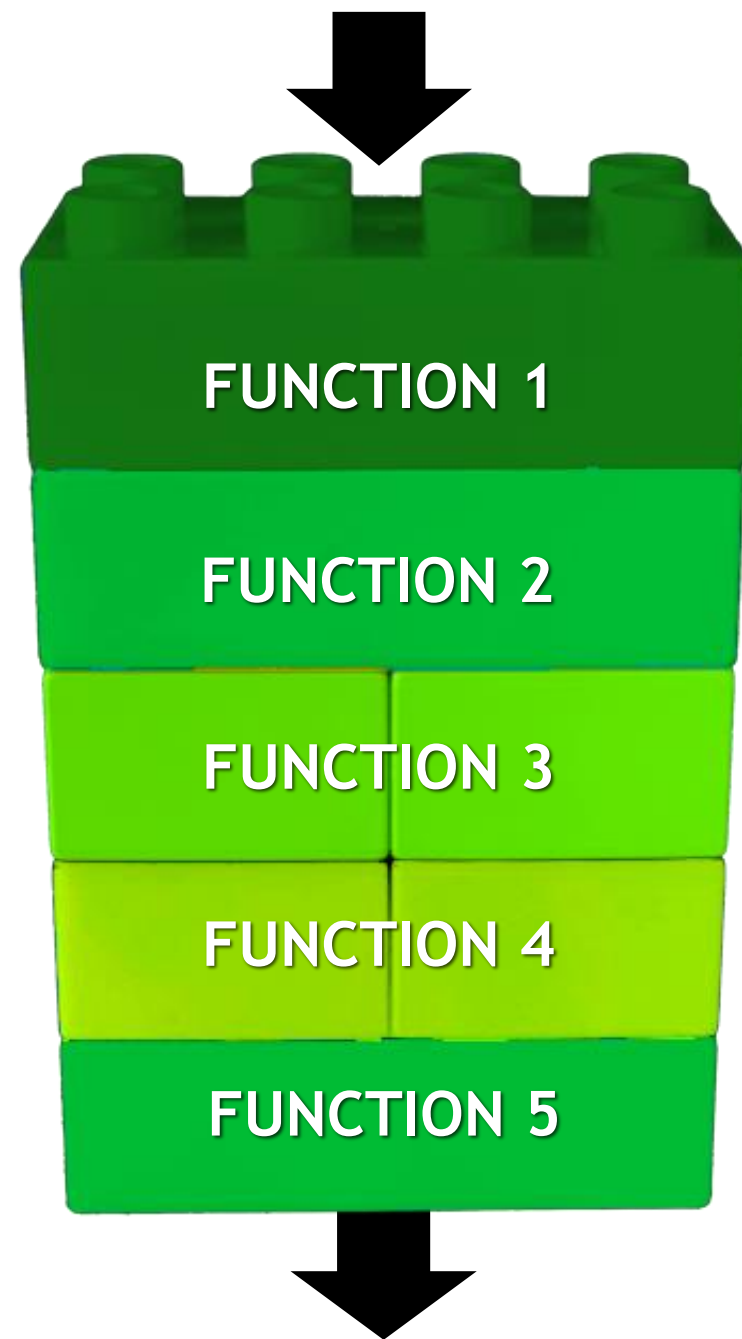
1. **Learn to use this new approach**
2. **Revolutionize Science**





# A DIFFERENT WAY TO BUILD SOFTWARE

Hand written vs learnt functions



## HAND-WRITTEN FUNCTION

```
Function1(T,P,Q)

update_mass()

update_momentum()

update_energy()

do_macrophysics()

do_microphysics()

y = get_precipitation()

return y
```

Convert expert  
knowledge into a function

## LEARNED FUNCTION

```
Function1(T,P,Q)

A = relu( w1 * [T,P,Q] + b1)

B = relu( w2 * A      + b2)

C = relu( w3 * B      + b3)

D = relu( w4 * C      + b4)

E = relu( w5 * D      + b5)

y = sigmoid(w6 * E    + b6)

return y
```

Reverse-engineer a function  
from inputs / outputs





# A DIFFERENT WAY TO BUILD SOFTWARE

The two approaches are complimentary



## MANUAL PROGRAMMING

“SOFTWARE 1.0”  
ENGINEERED  
LABOR INTENSIVE  
EXPLICIT  
EXPLAINABLE  
SIMPLE  
FROM EXPERTISE

## MACHINE LEARNING

“SOFTWARE 2.0”  
REVERSE-ENGINEERED  
AUTOMATIC  
IMPLICIT  
SUBTLE  
COMPLEX  
FROM EXAMPLES

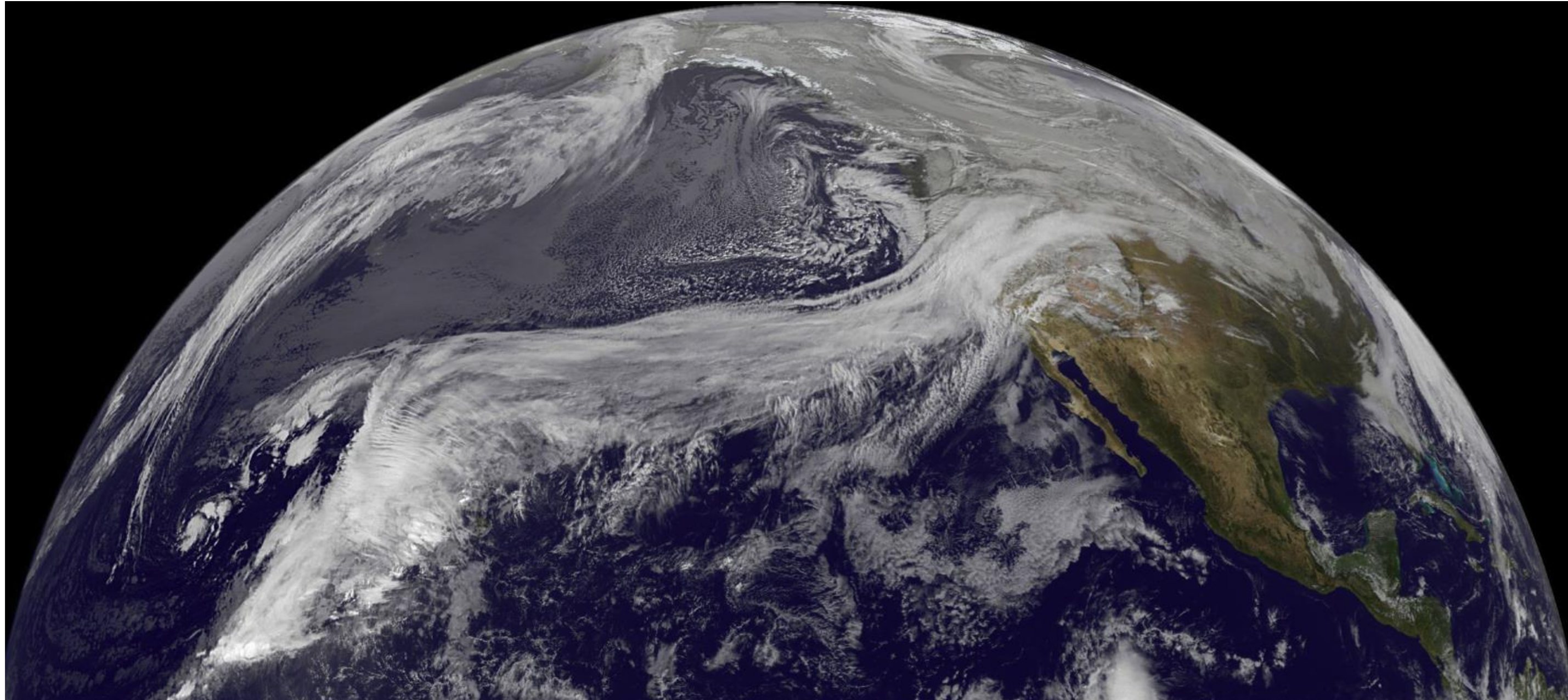


(For best results, combine as needed)



# A DIFFERENT WAY TO BUILD SOFTWARE

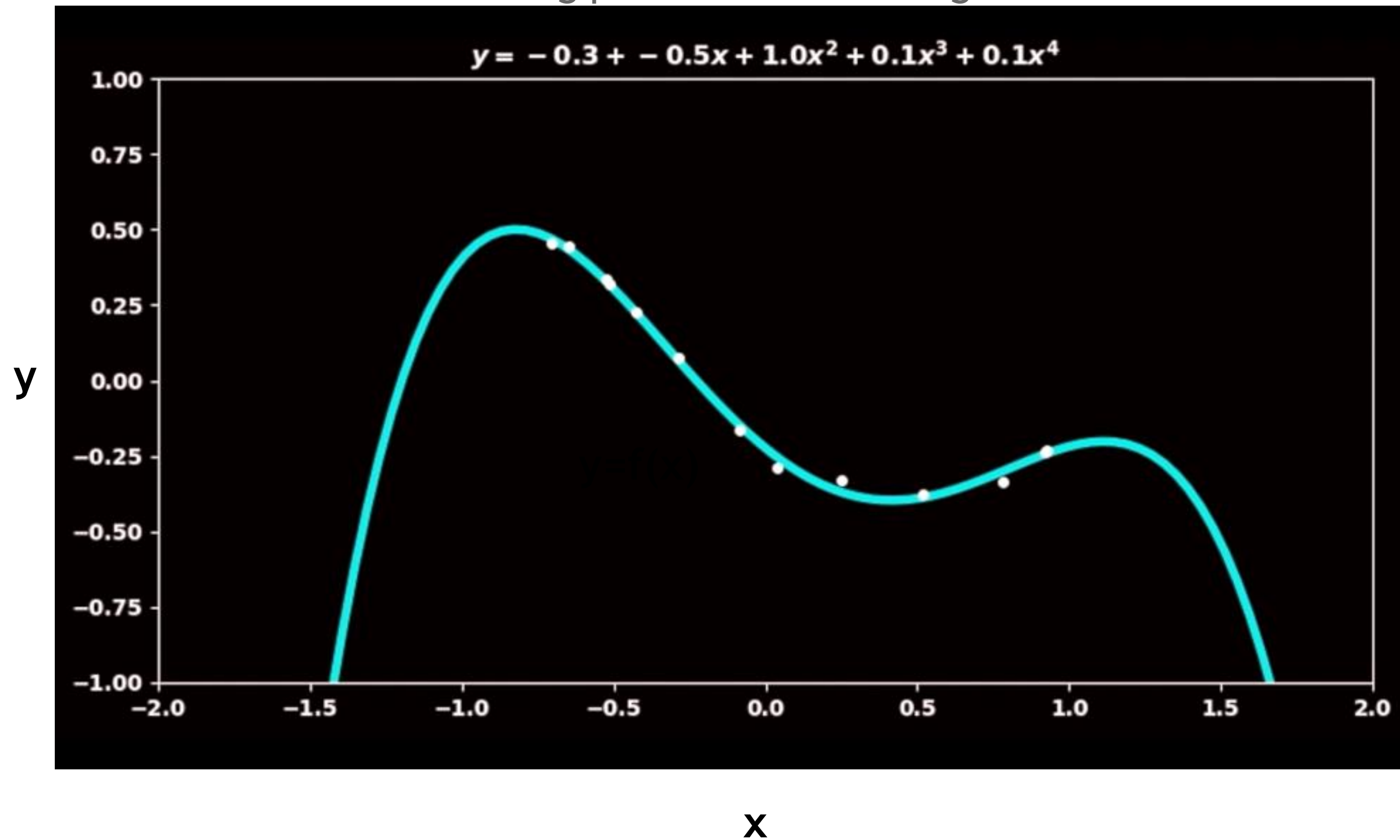
Complex phenomena are best described implicitly.



EXAMPLE: ATMOSPHERIC RIVER

# A GENERALIZATION OF CURVE FITTING

Curve fitting provides the starting intuition





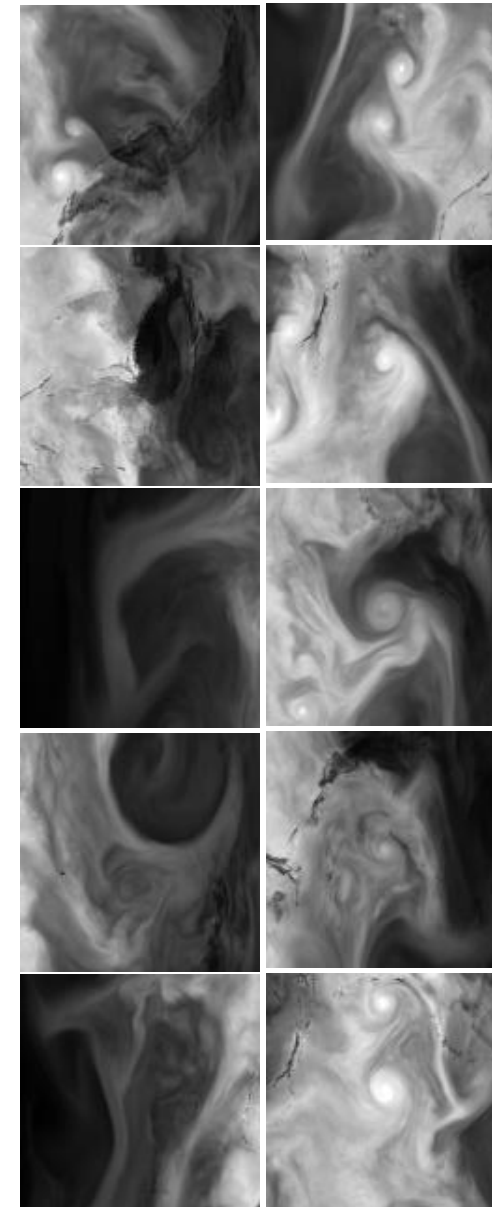
# A GENERALIZATION OF CURVE FITTING

Differences from traditional curve fitting

Find  $f$ , given  $x$  and  $y$



Supervised  
Deep  
Learning



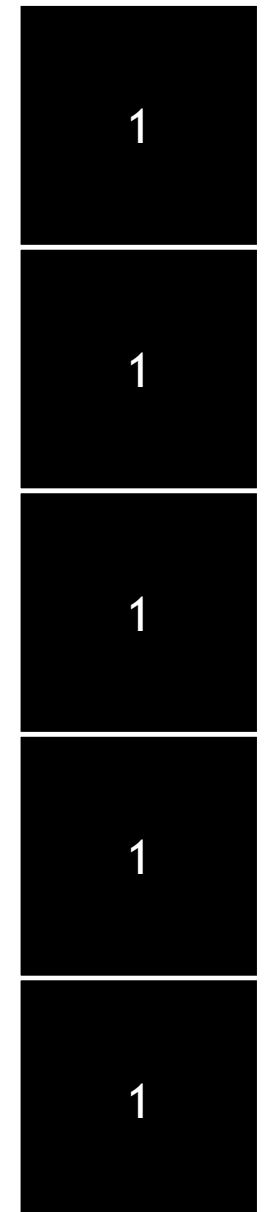
inputs

$x_1$   
 $x_2$   
 $x_3$   
 $x_4$   
 $x_5$   
 $x_6$

High dimensional  $x, y$   
Hierarchical  
Millions of parameters

outputs

$y_1$   
 $y_2$   
 $y_3$   
 $y_4$   
 $y_5$   
 $y_6$





# IMPLEMENTATION BASICS



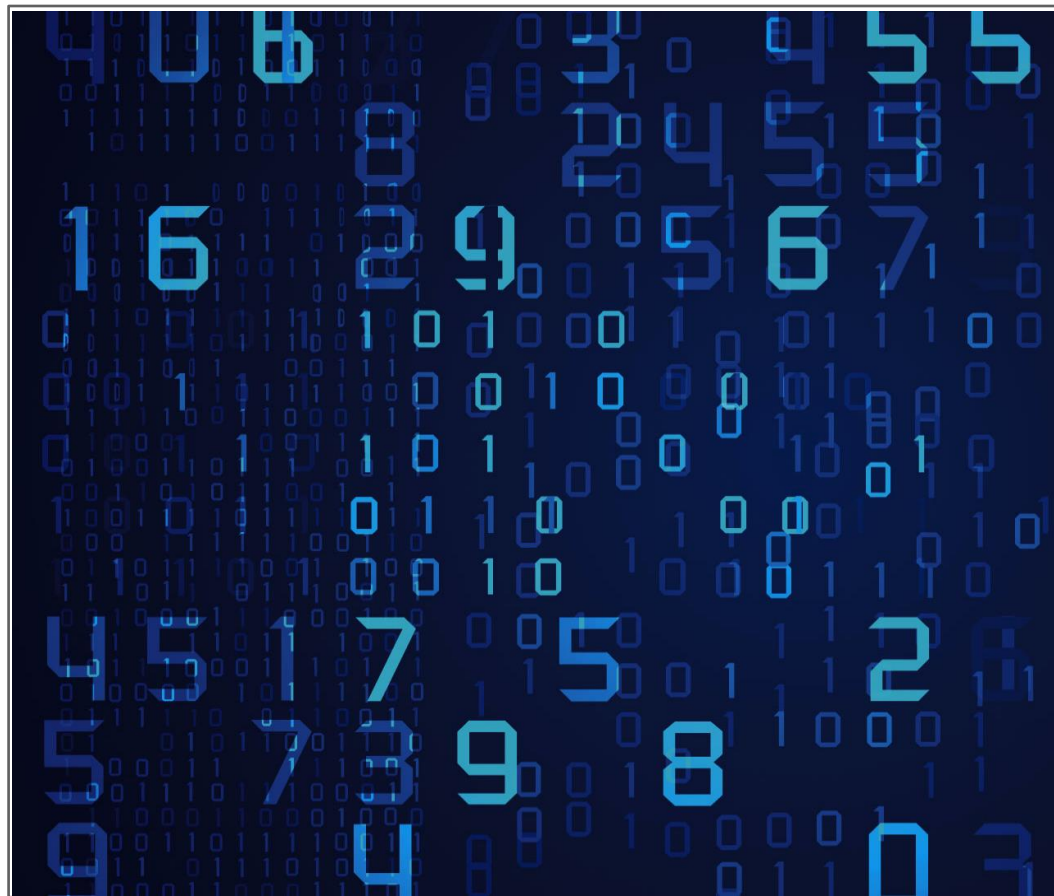
# AUTO-ML

Eventually, the optimizer might be able to do everything for you



# WHAT YOU NEED TO MAKE DEEP LEARNING WORK

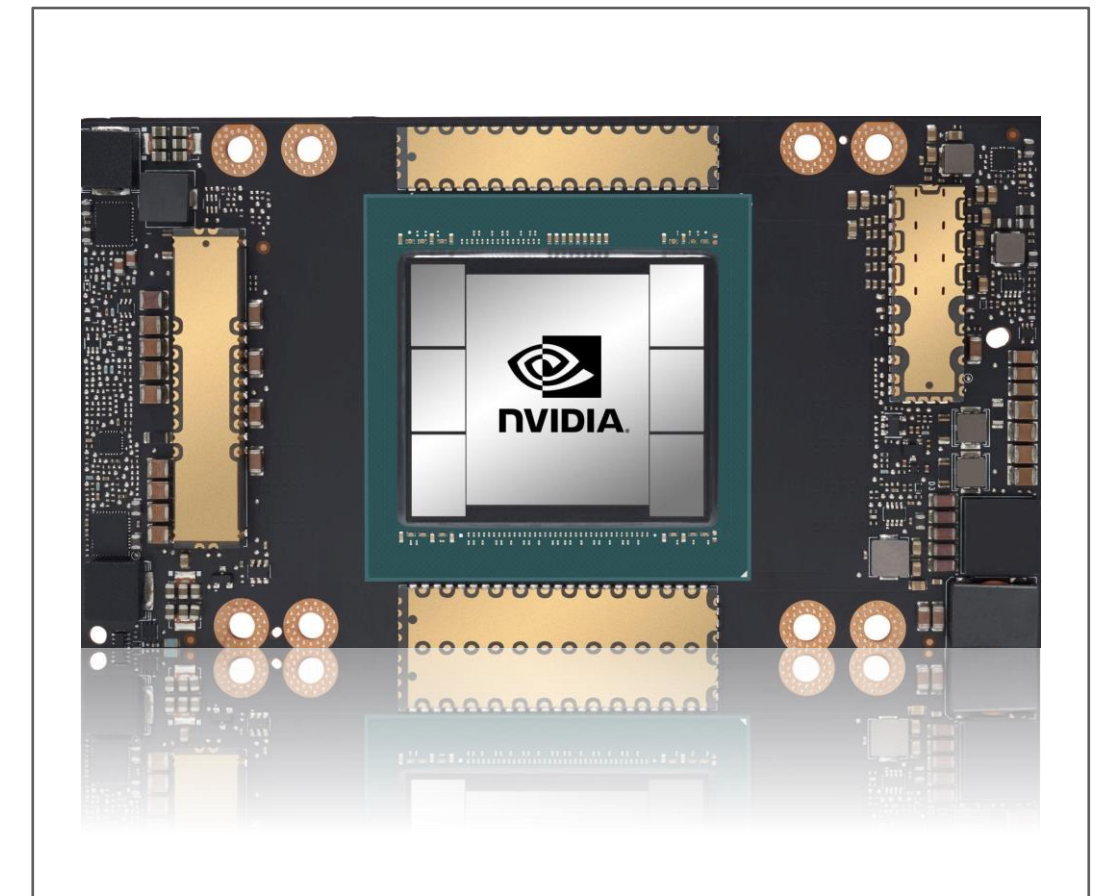
You need three main ingredients (and some skill)



LARGE QUANTITIES OF DATA



ML FRAMEWORK



GPU ACCELERATOR



# DEEP LEARNING FRAMEWORKS

Many frameworks to choose from (but not for Fortran)

 PyTorch		
 + 	 GLUON	
Python	C++	Julia

 Chainer	 mxnet	 Caffe2	 Microsoft CNTK	 TensorFlow	 Keras	 GLUON	 PYTORCH	 theano
---	---	---	--	--	---	---	---	--

# DEVELOPMENT ENVIRONMENT

## JUPYTER NOTEBOOKS

The image displays two Jupyter Notebook windows. The background window shows a 'Welcome to the Jupyter Notebook Server' page with a warning and instructions. The foreground window shows a notebook titled 'Lorenz Differential Equations' with a title, equations, text, an interactive slider interface, and a Lorenz attractor plot.

**Jupyter Notebook: Lorenz Differential Equations (autosaved)**

File Edit View Insert Cell Kernel Help Python 3

Code Cell Toolbar: None

### Exploring the Lorenz System

In this Notebook we explore the [Lorenz system](#) of differential equations:

$$\begin{aligned}\dot{x} &= \sigma(y - x) \\ \dot{y} &= \rho x - y - xz \\ \dot{z} &= -\beta z + xy\end{aligned}$$

This is one of the classic systems in non-linear differential equations. It exhibits a range of complex behaviors as the parameters  $(\sigma, \beta, \rho)$  are varied, including what are known as *chaotic solutions*. The system was originally developed as a simplified mathematical model for atmospheric convection in 1963.

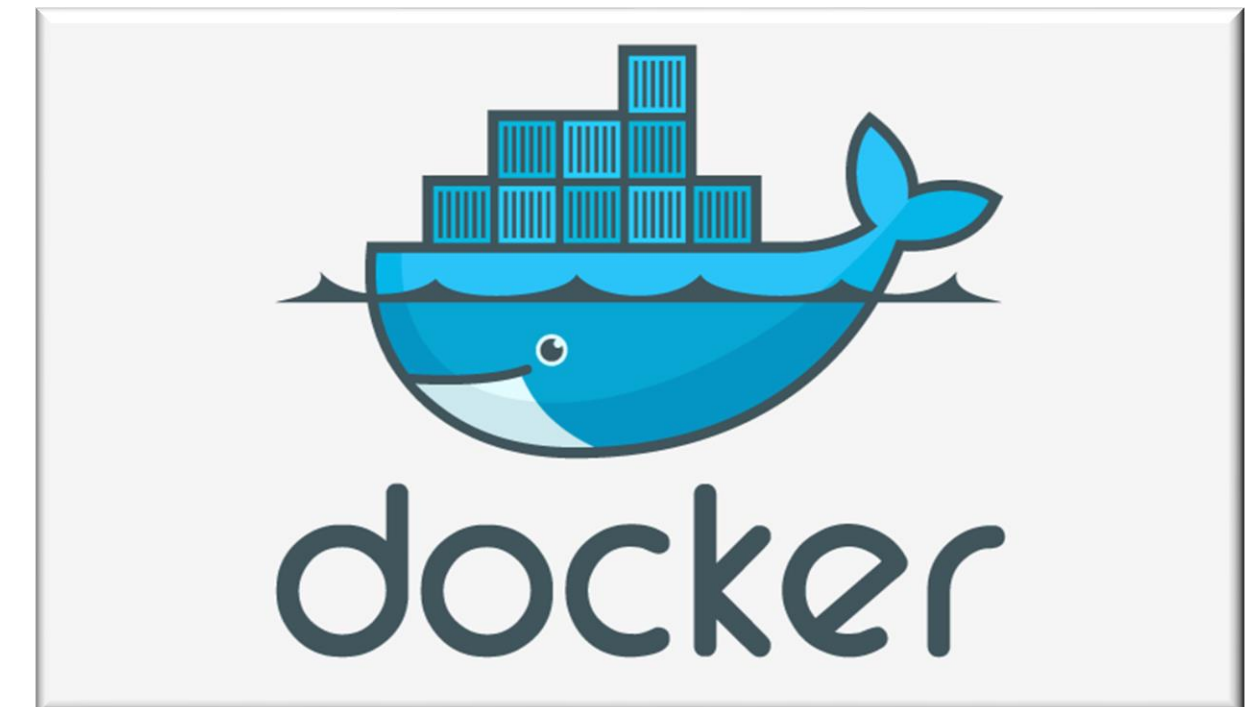
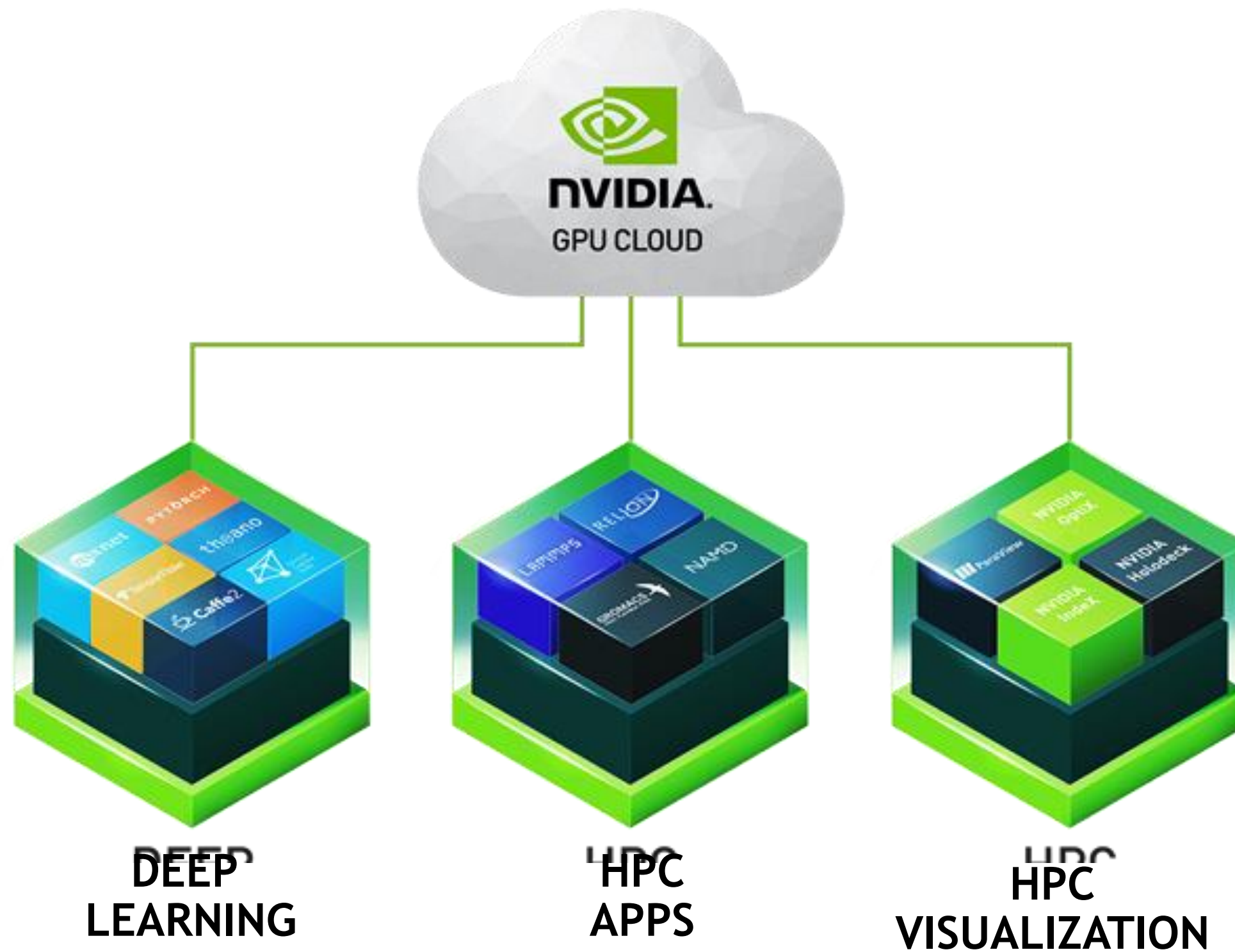
In [7]: `interact(Lorenz, N=fixed(10), angle=(0.,360.),  
sigma=(0.0,50.0), beta=(0.,5), rho=(0.0,50.0))`

angle 308.2  
max\_time 12  
 $\sigma$  10  
 $\beta$  2.6  
 $\rho$  28





# NVIDIA GPU CLOUD REGISTRY CONTAINERIZED SOFTWARE



# LINEAR REGRESSION

## With Scikit Learn

```
from sklearn.linear_model import LinearRegression
from numpy.random import rand
import numpy as np
```

```
# DATA
```

```
npts      = 50
x_train   = 10*rand(npts,1)
y_train   = 0.3*x_train + 0.5 * rand(npts,1)
```

```
# MODEL
```

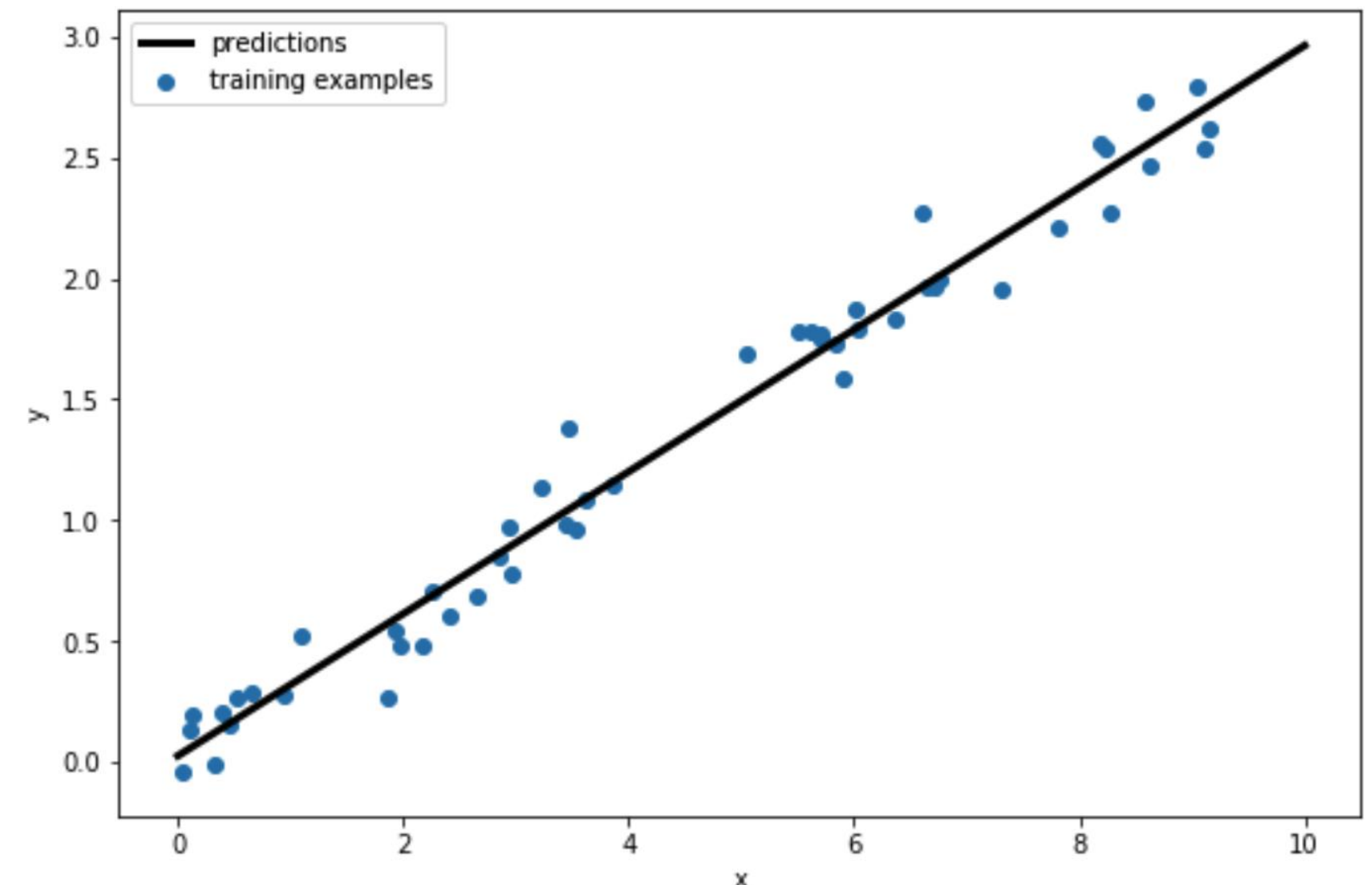
```
model = LinearRegression()
```

```
# TRAIN
```

```
model.fit(x_train, y_train)
```

```
# TEST
```

```
x_test     = np.linspace(0,10,npts).reshape(-1,1)
y_predict  = model.predict(x_test)
```





# LINEAR REGRESSION

## With TensorFlow and Keras

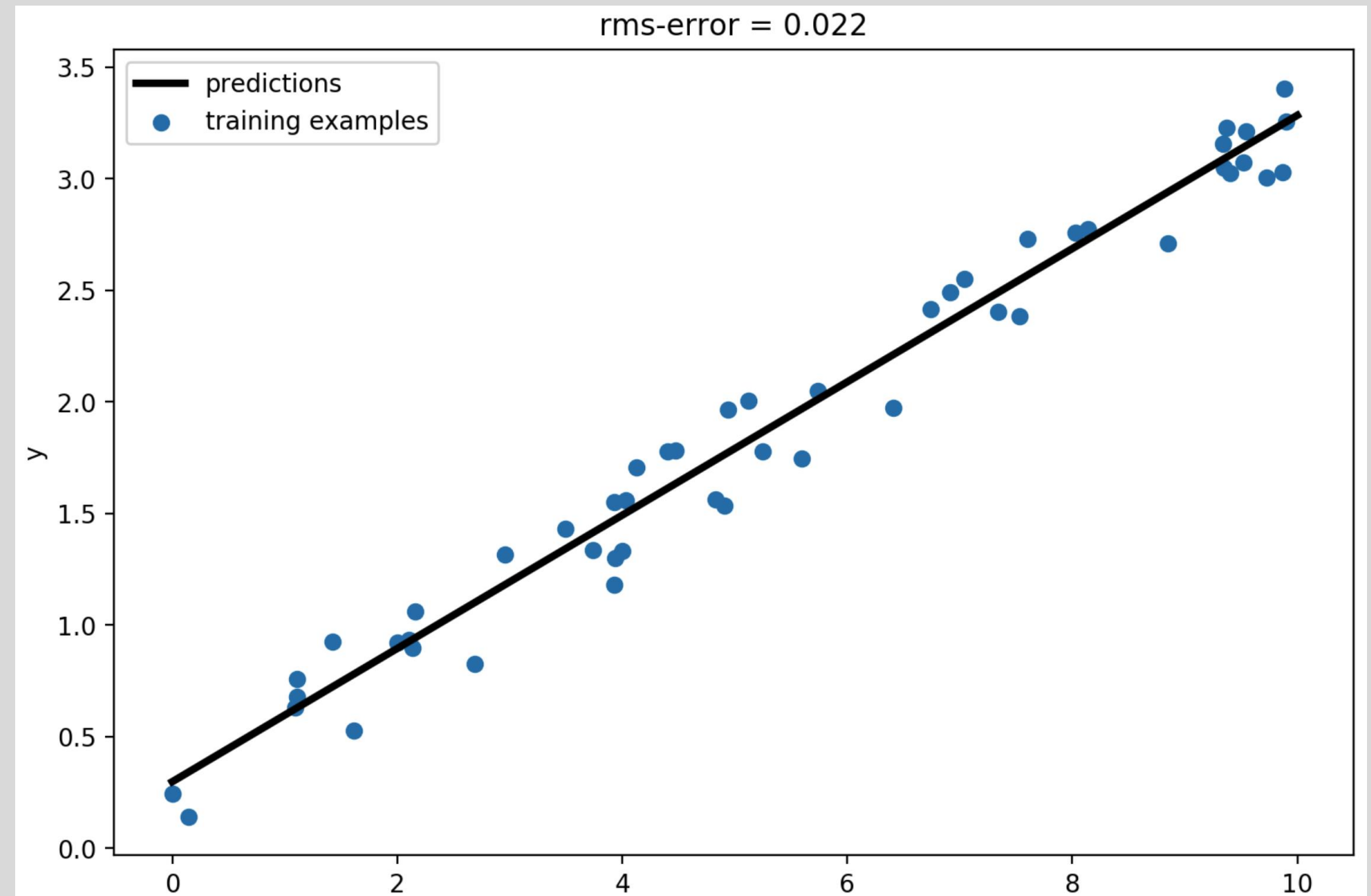
```
import tensorflow as tf
from tensorflow import keras
from tensorflow.keras import backend as K
from tensorflow.random import uniform
K.clear_session()

# DATA
npts = 50
x_train = 10*uniform(shape=[npts,1])
y_train = 0.3*x_train + 0.5 * uniform(shape=[npts,1])

# MODEL
model = keras.models.Sequential()
model.add(keras.layers.Dense(1, input_shape=[1]))
optimizer = keras.optimizers.Adam(lr=1e-1)
model.compile(loss='mean_squared_error',optimizer=optimizer)

# TRAIN
hist = model.fit(x_train,y_train,epochs=100,verbose=0)

# TEST
x_test = tf.linspace(0,10,npts)
x_test = tf.reshape(x_test,[npts,1])
y_predict = model.predict(x_test)
```



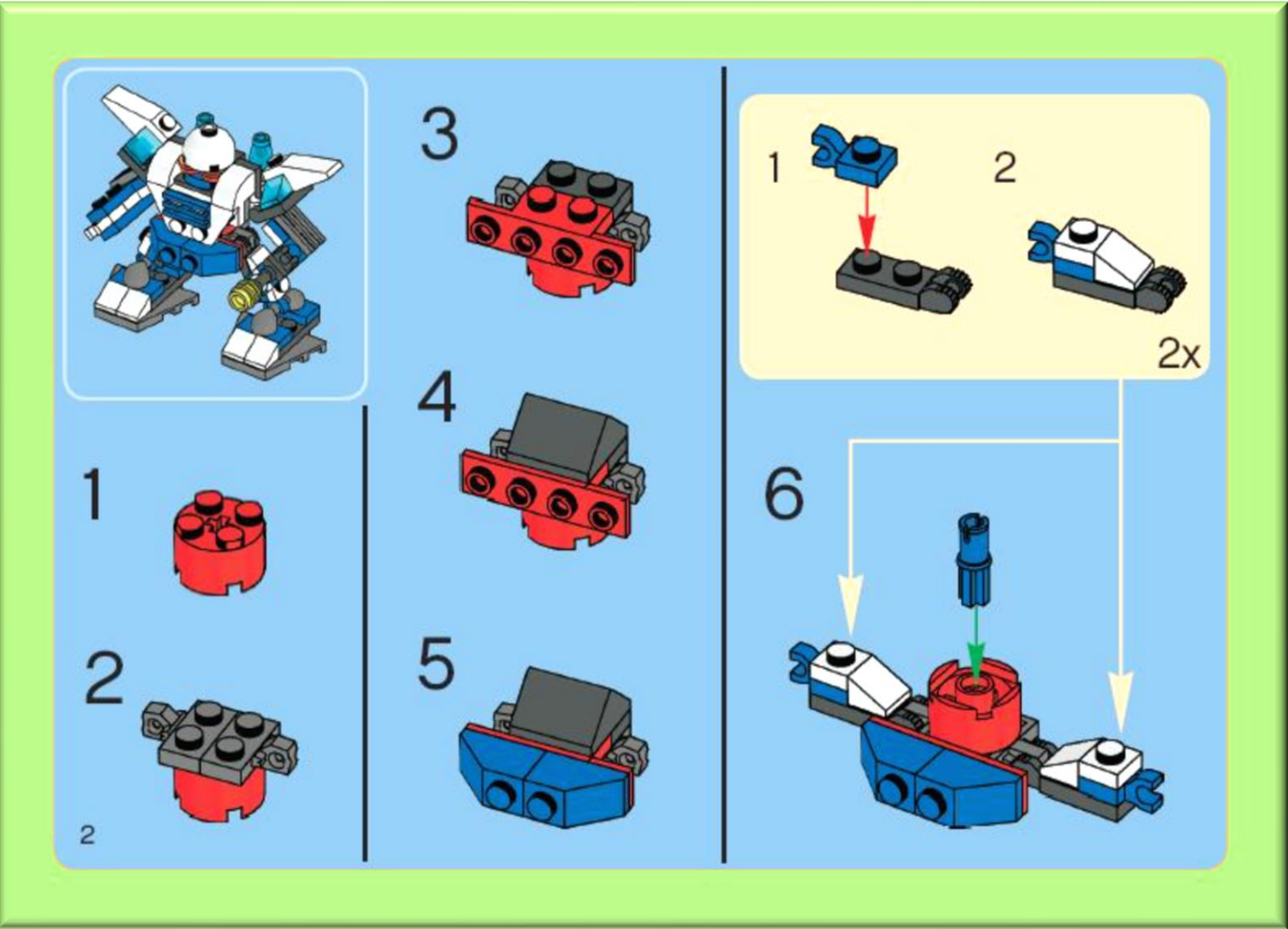


# TRAINING



# TRAINING VS INFERENCE

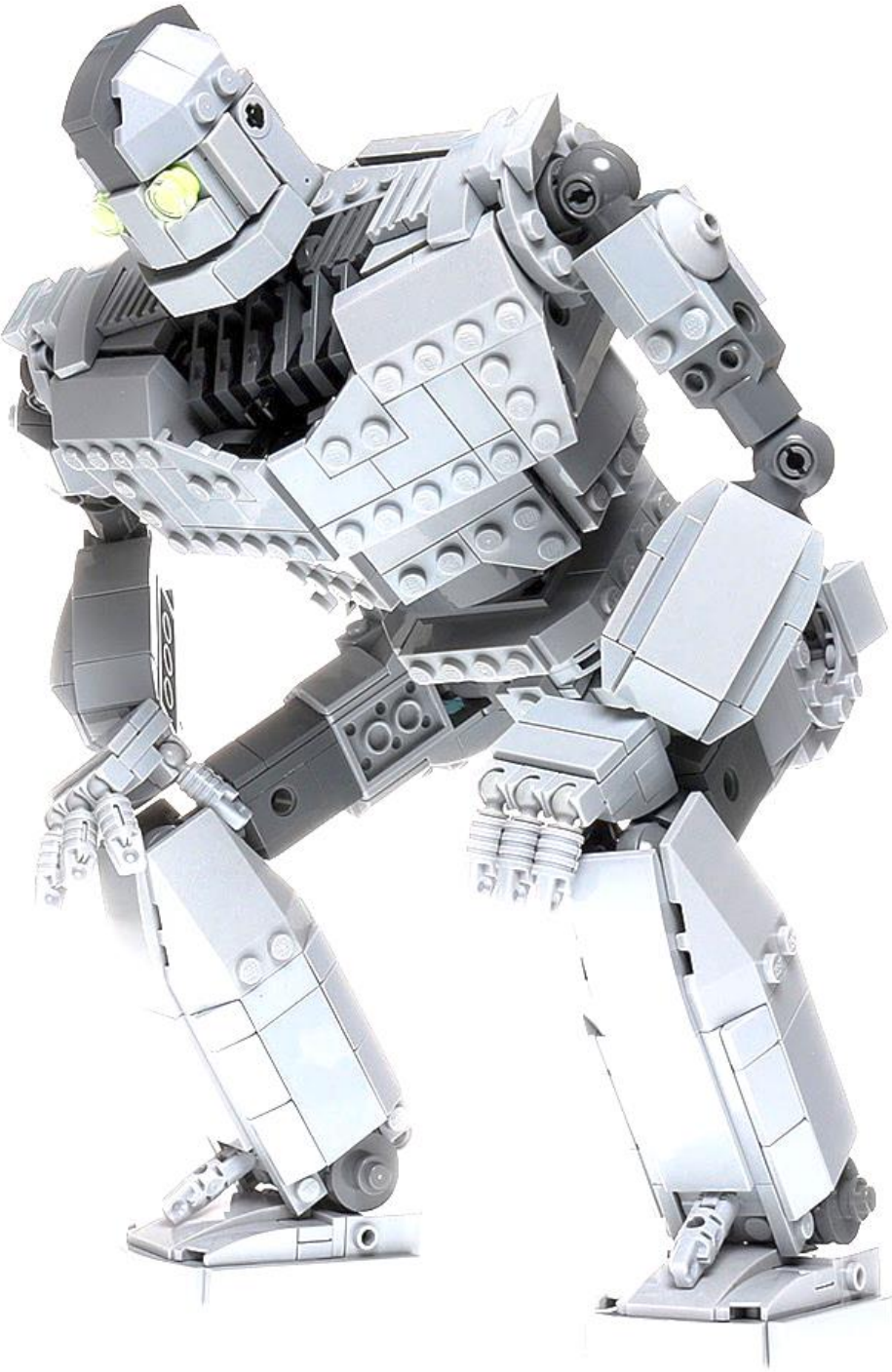
## TRAINING PHASE



SEARCH FOR THE RIGHT PIECES

ONLINE  
LEARNING

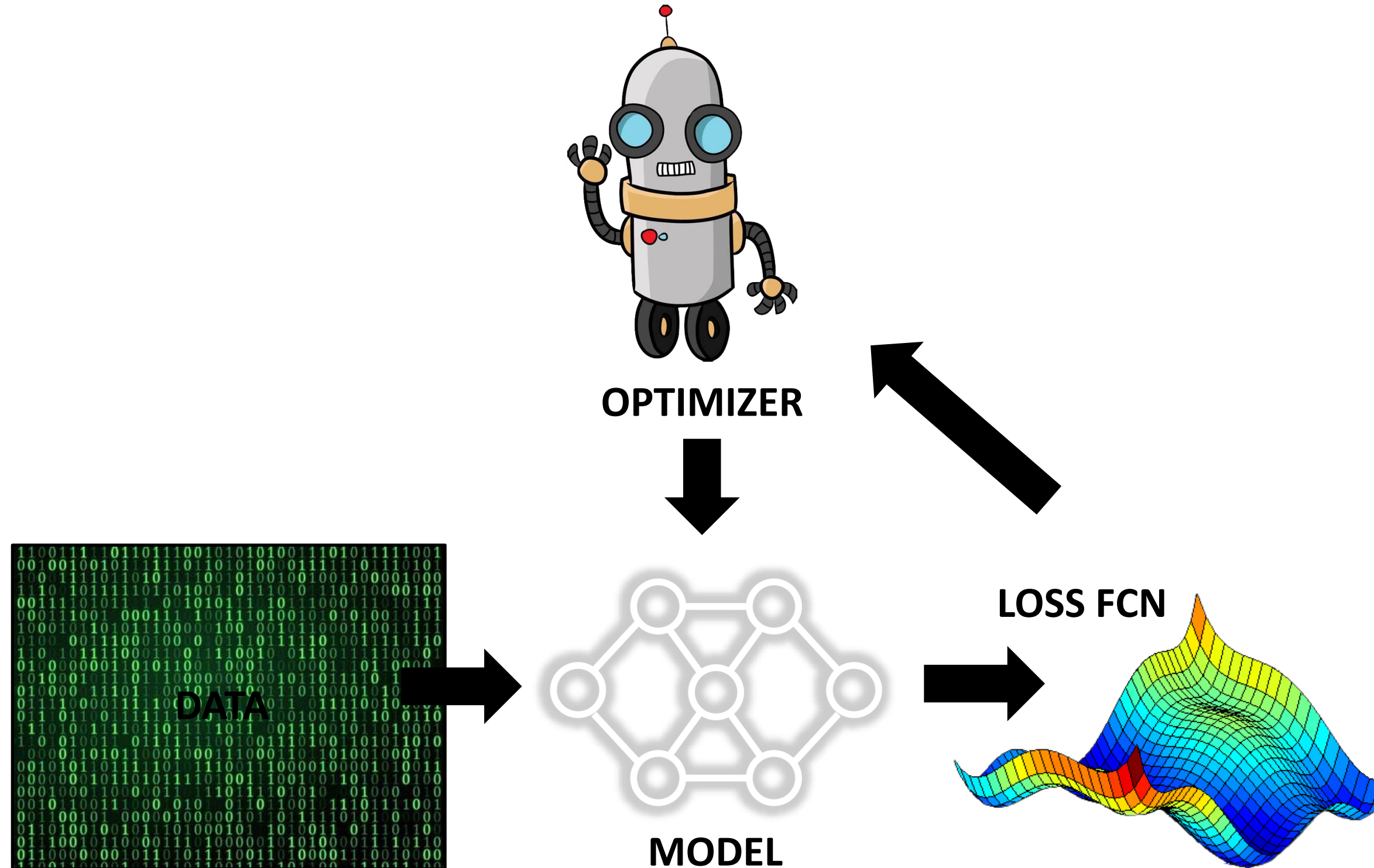
## INFERENCE PHASE



APPLY THE COMPLETED MODEL

# TRAINING: THE PLAYERS

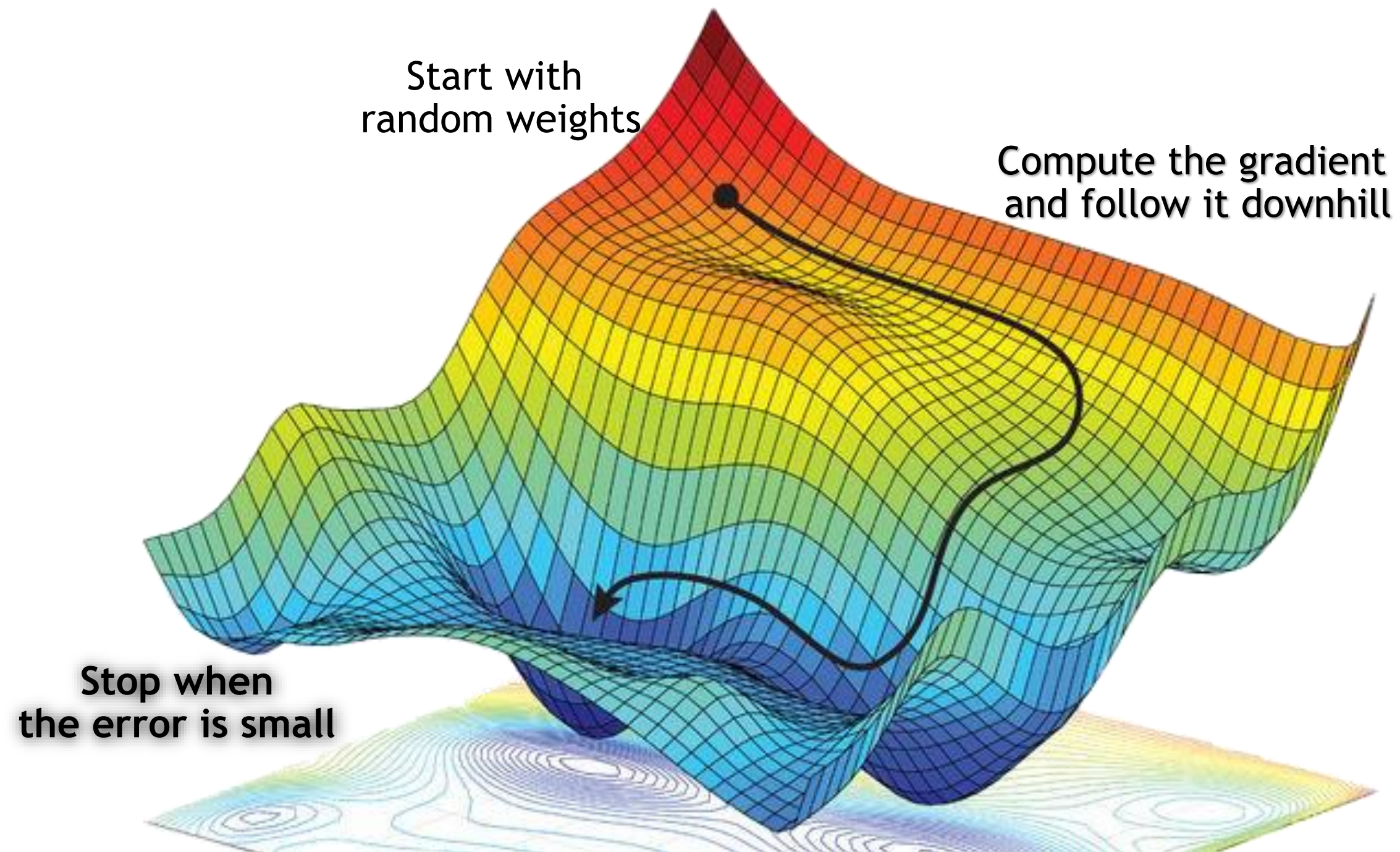
## DATA, MODEL, LOSS, AND OPTIMIZER





# TRAINING: GRADIENT DESCENT

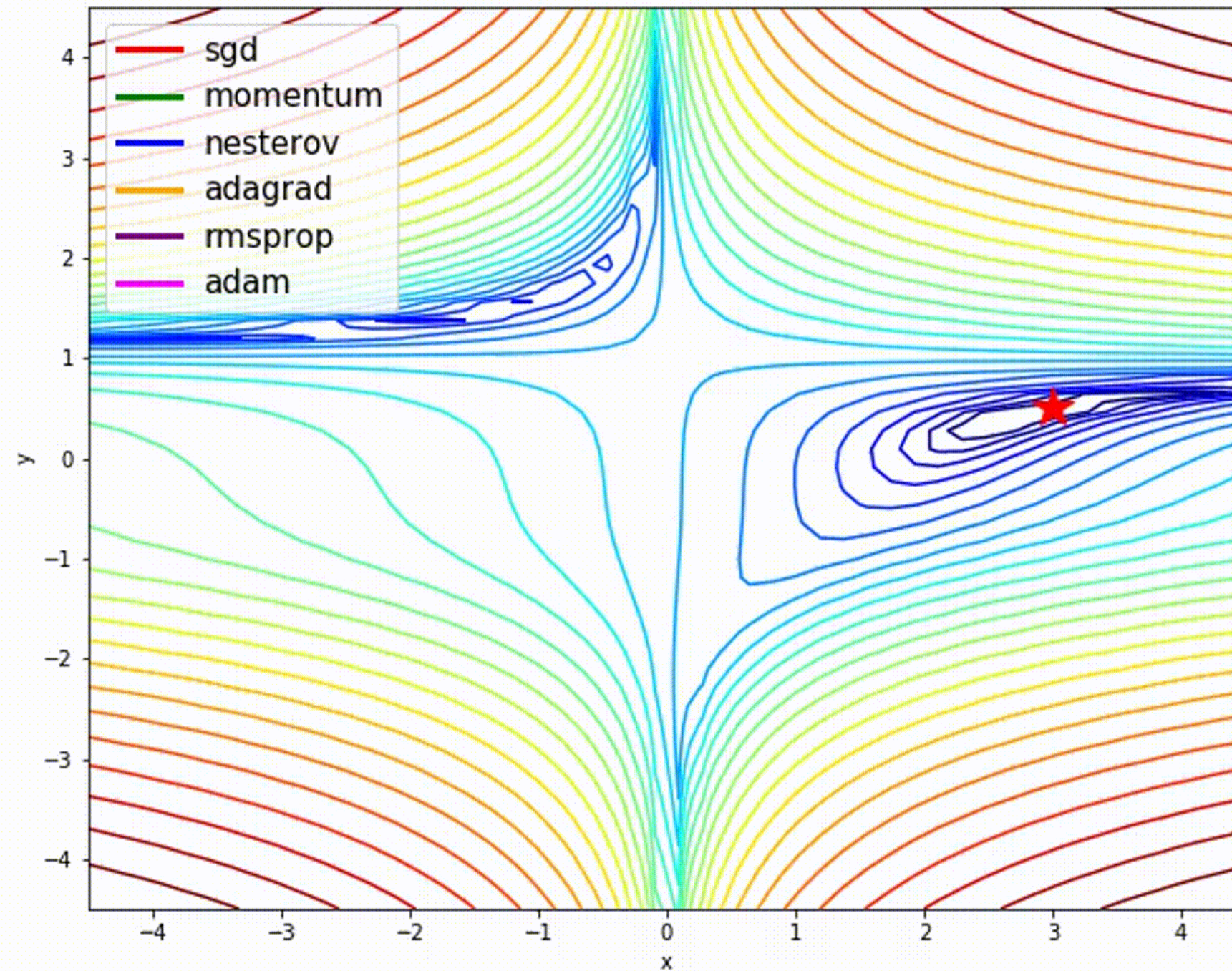
Finding as solution is as easy as falling down a hill





# OPTIMIZERS

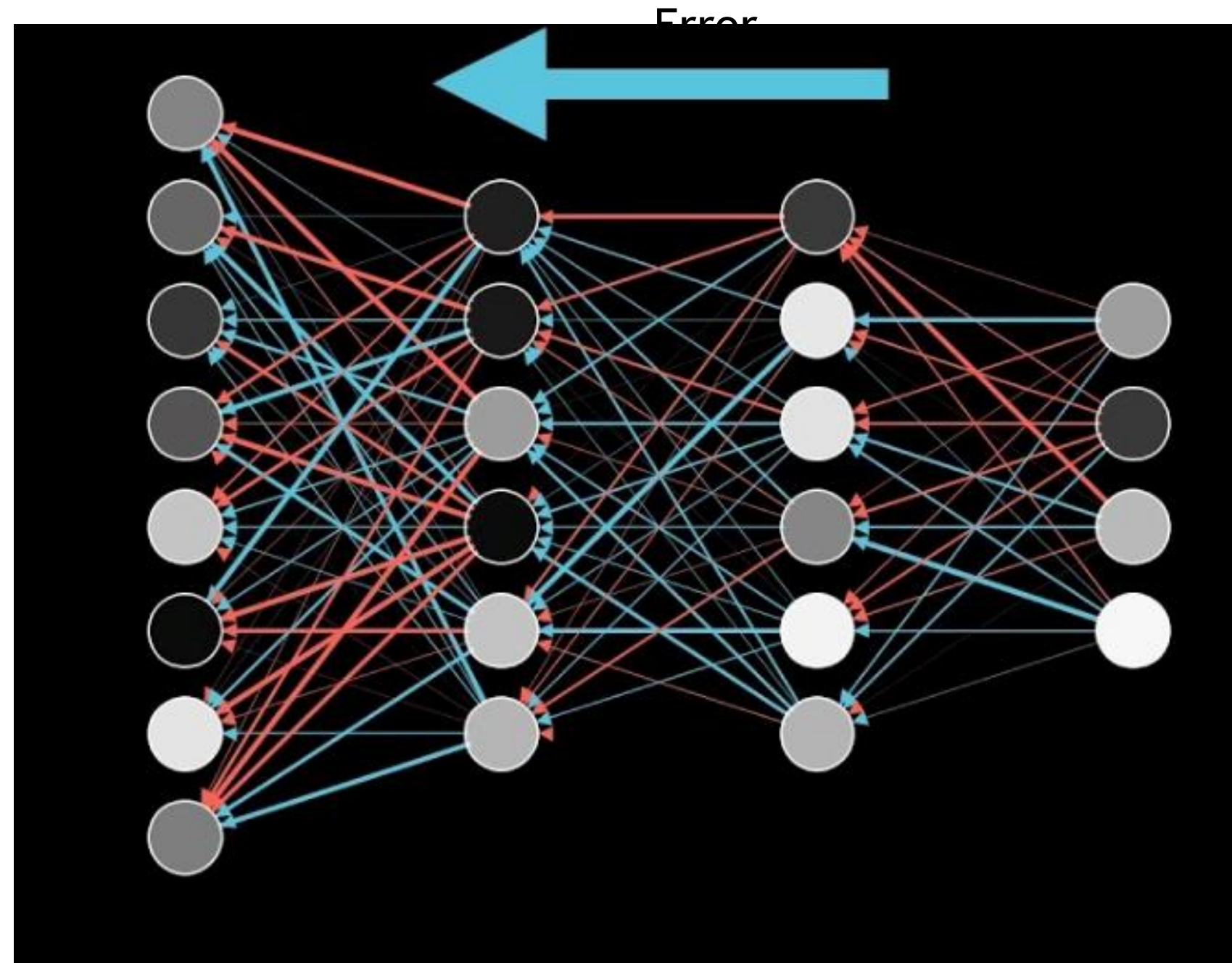
Many variations on stochastic gradient descent





# TRAINING: BACKPROPAGATION

Compute the gradient, by efficiently assigning blame



# AUTOGRAD

Let a framework keep track of your gradient, so you don't have to

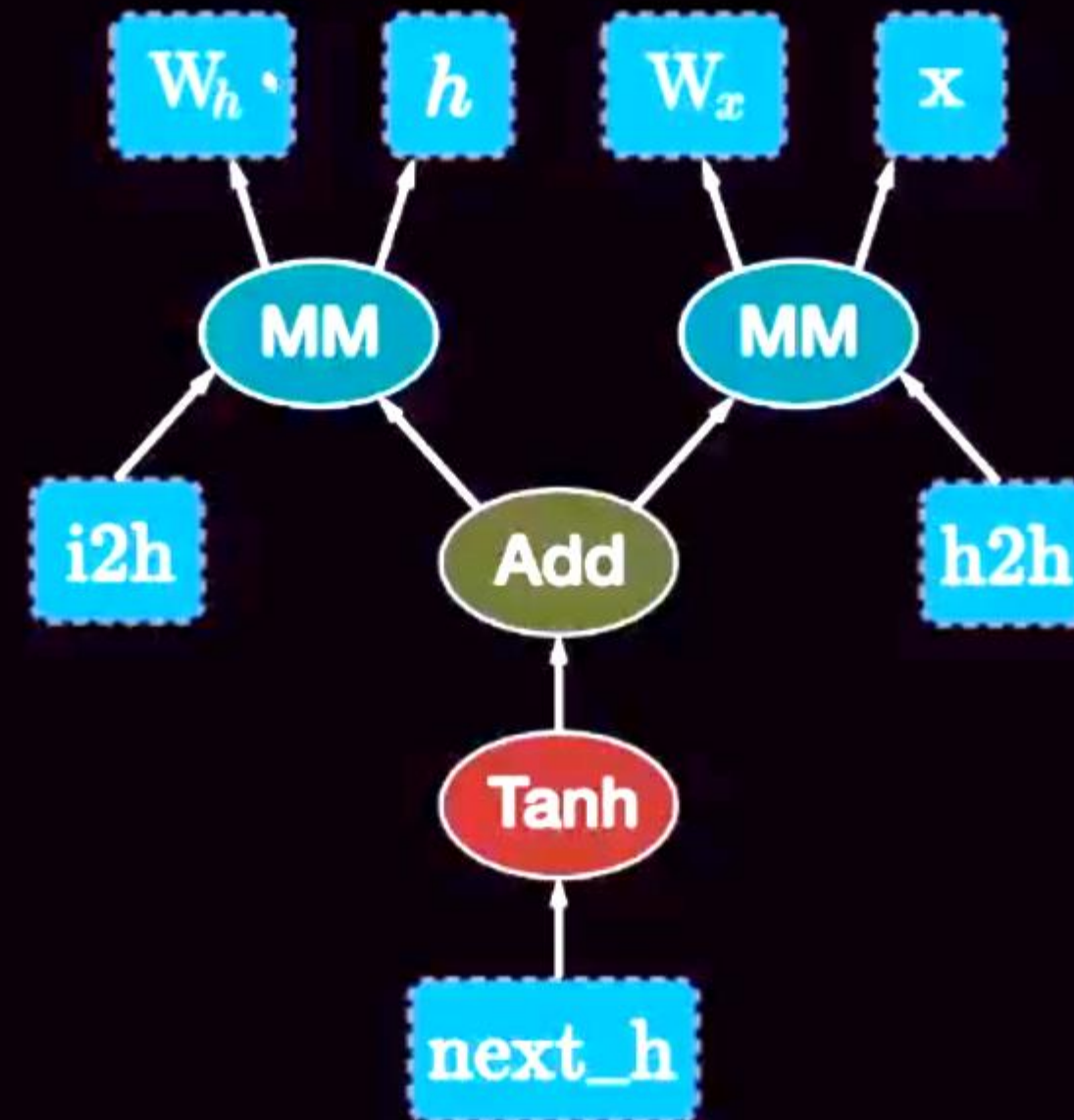
## PyTorch Autograd

```
from torch.autograd import Variable

x = Variable(torch.randn(1, 10))
prev_h = Variable(torch.randn(1, 20))
W_h = Variable(torch.randn(20, 20))
W_x = Variable(torch.randn(20, 10))

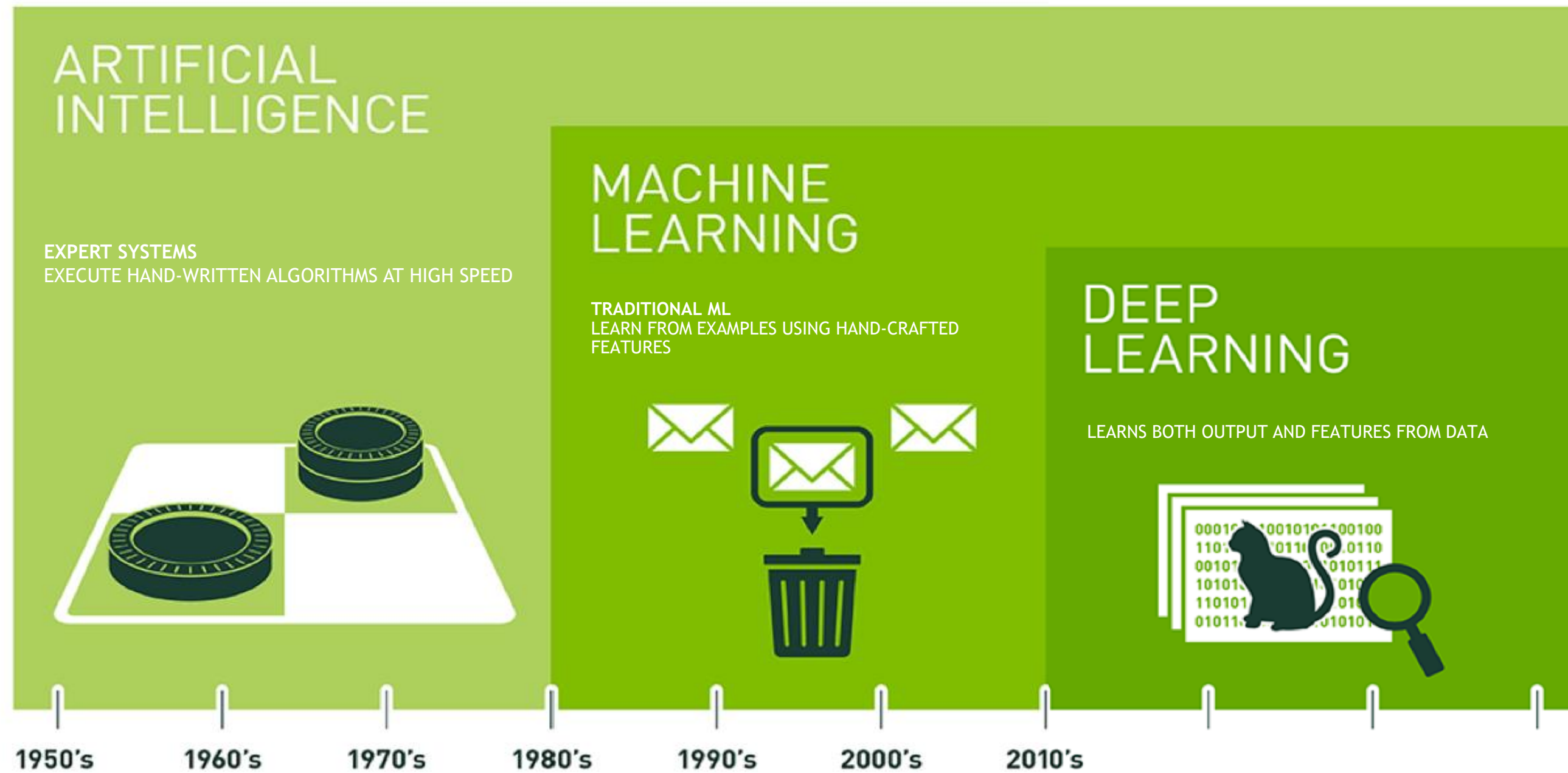
i2h = torch.mm(W_x, x.t())
h2h = torch.mm(W_h, prev_h.t())
next_h = i2h + h2h
next_h = next_h.tanh()

next_h.backward(torch.ones(1, 20))
```



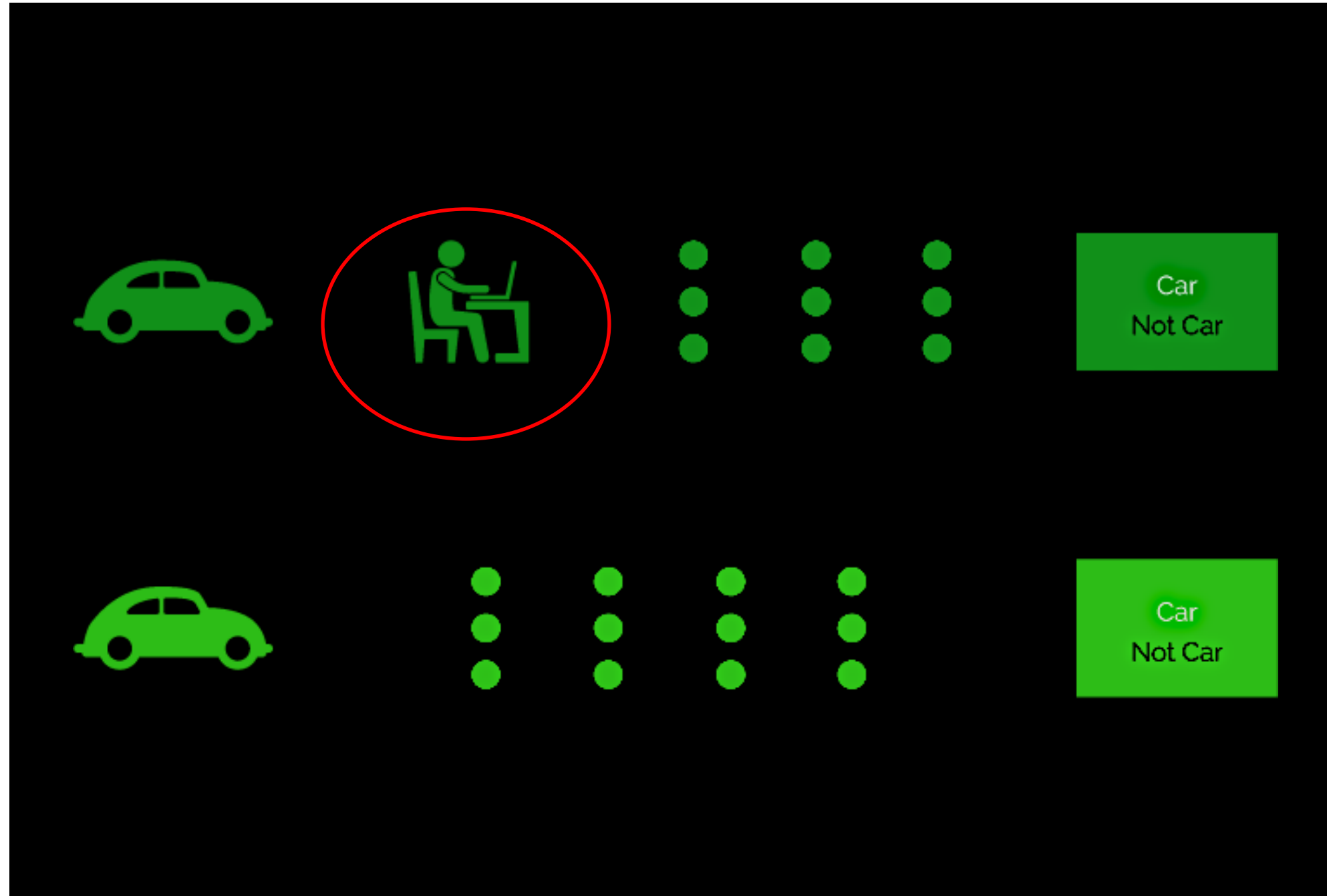


# AI, MACHINE LEARNING, DEEP LEARNING



# DEEP LEARNING VS. MACHINE LEARNING

When should I use deep learning vs traditional machine learning?



## TRADITIONAL MACHINE LEARNING

Random forests, SVM, K-means, Logistic Regression

Features hand-crafted by experts

Small set of features: 10s or 100s

**NVIDIA RAPIDS: orders of magnitude speedup**

## SUPERVISED DEEP LEARNING

CNN, RNN, LSTM, GAN, Variational Auto-encoders

Finds features automatically

High dimensional data: images, sounds, speech

Large set of labelled data (10k+ examples)

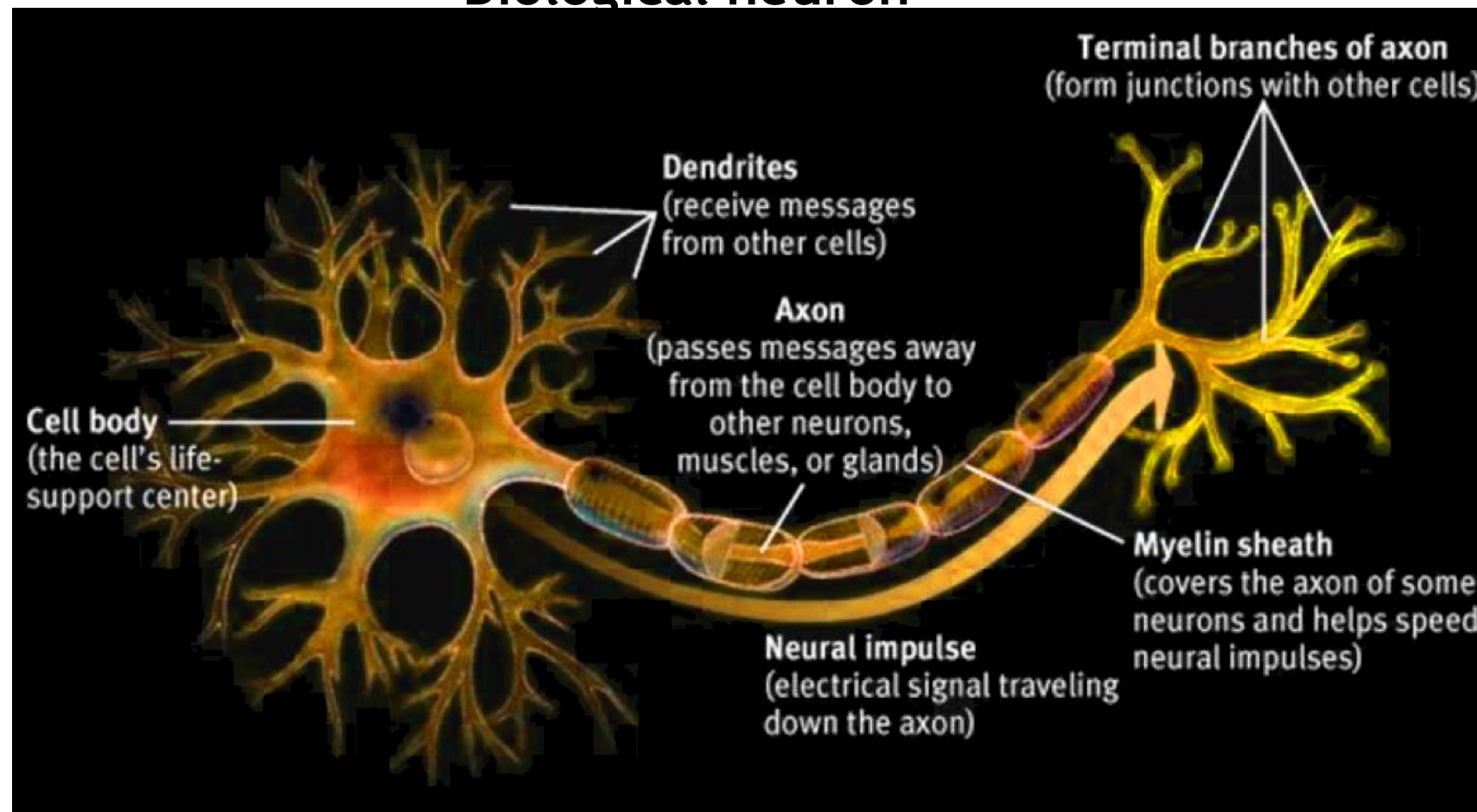
**NVIDIA CU-DNN: accelerates DL frameworks**



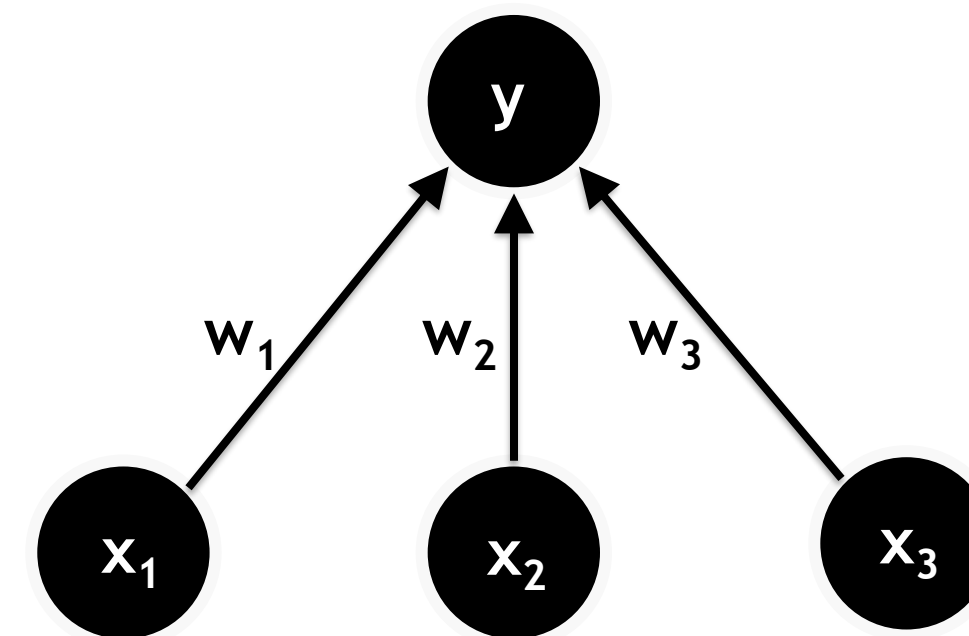
# ARTIFICIAL NEURONS

Simple equations with adjustable parameters

Biological neuron



Artificial neuron



$$y = f(w_1x_1 + w_2x_2 + w_3x_3)$$

# CURVE FIT WITH SINGLE LAYER NEURAL NETWORK

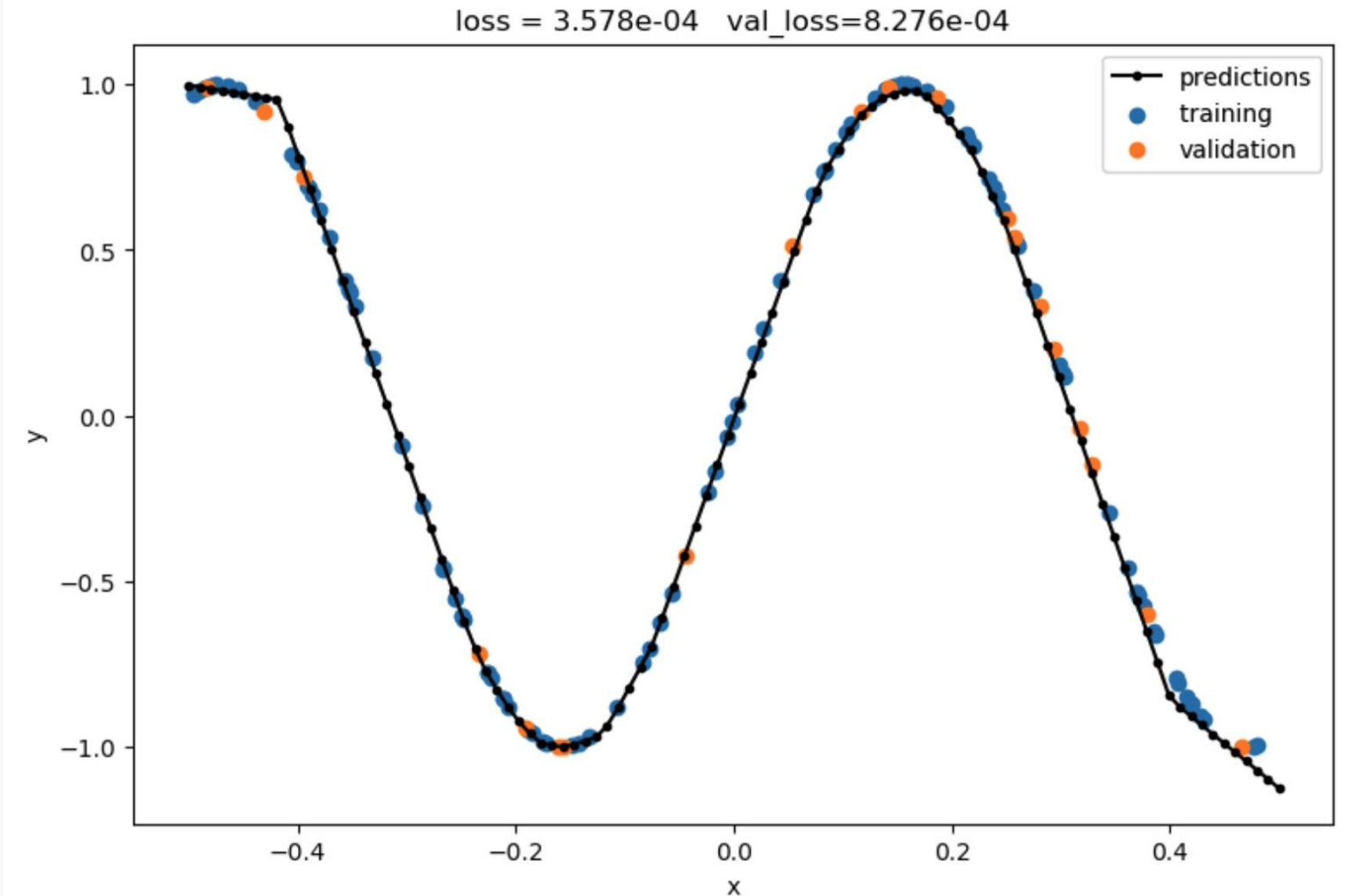
```
import tensorflow as tf
from tensorflow import keras
from tensorflow.keras import backend as K
from tensorflow.random import uniform
K.clear_session()

# DATA
def f(x): return tf.math.sin(10*x)
x_train = uniform(shape=[100,1]) - 0.5
x_val = uniform(shape=[ 20,1]) - 0.5
y_train = f(x_train)
y_val = f(x_val)

# MODEL (using keras functional API)
inputs = keras.Input(shape=[1])
x = keras.layers.Dense(units=100,activation="relu")(inputs)
x = keras.layers.Dense(1)(x)
outputs = keras.layers.Add()([inputs,x])
model = keras.Model(inputs=inputs, outputs=outputs)
optimizer= keras.optimizers.Adam(lr=1e-2)
model.compile(loss='mean_squared_error',optimizer=optimizer)

# TRAIN
hist = model.fit(x_train,y_train,validation_data=(x_val,y_val),
                 epochs=5000,verbose=0, batch_size=1)

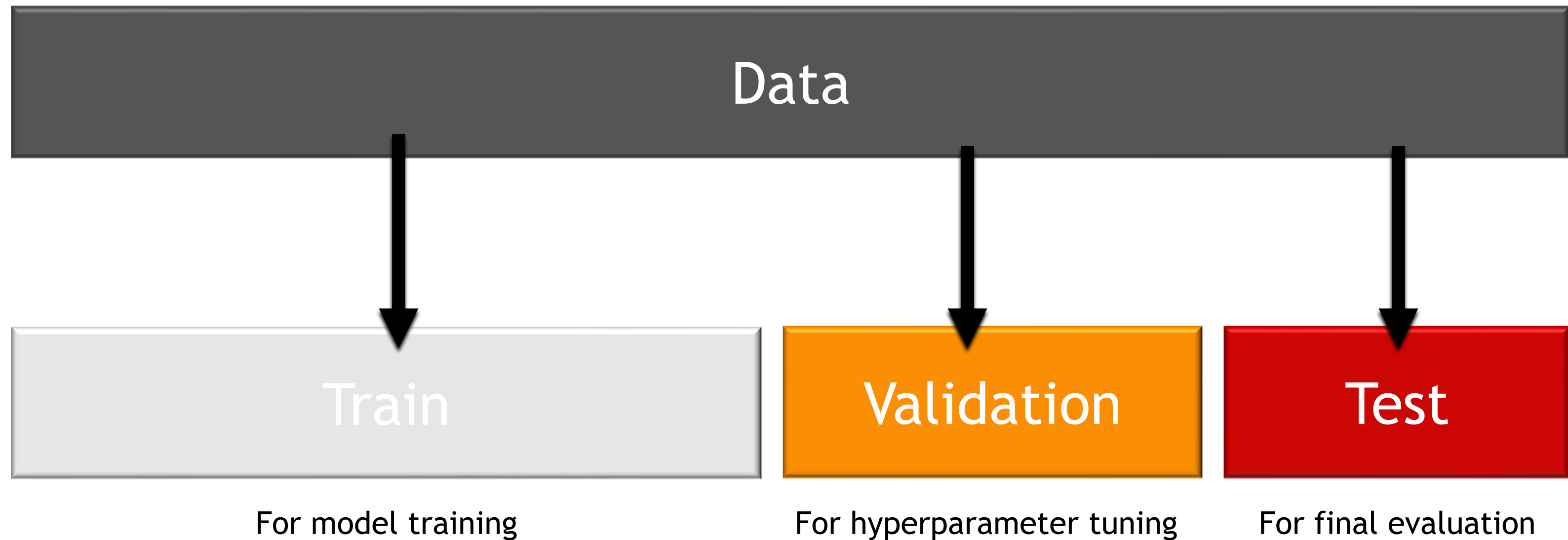
# TEST
x_test = tf.linspace(-.5,.5,100)
y_predict = model.predict(x_test)
```





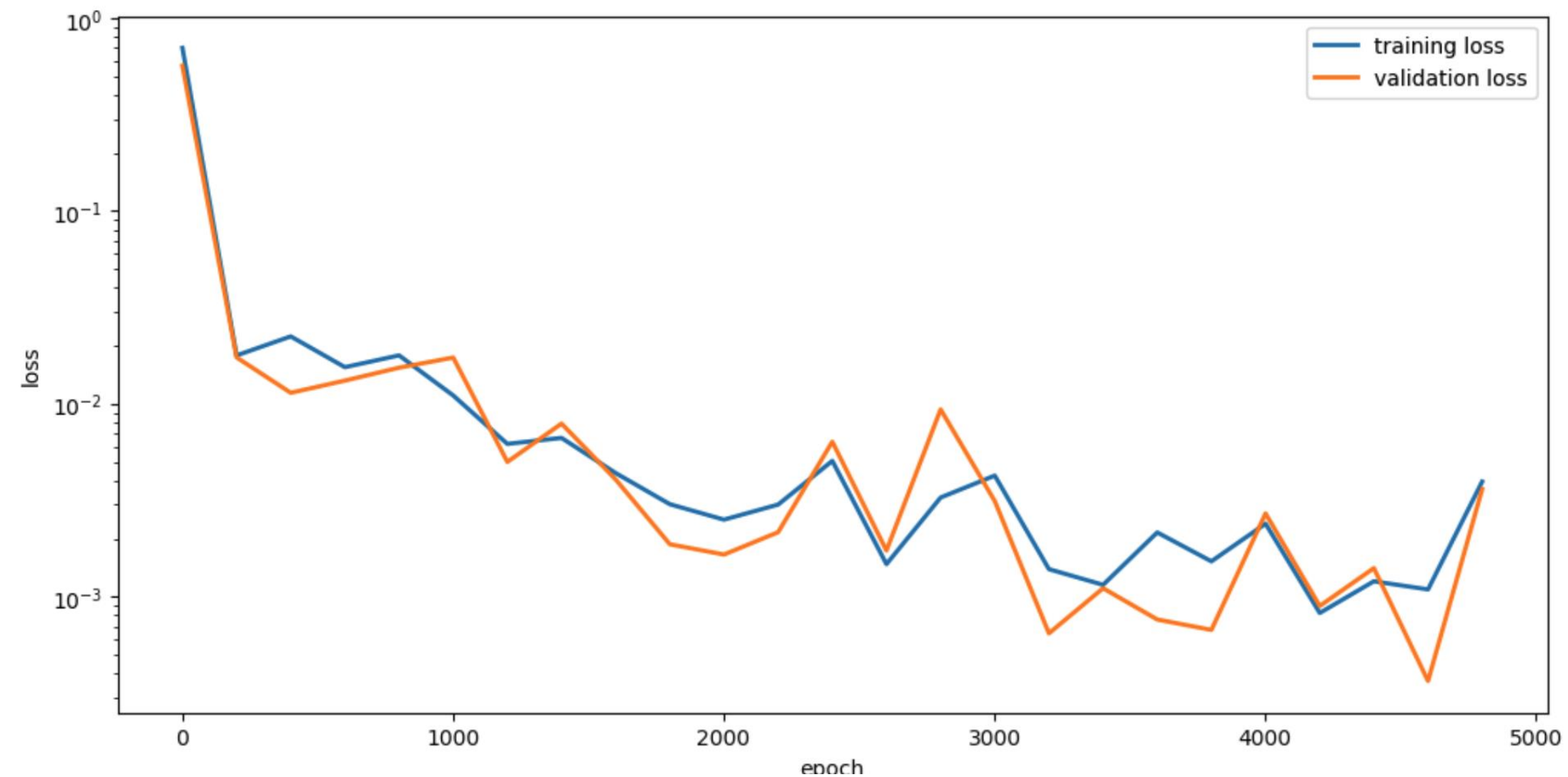
# DATA SPLITTING

KEEP TEST, TRAINING, AND VALIDATION DATA SEPERATE



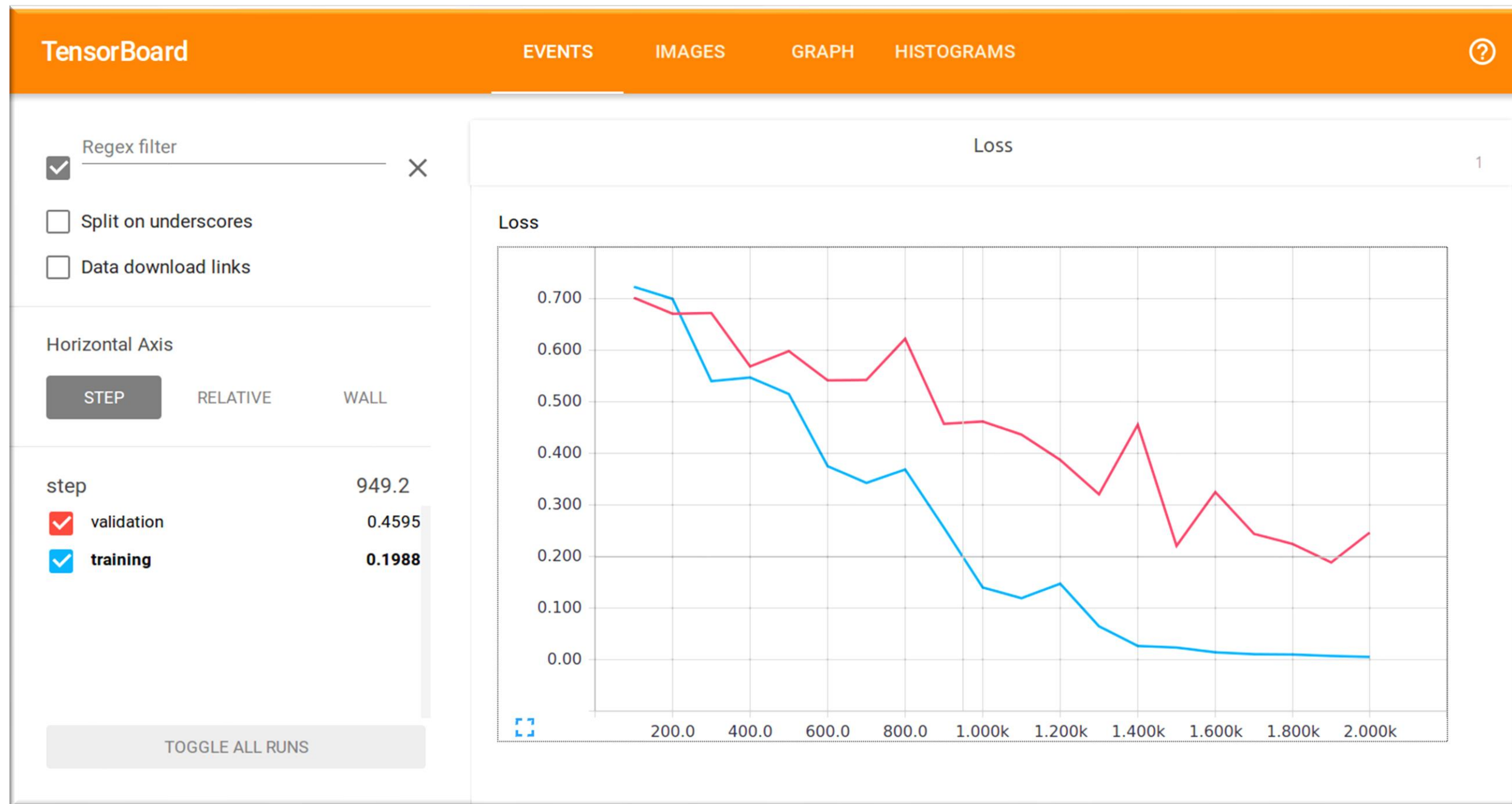
# PLOTTING TRAINING AND VALIDATION LOSS

```
1 %matplotlib inline
2 import matplotlib.pyplot as plt
3
4 t_loss = hist.history['loss']
5 v_loss = hist.history['val_loss']
6 epoch = tf.range(1, len(t_loss)+1)
7 step = 200
8
9 plt.figure(figsize=(12,6),dpi=100)
10 plt.semilogy(epoch::step,t_loss::step,linewidth=2,label='training loss')
11 plt.semilogy(epoch::step,v_loss::step,linewidth=2,label='validation loss')
12 plt.xlabel('epoch'); plt.ylabel('loss'); plt.legend()
```





# VISUALIZATION TOOLS: TENSORBOARD



```
tensorboard_callback = tf.keras.callbacks.TensorBoard(log_dir="./logs")
model.fit(x_train, y_train, epochs=2, callbacks=[tensorboard_callback])
# run the tensorboard command to view the visualizations.
```

```
tensorboard --logdir=path_to_your_logs
```

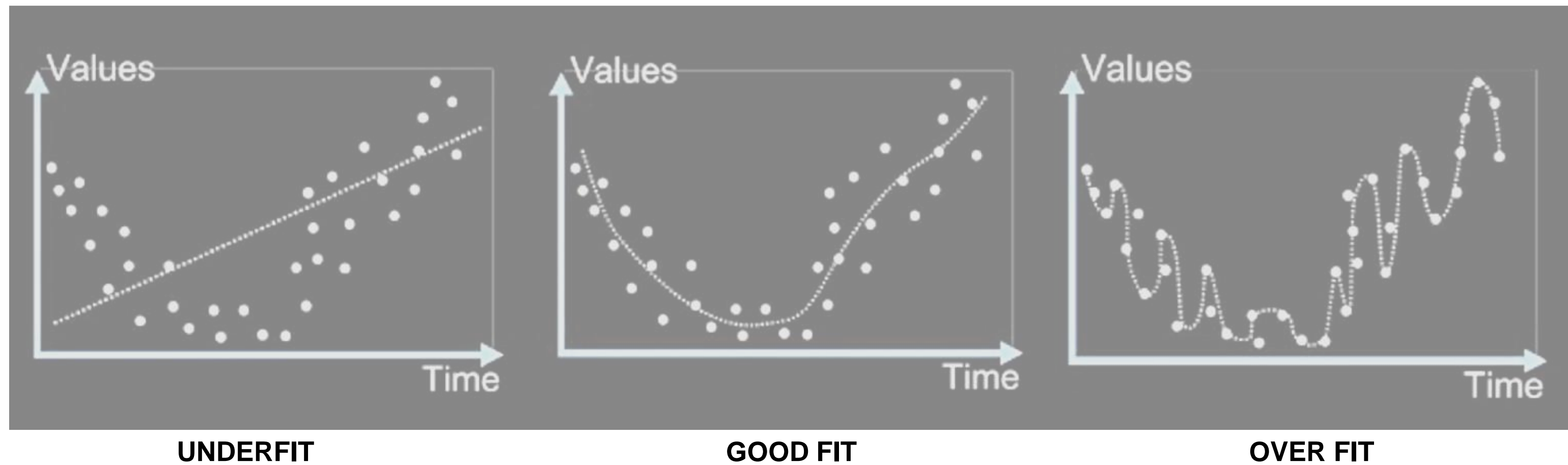


# MODEL CAPACITY AND REGULARIZATION



# MODEL CAPACITY

A good model is one that generalizes to new data



# GOOD-FIT

## Checking for Generalization

### Training Loop

```
xtrain, ytrain, xval, yval = load_data(npts=500, train_fraction = 0.10)
```

```
model      = taylor_series(order=5)
optimizer  = torch.optim.Adam(model.params, lr=1.0e-2)
epochs     = 1000
```

```
for i in range(epochs+1):
```

```
    # training
```

```
    optimizer.zero_grad()
```

```
    yhat = model(xtrain)
```

```
    loss = (yhat - ytrain).pow(2).mean()
```

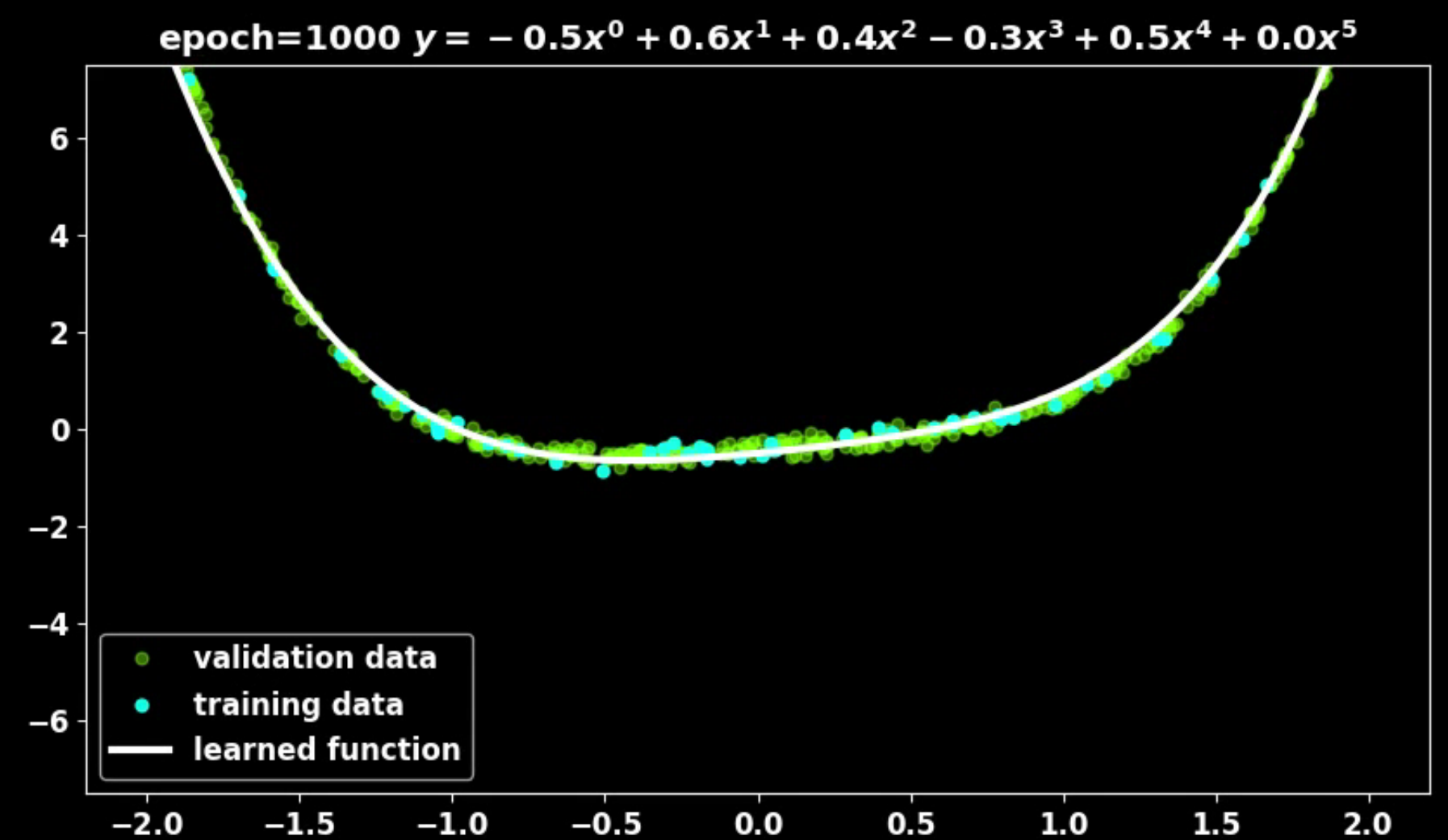
```
    loss.backward()
```

```
    optimizer.step()
```

```
    # validation
```

```
    yval_hat = model(xval)
```

```
    loss_val = (yval_hat - yval).pow(2).mean()
```





# OVER-FITTING

Captures training data, but generalizes poorly

## Training Loop

```
xtrain, ytrain, xval, yval = load_data(npts=500, train_fraction = 0.02)

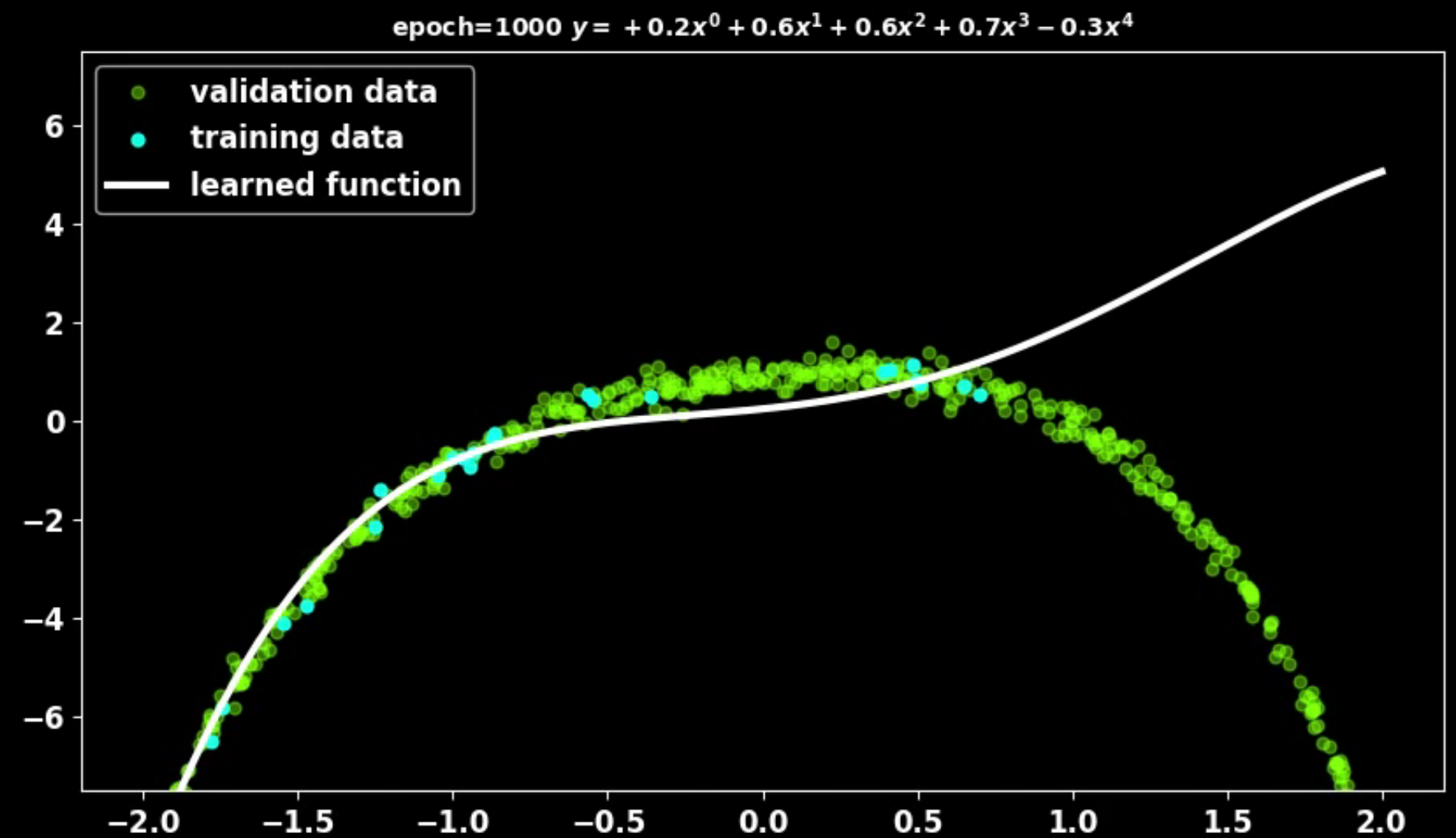
model      = taylor_series(order=8)
optimizer  = torch.optim.Adam(model.params, lr=5.0e-3)
epochs     = 1000

for i in range(epochs+1):

    # training
    optimizer.zero_grad()
    yhat = model(xtrain)
    loss = (yhat - ytrain).pow(2).mean()
    loss.backward()
    optimizer.step()

    # validation
    yval_hat = model(xval)
    loss_val = (yval_hat - yval).pow(2).mean()
```

Use more data points  
Reduce model capacity



# UNDER-FITTING

Model is too simple to fit the curve

## Training Loop

```
xtrain, ytrain, xval, yval = load_data(npts=500, train_fraction = 0.10)

model      = taylor_series(order=2)
optimizer  = torch.optim.Adam(model.params, lr=1.0e-2)
epochs     = 1000

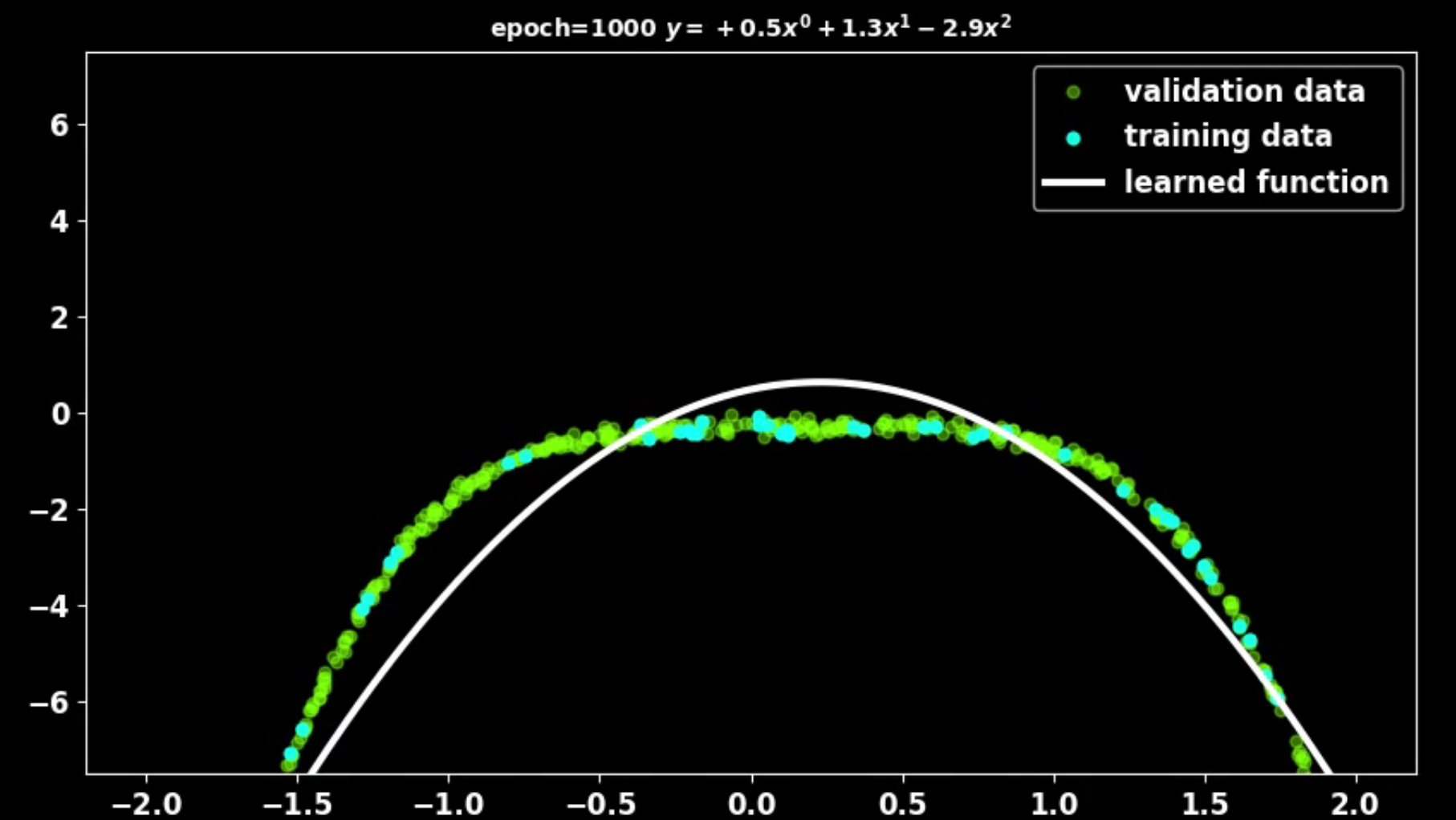
for i in range(epochs+1):

    # training
    optimizer.zero_grad()
    yhat = model(xtrain)
    loss = (yhat - ytrain).pow(2).mean()
    loss.backward()
    optimizer.step()

    # validation
    yval_hat = model(xval)
    loss_val = (yval_hat - yval).pow(2).mean()
```

Increase model capacity

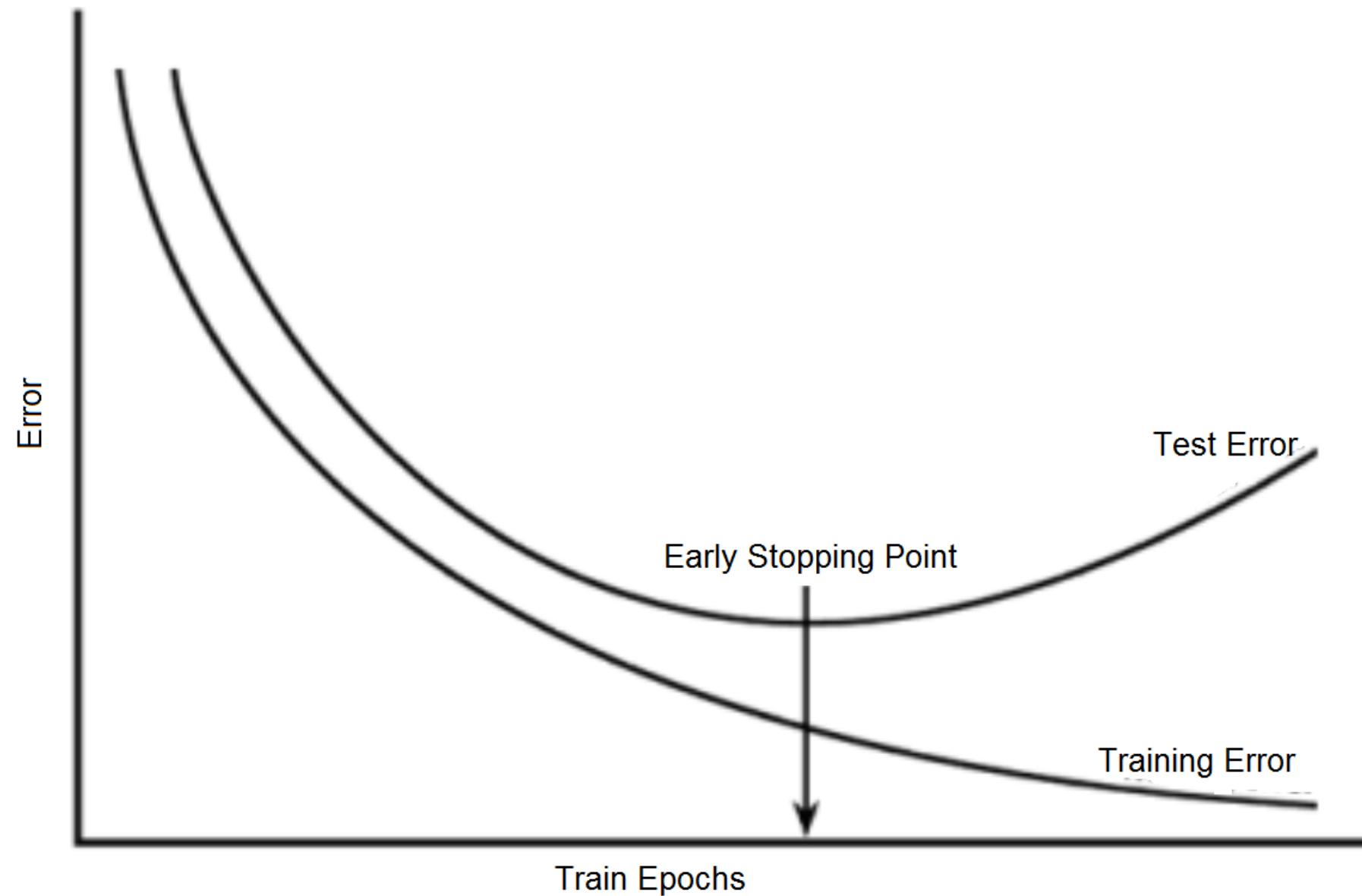
Use a different model





# REGULARIZATION

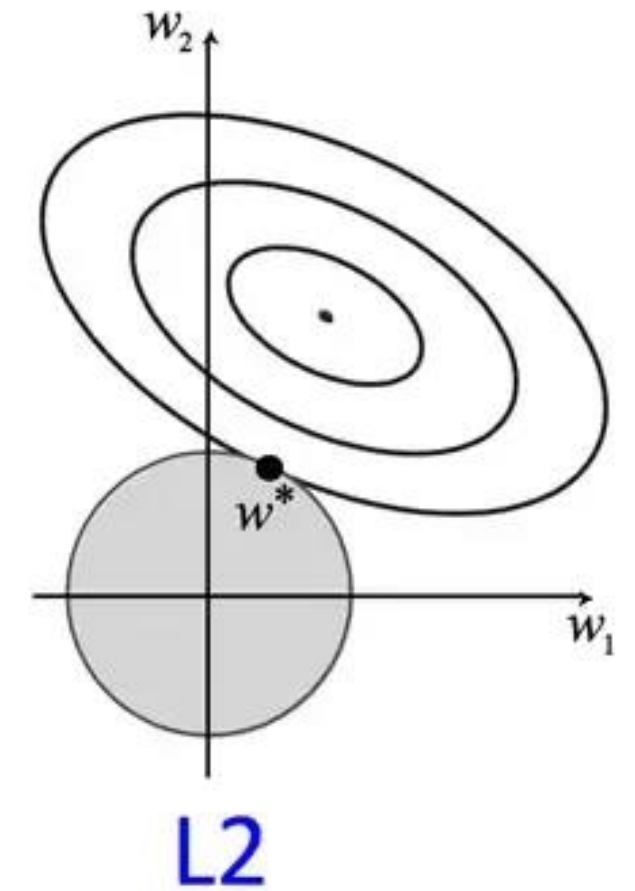
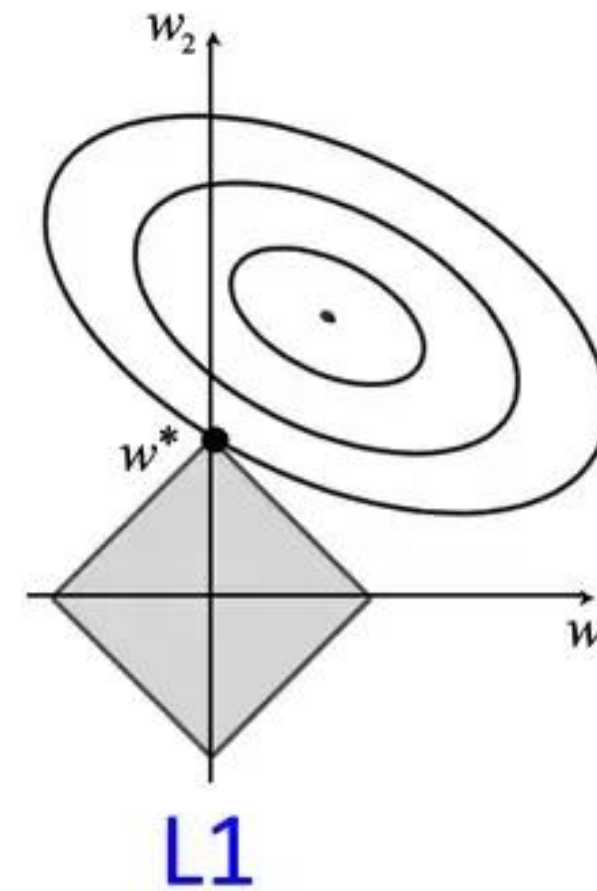
## Early Stopping and Layer Regularization



```
callback = tf.keras.callbacks.EarlyStopping(monitor='loss', patience=3)
```

```
callback = tf.keras.callbacks.EarlyStopping(monitor='loss', patience=3)
```

Train Epochs

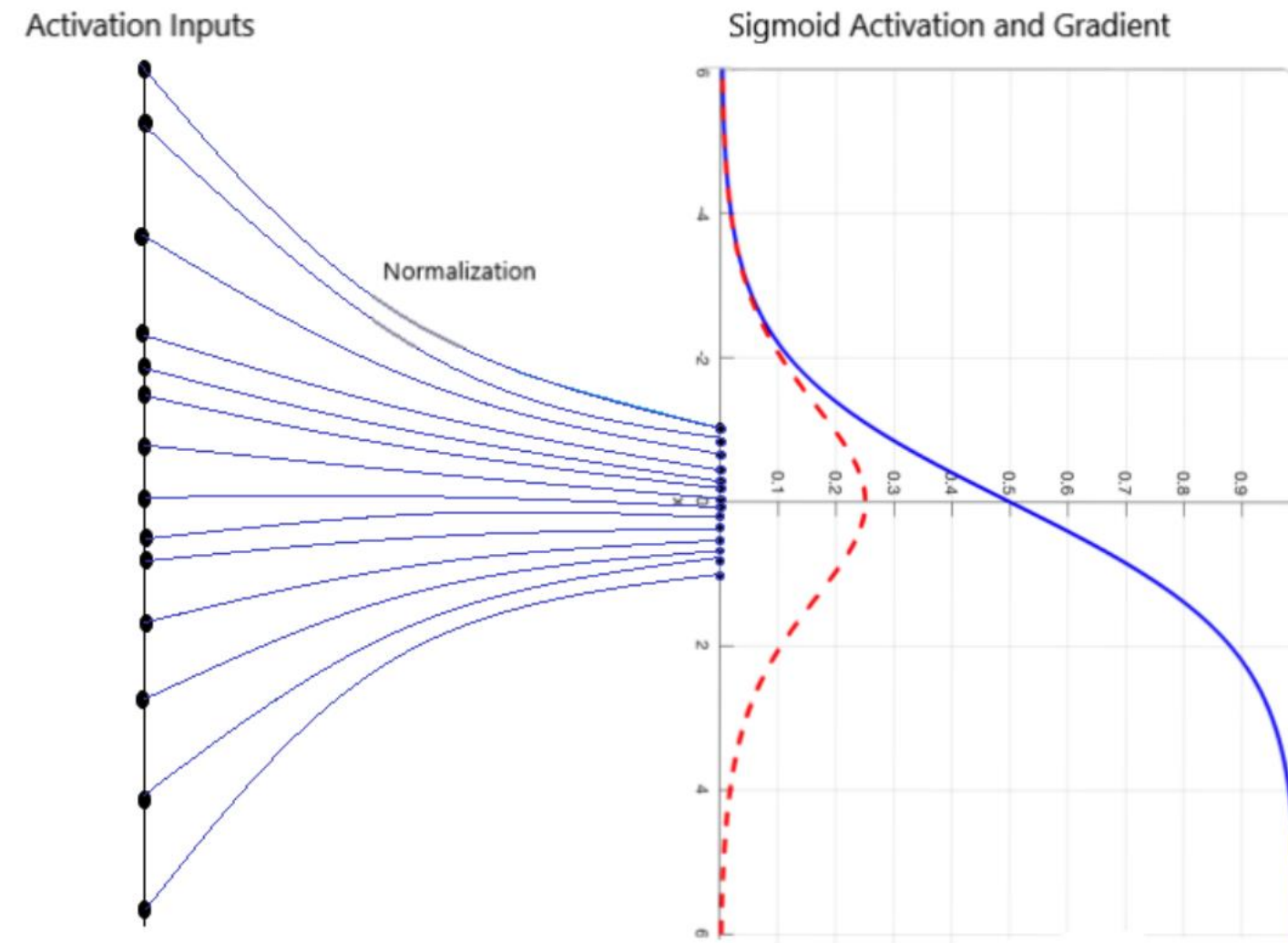


```
layer = tf.keras.layers.Dense(
    5, input_dim=5,
    kernel_initializer='ones',
    kernel_regularizer=tf.keras.regularizers.L1(0.01),
    activity_regularizer=tf.keras.regularizers.L2(0.01))

activation = tf.keras.layers.ReLU(0.01)
kernel_regularizer=tf.keras.regularizers.L1(0.01)
kernel_initializer='ones',
input_dim=5
```

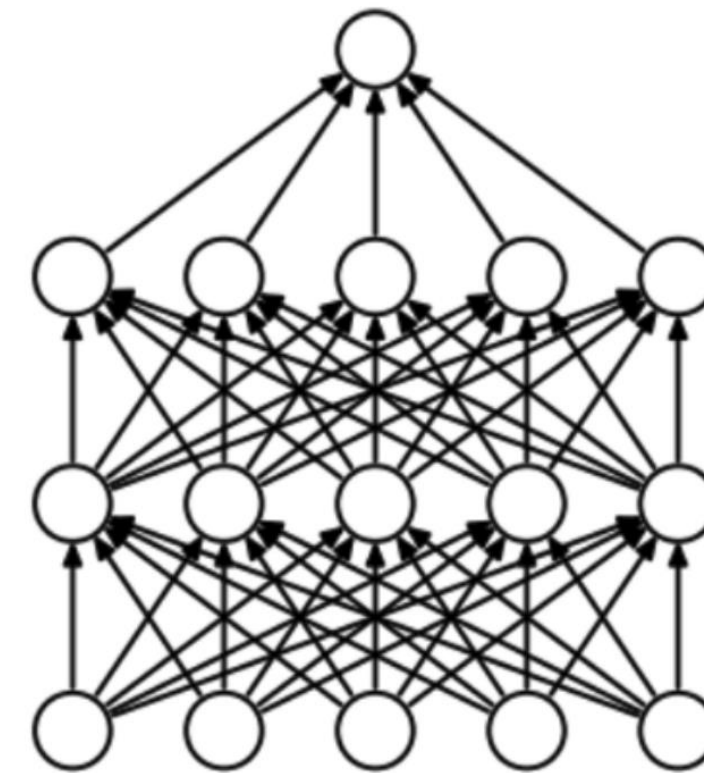
# REGULARIZATION

## BatchNorm and Dropout

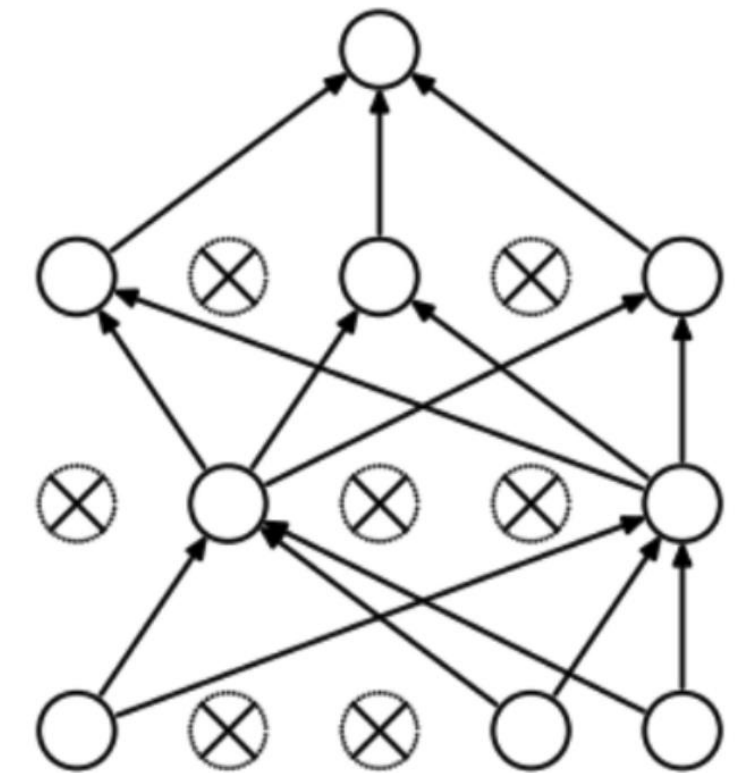


```
model.add(Conv2D(60,3, padding = "same"))
model.add(BatchNormalization())
model.add(Activation("relu"))
```

```
model.add(Activation("relu"))
```



(a) Standard Neural Net



(b) After applying dropout.

```
model=keras.models.Sequential()
model.add(keras.layers.Dense(150, activation="relu"))
model.add(keras.layers.Dropout(0.5))
```

```
model.add(keras.layers.Dropout(0.2))
model.add(keras.layers.Dense(120, activation="relu"))
model=keras.models.Sequential()
```

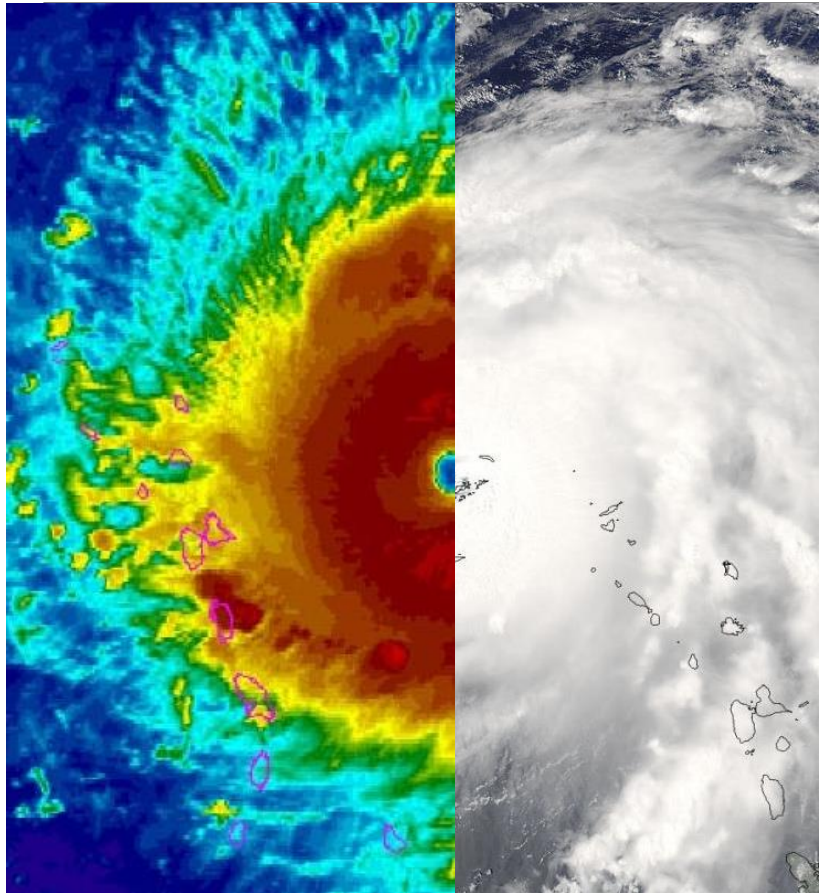


# CHALLENGES AND POTENTIAL SOLUTIONS

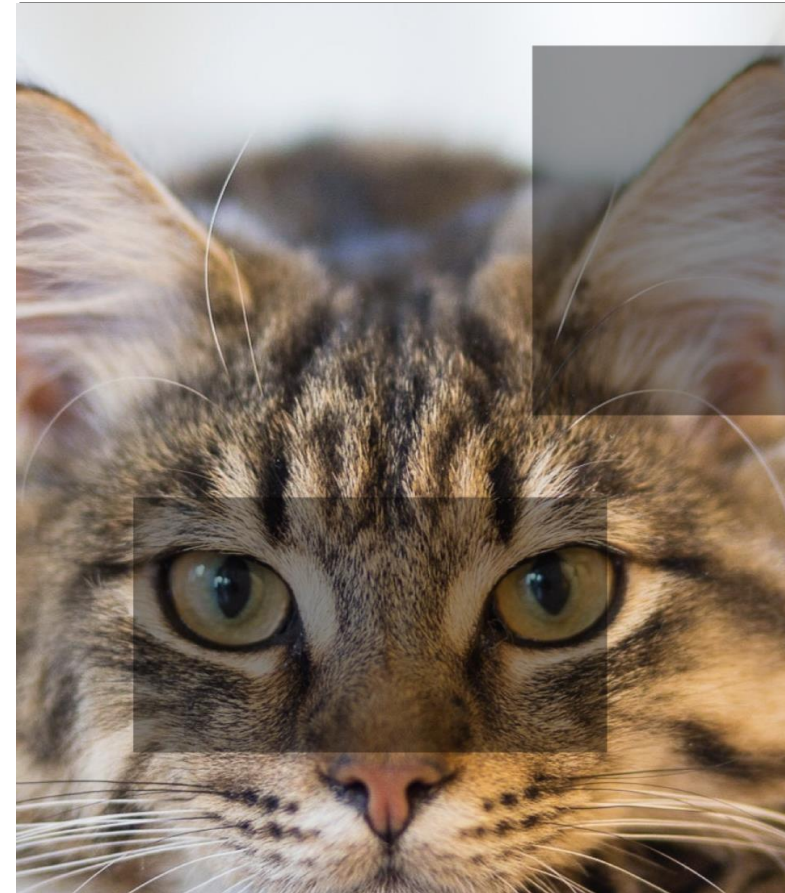


# LABELLING LARGE QUANTITIES OF DATA

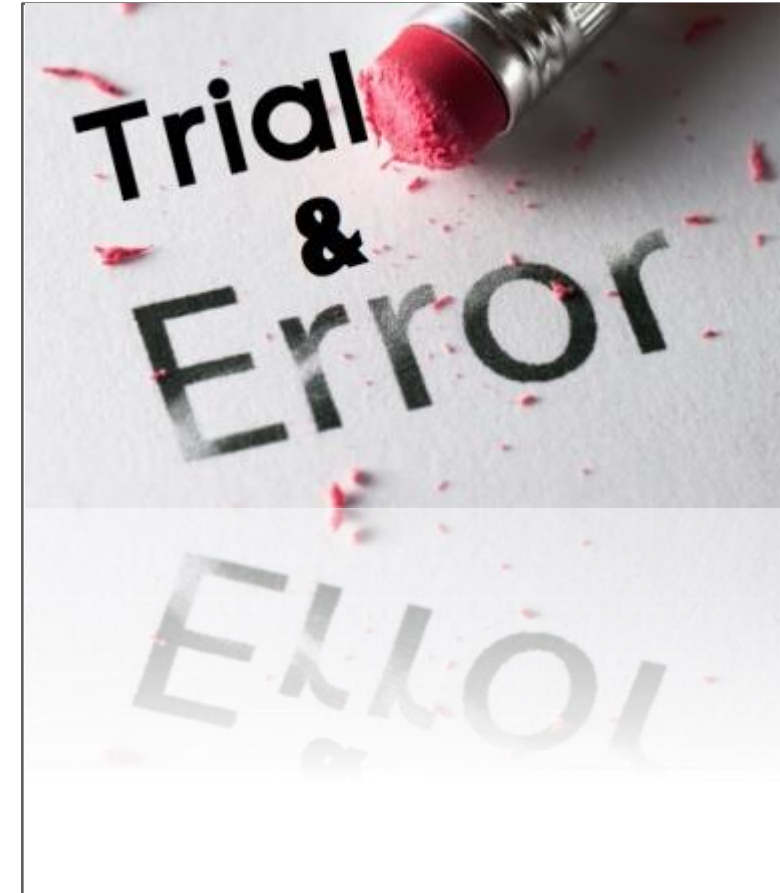
How can we overcome the need for manual labelling?



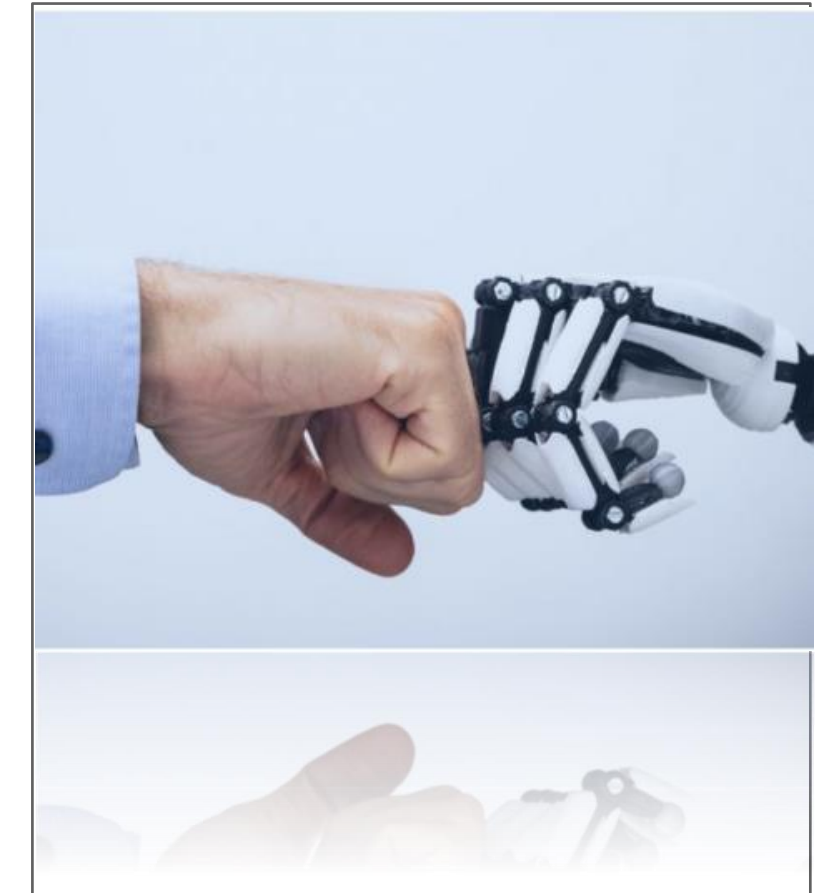
**Data Fusion**  
Using one data source  
as the label for another



**Self-Supervised Learning**  
Predicting input B from input A

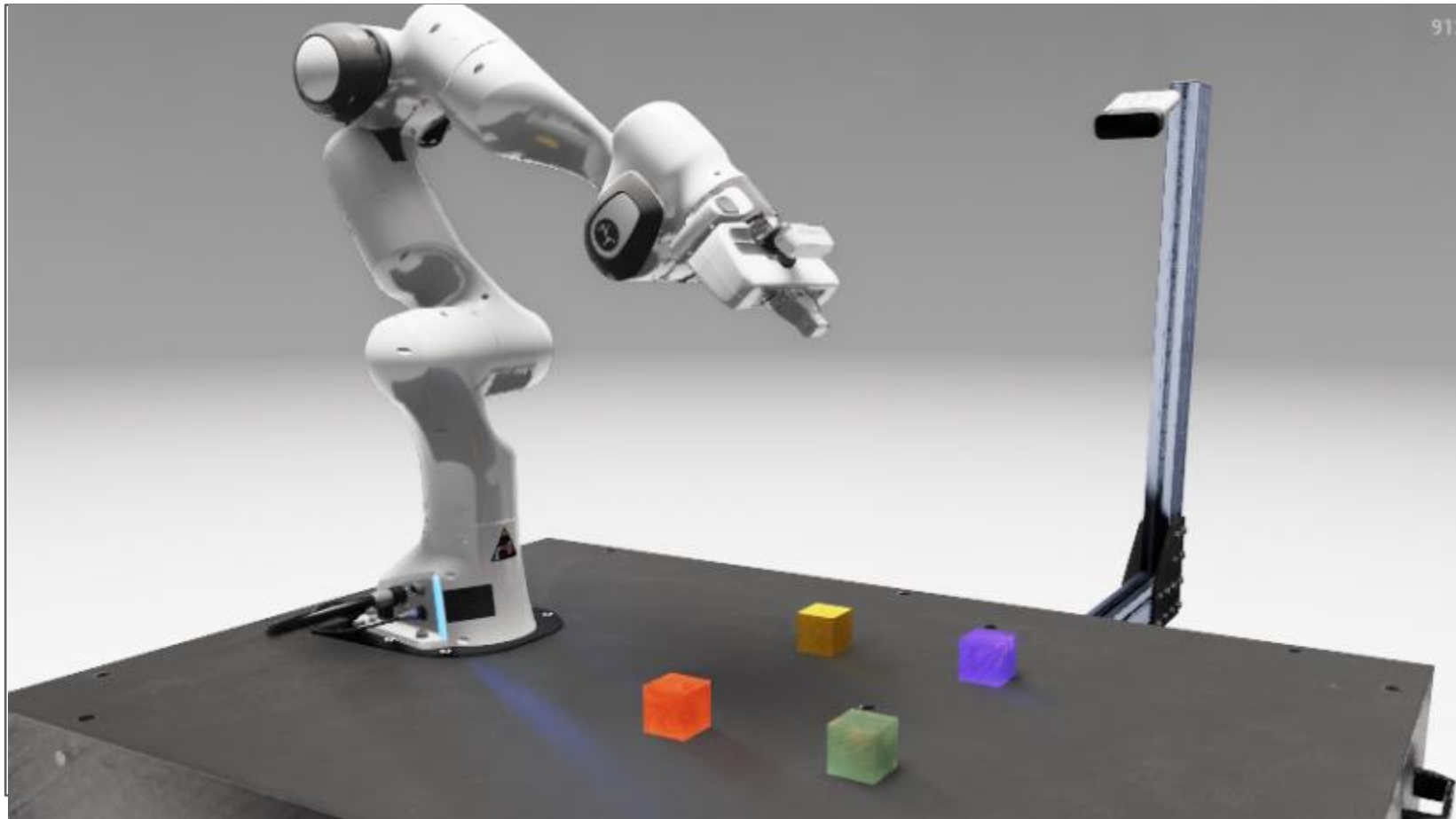


**Reinforcement Learning**  
Obtaining labels directly from the  
environment or simulation

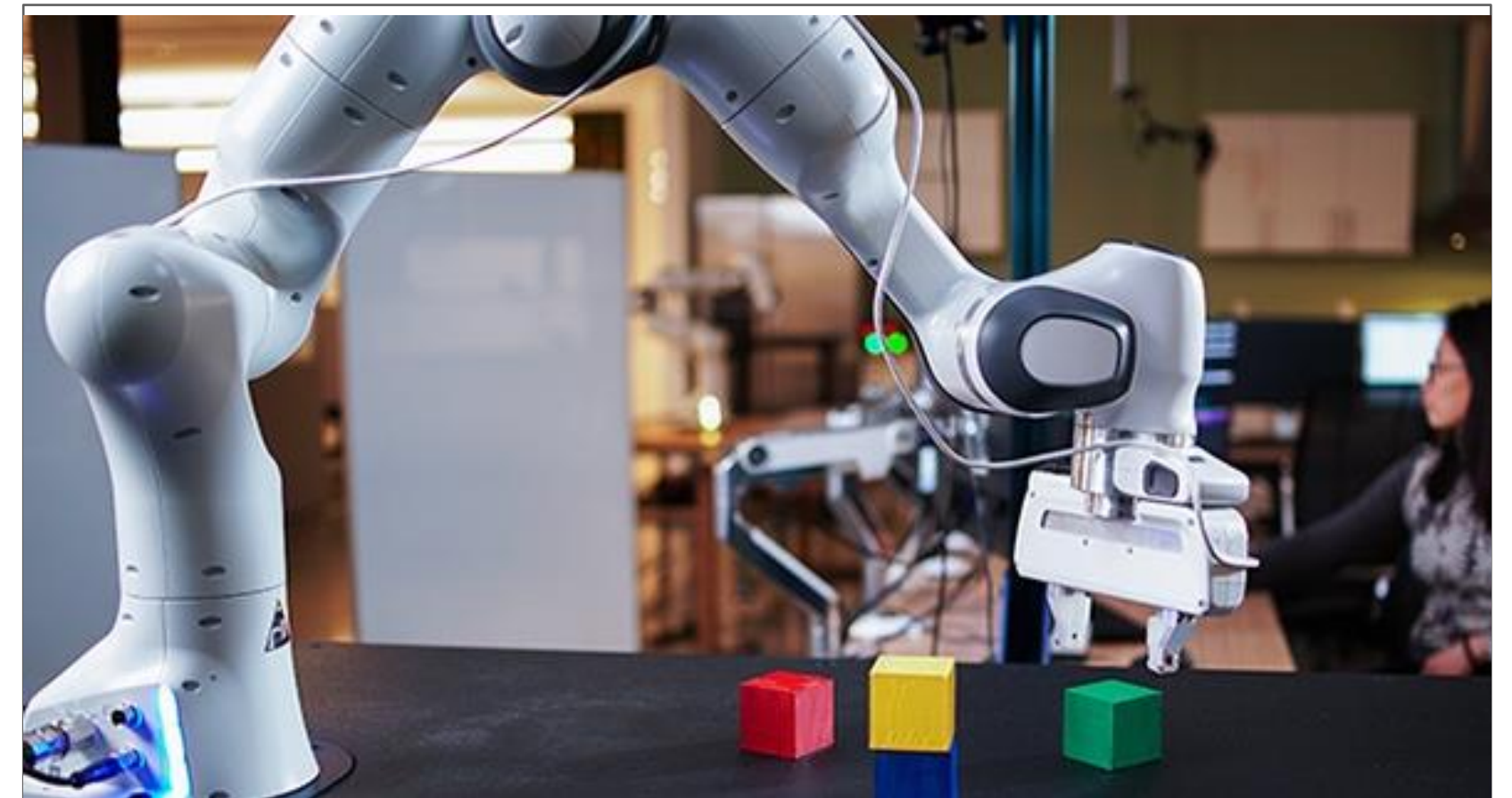


**Human-in-the-loop**  
Using human machine iteration to  
make labelling easier

# TRANSFER LEARNING: DON'T START FROM SCRATCH



Train on simulated or related data



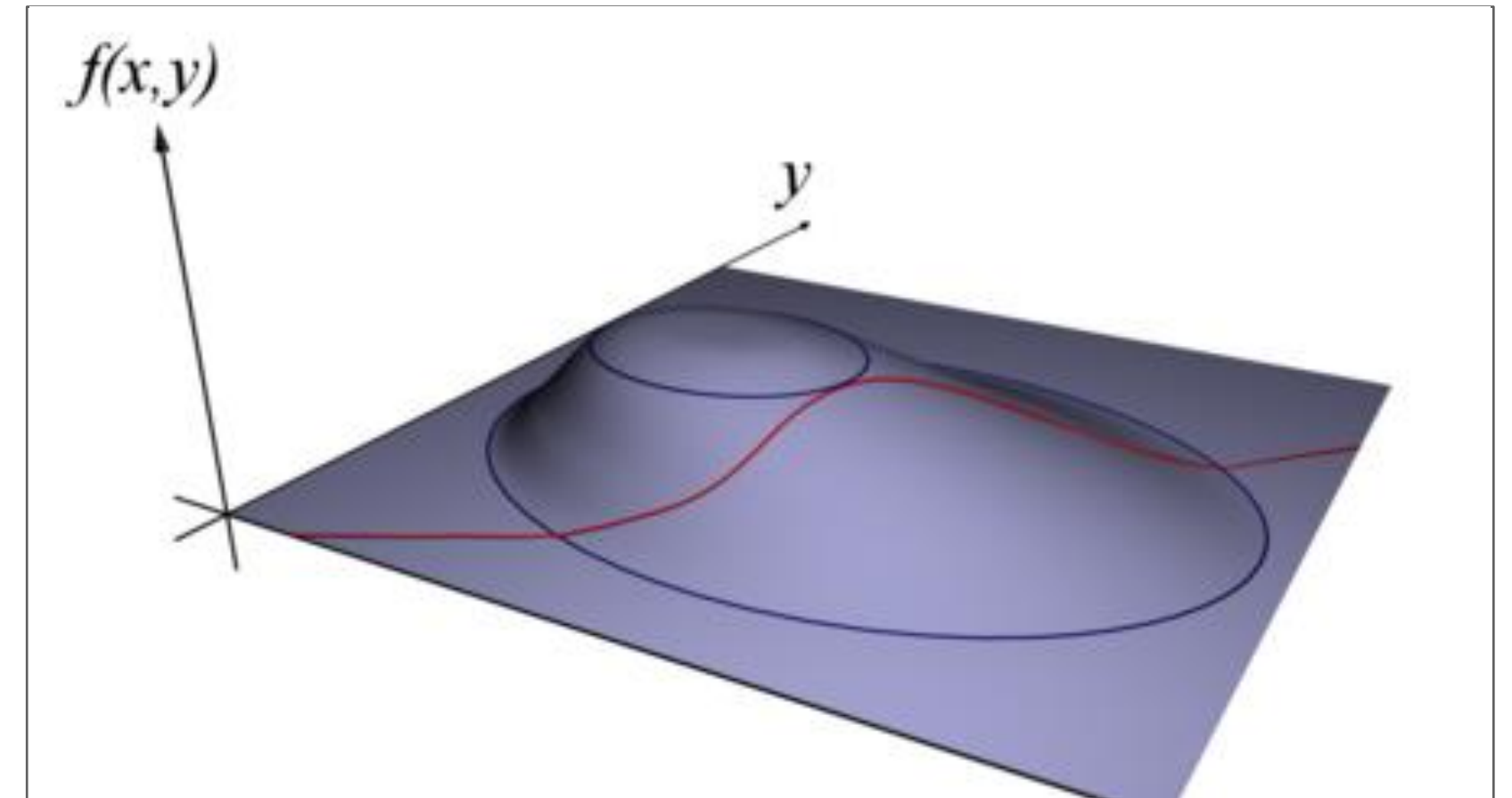
Fine-tune on the real data



# ENFORCING PHYSICAL CONSTRAINTS



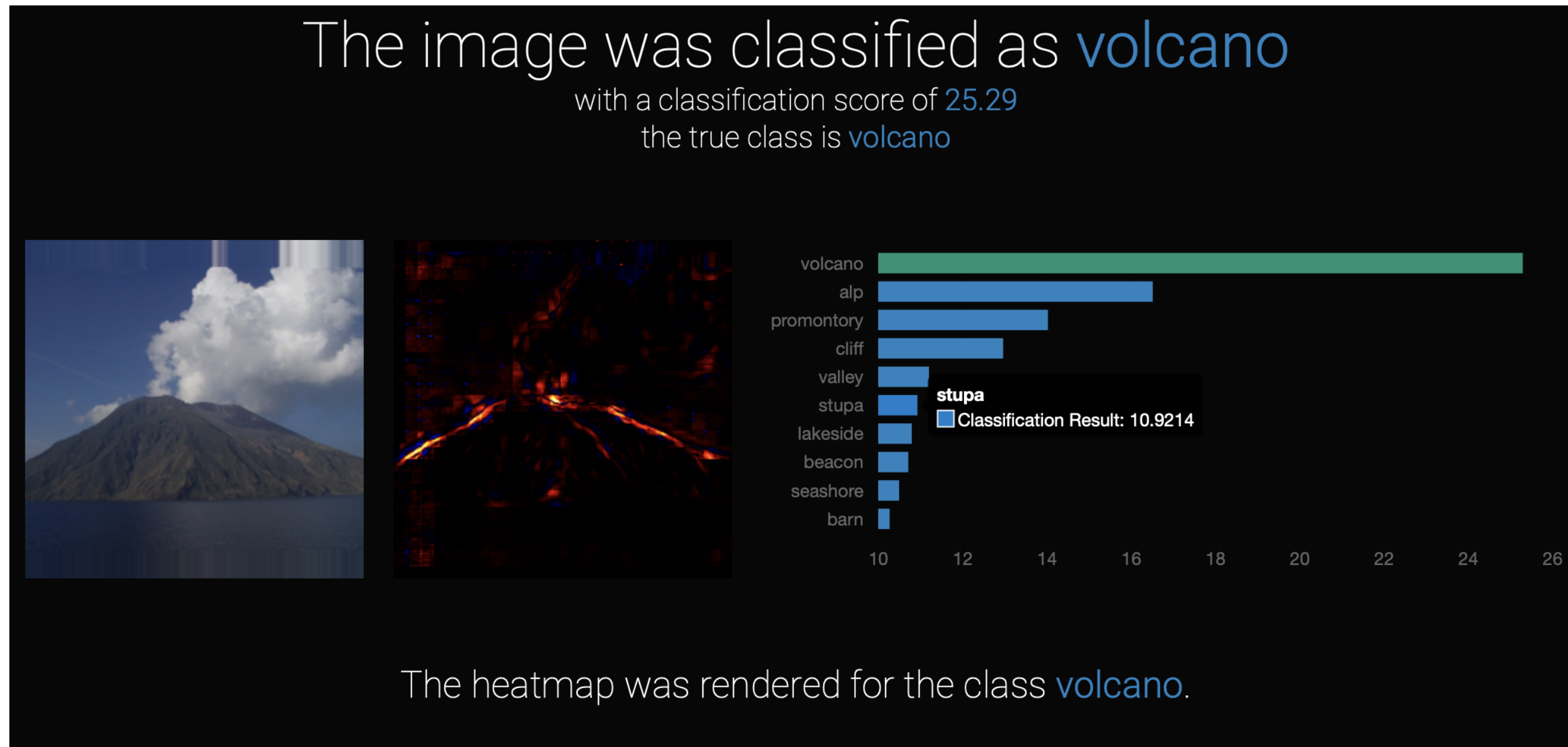
Conservation of Mass, Momentum, Energy, Incompressibility,  
Turbulent Energy Spectra, Translational Invariance



Lagrange multipliers (penalization), Hard Constraints,  
Projective Methods, Differentiable Programming



# INTERPRETABILITY: EXPLAINABLE AI



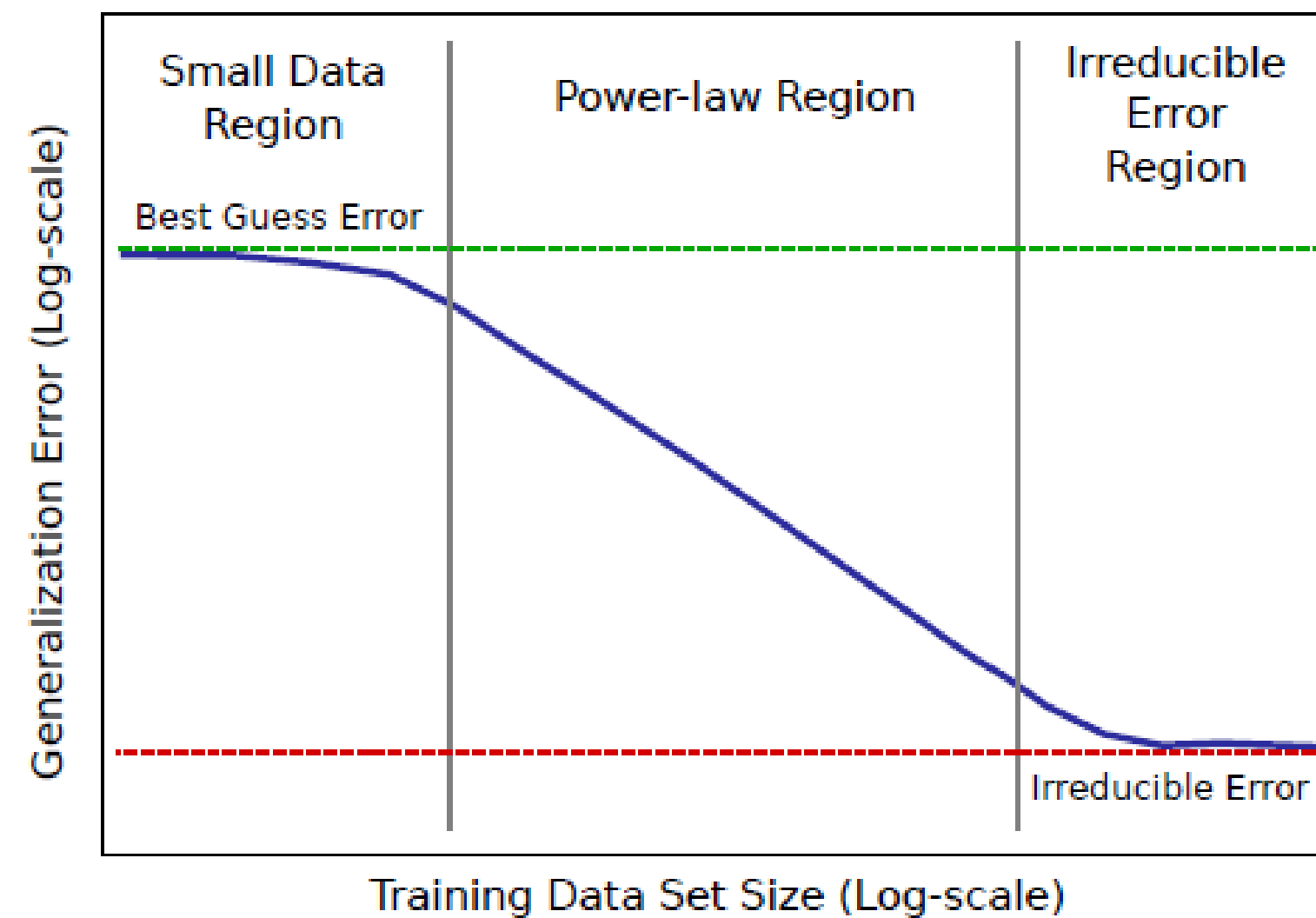
Layer-wise Relevance Propagation



USING YOUR GPU

# EXPLODING DATASETS

Logarithmic relationship between the dataset size and accuracy

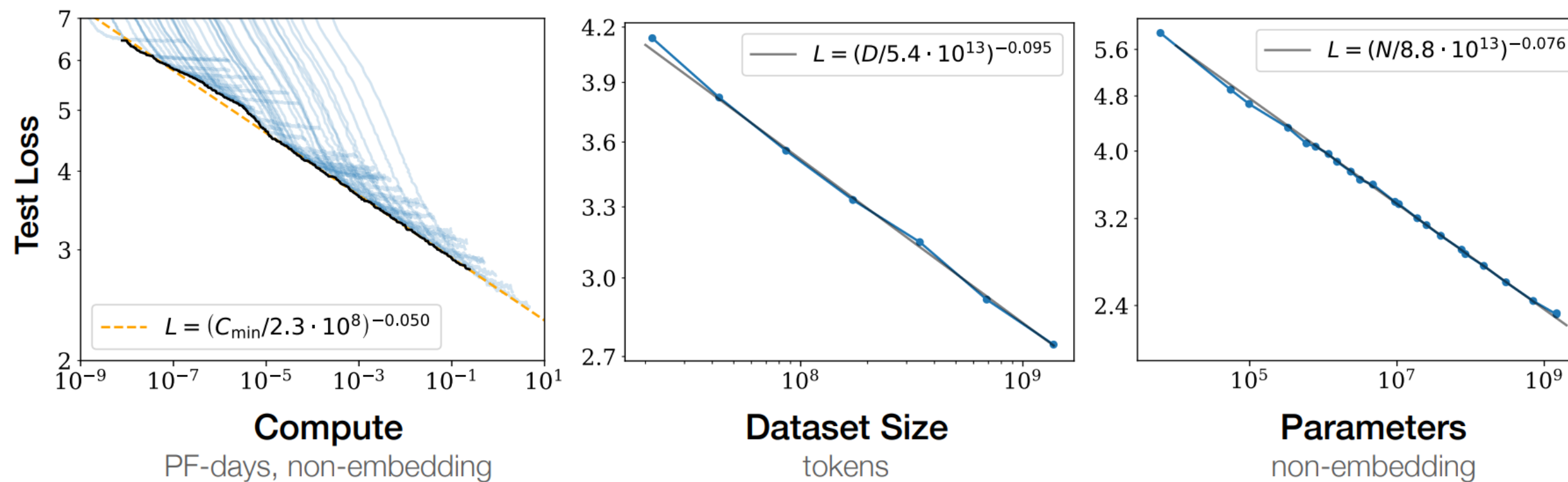


Hestness, J., Narang, S., Ardalani, N., Damos, G., Jun, H., Kianinejad, H., ... & Zhou, Y. (2017). Deep Learning Scaling is Predictable, Empirically. arXiv preprint arXiv:1712.00409.



# THE SCALING LAWS

As you increase the dataset size you must increase the model size

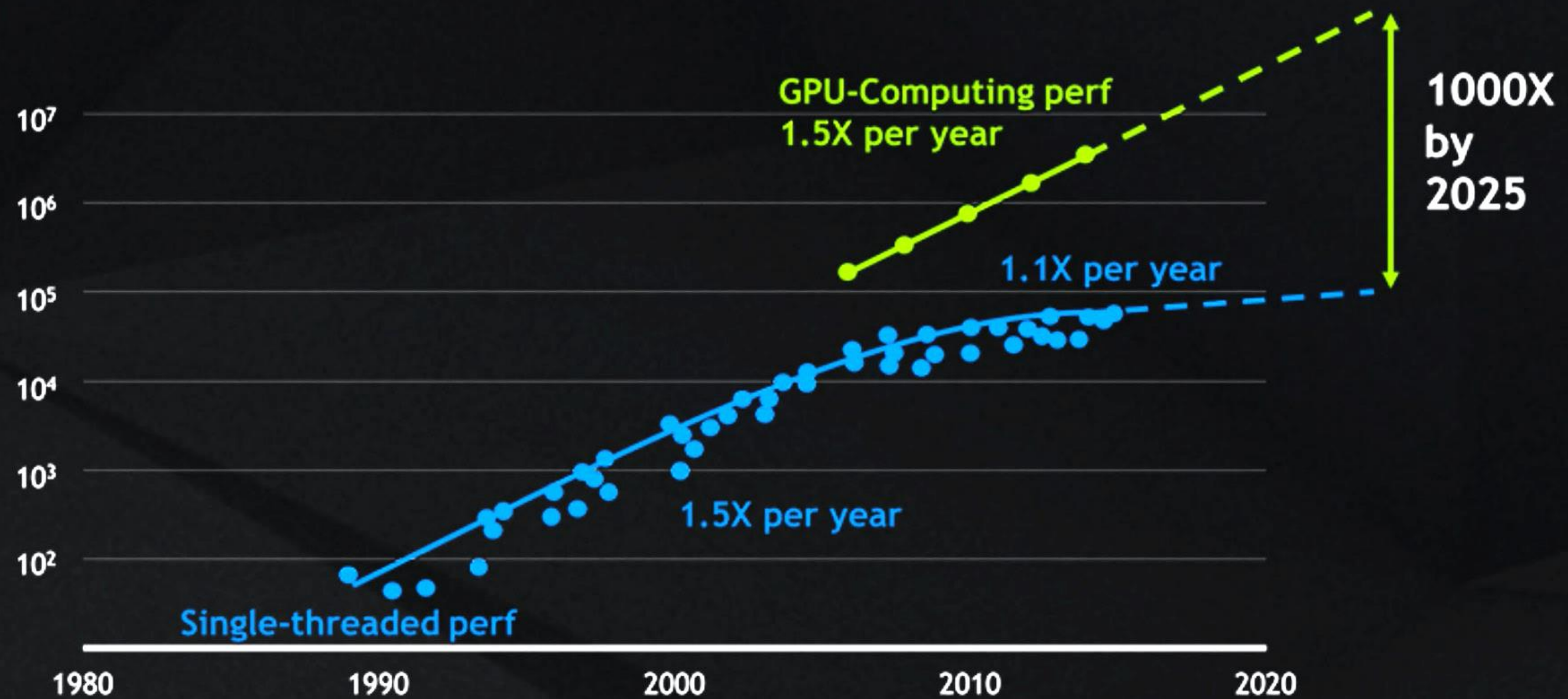


**Figure 1** Language modeling performance improves smoothly as we increase the model size, dataset size, and amount of compute<sup>2</sup> used for training. For optimal performance all three factors must be scaled up in tandem. Empirical performance has a power-law relationship with each individual factor when not bottlenecked by the other two.

Kaplan, J., McCandlish, S., Henighan, T., Brown, T. B., Chess, B., Child, R., ... & Amodei, D. (2020). Scaling Laws for Neural Language Models. *arXiv preprint arXiv:2001.08361*.

# GPUS MAKE MACHINE LEARNING PRACTICAL

Train in a day, or a month?

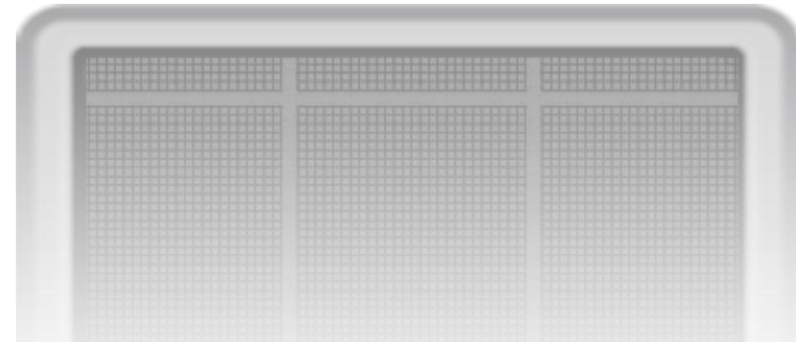
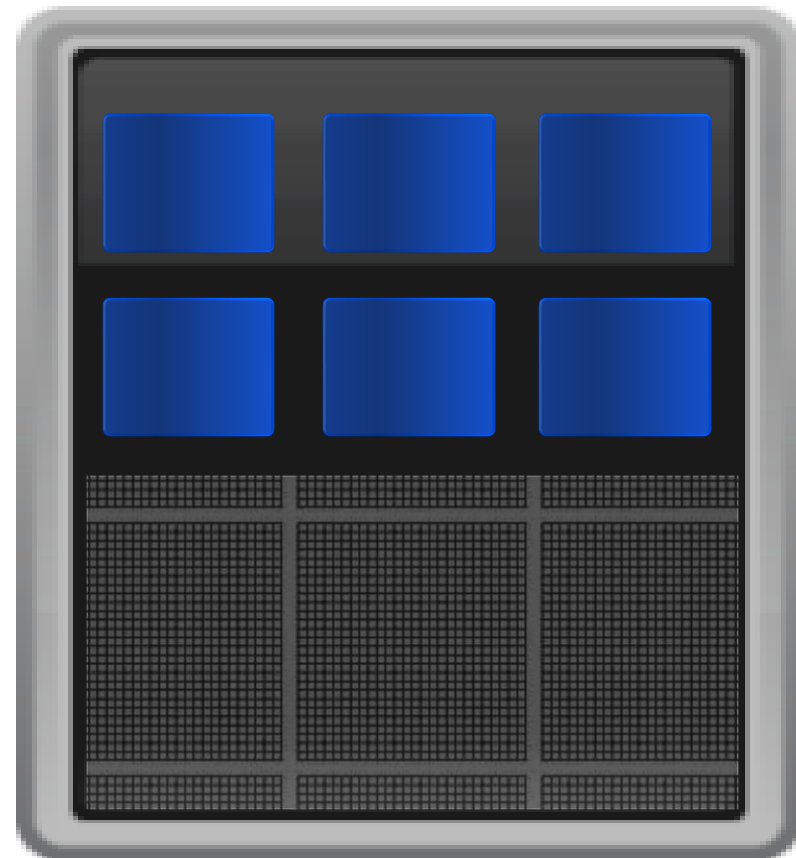


40 Years of Microprocessor Trend Data

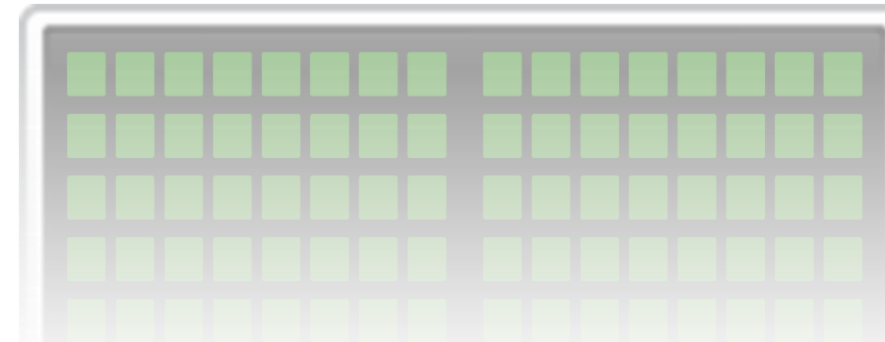
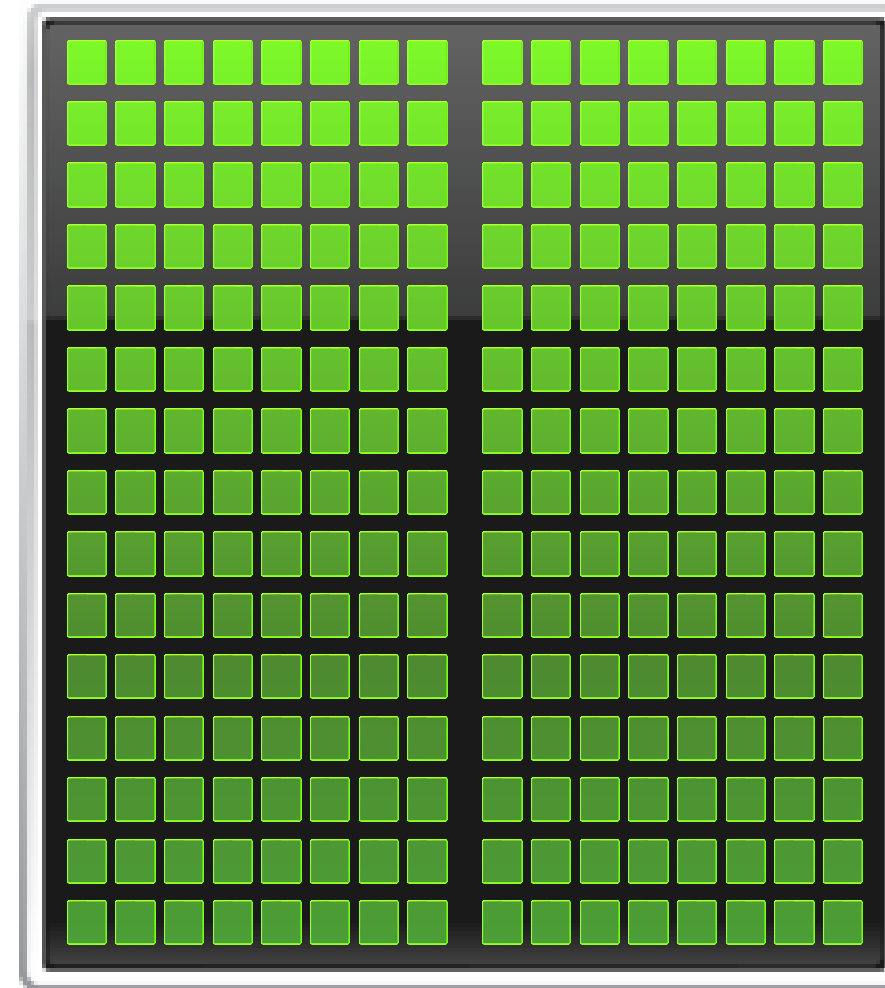
# ACCELERATED COMPUTING

CPU

Optimized for  
Serial Tasks



GPU Accelerator





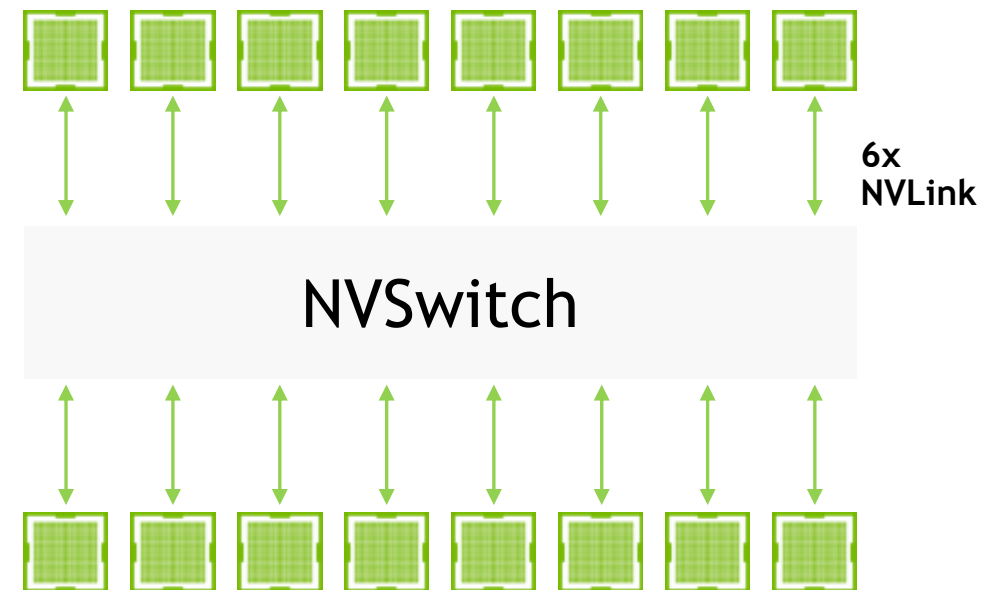
# PILLARS OF DATA SCIENCE PERFORMANCE

## CUDA Architecture



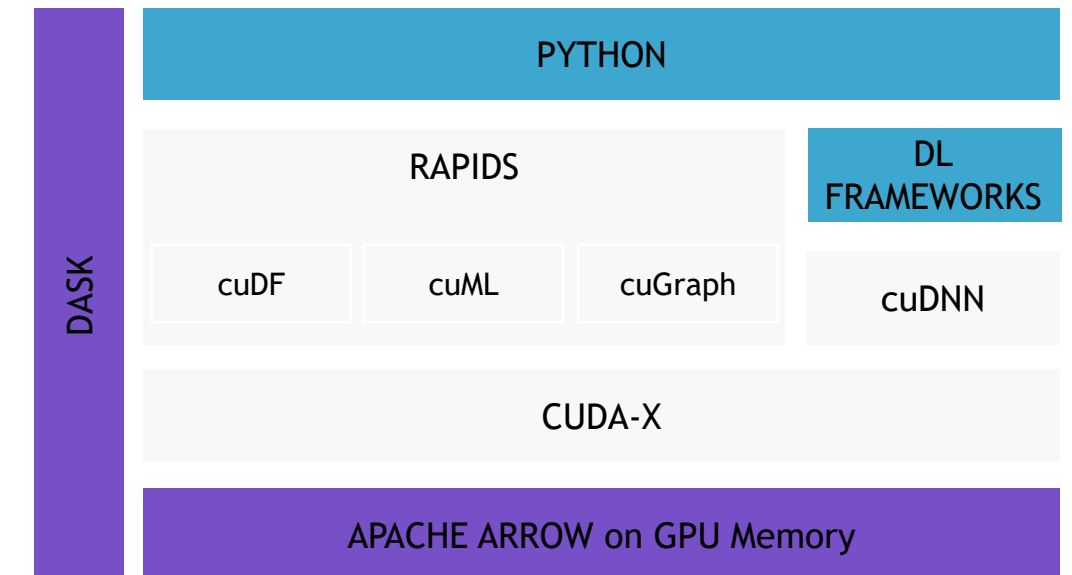
Massively Parallel Processing

## NVLink/NVSwitch



High Speed Connecting between GPUs for Distributed Algorithms

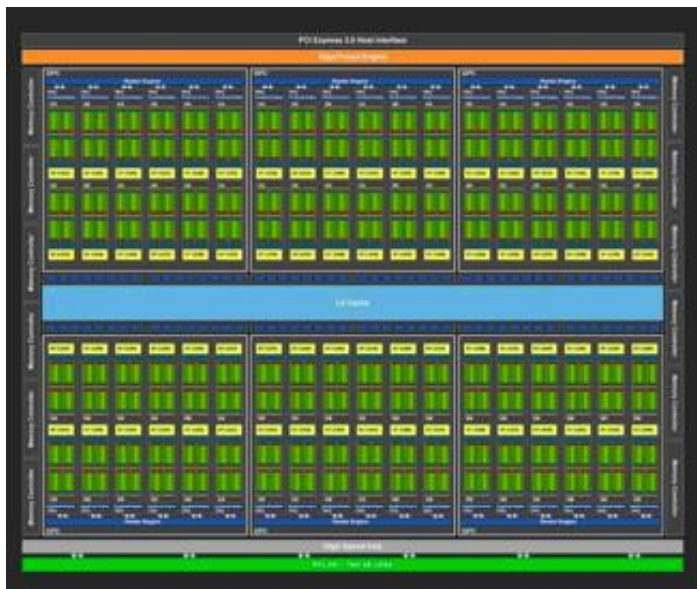
## CUDA-X AI



NVIDIA GPU Acceleration Libraries for Data Science and AI

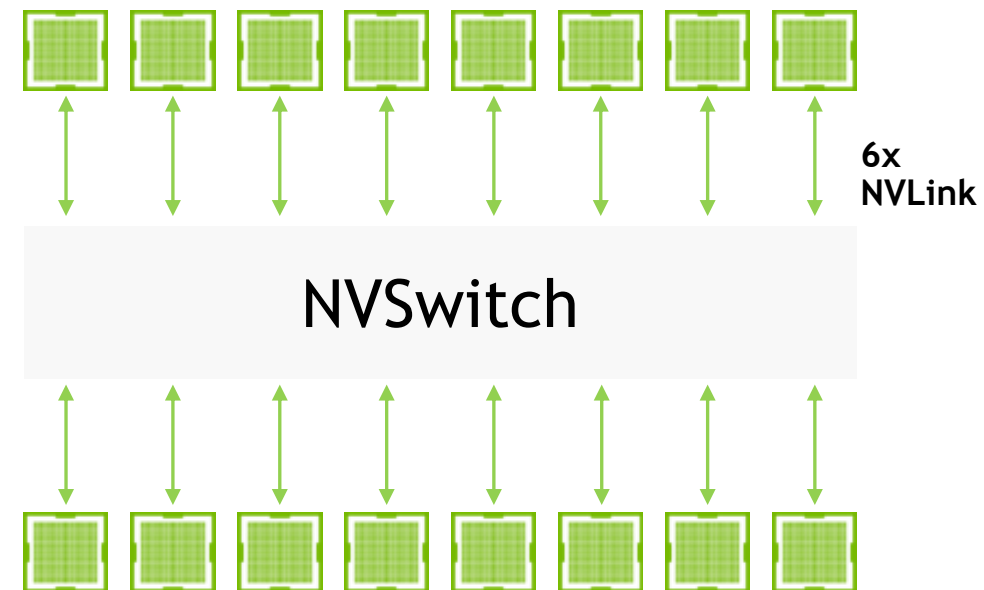
# PILLARS OF DATA SCIENCE PERFORMANCE

## CUDA Architecture



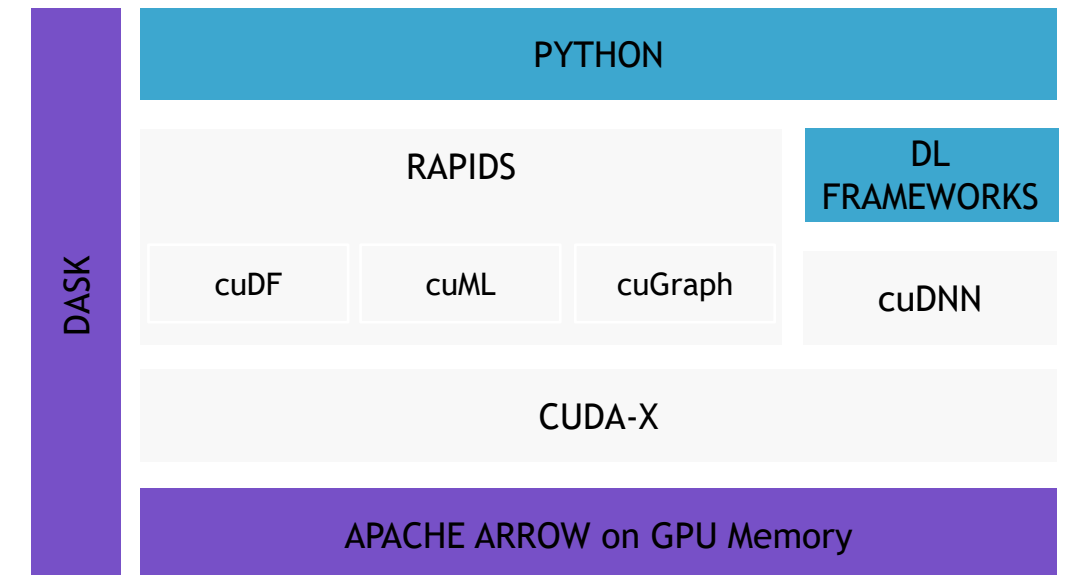
Massively Parallel Processing

## NVLink/NVSwitch



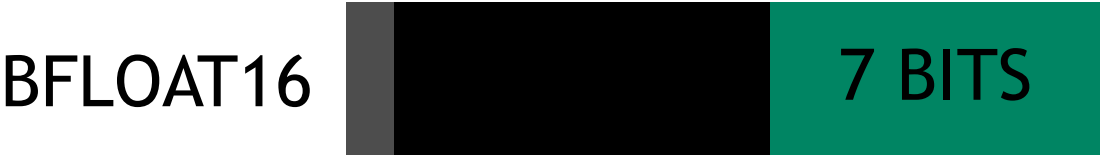
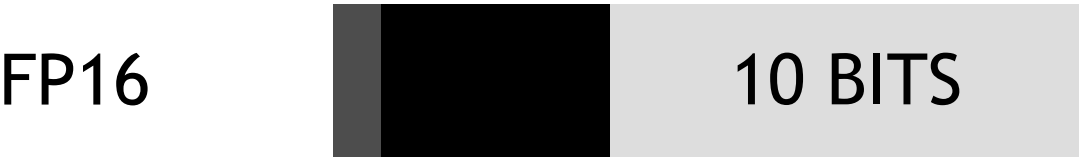
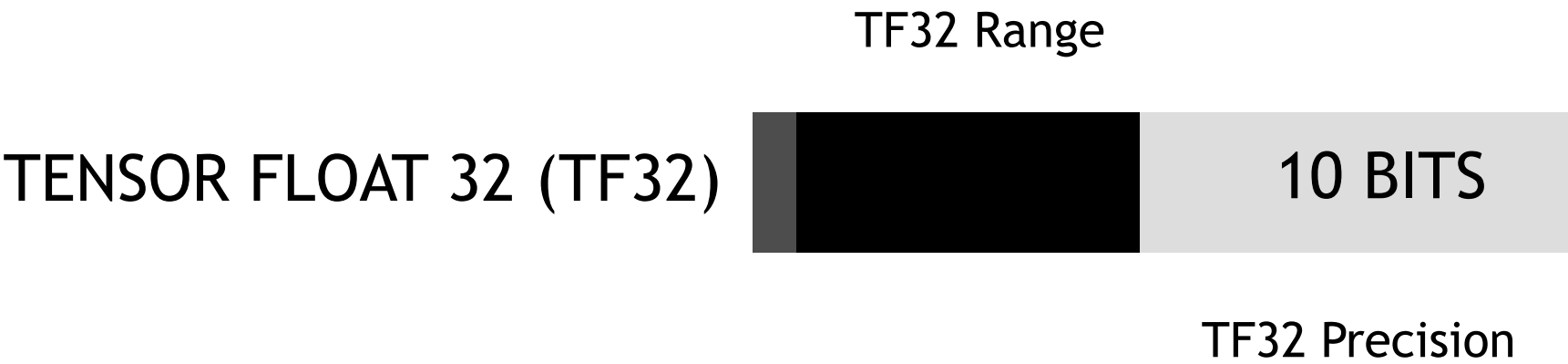
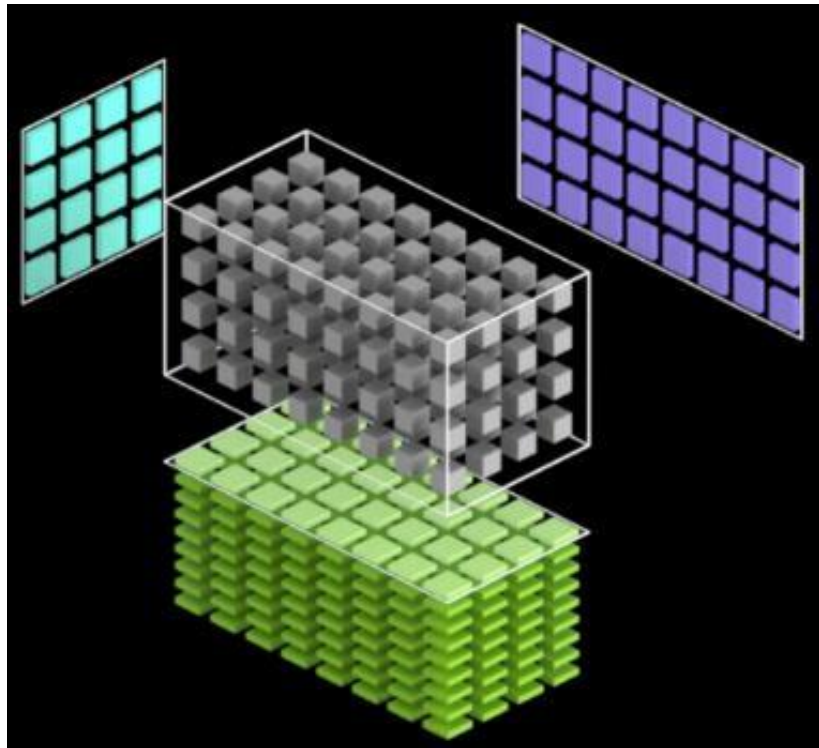
High Speed Connecting between GPUs for Distributed Algorithms

## CUDA-X AI



NVIDIA GPU Acceleration Libraries for Data Science and AI

# TENSOR CORES FOR DIFFERENT NEEDS



➤ No Code Change Speed-up for Training



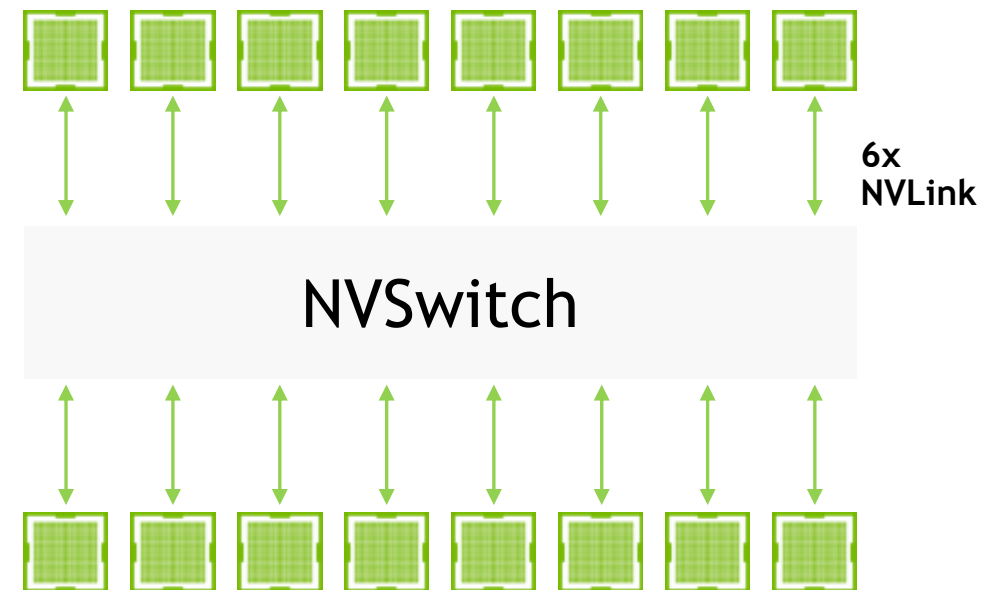
# PILLARS OF DATA SCIENCE PERFORMANCE

## CUDA Architecture



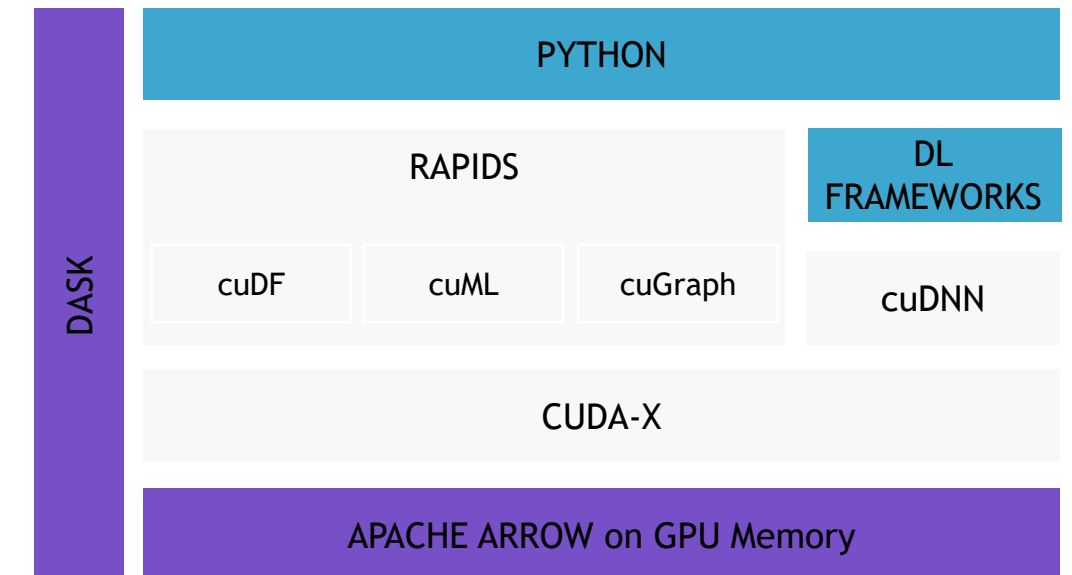
Massively Parallel Processing

## NVLink/NVSwitch



High Speed Connecting between GPUs for Distributed Algorithms

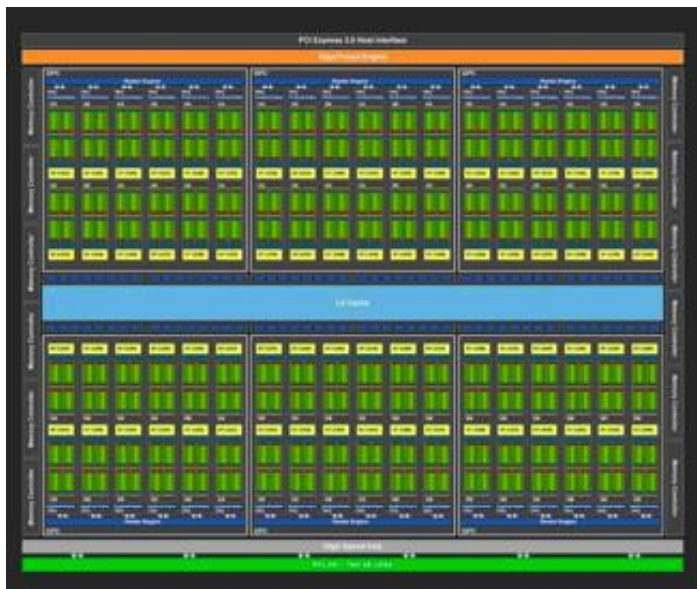
## CUDA-X AI



NVIDIA GPU Acceleration Libraries for Data Science and AI

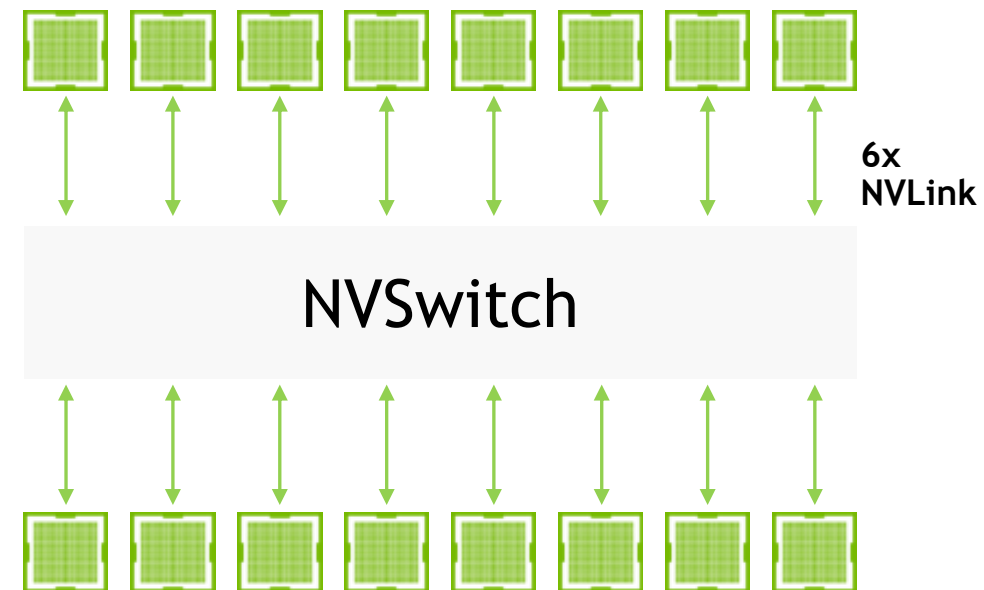
# PILLARS OF DATA SCIENCE PERFORMANCE

## CUDA Architecture



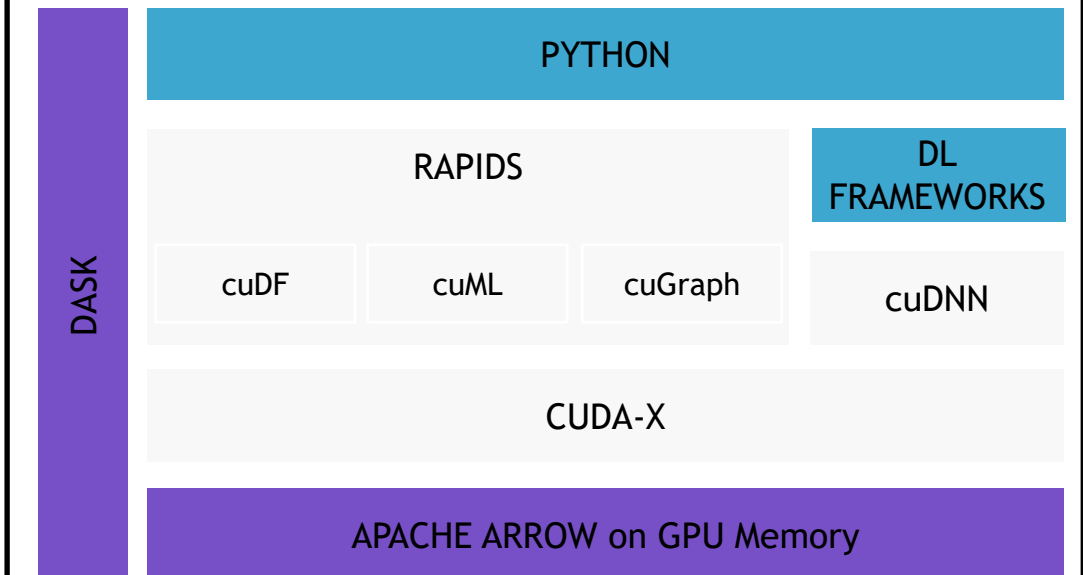
Massively Parallel Processing

## NVLink/NVSwitch



High Speed Connecting between GPUs for Distributed Algorithms

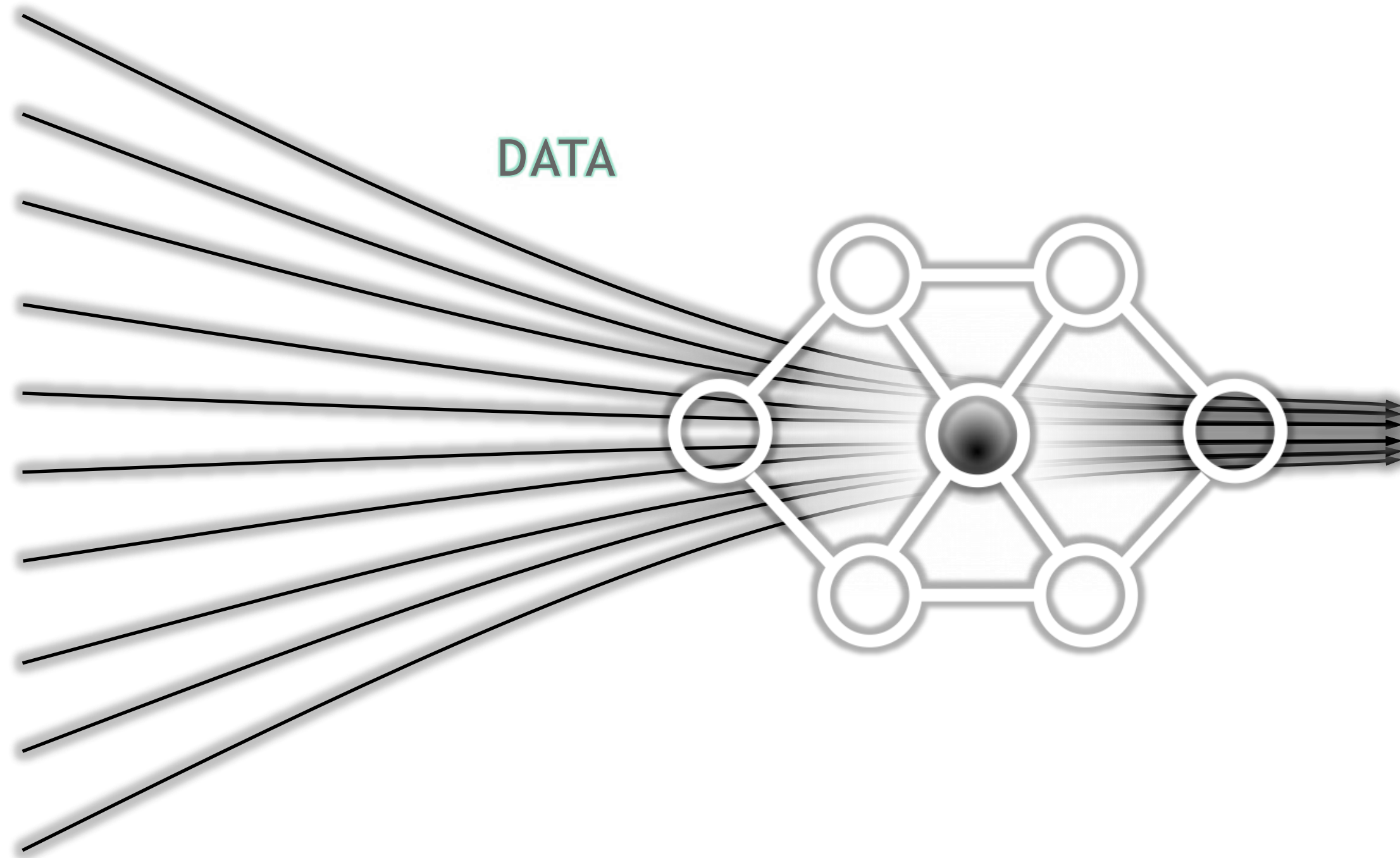
## CUDA-X AI



NVIDIA GPU Acceleration Libraries for Data Science and AI

# LEARNED FUNCTIONS ARE GPU ACCELERATED

Next level software. No porting required.



GPU ACCELERATED  
FUNCTIONS



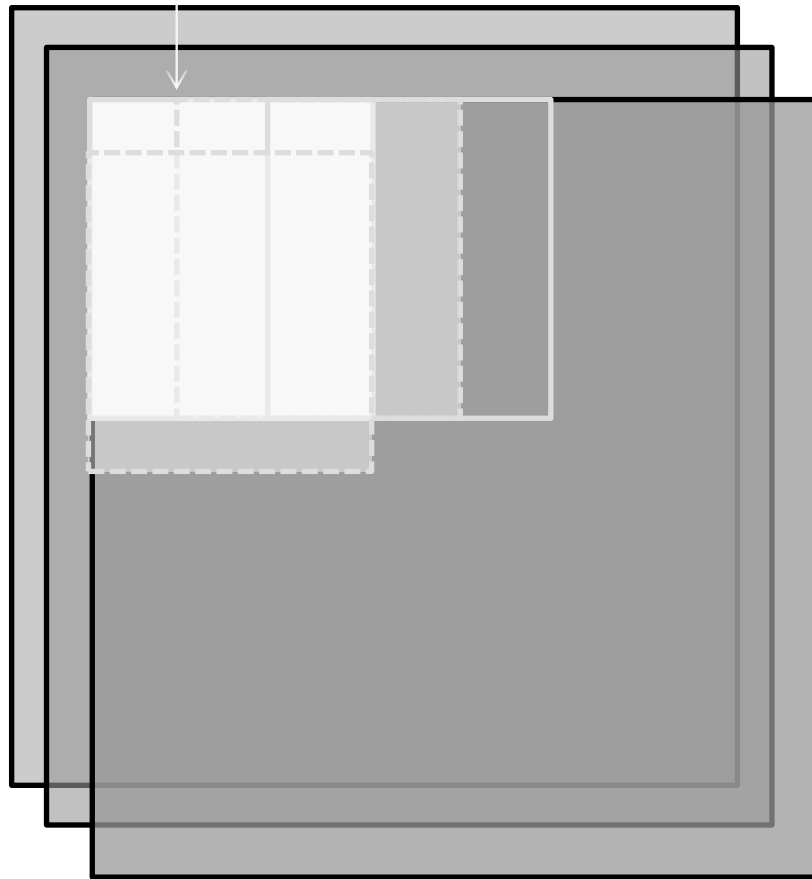


# CONVOLUTION OPERATION

Pointwise multiply and sum, scalar output

$$int[c, p, q] = \sum_{i, j \in filter} Im[c][istart + i, jstart + j] \cdot Filt[c][i, j]$$

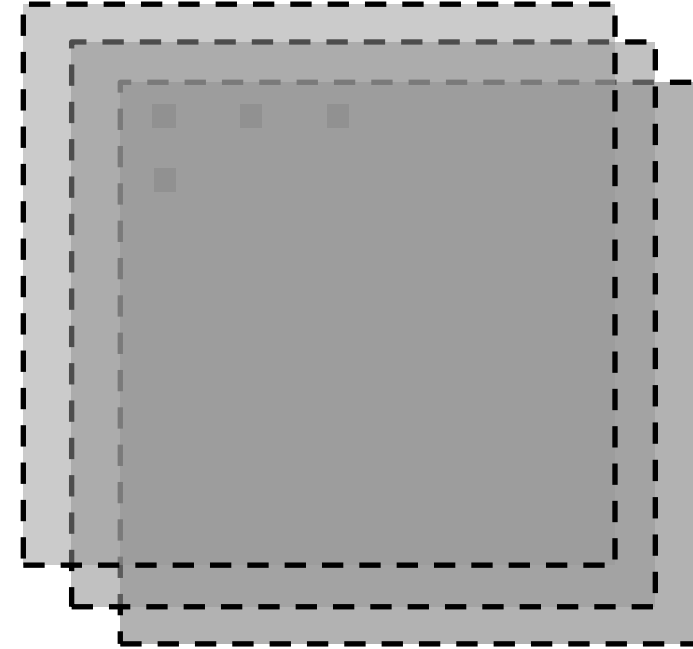
$$output[p, q] = \sum_c int[c, p, q]$$



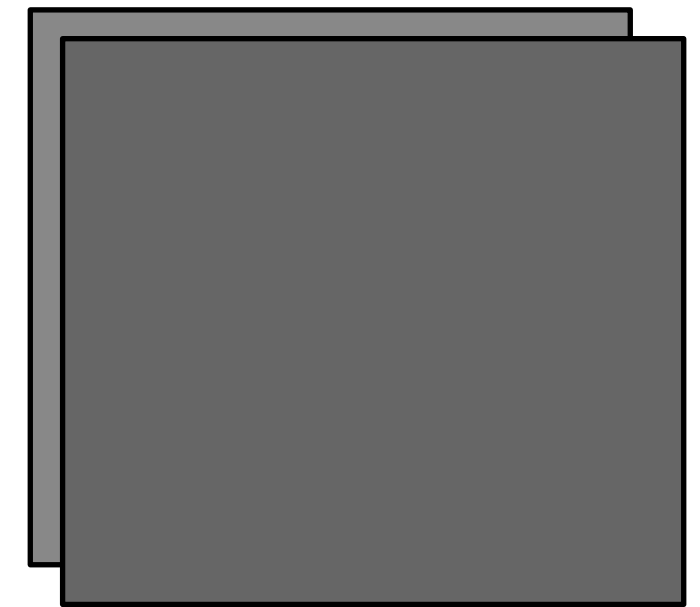
Input Image



Input Filter



Intermediate output



Final Output

Why do it once if you can do it n times ? Batch the whole thing.

# VERIFYING YOUR GPU

## TensorFlow

```
from tensorflow.python.client import device_lib
print('GPU' in str(device_lib.list_local_devices()))
```

True

## PyTorch

```
from torch import cuda
print(f"cuda.is_available: {cuda.is_available()}")
print(f"cuda.device_count(): {cuda.device_count()}")
print(cuda.get_device_name(cuda.current_device()))
```

cuda.is\_available: True  
cuda.device\_count(): 2  
Quadro GV100

## Keras

```
from keras import backend as K
K.tensorflow_backend._get_available_gpus()
```

Using TensorFlow backend.

```
['/job:localhost/replica:0/task:0/device:GPU:0',  
 '/job:localhost/replica:0/task:0/device:GPU:1']
```

## Julia

```
using CUDAdev, Printf
@printf("device 0 = %s \n" , CUDAdev.name(CuDevice(0)))
@printf("device 1 = %s \n" , CUDAdev.name(CuDevice(1)))
```

device 0 = Quadro GV100  
device 1 = Quadro GV100

# TRAINING ON A SINGLE GPU

## Keras

Automatically uses GPU if available

## Julia

```
use_gpu = true
to_device(x) = use_gpu ? gpu(x) : x
x          = to_device.(x)
y          = to_device.(y)
model      = to_device(model)
```

## PyTorch

```
device = torch.device("cuda:1" if torch.cuda.is_available() else "cpu")

# move data onto the GPU
model = model.to(device)
X,Y    = X.to(device), Y.to(device)

# Allocate on the GPU directly
dtype = torch.cuda.FloatTensor
X = torch.zeros(100).type(dtype)

# set default location for tensors
torch.set_default_tensor_type('torch.cuda.FloatTensor')
```



# NVIDIA-SMI

## System Management Interface

```
Terminal File Edit View Search Terminal Help
Every 0.5s: nvidia-smi Tue Sep 17 10:02:34 2019
Tue Sep 17 10:02:34 2019
+-----+
| NVIDIA-SMI 396.82 Driver Version: 396.82 |
+-----+-----+-----+-----+
| GPU  Name Persistence-M| Bus-Id Disp.A | Volatile Uncorr. ECC |
| Fan  Temp  Perf  Pwr:Usage/Cap|      Memory-Usage | GPU-Util  Compute M. |
+-----+-----+-----+-----+
| 0  Quadro GV100 Off | 00000000:04:00.0 On |          Off |
| 49%   61C   P2   51W / 250W | 1451MiB / 32500MiB |      3%      Default |
+-----+-----+-----+-----+
| 1  Quadro GV100 Off | 00000000:84:00.0 Off |          Off |
| 41%   58C   P2  116W / 250W | 1701MiB / 32508MiB |     41%      Default |
+-----+-----+-----+-----+
+-----+
| Processes: GPU Memory |
| GPU       PID    Type  Process name                      Usage |
+-----+-----+-----+-----+
| 0         1661    G     /usr/lib/xorg/Xorg                 328MiB |
| 0         2381    G     compiz                             70MiB |
| 0         8598    G     ...quest-channel-token=8542253777236559196 102MiB |
| 0         10245   C     /home/dhall/anaconda3/envs/tf/bin/python  946MiB |
| 1         10245   C     /home/dhall/anaconda3/envs/tf/bin/python 1690MiB |
+-----+-----+-----+-----+
```

Memory Utilization

Processor Utilization

Process Info

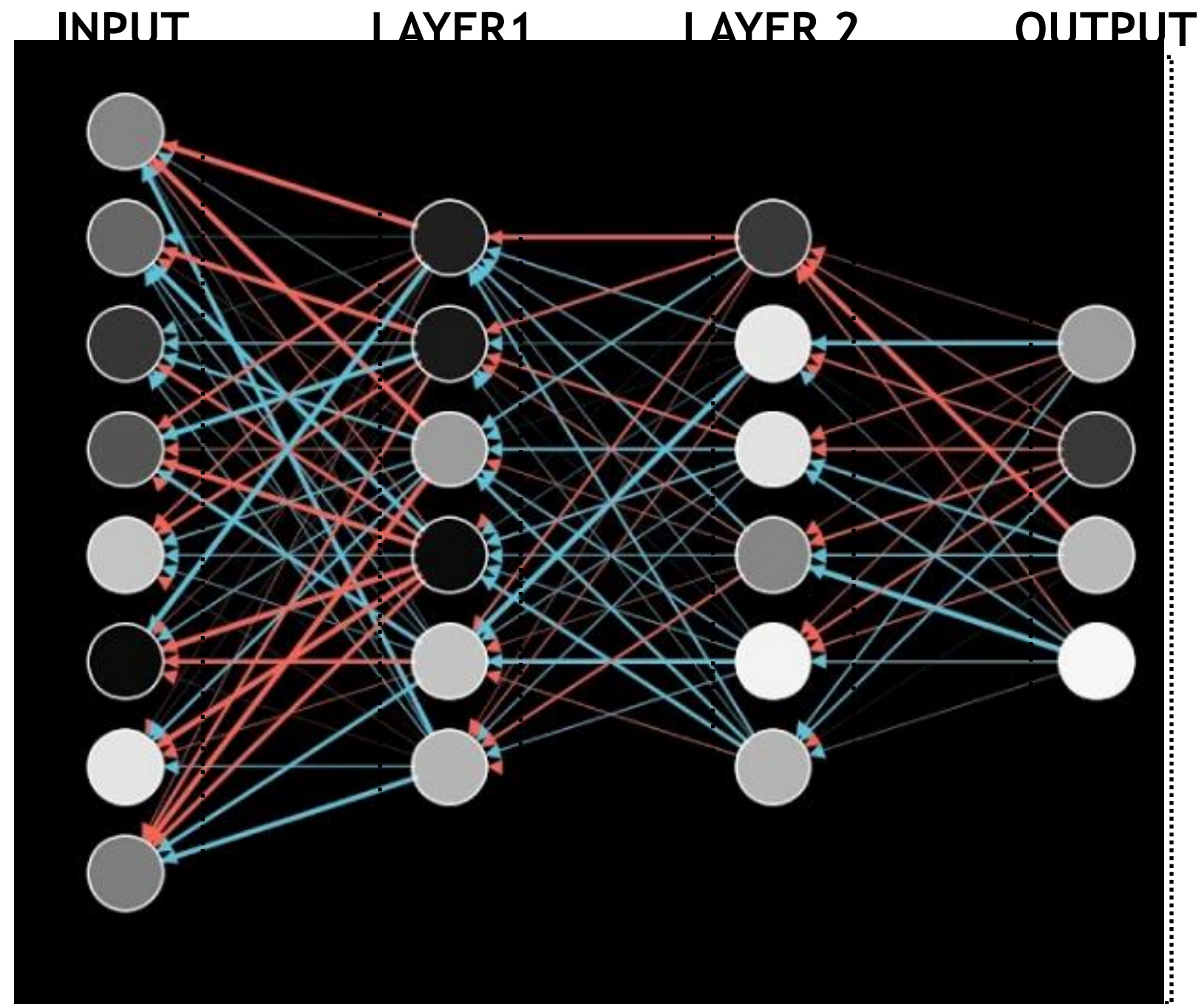




**FULLY CONNECTED  
NETWORKS**  
(MULTI-LAYER PERCPTONS)

# FULLY CONNECTED NETWORKS

A given neuron is connected to every neuron in the previous layer



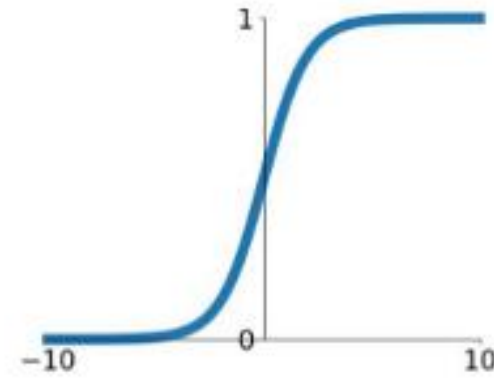


# ACTIVATION FUNCTIONS

Many to choose from. But most use ReLU or LeakyReLU

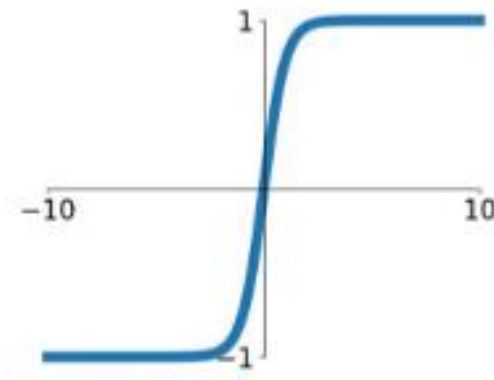
## Sigmoid

$$\sigma(x) = \frac{1}{1+e^{-x}}$$



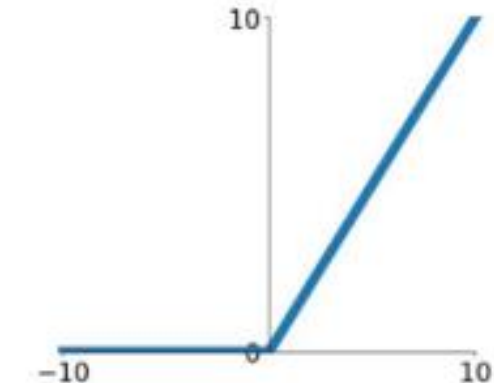
## tanh

$$\tanh(x)$$



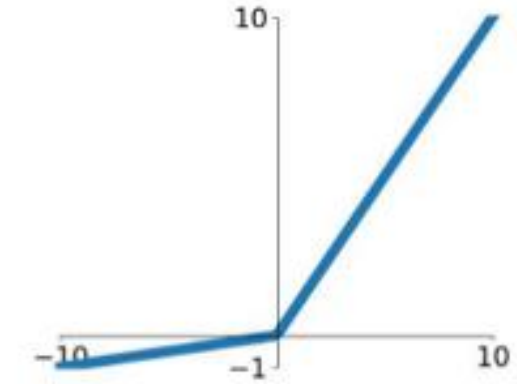
## ReLU

$$\max(0, x)$$



## Leaky ReLU

$$\max(0.1x, x)$$

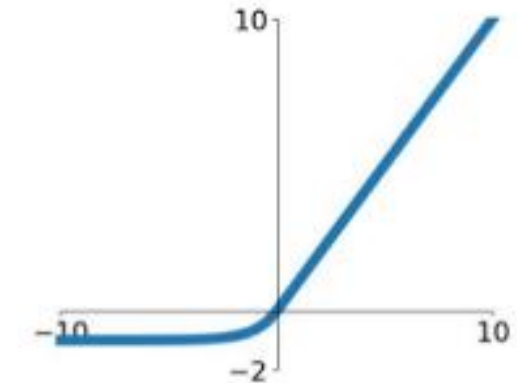


## Maxout

$$\max(w_1^T x + b_1, w_2^T x + b_2)$$

## ELU

$$\begin{cases} x & x \geq 0 \\ \alpha(e^x - 1) & x < 0 \end{cases}$$



# RELU BASIS FUNCTIONS

Piecewise continuous basis functions

## Training Loop

```
import torch.nn as nn
xtrain, ytrain, xval, yval = load_data(npts=500, train_fraction = 0.30)

# MODEL
n_bases = 100
model = nn.Sequential(
    nn.Linear(1, n_bases),
    nn.ReLU(),
    nn.Linear(n_bases, 1))

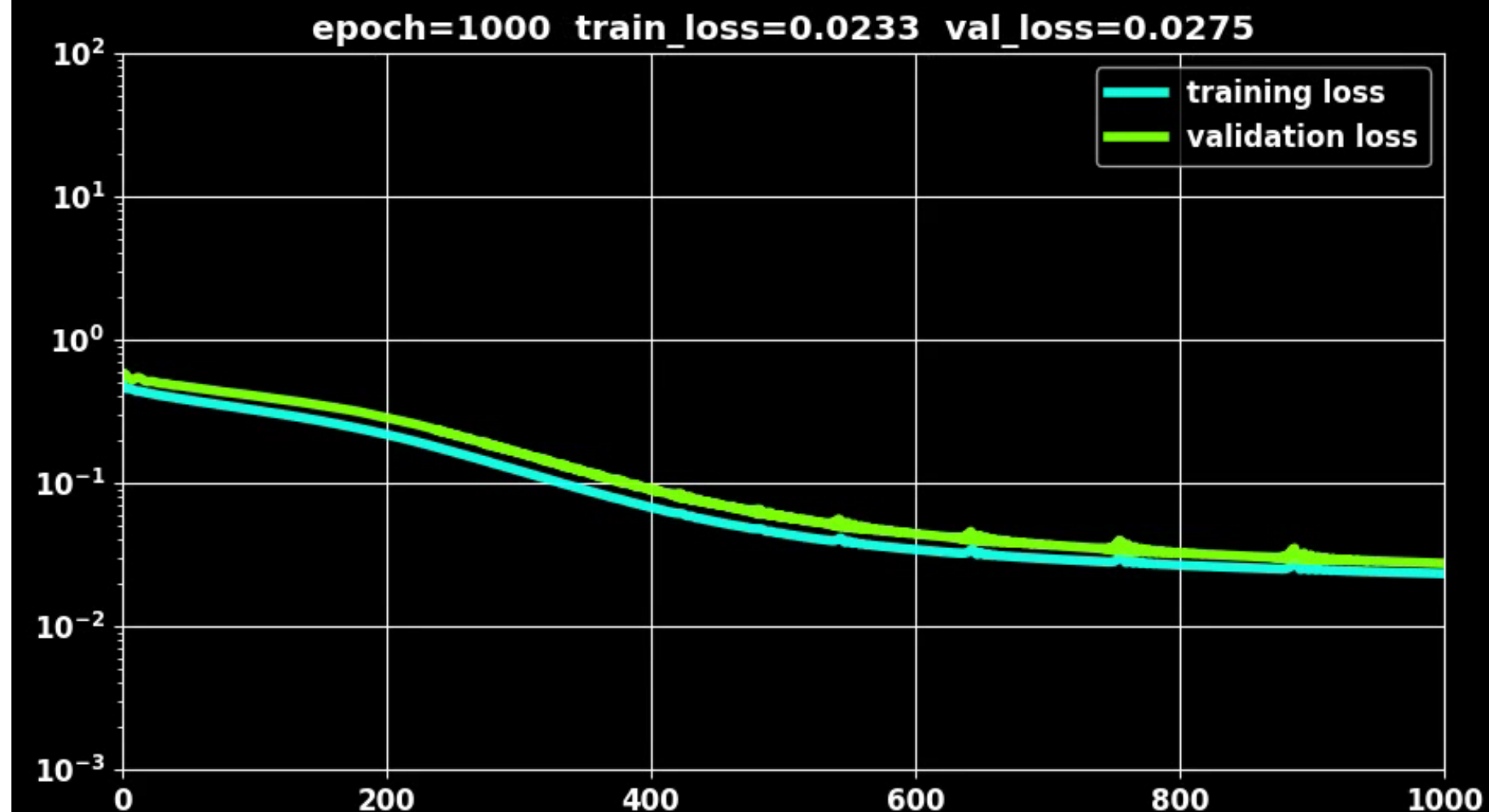
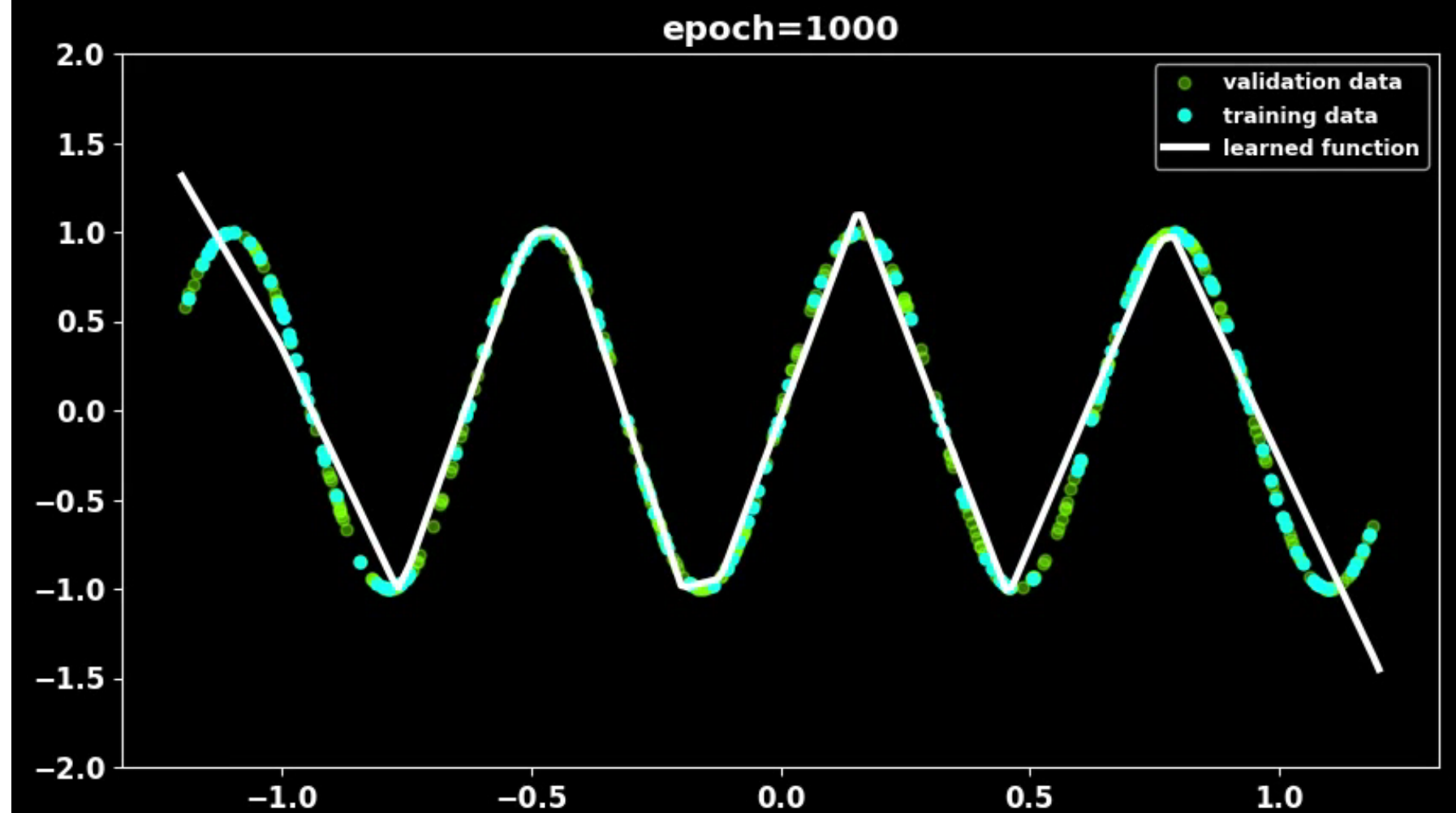
optimizer = torch.optim.Adam(model.parameters(), lr=5.0e-3)
epochs = 6000

for i in range(epochs+1):

    # training
    optimizer.zero_grad()
    yhat = model(xtrain)
    loss = (yhat - ytrain).pow(2).mean()
    loss.backward()
    optimizer.step()

    # validation
    yval_hat = model(xval)
    loss_val = (yval_hat - yval).pow(2).mean()
```

(Pytorch Code)



# MULTI-LAYER NETWORKS

## Piecewise continuous basis functions

### Training Loop

```
import torch.nn as nn

xtrain,ytrain,xval,yval=load_data(npts=500, train_fraction = 0.30)

# MODEL
n1,n2,n3 = 100,100,10

model = nn.Sequential(
    nn.Linear(1, n1), nn.ReLU(),
    nn.Linear(n1, n2), nn.ReLU(),
    nn.Linear(n2, n3), nn.ReLU(),
    nn.Linear(n3, 1 ))

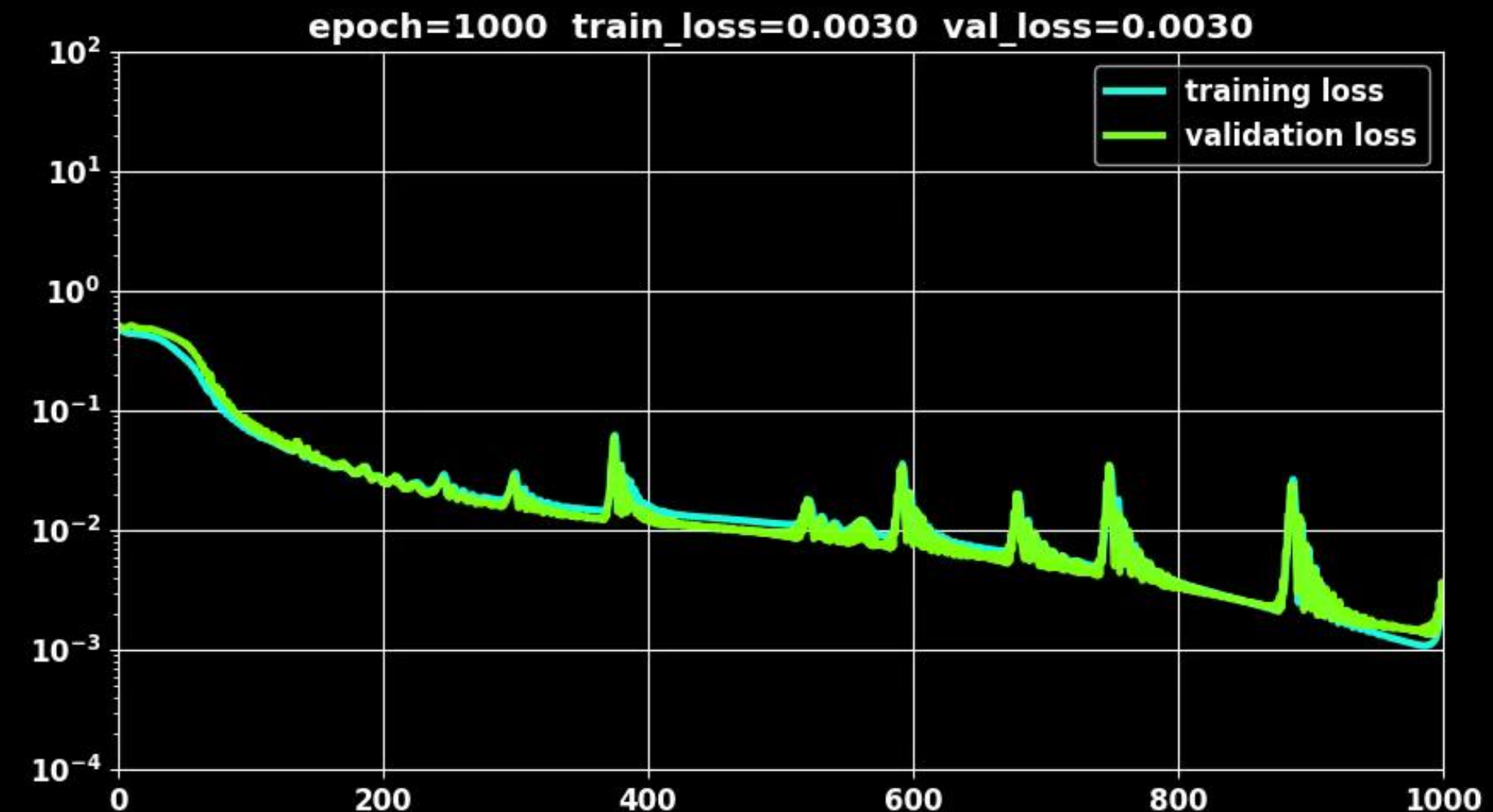
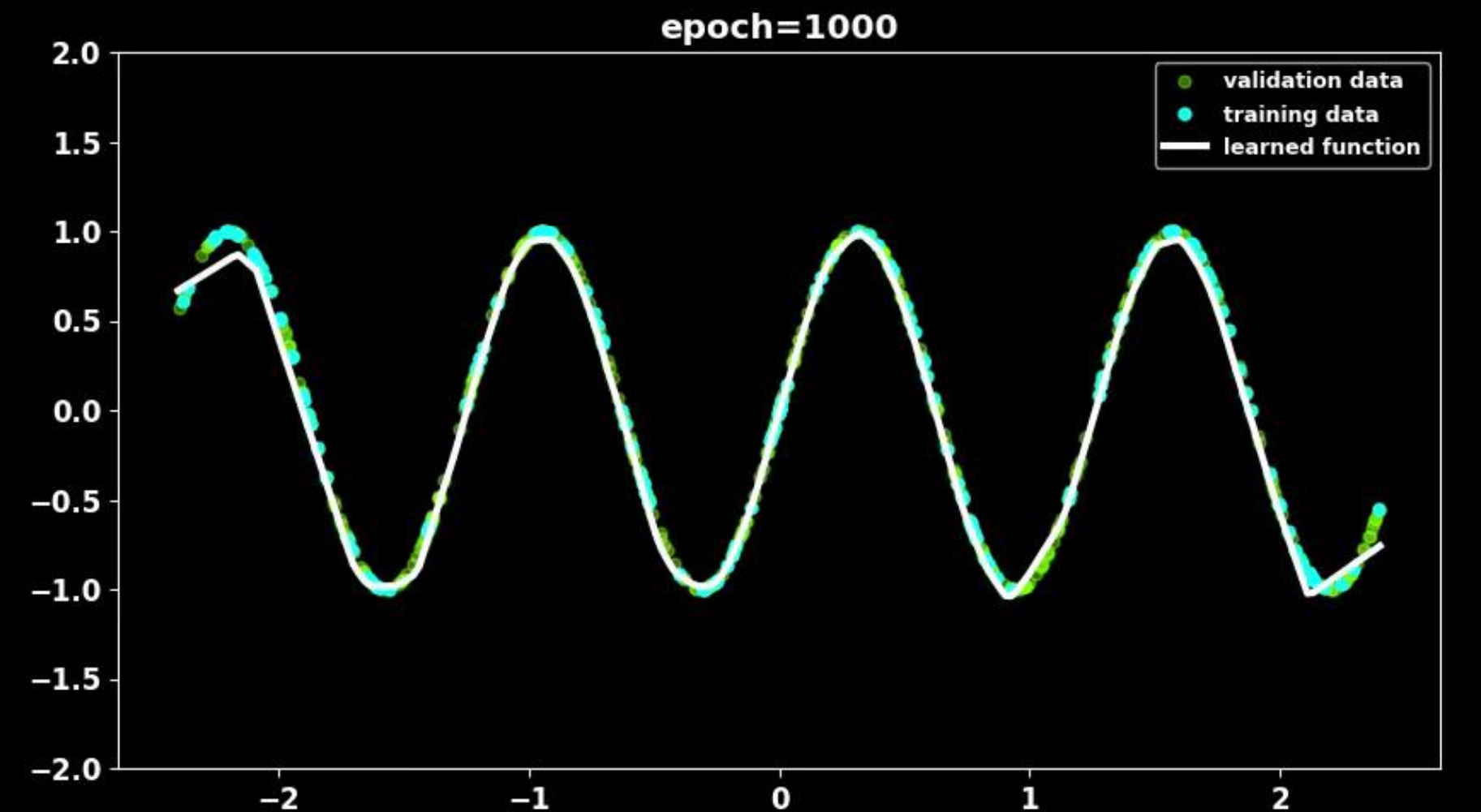
optimizer = torch.optim.Adam(model.parameters(), lr=5.0e-3)

epochs = 1000

for i in range(epochs+1):

    # training
    optimizer.zero_grad()
    yhat = model(xtrain)
    loss = (yhat - ytrain).pow(2).mean()
    loss.backward()
    optimizer.step()

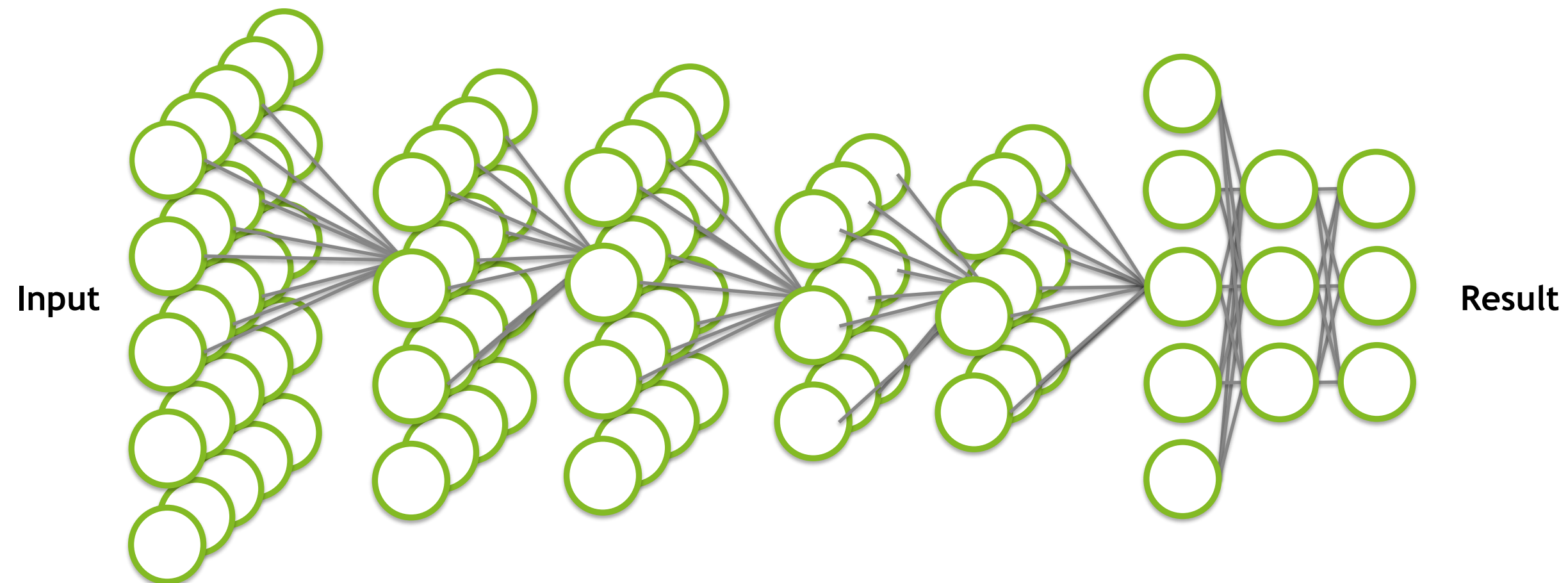
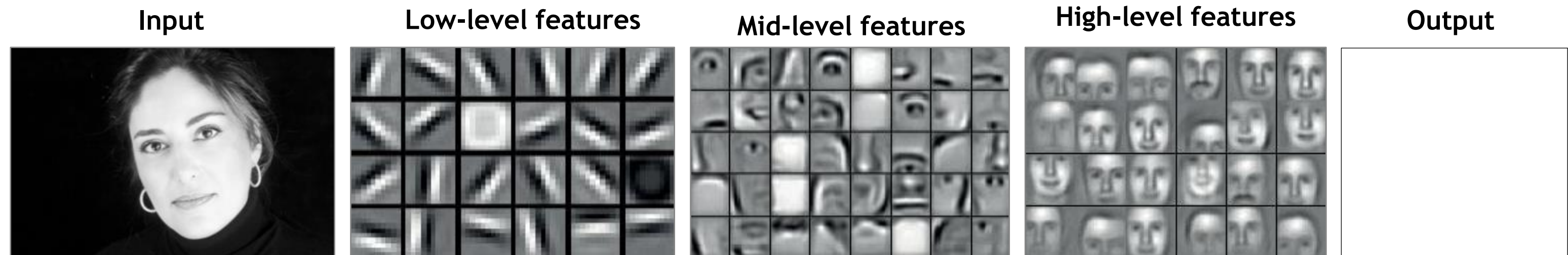
    # validation
    yval_hat = model(xval)
    loss_val = (yval_hat - yval).pow(2).mean()
```





# DEEPER NEURAL NETWORKS

More layers allows for more levels of abstraction



<https://web.eecs.umich.edu/~honglak/icml09-ConvolutionalDeepBeliefNetworks.pdf>



# Large Scale Visual Recognition Challenge 2012



The Imagenet competition: Automatically classify images from 1000 different categories





# CONVOLUTIONAL NEURAL NETWORKS

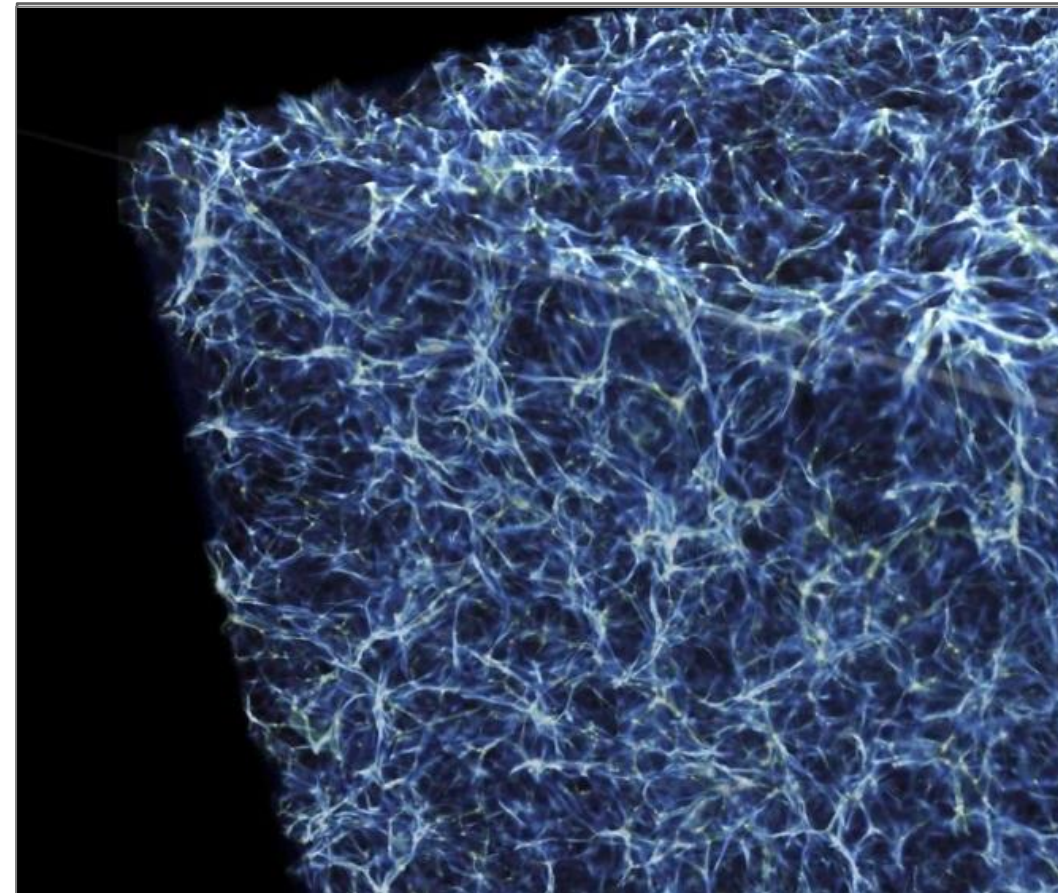


# WHAT ARE CNNs USED FOR?

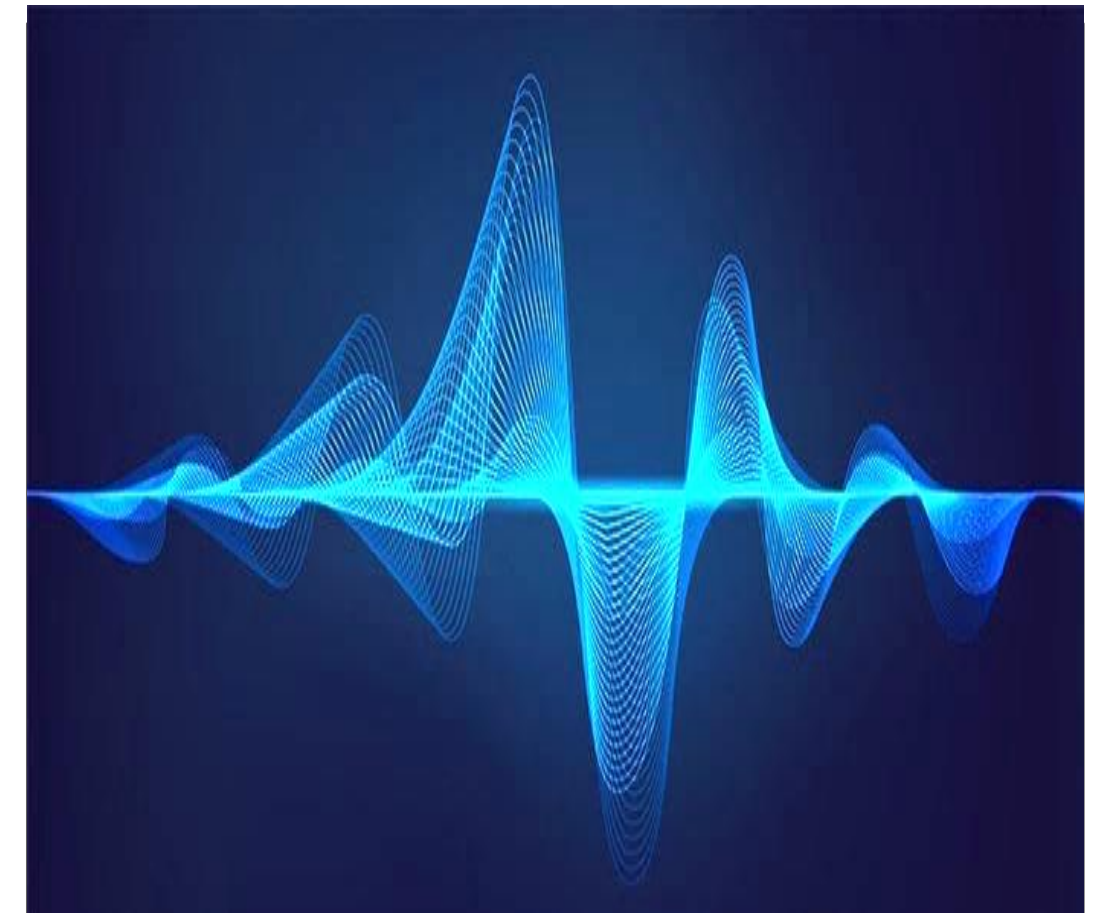
Problems with translational invariance



Computer Vision  
Invariance in 2d space



Computational Physics  
Invariance in 3d space



Audio and Time Series  
Invariance in time



# COMPUTER VISION TASKS

Each task requires a different model and data setup

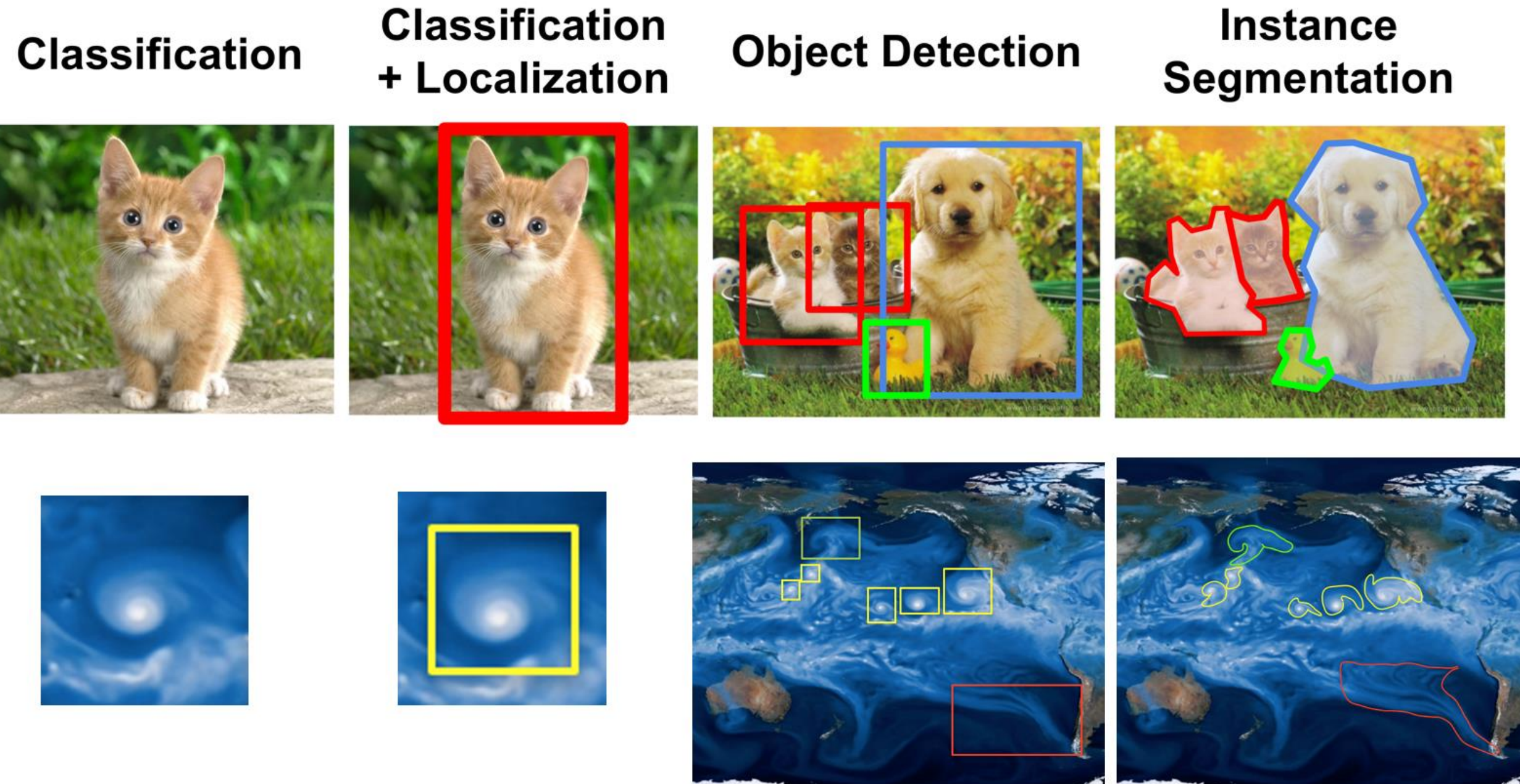


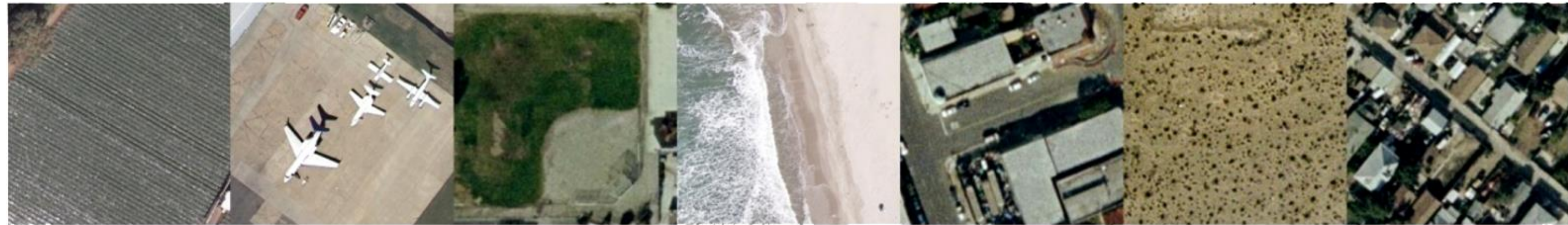
Image Credit: NERSC





# CLASSIFICATION

Example: Classifying Land Use



Agricultural

Airplane

Baseball diamond

Beach

Building

Chaparral

Denser residential



Forest

Freeway

Golf course

Harbor

Intersection

Medium residential

Mobile home park



Overpass

Parking lot

River

Runway

Sparsely residential

Storage tanks

Tennis court

UC Merced Land Use Database





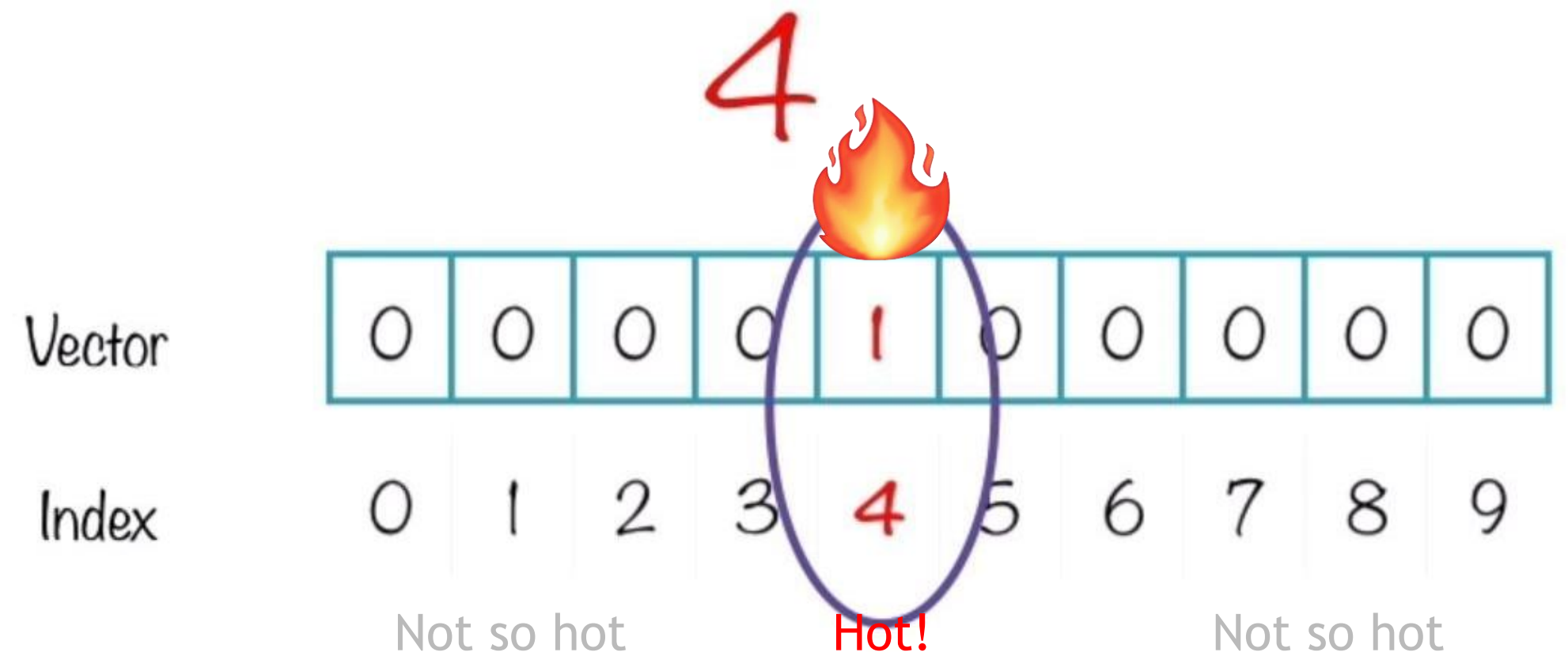
# ONE-HOT ENCODING

Input: Pixels, Output: One-hot encoding

INPUT: PIXEL VALUES



OUTPUT: ONE-HOT VECTOR

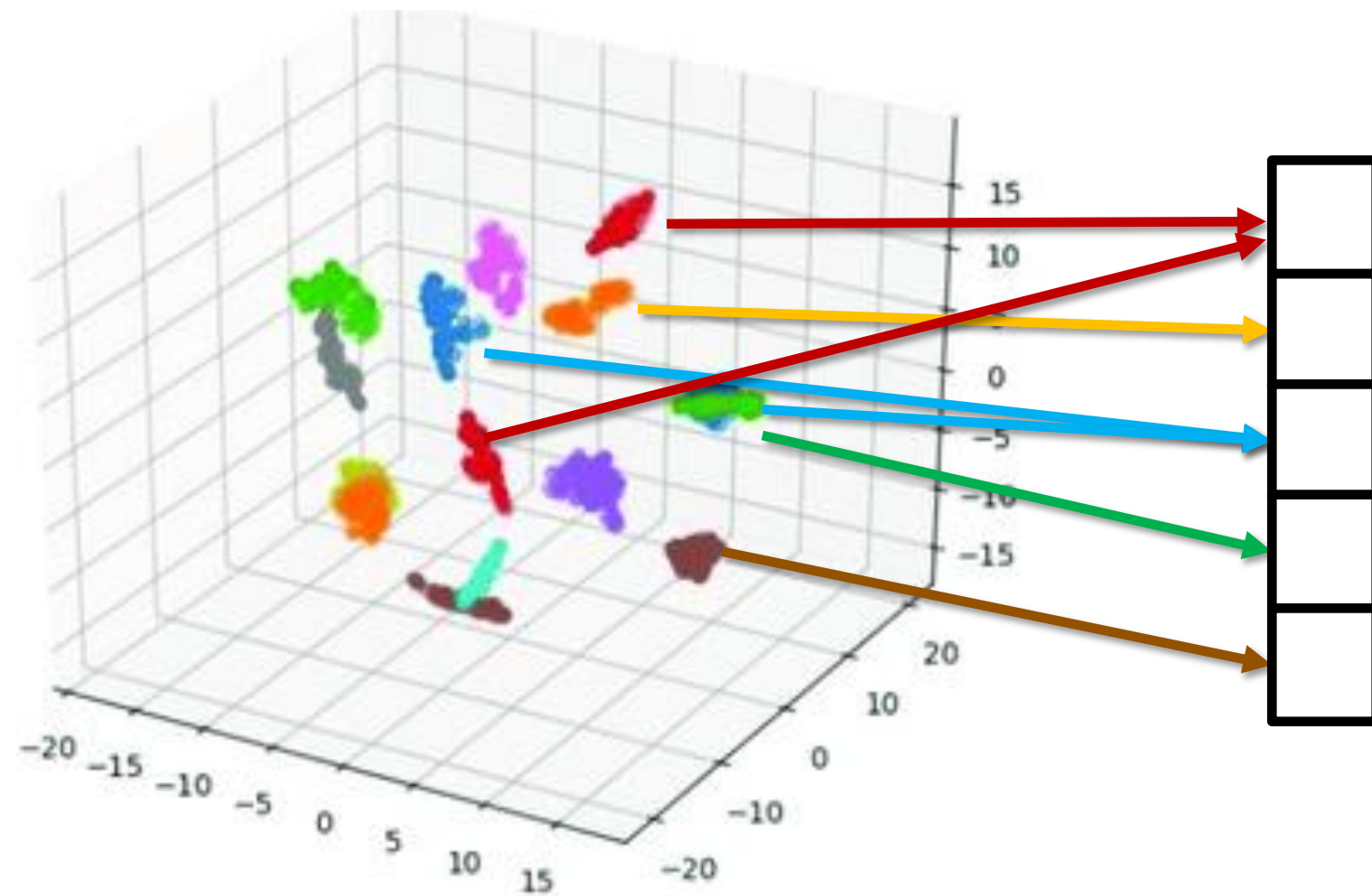


<https://blog.carbonteq.com/practical-image-recognition-with-tensorflow/>

# IMAGES ARE POINTS, WITH MANY DIMENSIONS

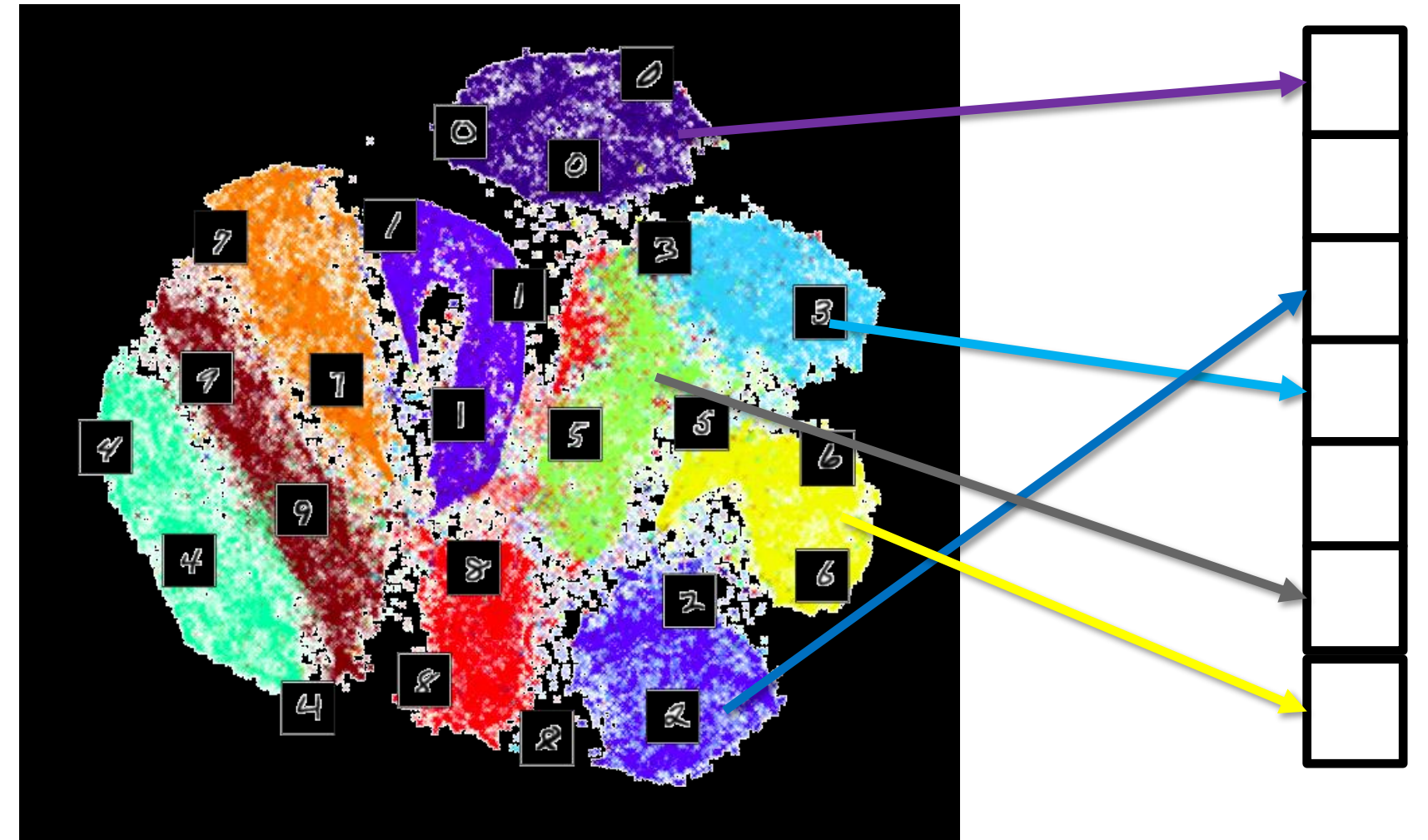
IN: 3-D Vector

OUT: 1 hot vector

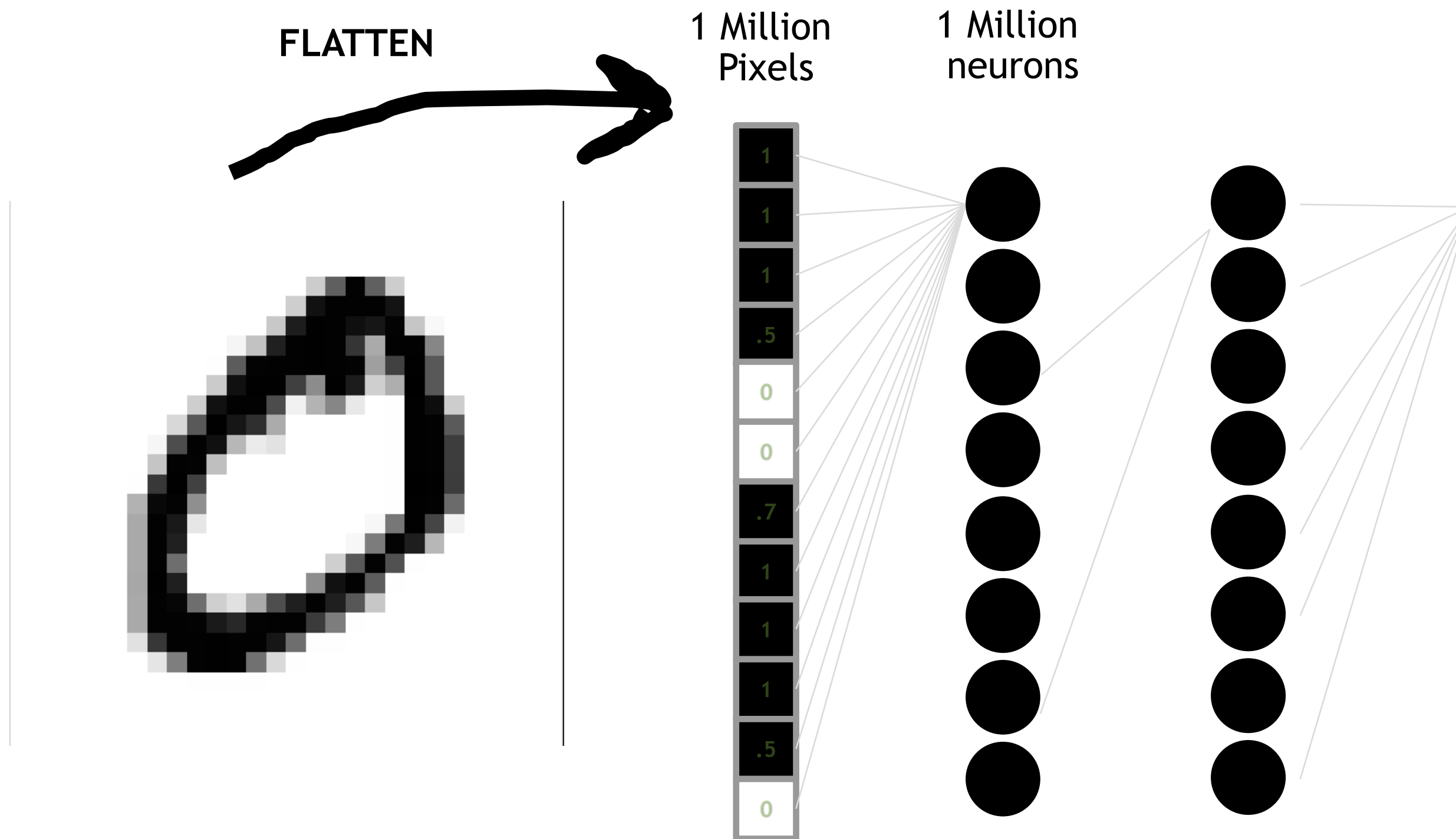


IN: 784-D Vector

OUT: 1-hot vector



# FULLY CONNECTED NETWORKS AND IMAGES DON'T MIX





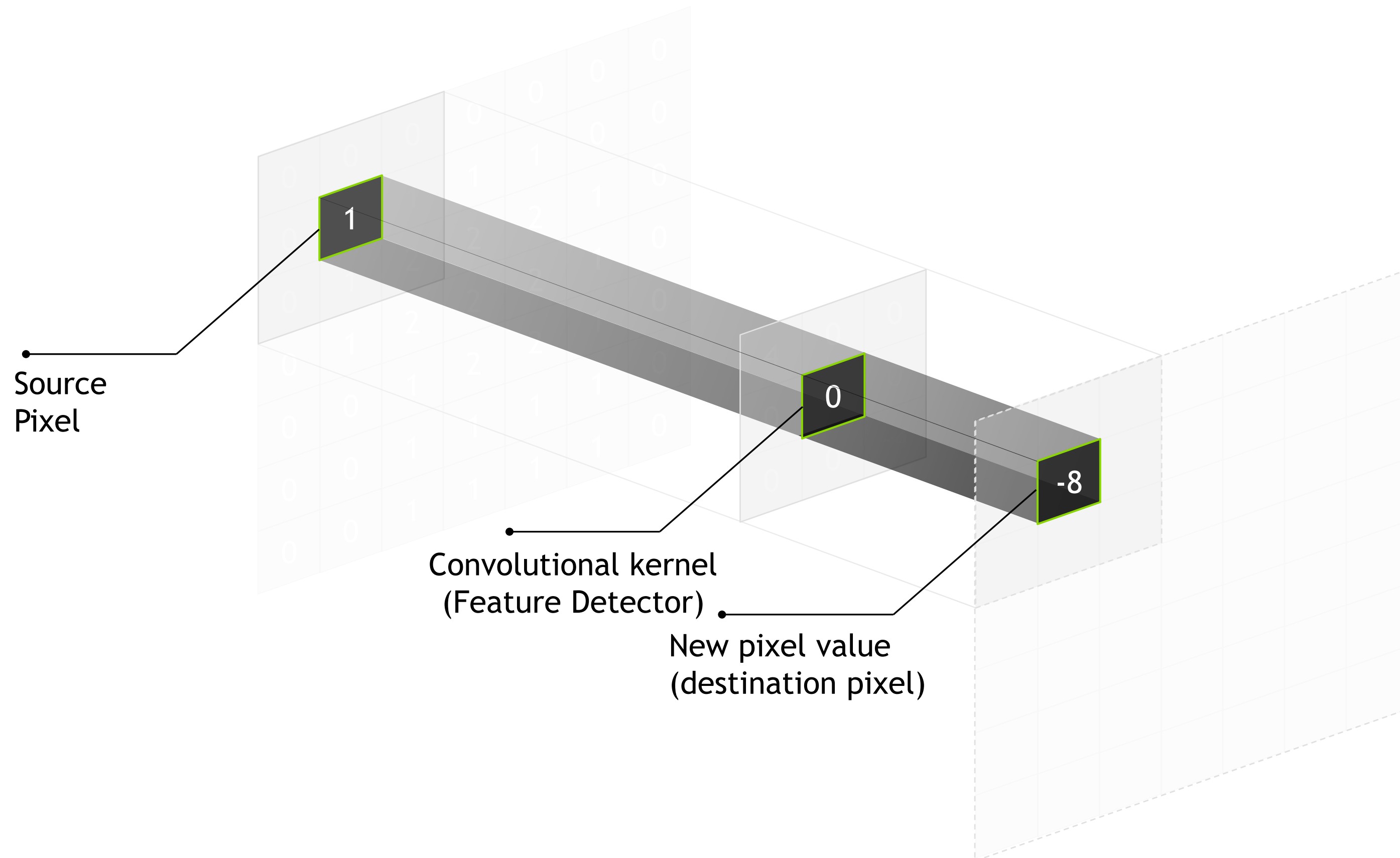
# TRANSLATIONAL EQUIVARIANCE

Objects in nature look the same from place to place



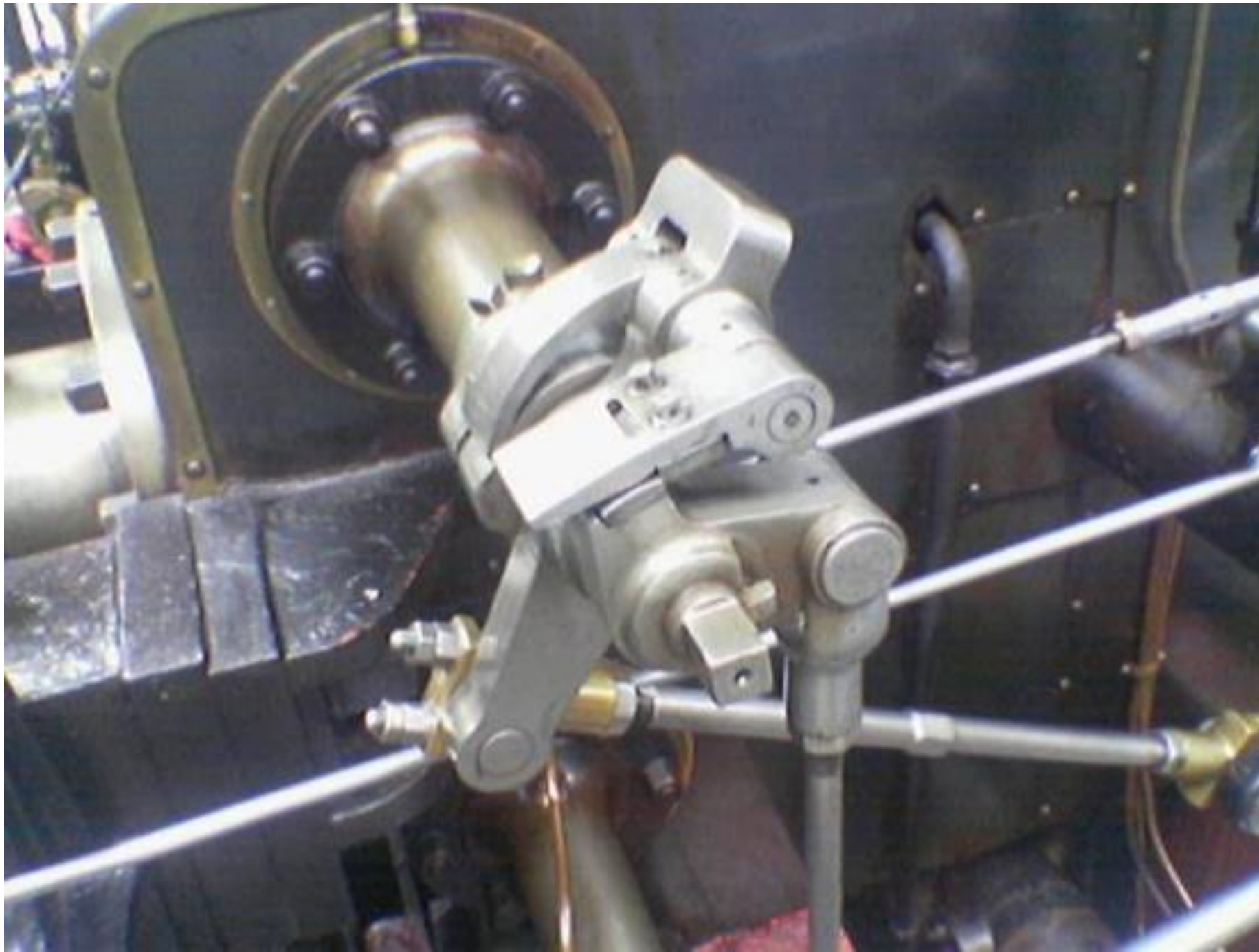
# WHAT IS A CONVOLUTION?

A small matrix transformation, applied at each point of the image





# CONVOLUTION EXAMPLE: SOBEL FILTER



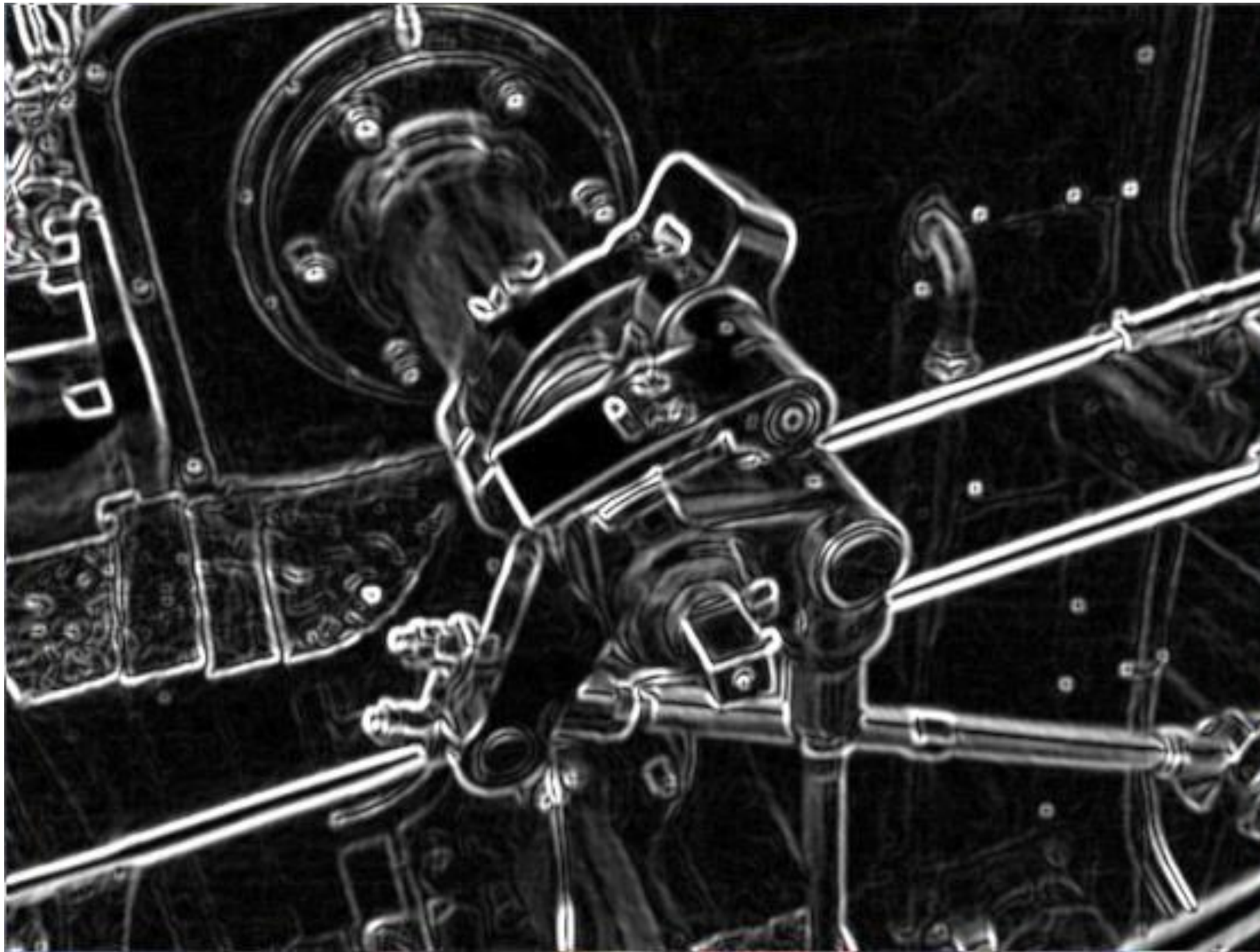
$$G_x = \begin{bmatrix} -1 & 0 & 1 \\ -2 & 0 & 2 \\ -1 & 0 & 1 \end{bmatrix}$$

$$G_y = \begin{bmatrix} -1 & -2 & -1 \\ 0 & 0 & 0 \\ 1 & 2 & 1 \end{bmatrix}$$

$$G = \sqrt{G_x^2 + G_y^2}$$



# CONVOLUTION EXAMPLE: SOBEL FILTER



$$G_x = \begin{bmatrix} -1 & 0 & 1 \\ -2 & 0 & 2 \\ -1 & 0 & 1 \end{bmatrix}$$

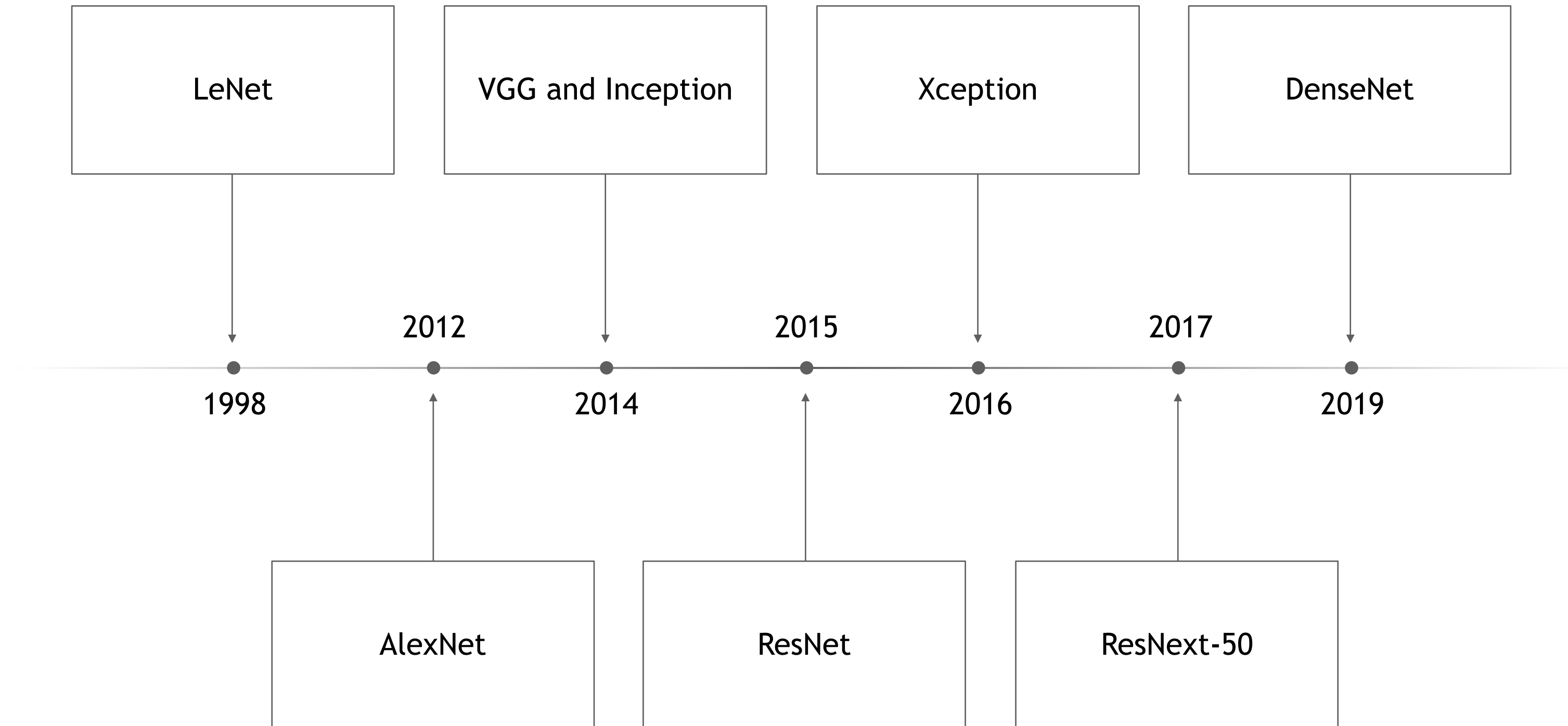
$$G_y = \begin{bmatrix} -1 & -2 & -1 \\ 0 & 0 & 0 \\ 1 & 2 & 1 \end{bmatrix}$$

$$G = \sqrt{G_x^2 + G_y^2}$$



**CLASSIFICATION**

# CLASSIFIER EVOLUTION OVER TIME





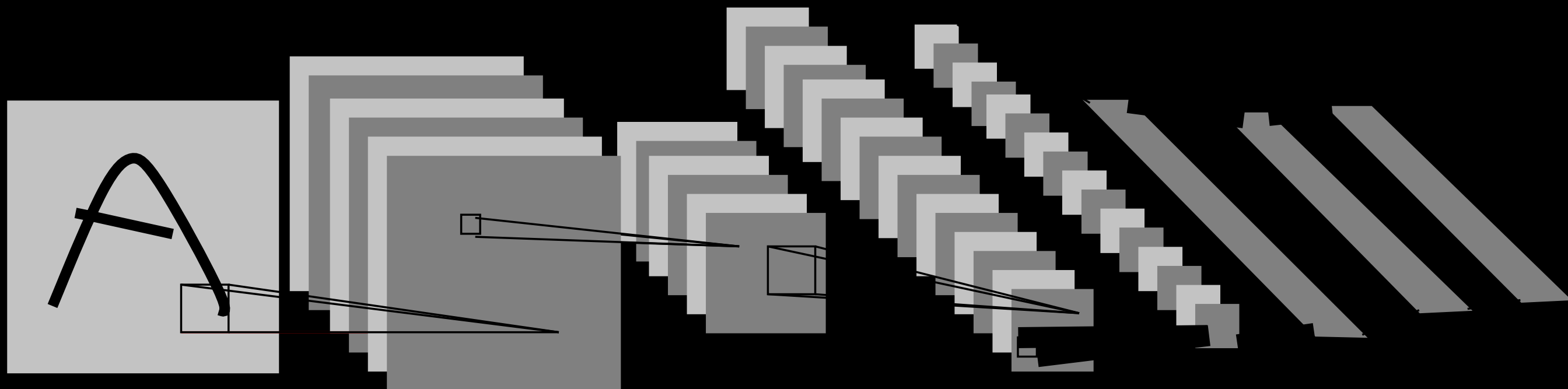
# LENET-5

(1988) Yann LeCun. Hand written recognition. 60k parameters.

PROC. OF THE IEEE, NOVEMBER 1998

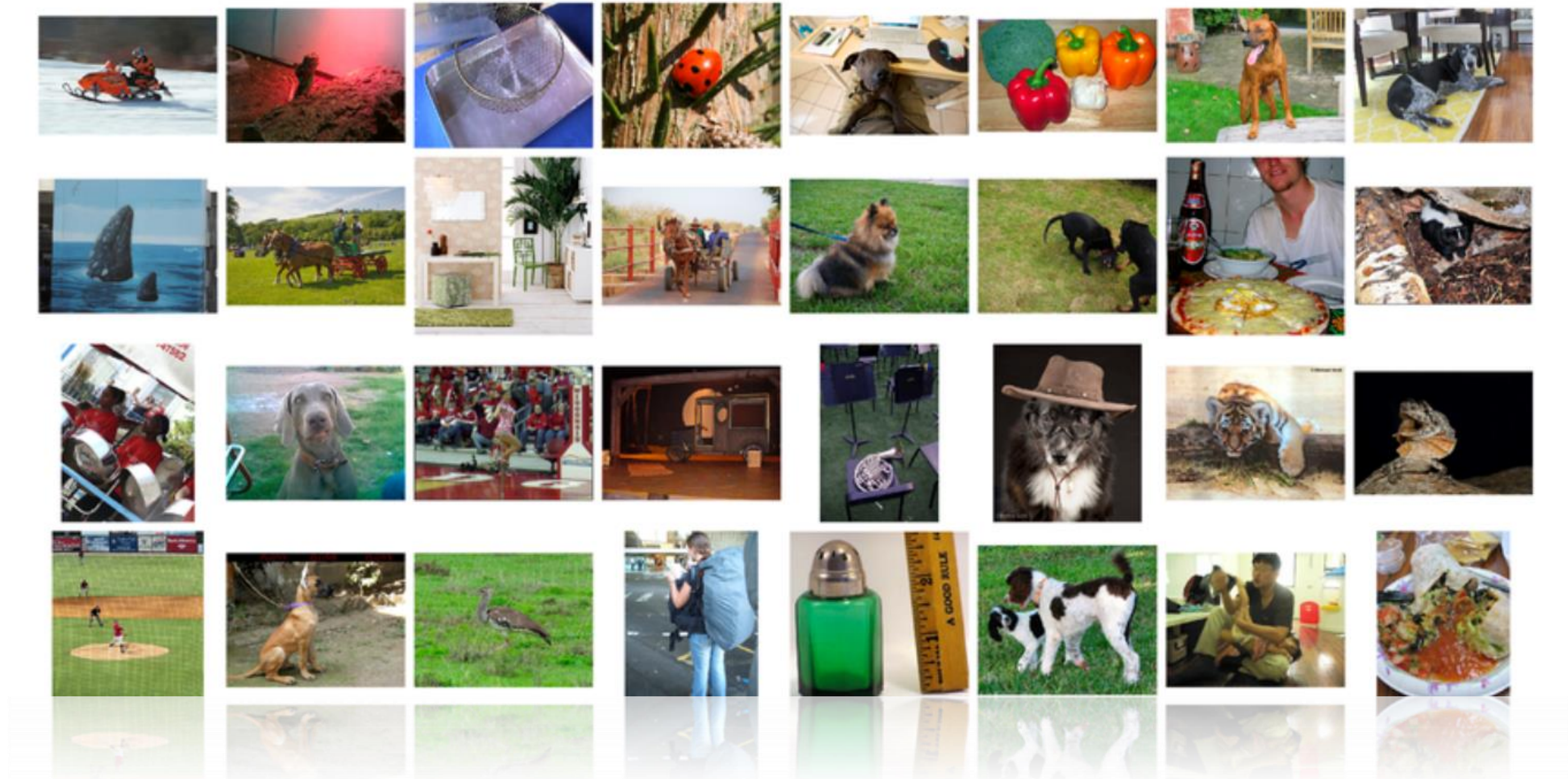
## Gradient-Based Learning Applied to Document Recognition

Yann LeCun, Léon Bottou, Yoshua Bengio, and Patrick Haffner



# IMAGENET ILSVR COMPETITION

Large Scale Visual Recognition Competition (2010-2017)



<https://en.wikipedia.org/wiki/ImageNet>





# ALEXNET

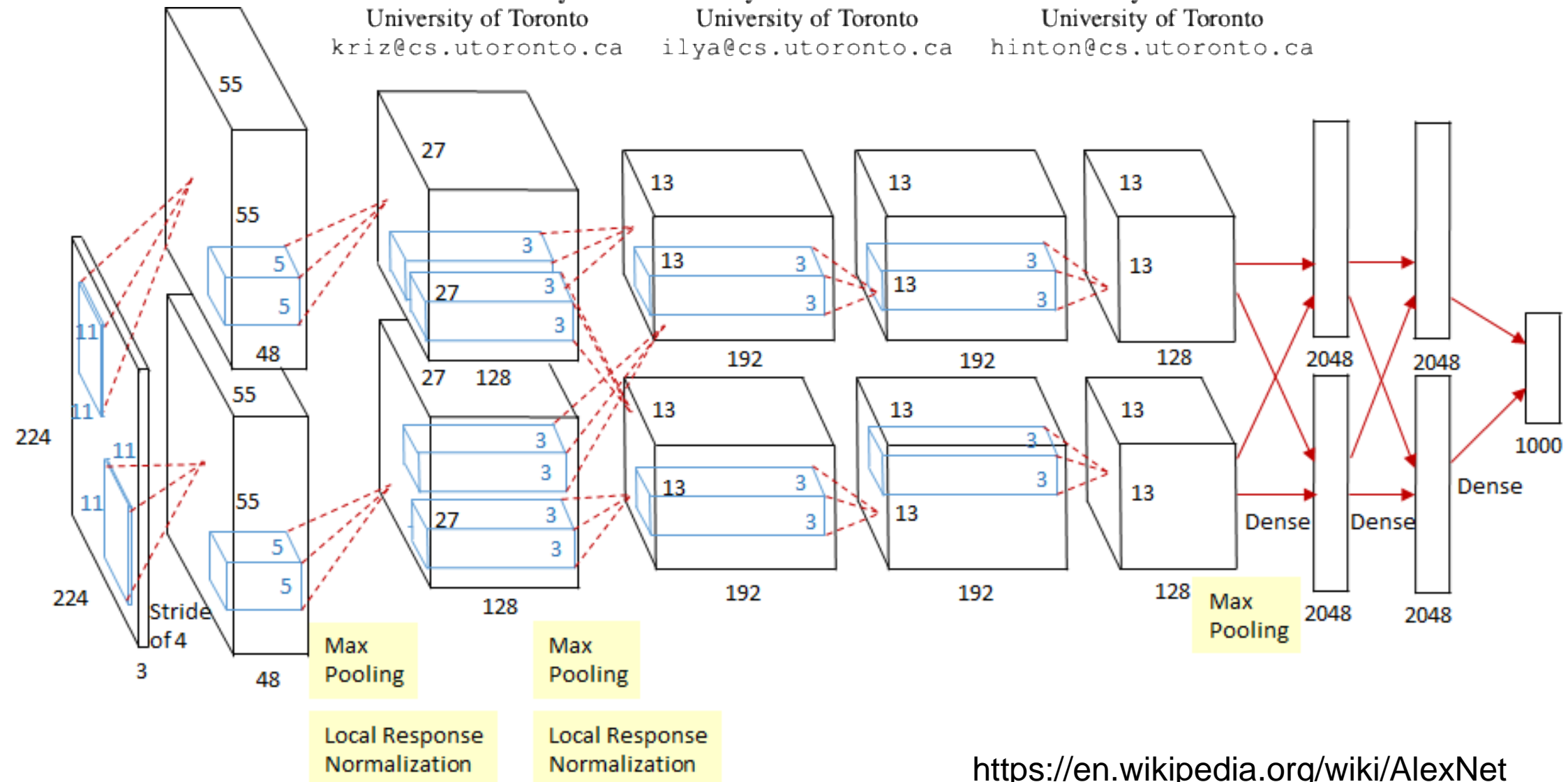
(2012): Krizhevsky, Sutskever, Hinton. ImageNet winner.

# ImageNet Classification with Deep Convolutional Neural Networks

**Alex Krizhevsky**  
University of Toronto  
kriz@cs.utoronto.ca

**Ilya Sutskever**  
University of Toronto  
ilya@cs.utoronto.ca

**Geoffrey E. Hinton**  
University of Toronto  
hinton@cs.utoronto.ca



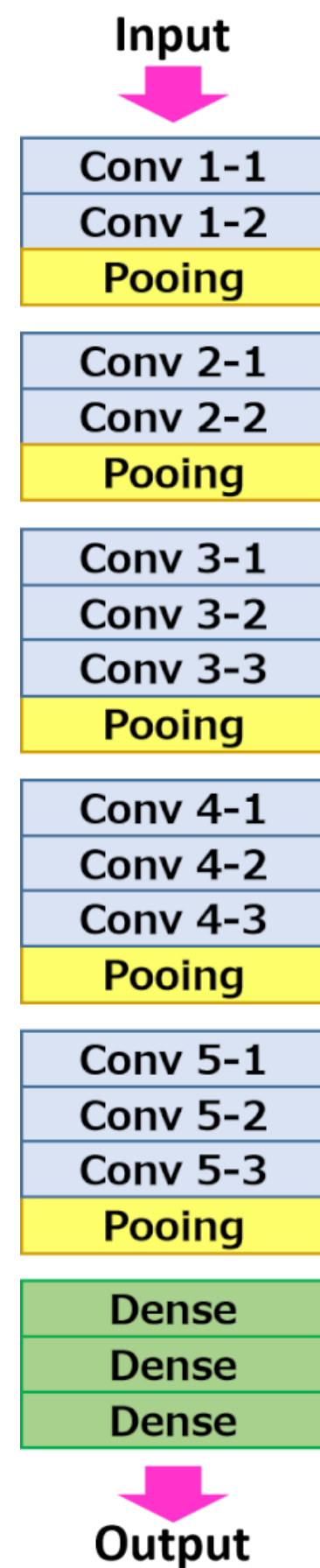
<https://en.wikipedia.org/wiki/AlexNet>



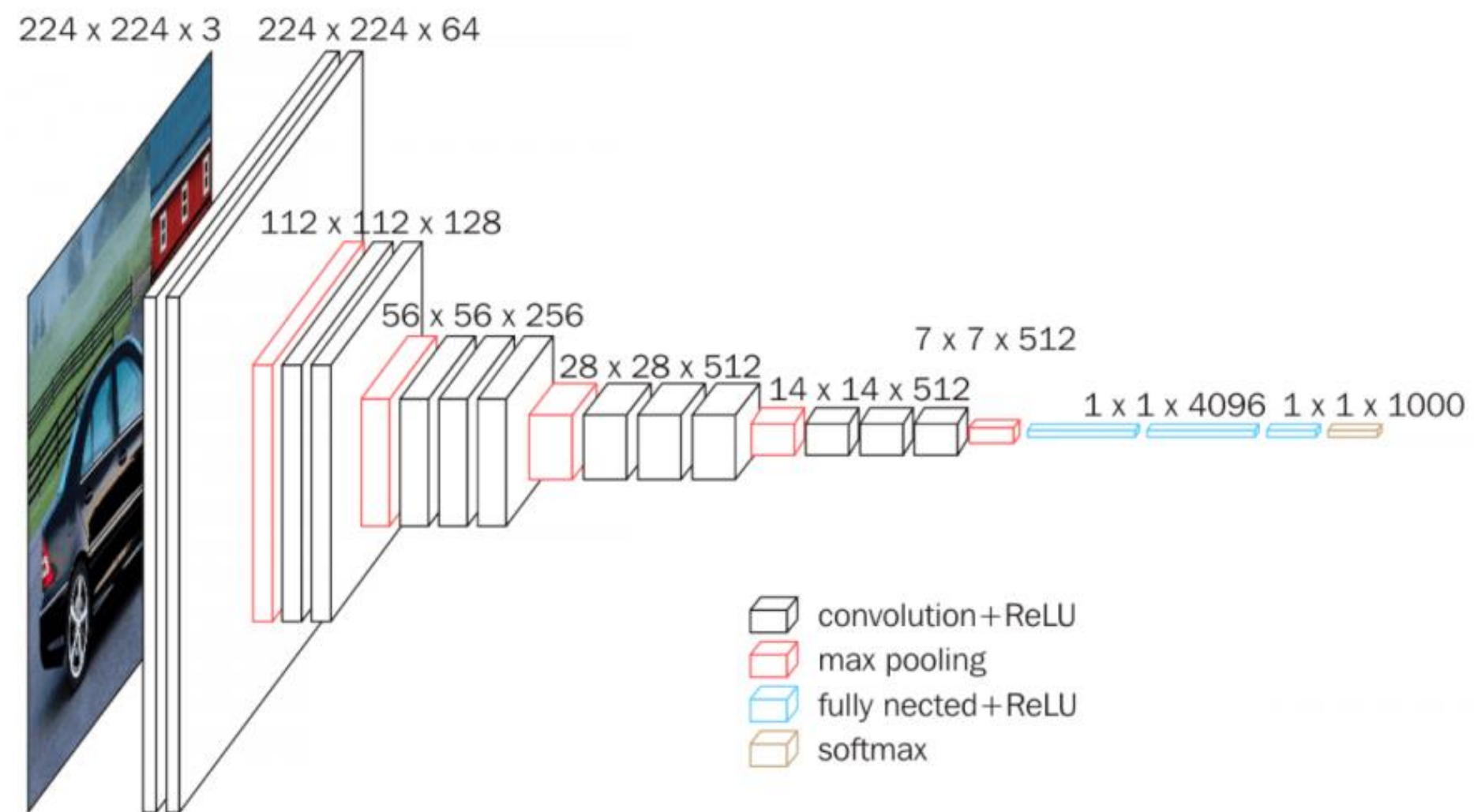


# VGG-16

2014. ImageNet runner up. Simple, clean architecture.

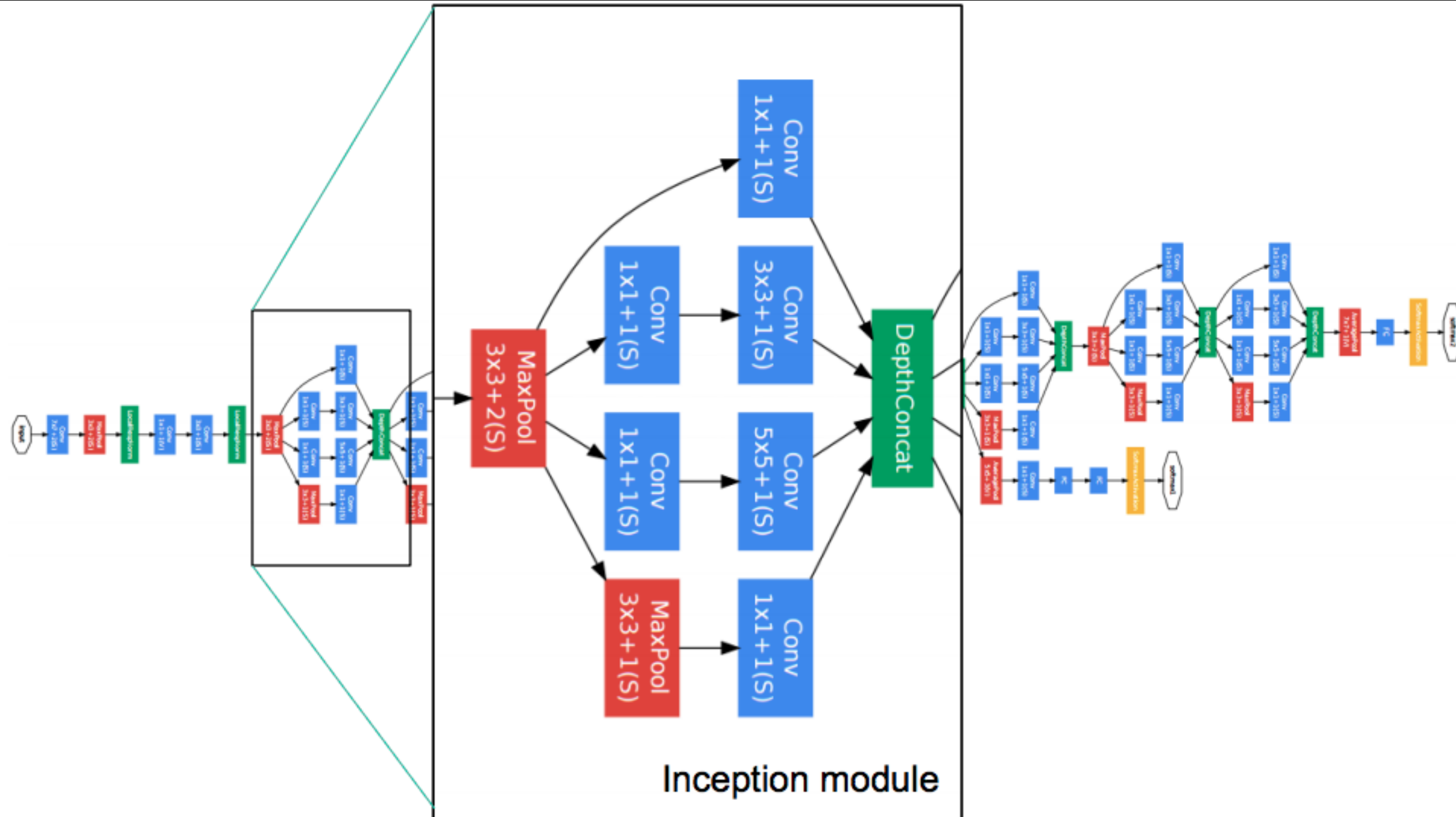


VGG-16



# INCEPTION-V1 (GOOGLNET)

2014. Train different size convolutions in parallel

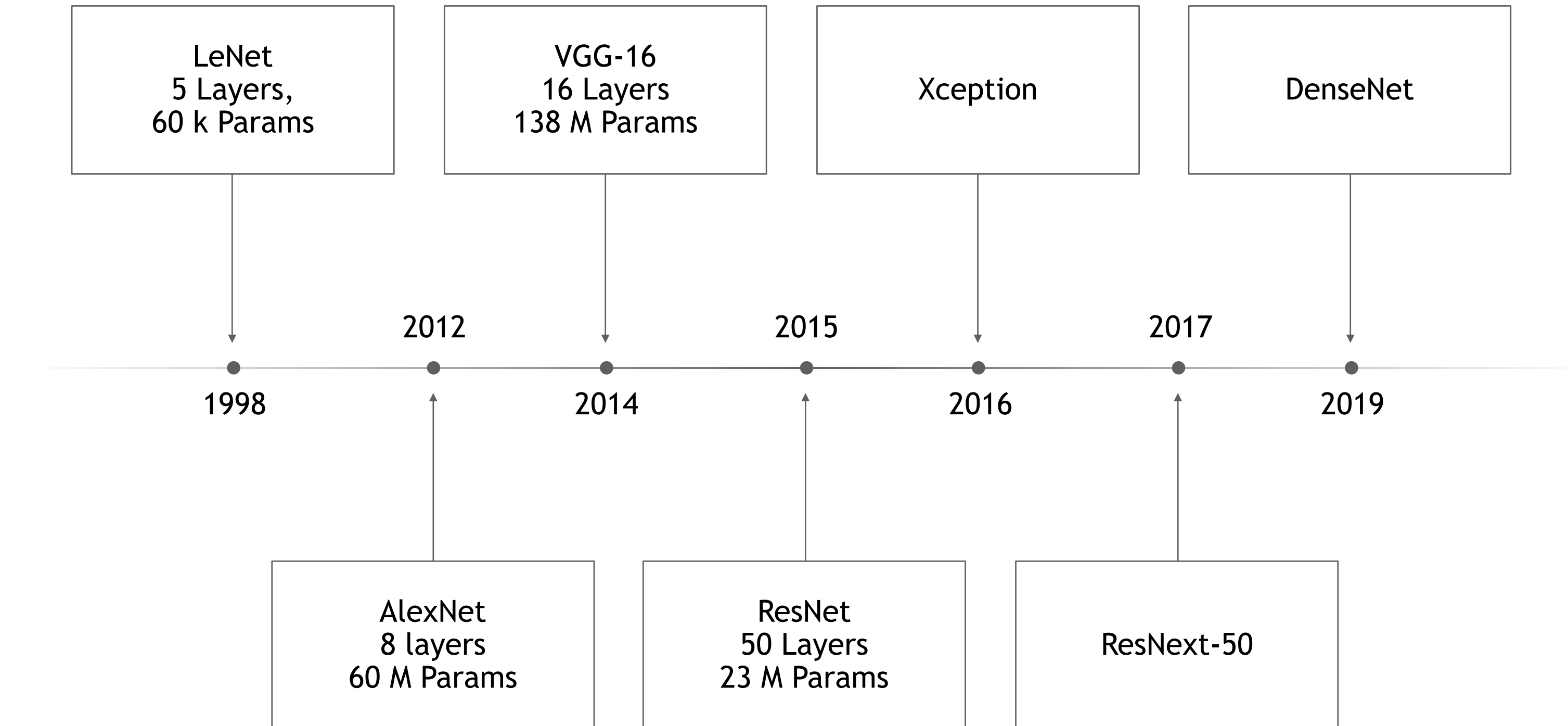




RESNETS



# MODELING TRENDS: DEEPER AND LARGER



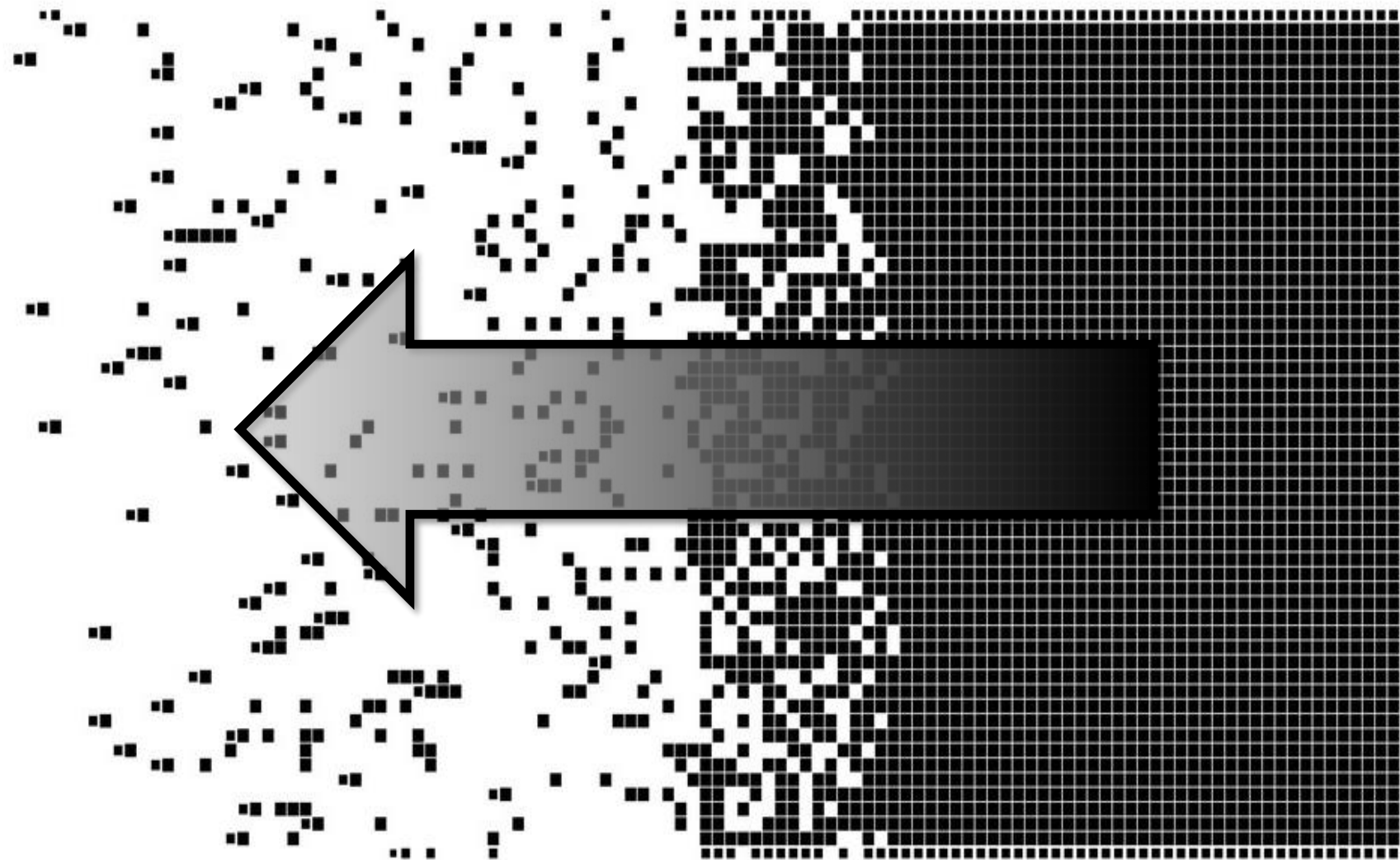
Source: Source information is 14 pt, italic



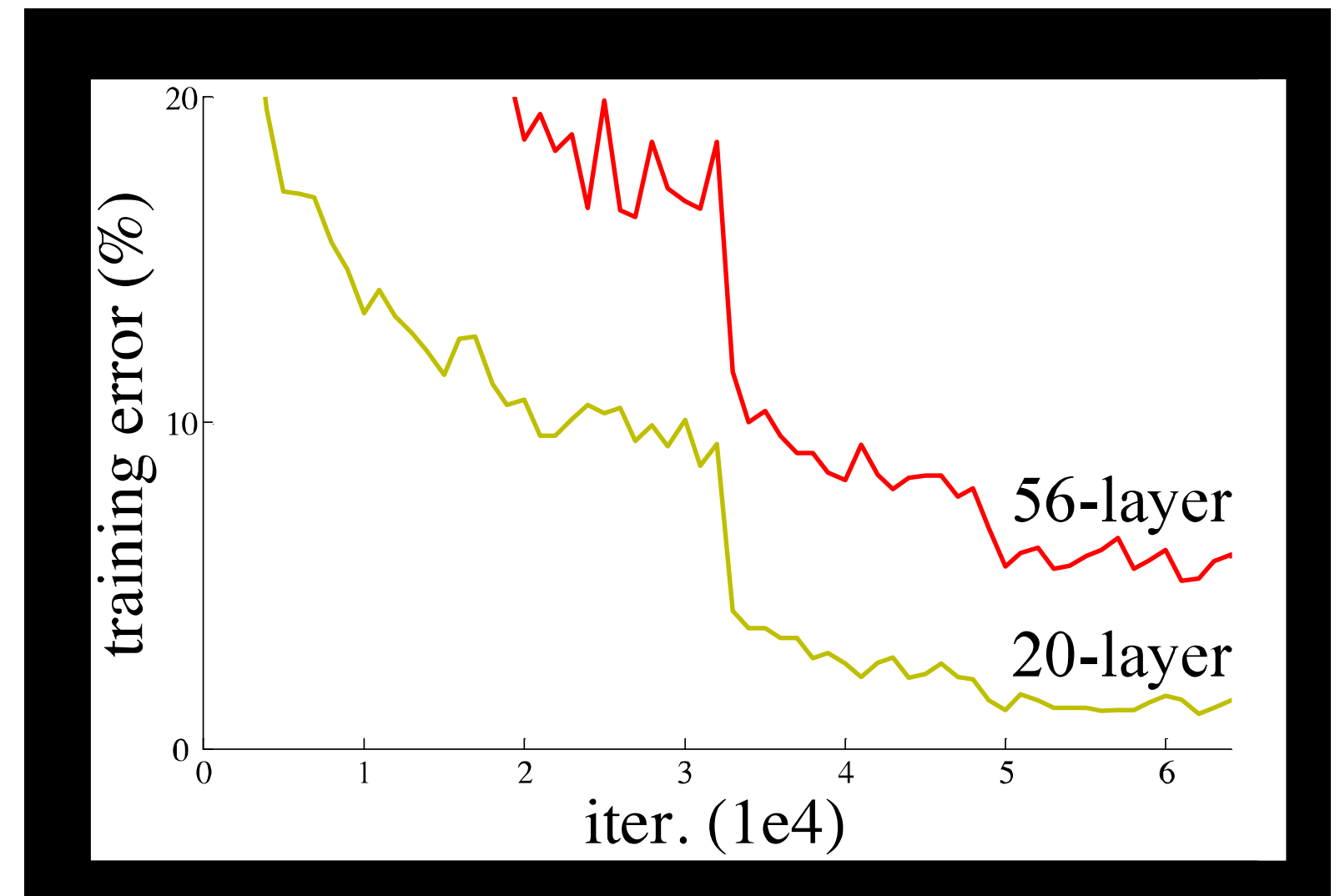
# PROBLEM: VANISHING GRADIENTS

Error signal decays exponentially as it propagates backward through the network

ERROR SIGNAL VANISHES DURING BACKPROP



DEEPER NETWORKS WERE HARDER TO TRAIN

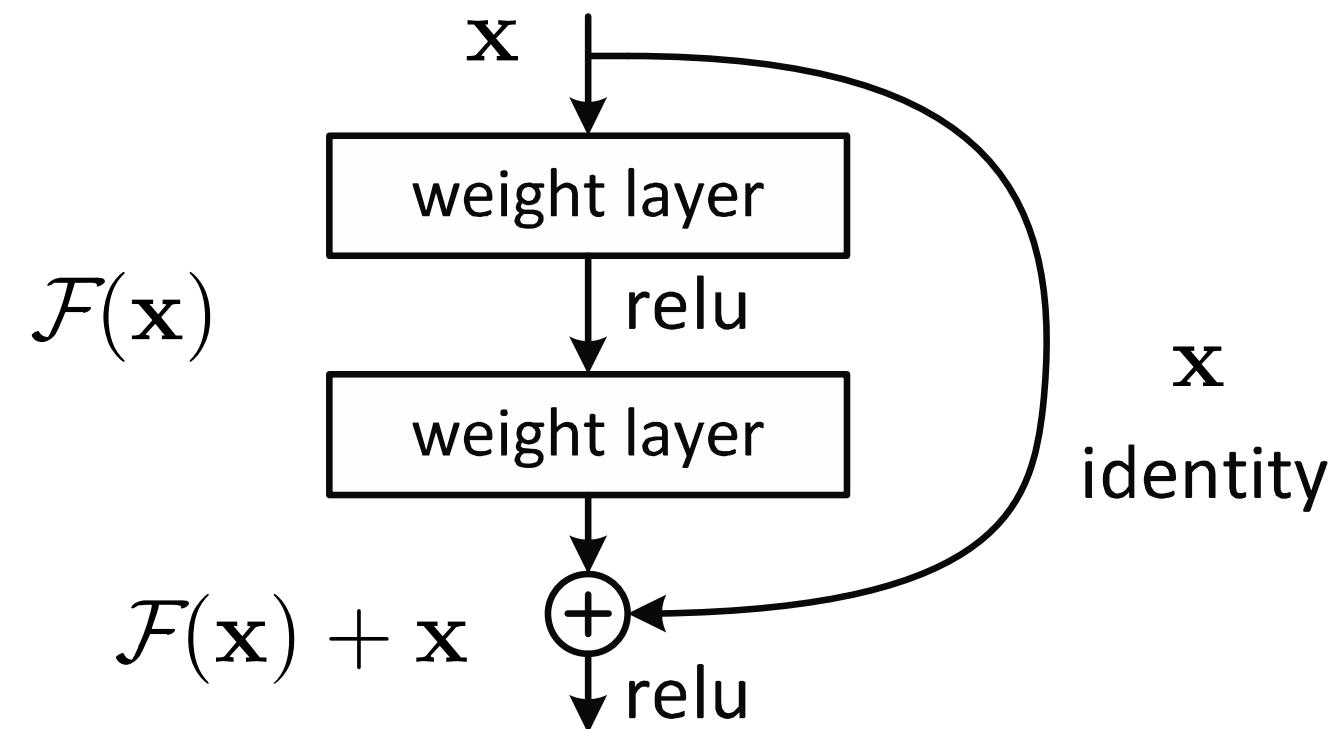


<https://www.arxiv-vanity.com/papers/1512.03385/>

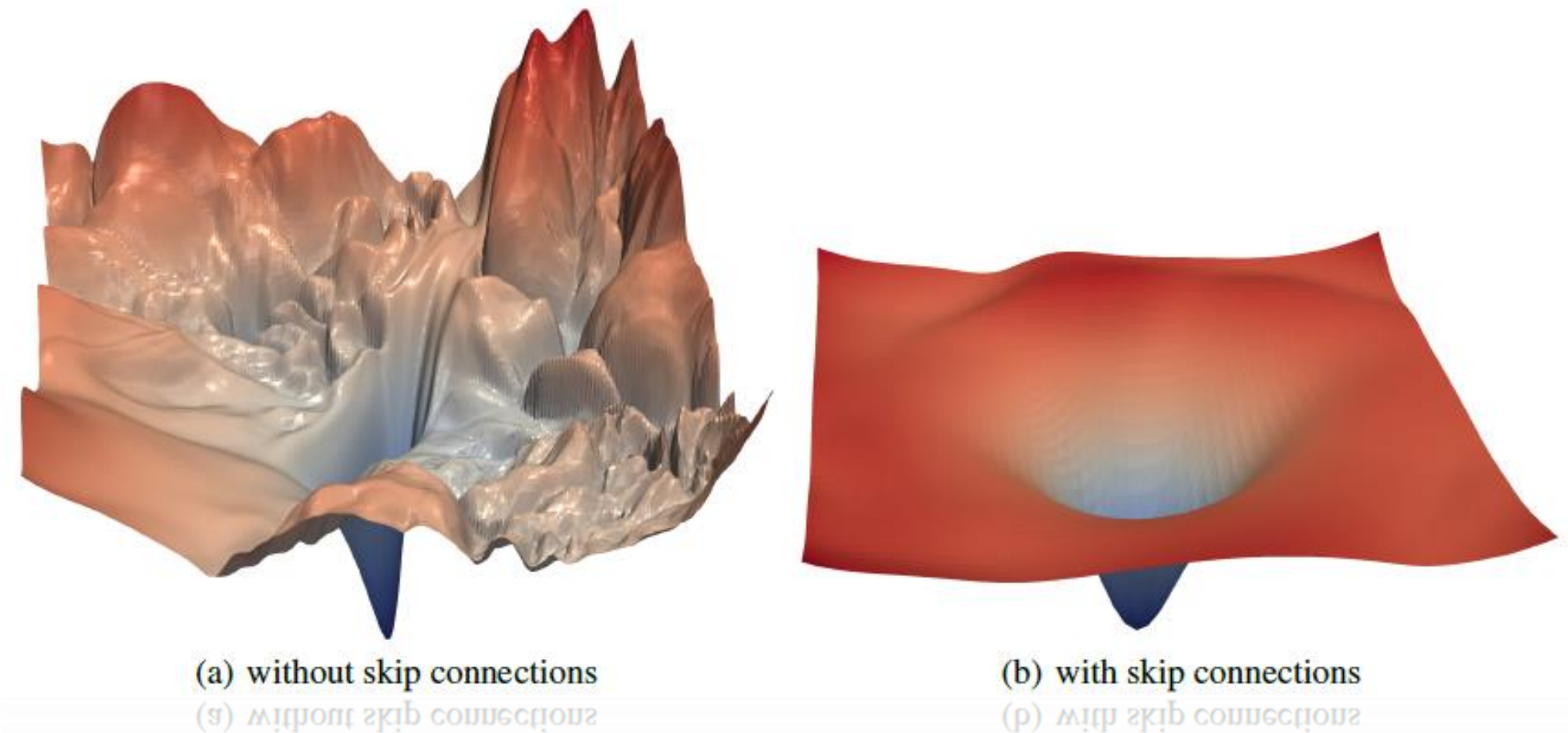
# RESNETS AND SKIP CONNECTIONS

(aka Highway Networks)

ADD THE INPUT TO OUTPUT



DRAMTICALLY SIMPLIFIES THE LOSS LANDSCAPE



<https://arxiv.org/pdf/1512.03385.pdf>

<https://arxiv.org/abs/1712.09913>  
[https://jithinjk.github.io/blog/nn\\_loss\\_visualized.md.html](https://jithinjk.github.io/blog/nn_loss_visualized.md.html)



# RESNET-50

2015 Microsoft Research. 50 Layers, 23M params.

## Deep Residual Learning for Image Recognition

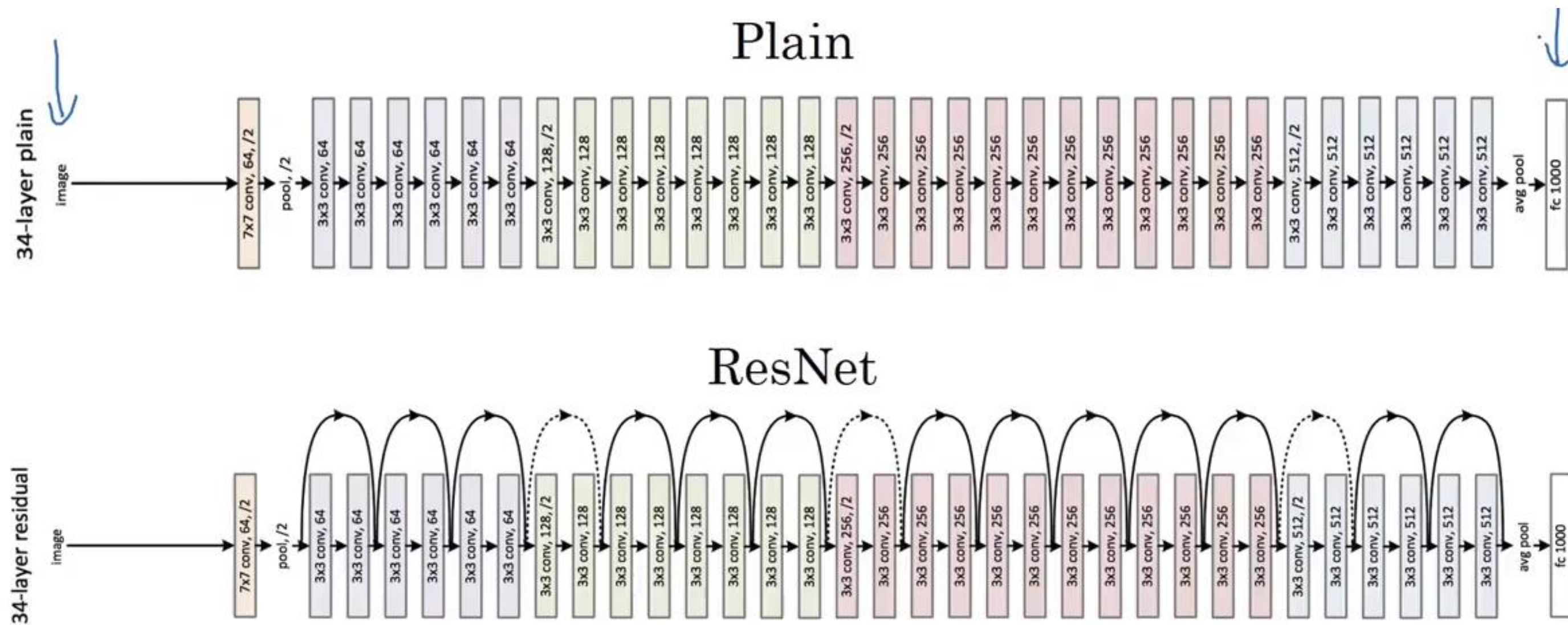
Kaiming He

Xiangyu Zhang

Shaoqing Ren

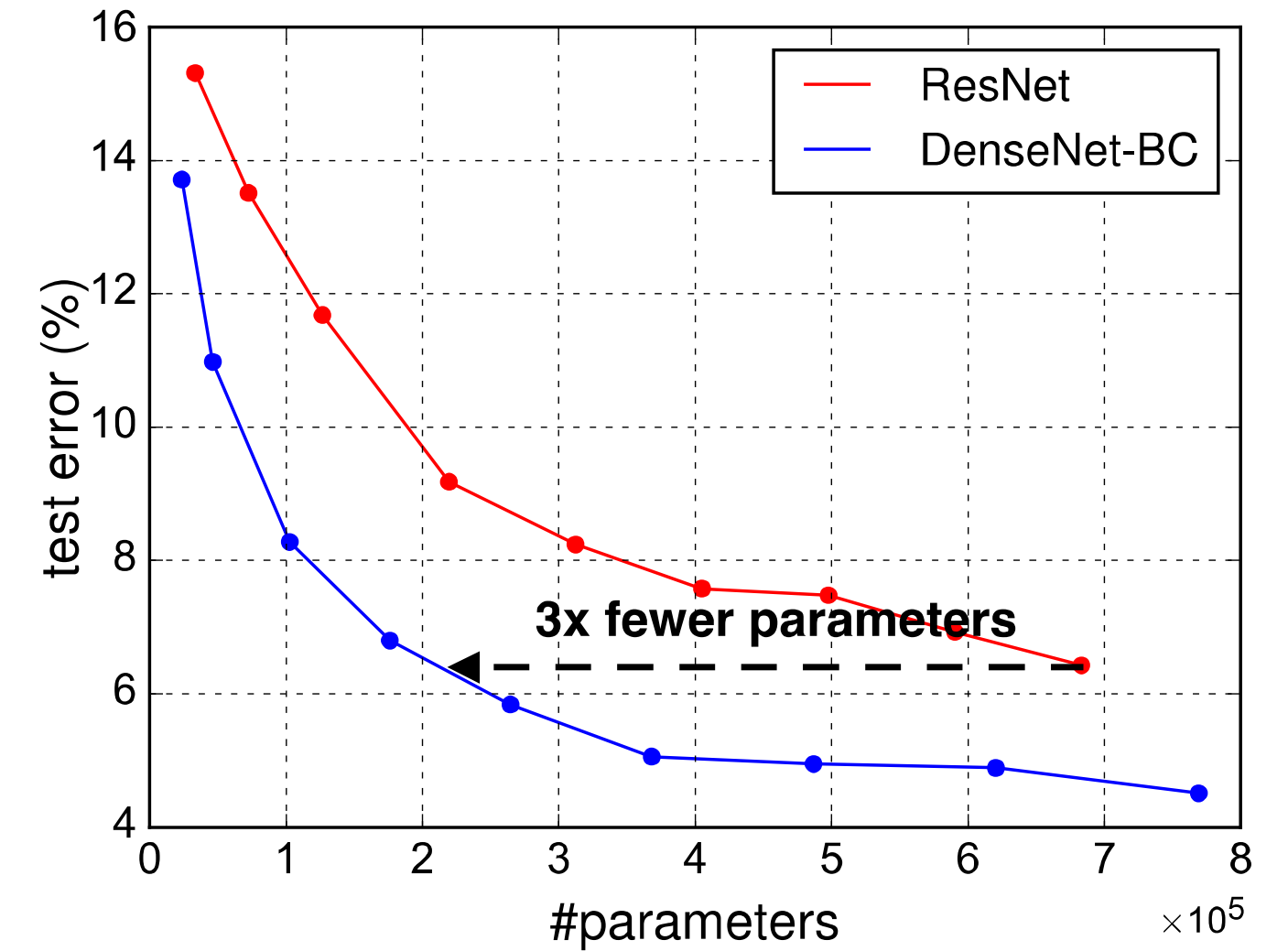
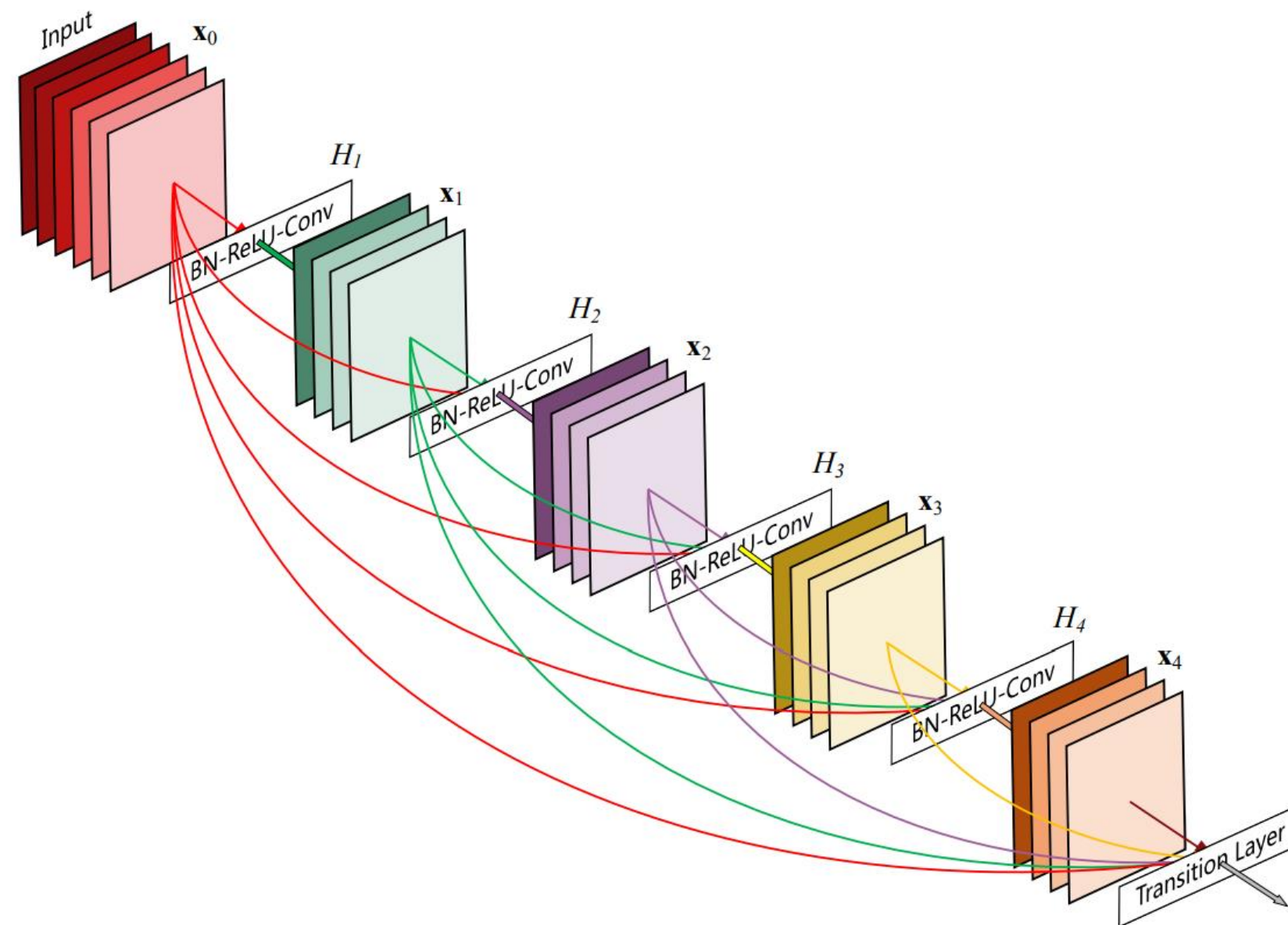
Jian Sun

Microsoft Research



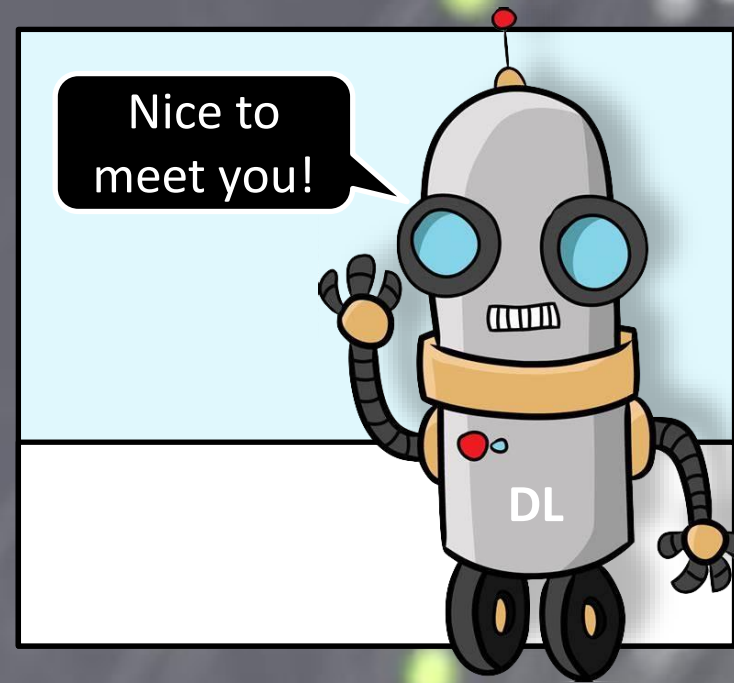
# DENSENET

2017

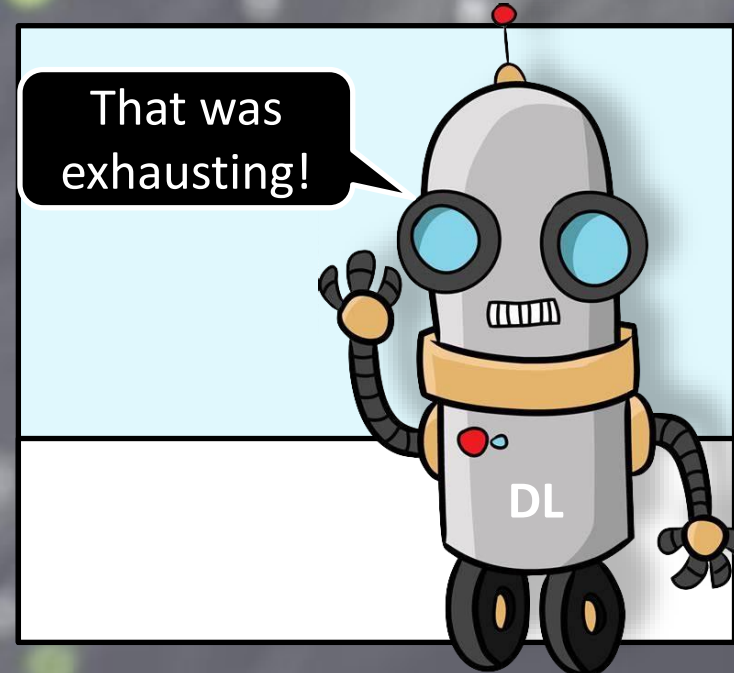




## INTRO TO DL, PART 1



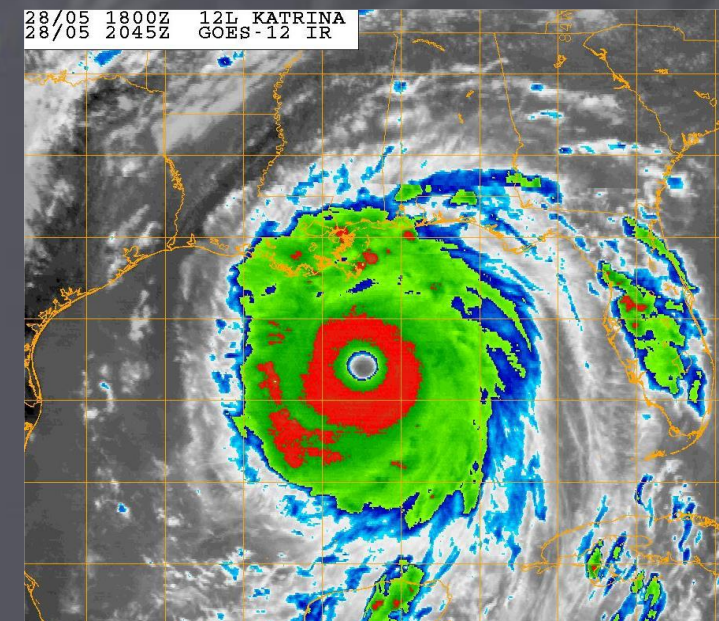
## INTRO TO DL, PART 2



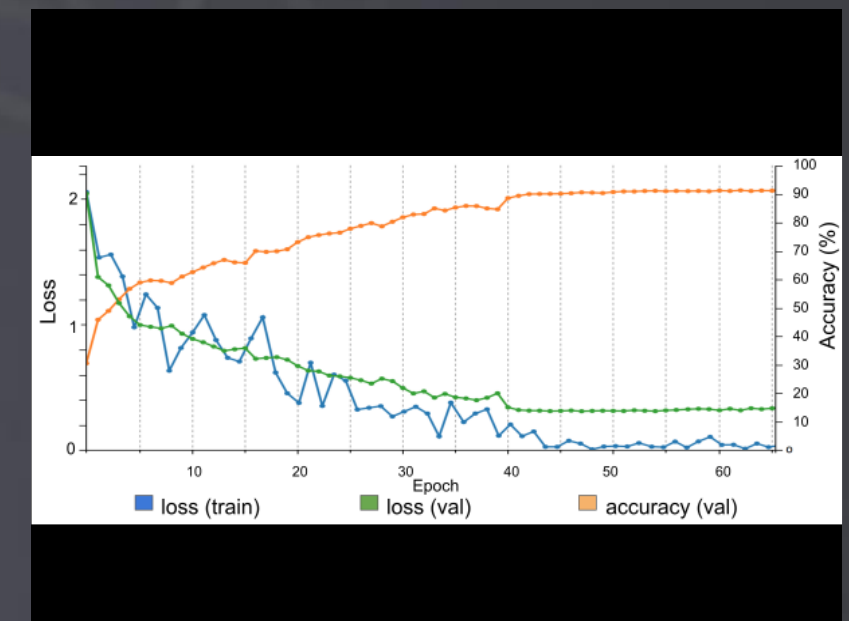
## LAB 1: CNNs AND KERAS



## LAB 2: TROPICAL CYCLONES



## LAB 3: CFD STEADY FLOW

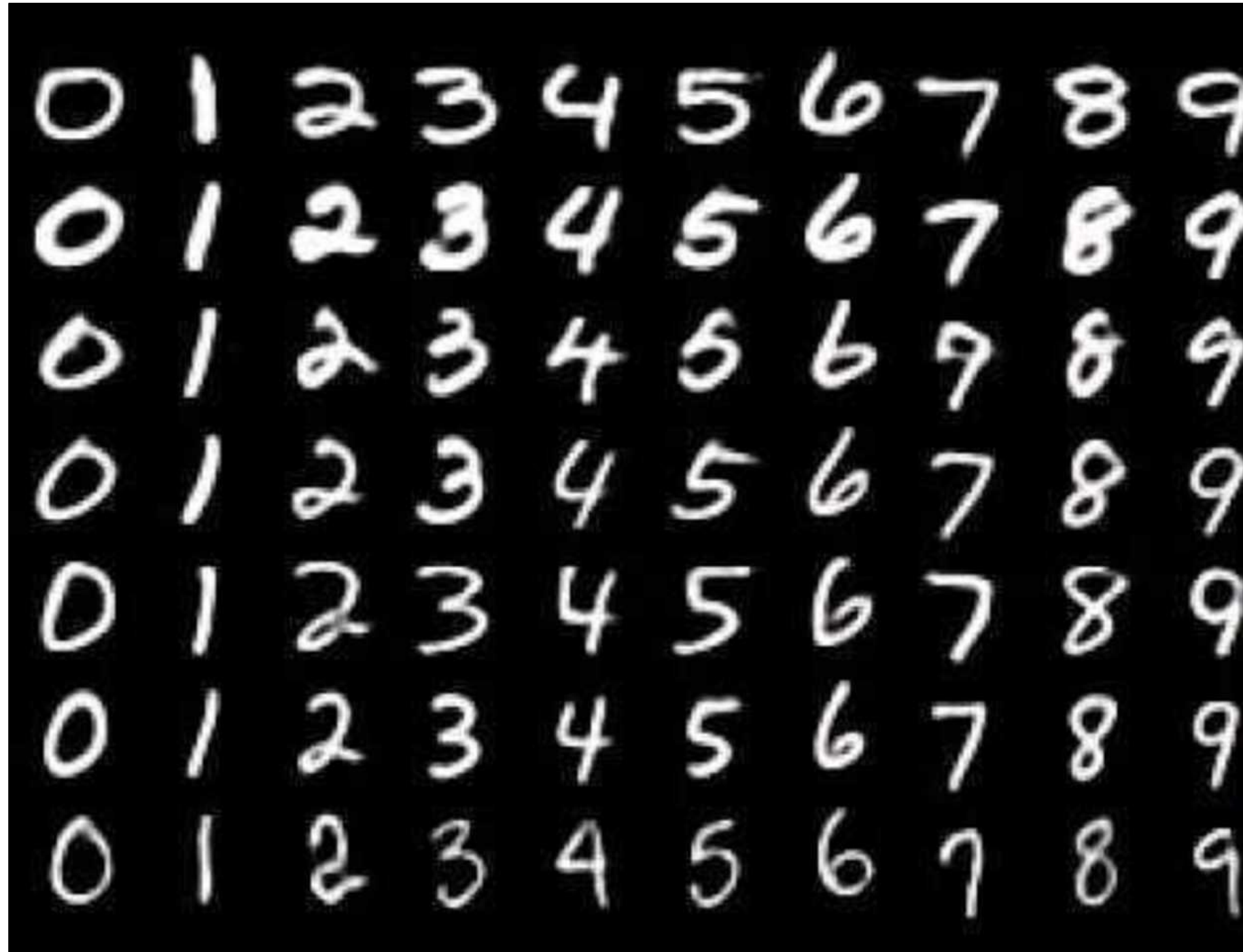


# LAB PART 1 CNN AND KERAS 101



# MNIST

The standard 'hello world' problem for deep learning



# MNIST

## Keras implementation


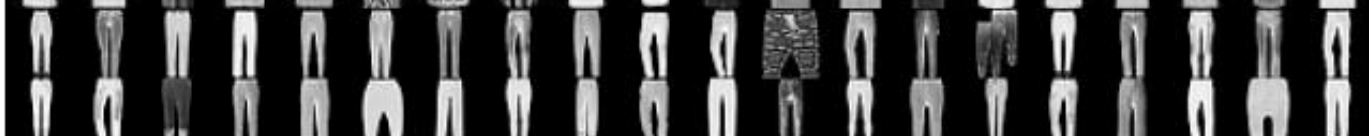

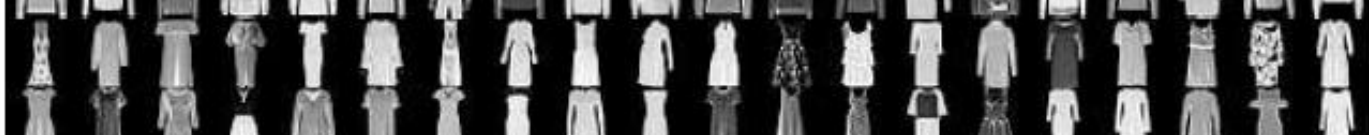








```
1 from tensorflow import keras
2 from tensorflow.keras.datasets import mnist
3 from tensorflow.keras.models import Sequential
4 from tensorflow.keras.layers import Dense,Dropout,Flatten,Conv2D,MaxPooling2D
5 from tensorflow.keras import backend as K
6
7 num_classes = 10
8 img_rows, img_cols = 28,28
9
10 # DATA
11 (x_train, y_train), (x_test, y_test) = mnist.load_data()
12
13 x_train = x_train.reshape(x_train.shape[0], img_rows, img_cols, 1)
14 x_test = x_test.reshape(x_test.shape[0], img_rows, img_cols, 1)
15 y_train = keras.utils.to_categorical(y_train, num_classes)
16 y_test = keras.utils.to_categorical(y_test, num_classes)
17
18 # MODEL
19 input_shape = (img_rows, img_cols, 1)
20 model = Sequential()
21 model.add(Conv2D(32, kernel_size=(3, 3), activation='relu', input_shape=input_shape))
22 model.add(Conv2D(64, (3, 3), activation='relu'))
23 model.add(MaxPooling2D(pool_size=(2, 2)))
24 model.add(Dropout(0.25))
25 model.add(Flatten())
26 model.add(Dense(128, activation='relu'))
27 model.add(Dropout(0.5))
28 model.add(Dense(num_classes, activation='softmax'))
29 model.compile(loss = keras.losses.categorical_crossentropy,
30               optimizer= keras.optimizers.Adadelta(),
31               metrics = ['accuracy'])
32 # TRAIN
33 model.fit(x_train, y_train,batch_size=128,epochs=12,
34         verbose=1, validation_data=(x_test, y_test))
35
36 # TEST
37 score = model.evaluate(x_test, y_test, verbose=0)
38 print('Test loss:', score[0])
39 print('Test accuracy:', score[1])
```



# FASHION MNIST

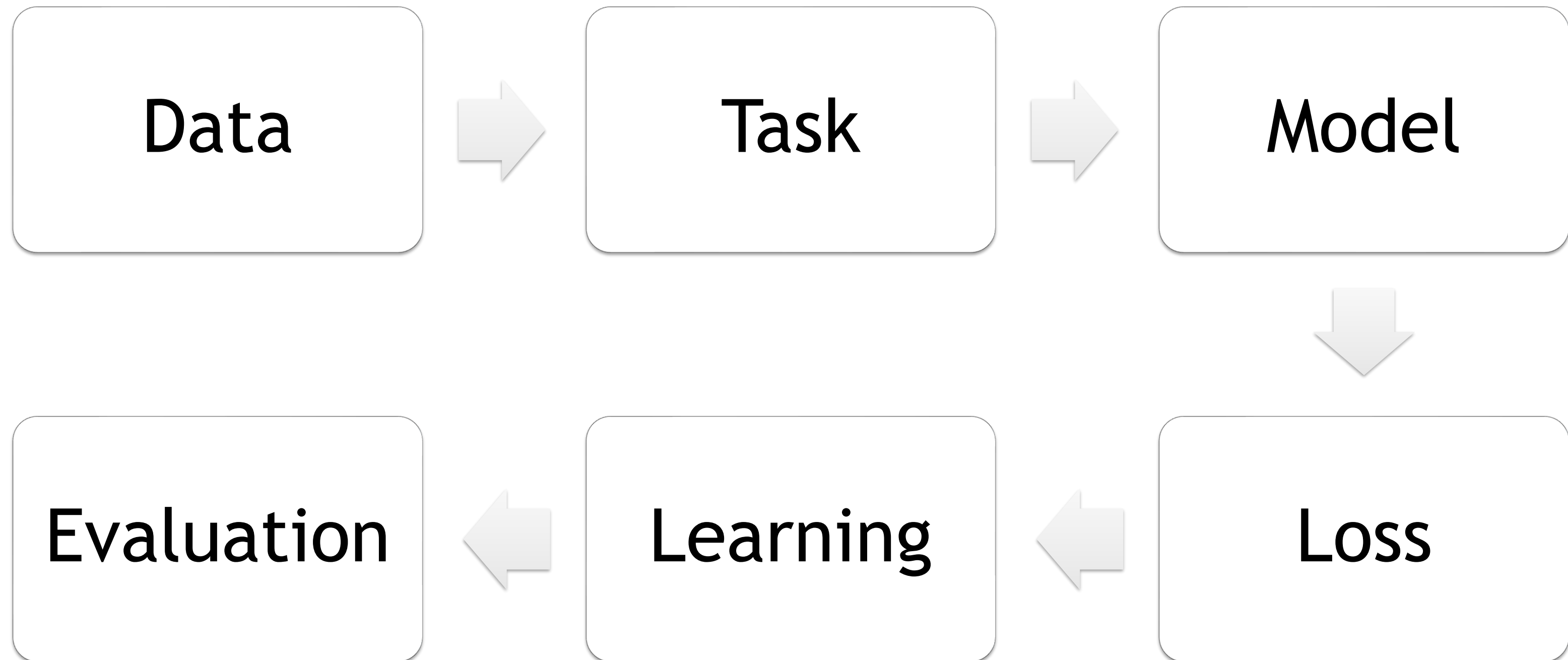
A slightly more interesting version of MNIST

Label	Description	Examples
0	T-Shirt/Top	
1	Trouser	
2	Pullover	
3	Dress	
4	Coat	
5	Sandals	
6	Shirt	
7	Sneaker	
8	Bag	
9	Ankle boots	





## 6 STEPS APPROACH



# LAUNCH CNN PRIMER AND KERAS 101

12:30-1:00 ET

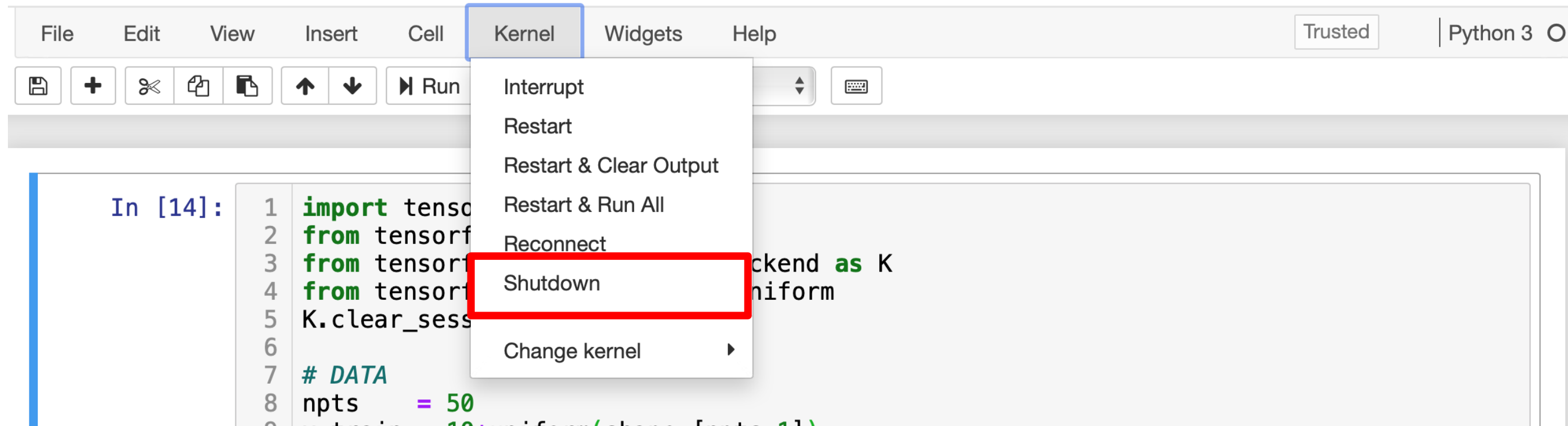
Step through the primer on your own (shift + enter on each cell)

The following contents will be covered during the Bootcamp :

- [CNN Primer and Keras 101 \(Intro to DL/Part 2.ipynb\)](#)
- [Tropical Cyclone Intensity Estimation using Deep Convolution Neural Networks.](#)

CLICK HERE

Shutdown the kernel before clicking on “Next Notebook” to free up the GPU memory

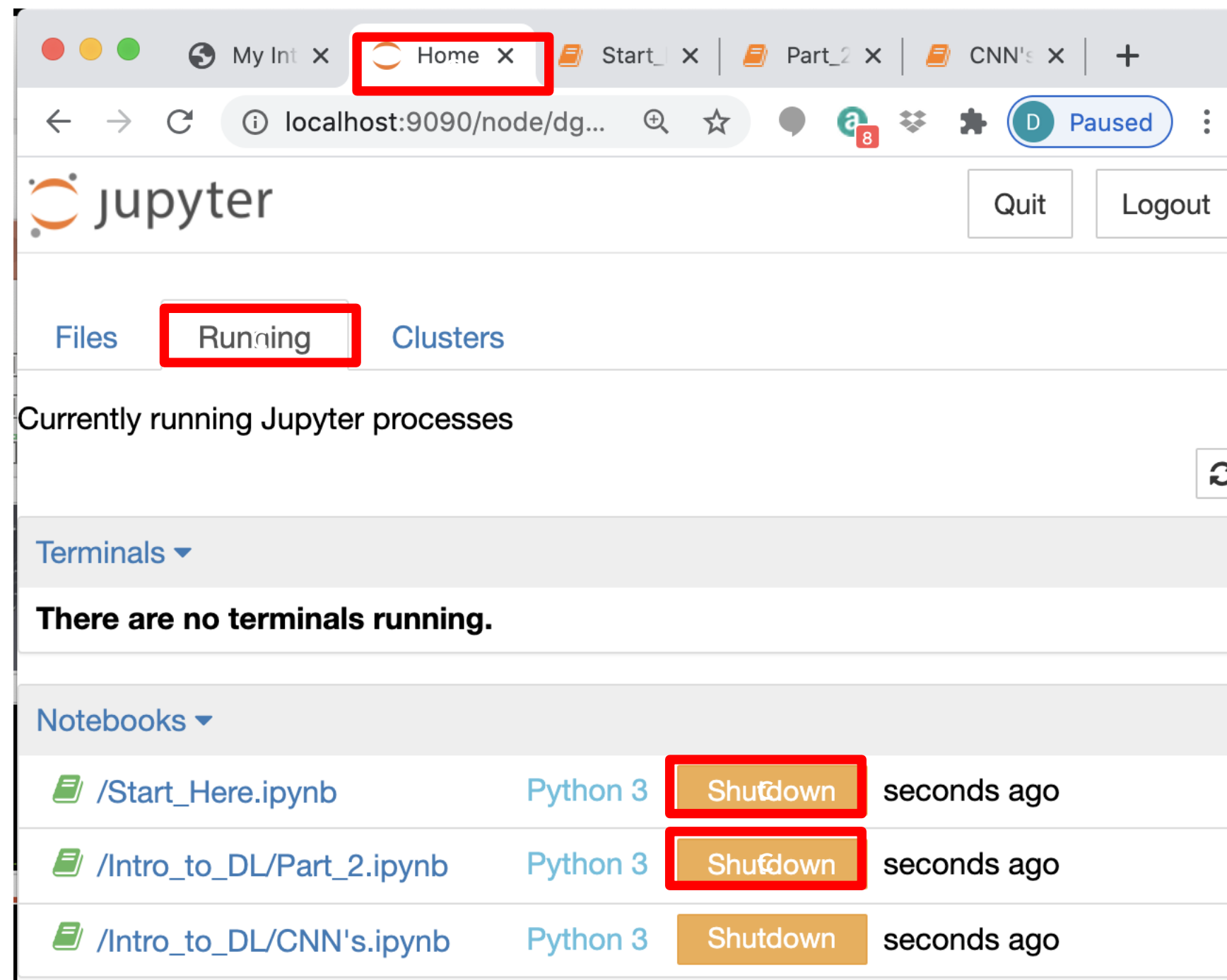


# FORGOT TO SHUTDOWN YOUR KERNELS?

Don't worry, you can fix it.

**UnknownError:** Failed to get convolution algorithm. This is probably because cuDNN failed to initialize, so try looking to see if a warning log message was printed above.

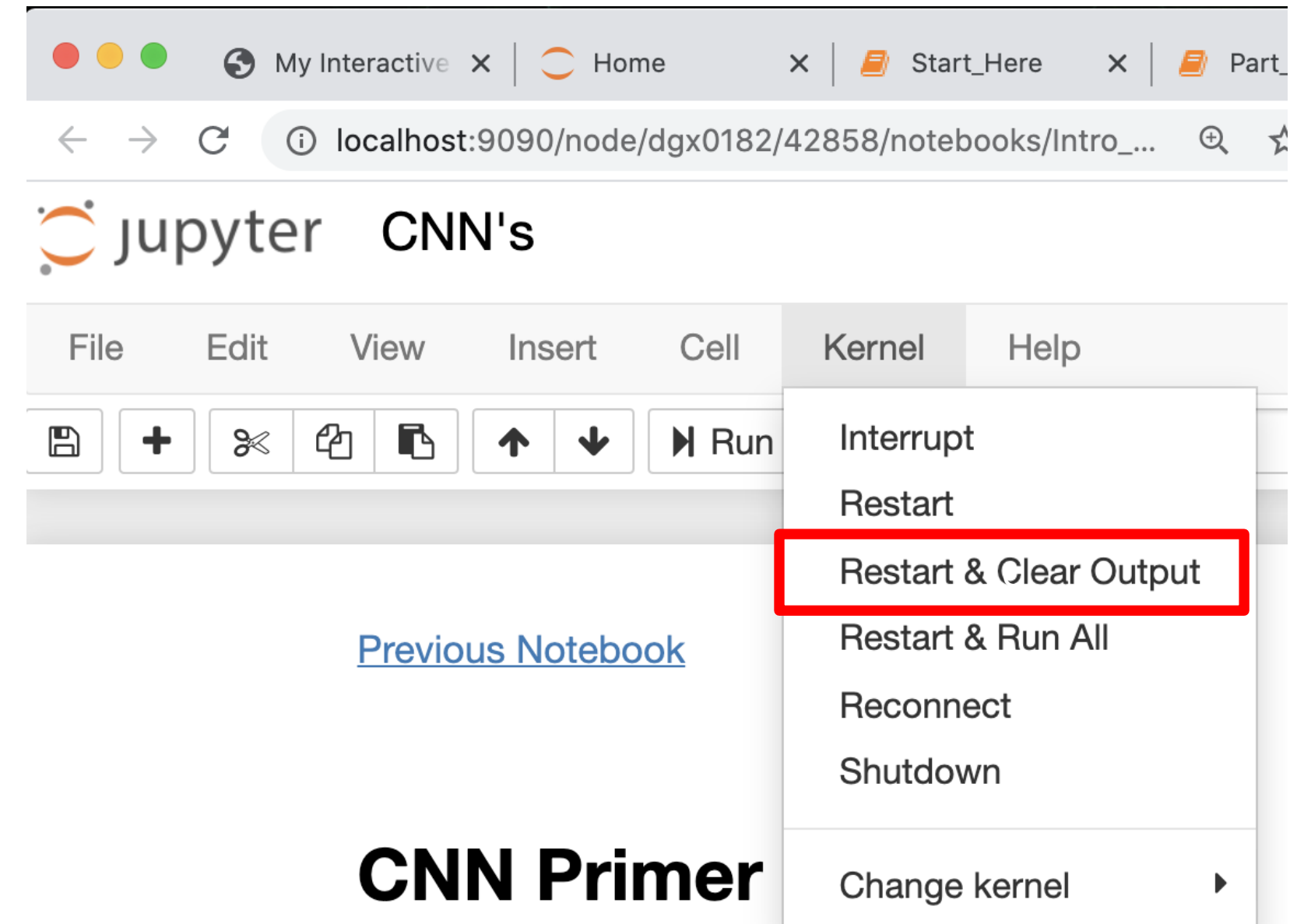
Go to Home Tab, Click Running Tab, Kill notebooks you aren't using



Currently running Jupyter processes

File	Kernel	Action	Time
/Start_Here.ipynb	Python 3	Shutdown	seconds ago
/Intro_to_DL/Part_2.ipynb	Python 3	Shutdown	seconds ago
/Intro_to_DL/CNN's.ipynb	Python 3	Shutdown	seconds ago

Restart & Clear Output on the Kernel you are using



Kernel menu options:

- Interrupt
- Restart
- Restart & Clear Output
- Restart & Run All
- Reconnect
- Shutdown
- Change kernel

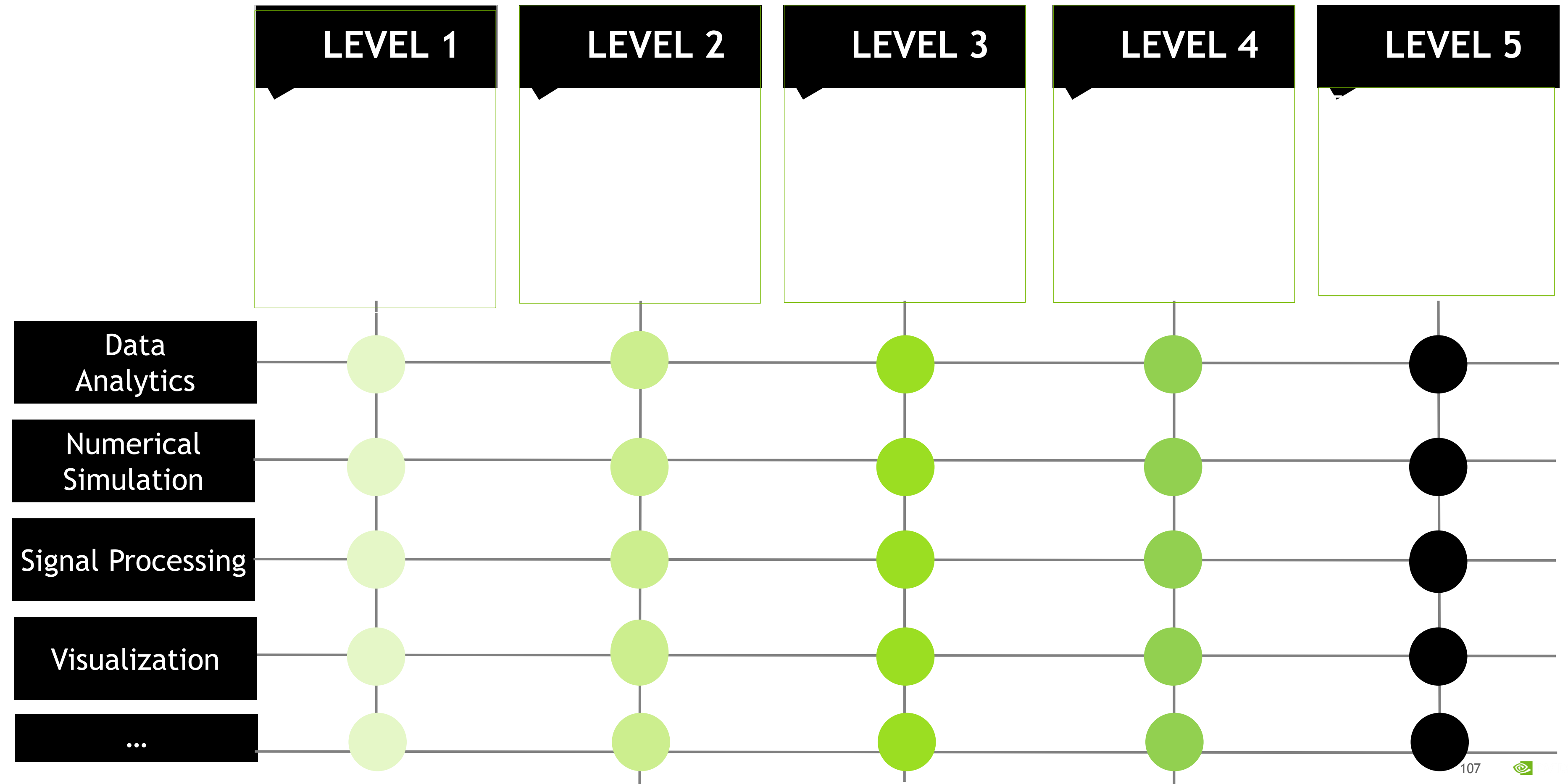
## CNN Primer

This notebook covers introduction to Convolutional Ne terminologies.

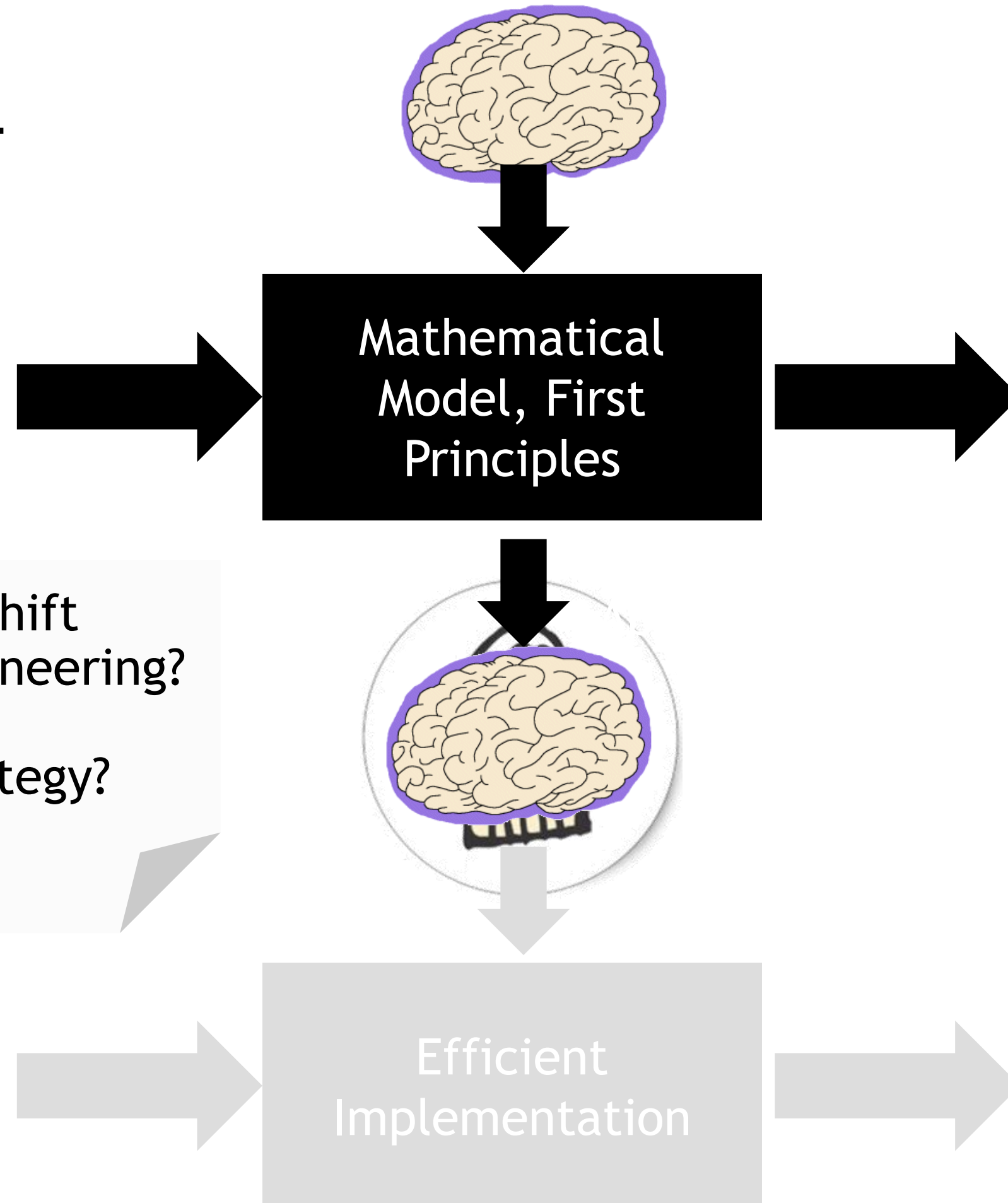




# LEVELS OF AI ENGAGEMENT



# COMPUTATIONAL SCIENCES

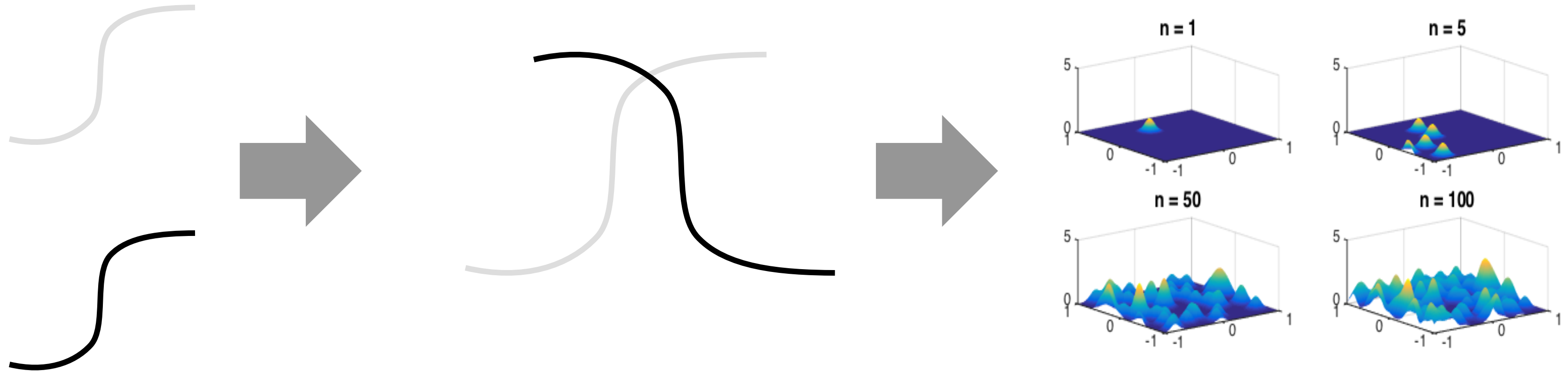


Similarities to the shift  
Feature → Network Engineering?

NNs as a Porting Strategy?

CAN THIS WORK  $\forall$ ? ABOLUTELY, YES!

Proof: Universal Approximation Theorem



Problem: this is an essentially useless theorem for practical purposes



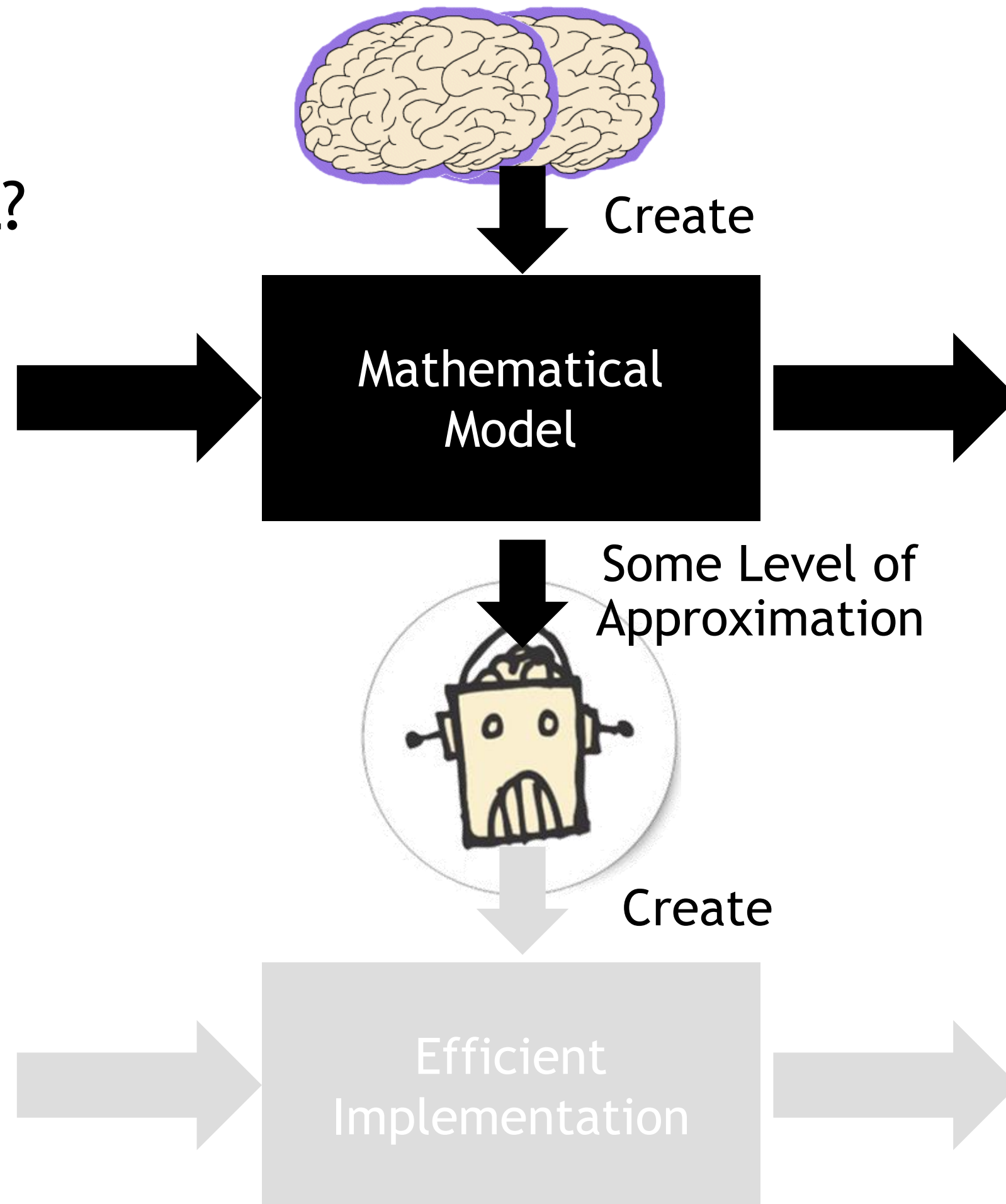
# WILL THIS WORK $\forall$ ?

Considering pesky practical constraints, like memory and performance

- Anecdotal Evidence:  $\exists$  scientific cases where NNs seem to do work extremely well
- Safe bet: it will not work for  $\forall$
- Therefore, by induction (sort of):
  - There exists  $\exists$  a subspace in  $\forall$  HPC applications, for which AI works well
  - Need to explore the **size** and **shape** of this subspace
  - Currently I think it is fair to say we don't understand this domain very well
  - **But:** Each individual case promising 10x, 100x, 1000x performance improvement is probably worth exploring; those can be groundbreaking!

*But Intuition is Misleading*

# WHAT MAKES AI \* HPC SPECIAL?



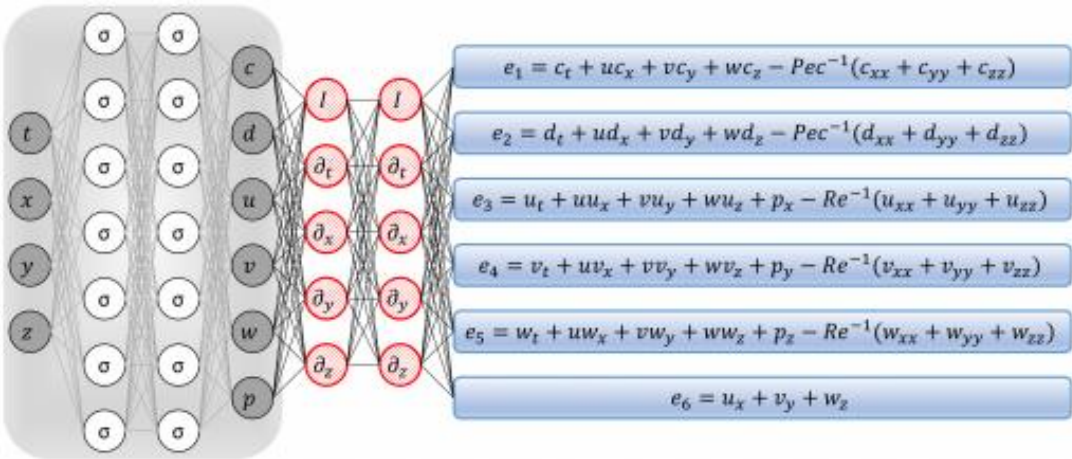
# HOW TO FILL IN THE



## Guided Design



## New Approaches





# SCIENTIFIC CHALLENGES

## Barriers to acceptance of deep learning as a tool for science

- **Interpretability:** Can I understand what the neural-net is doing?
- **Robustness:** Will it always give me the right answer?
- **Coverage:** How much training data do I need?
- **Convergence:** How can I ensure that training will converge?
- **Uncertainty:** How certain can I be of the answers?



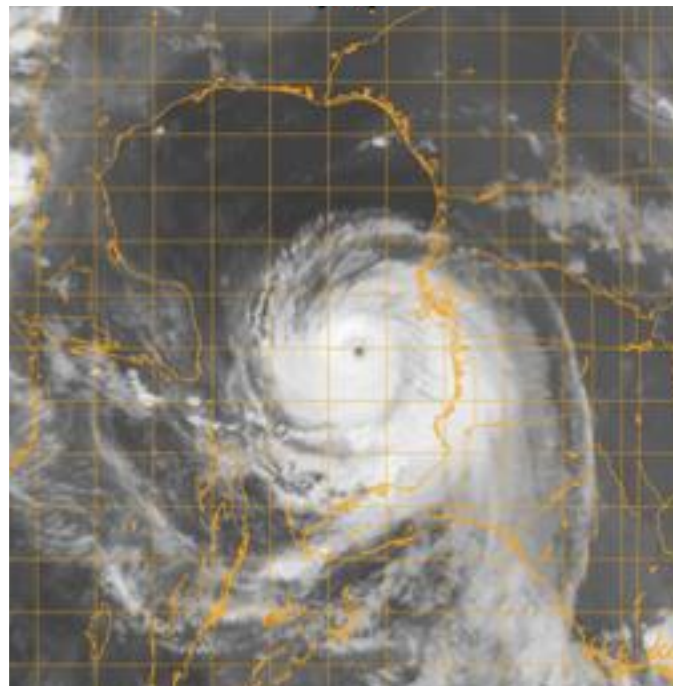
# ESTIMATING TROPICAL CYCLONE INTENSITY

## Paper Overview

### Tropical Cyclone Intensity Estimation Using a Deep Convolutional Neural Network

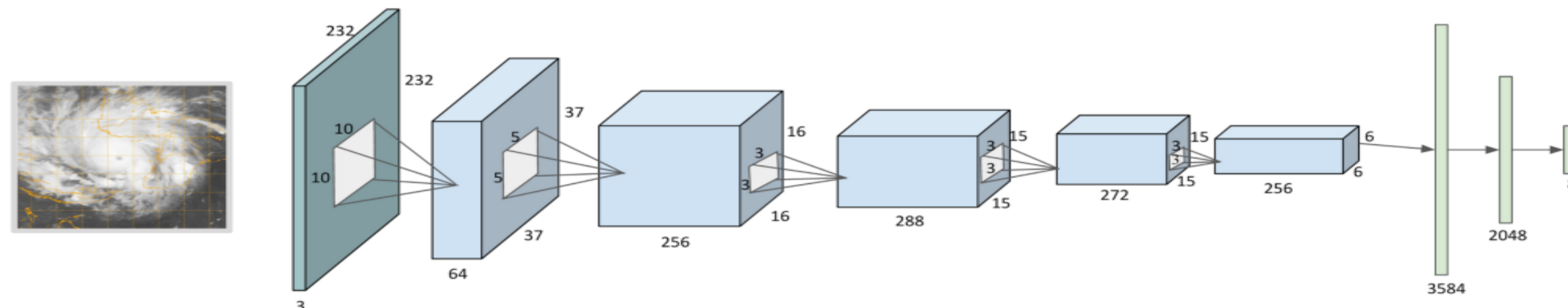
Ritesh Pradhan, Ramazan Aygun, *Senior Member, IEEE*, Manil Maskey, *Member, IEEE*, Rahul Ramachandran, *Senior Member, IEEE*, and Daniel Cecil

INPUT: 232 x 232 pixels



OUTPUT: 8 CLASSES

Category	Symbol	Wind speeds	Damage
Five	H5	$\geq 137$ knots	Catastrophic
Four	H4	113- 136 knots	Catastrophic
Three	H3	96- 112 knots	Devastating
Two	H2	83- 95 knots	Extensive
One	H1	64- 82 knots	Significant
Tropical storm	TS	34- 63 knots	Significant
Tropical depression	TD	20- 33 knots	Small
No Category	NC	$\leq 20$ knots	–

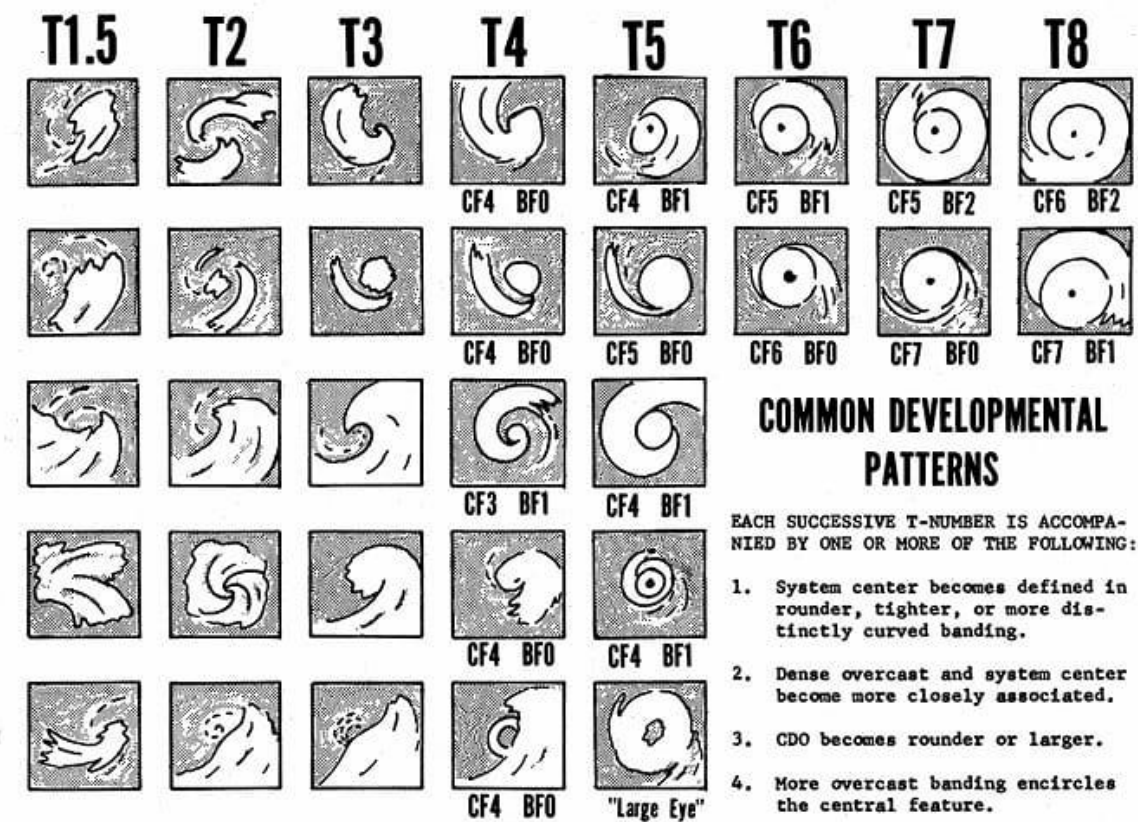




# ESTIMATING TROPICAL CYCLONE INTENSITY

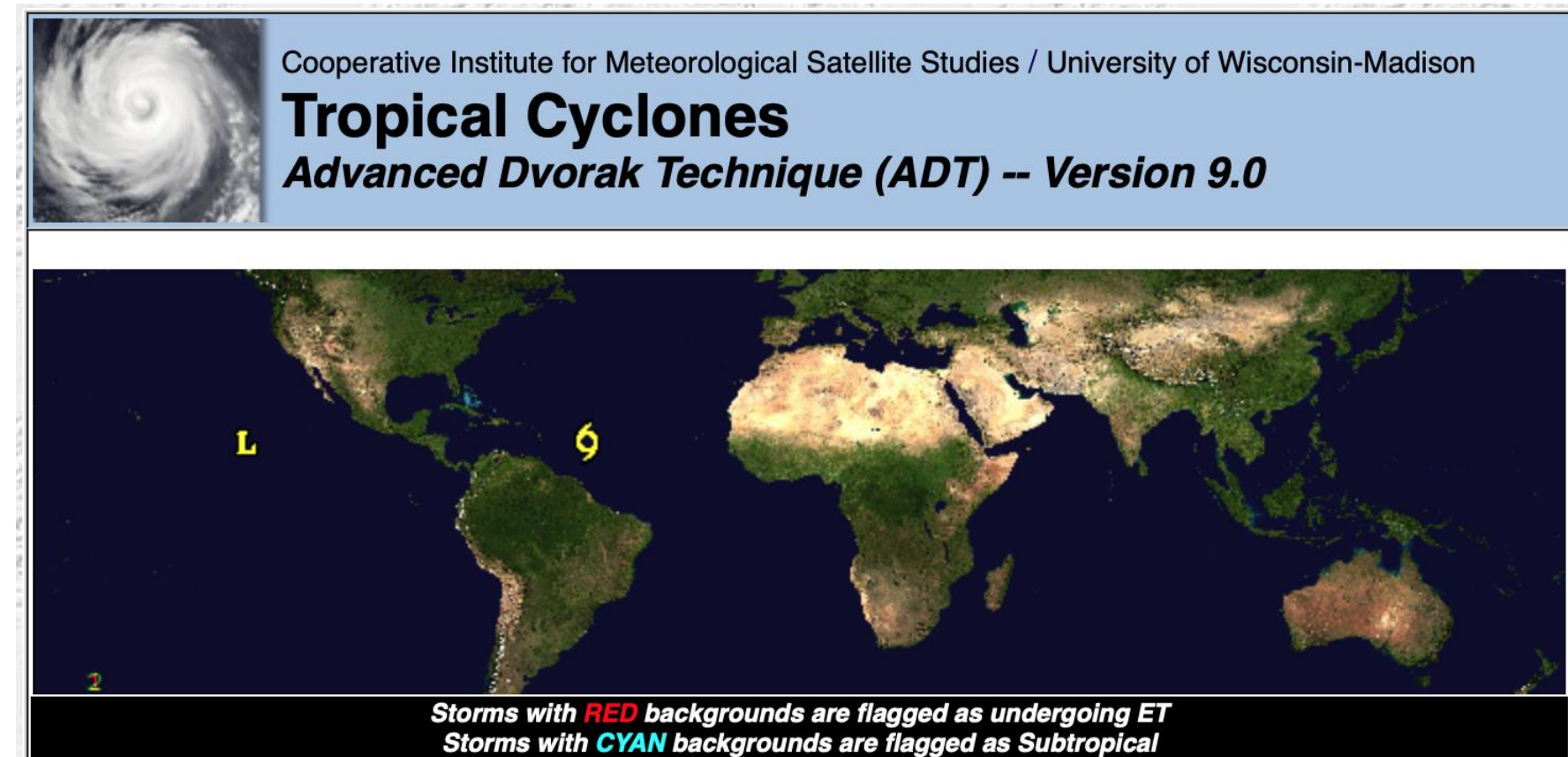
Background: Dvorak technique

Dvorak Technique (1974)



[https://doi.org/10.1175/1520-0493\(1975\)103%3C0420:TCIAAF%3E2.0.CO;2](https://doi.org/10.1175/1520-0493(1975)103%3C0420:TCIAAF%3E2.0.CO;2)

Advanced Dvorak Technique- version 9 (2019)

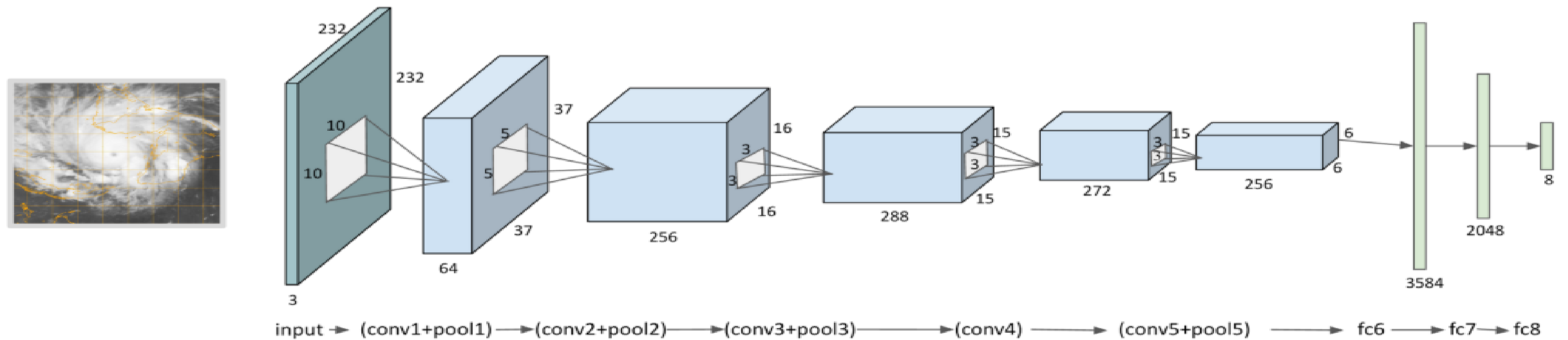


<https://doi.org/10.1175/WAF-D-19-0007.1>



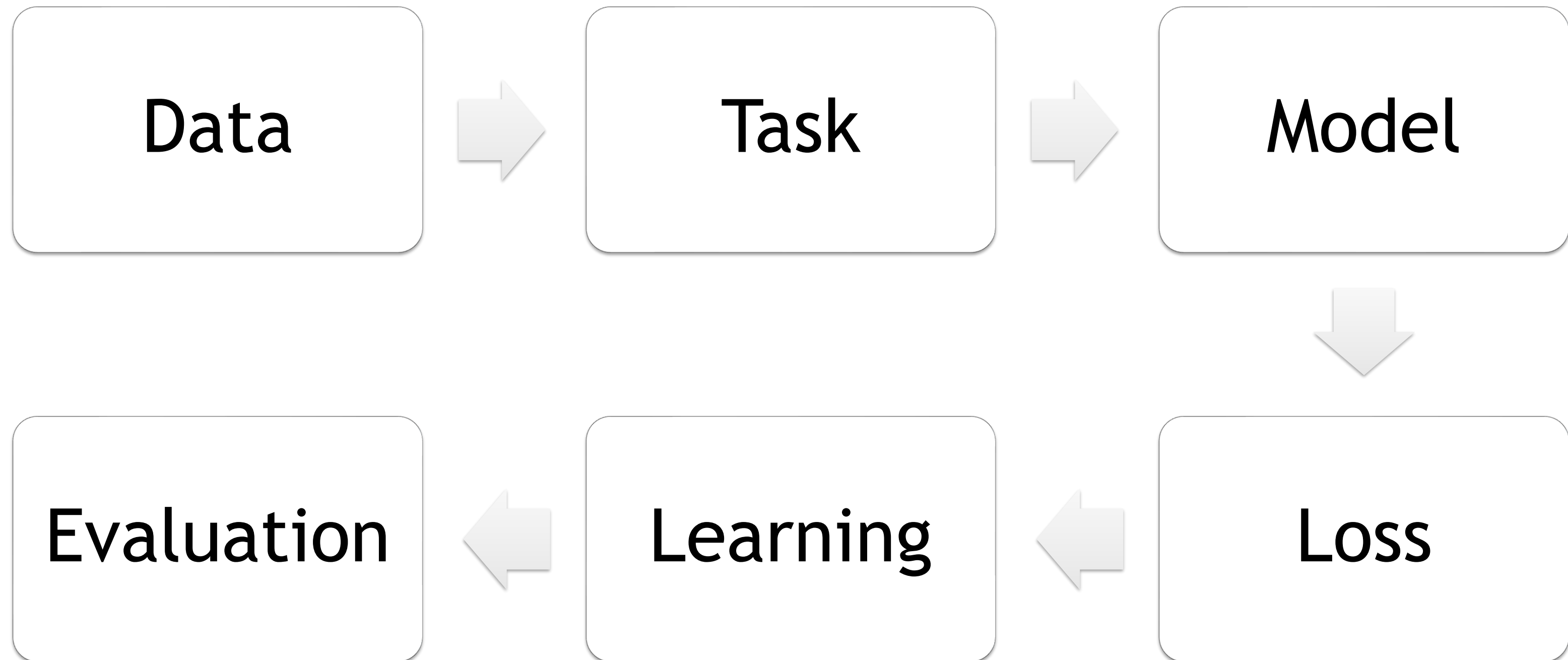
# ESTIMATING TROPICAL CYCLONE INTENSITY

## CNN Model

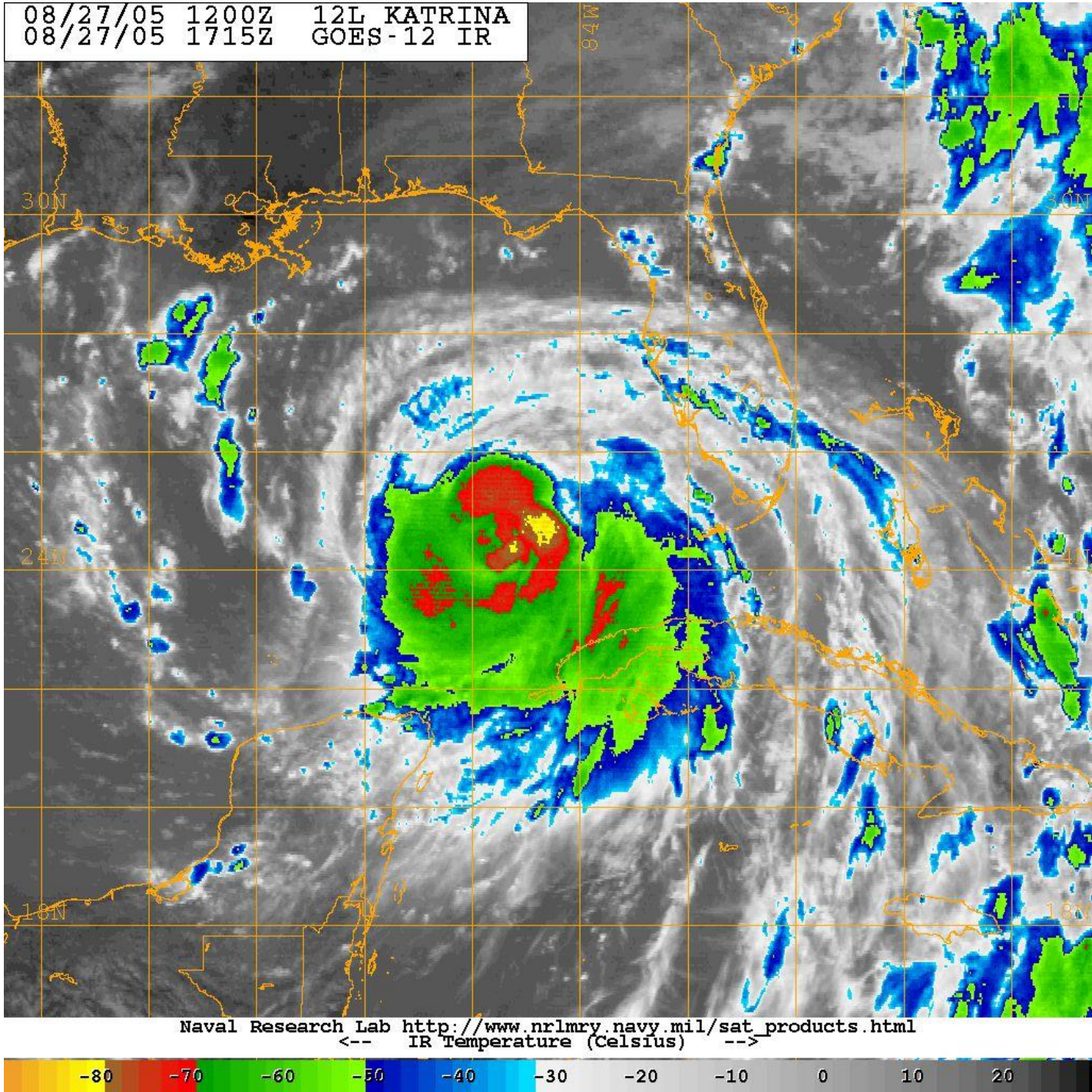


# 6 STEPS APPROACH

Steps to follow while solving a Machine Learning problem



# DATA



SAFFIR-SIMPSON HURRICANE WIND SCALE  
AND RELATED CLASSIFICATIONS

Category	Symbol	Wind speeds	Damage
Five	H5	$\geq 137$ knots	Catastrophic
Four	H4	113–136 knots	Catastrophic
Three	H3	96–112 knots	Devastating
Two	H2	83–95 knots	Extensive
One	H1	64–82 knots	Significant
Tropical storm	TS	34–63 knots	Significant
Tropical depression	TD	20–33 knots	Small
No Category	NC	$\leq 20$ knots	-

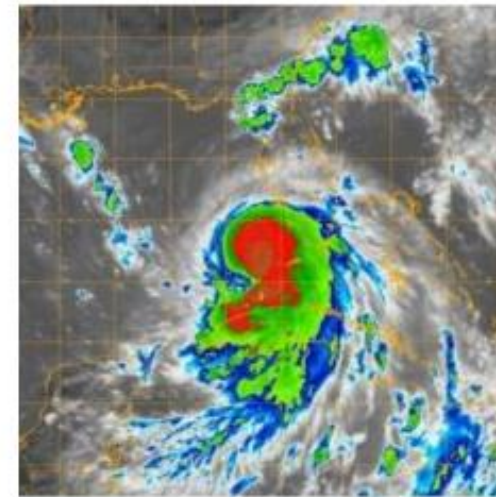




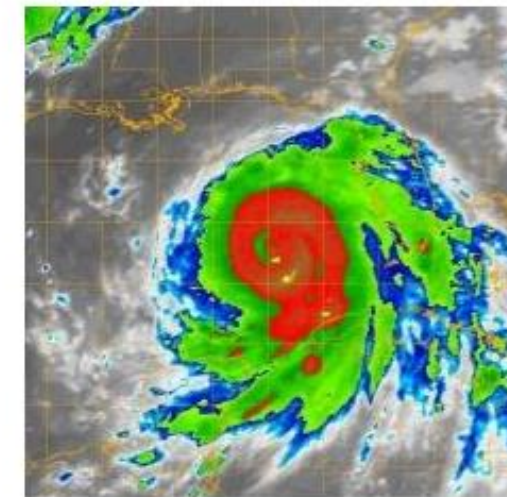
# TASK

## Multi-class Classification.

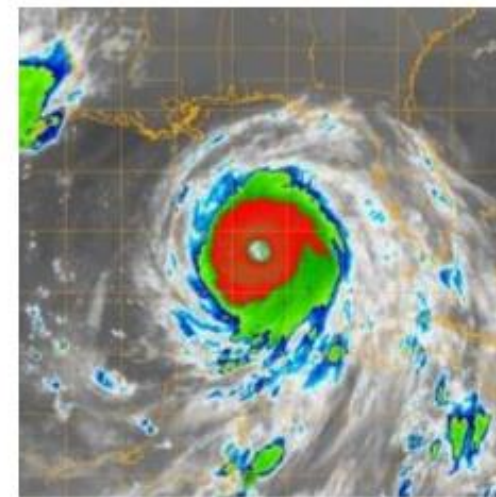
- NC ( No Category ,  $\leq 20$  knots)
- TD ( Tropical Depression , 20-33 knots)
- TS ( Topical Storm , 34-63 knots)
- H1 ( Category One , 64-82 knots)
- H2 ( Category Two , 83-95 knots)
- H3 ( Category Three , 96-112 knots)
- H4 ( Category Four , 113-136 knots)
- H5 ( Category Five ,  $\geq 137$  knots)



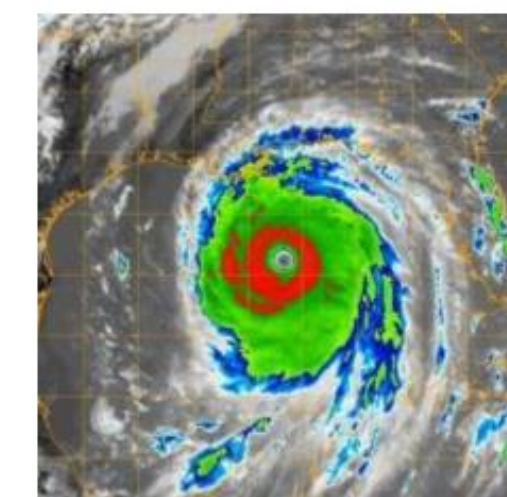
→ H2



→ H3



→ H4



→ H5

# MODEL 1

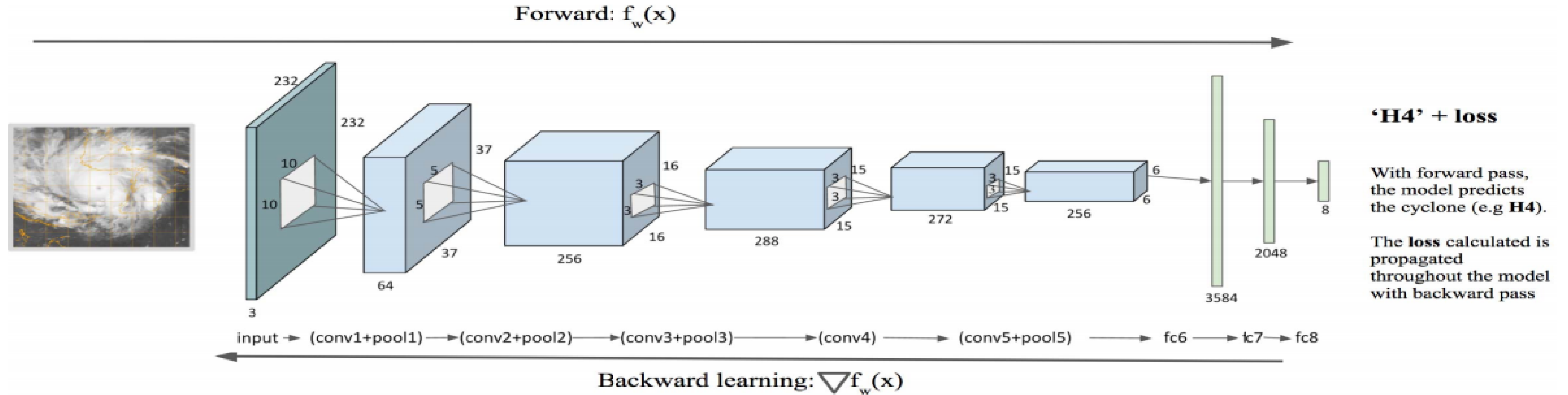


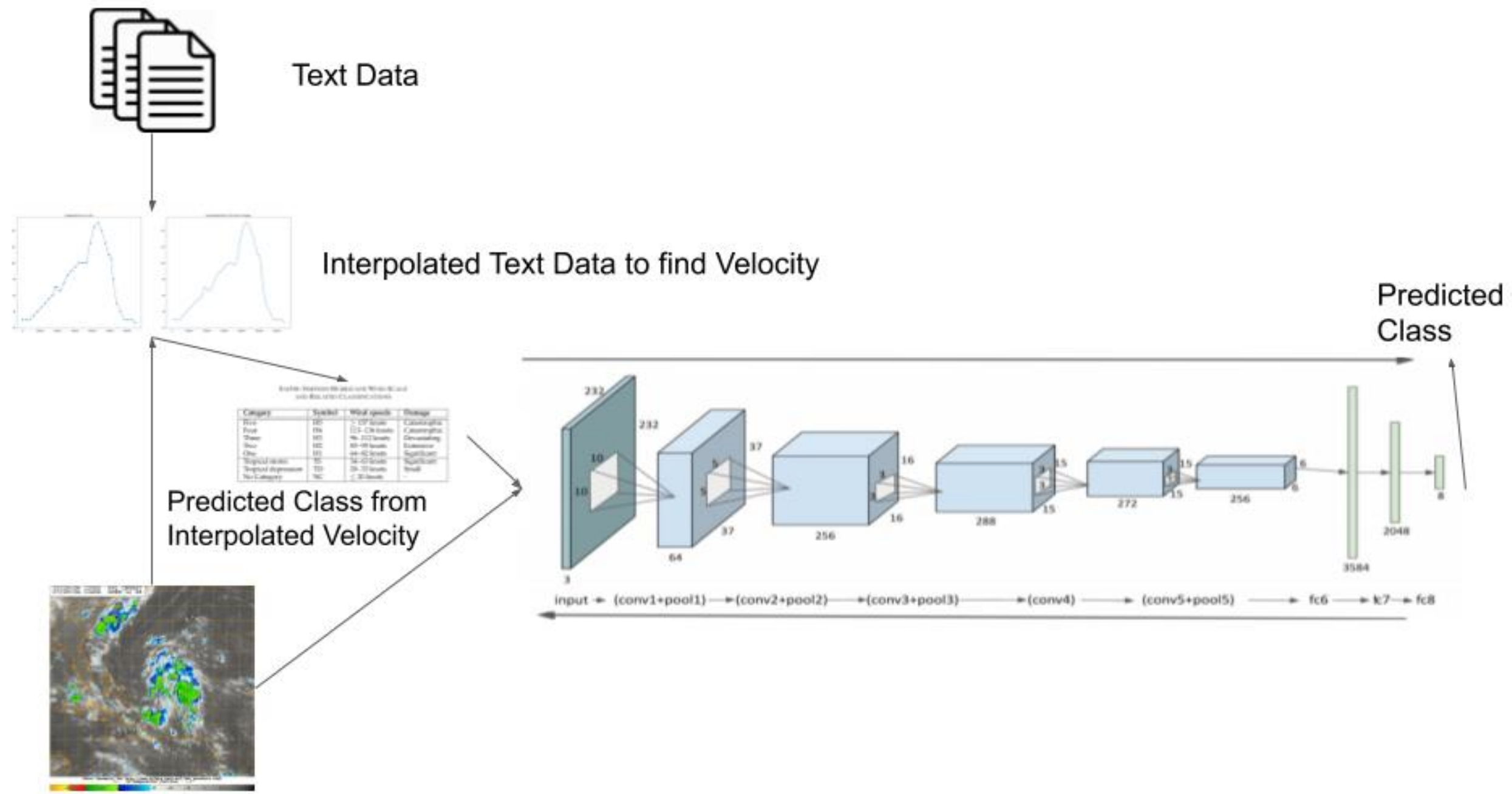
Fig. 2. Network architecture for hurricane intensity estimation showing different steps of convolution and pooling.

**Loss Function:** Multi-class Cross-Entropy loss functions

**Optimizer** SGD ( Stochastic Gradient Descent )

**Training and Evaluation:** Training Set 72 % , Test Set, 8 % , Validation Set 10%

# SUMMARY OF APPROACH





# PREPROCESSING DATA

## Pre-Processing Data:

Step 1 : Resize Image from ( 1024, 1024 ,3) to ( 256 , 256 ,3 )

Step 2 : Choose a random ( 232 , 232 , 3 ) patch from the ( 256 , 256 , 3 ) and feed into our model.

There are different types of Resizing:

- `cv2.INTER_AREA` ( Preferable for Shrinking )
- `cv2.INTER_CUBIC` ( Preferable for Zooming but slow )
- `cv2.INTER_LINEAR` ( Preferable for Zooming and the default option )

# LAUNCH TROPICAL CYCLONE NOTEBOOK

1:00-2:00 ET

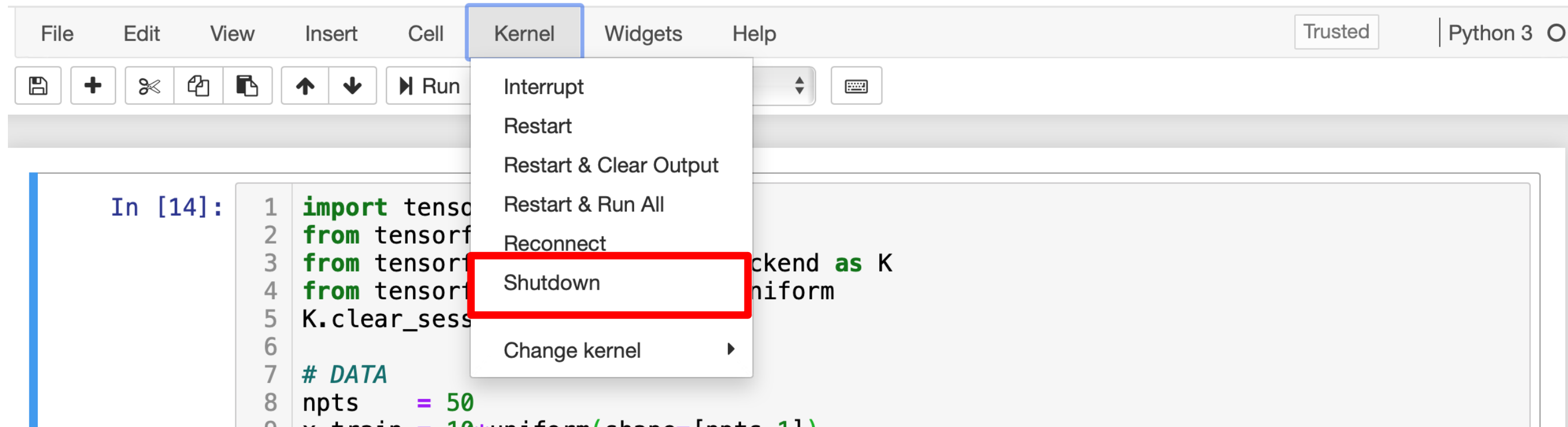
Step through the notebook on your own (shift + enter on each cell)

The following contents will be covered during the Bootcamp :

- CNN Primer and Keras 101 (Intro to DL/Part 2.ipynb)
- Tropical Cyclone Intensity Estimation using Deep Convolution Neural Networks.

CLICK HERE

Shutdown the kernel before clicking on “Next Notebook” to free up the GPU memory



# TROPICAL CYCLONE COMPETITION

Can you make a better prediction?

Go to last notebook in the TC section

The following contents will be covered during the Bootcamp :

- CNN Primer and Keras 101 (Intro to DL/Part 2.ipynb)
- Tropical Cyclone Intensity Estimation using Deep Convolution Neural Networks.

See if you can improve the accuracy.

Suggestions:

- Improve the data balance
- Tweak the model hyperparameters
- Try different optimizers

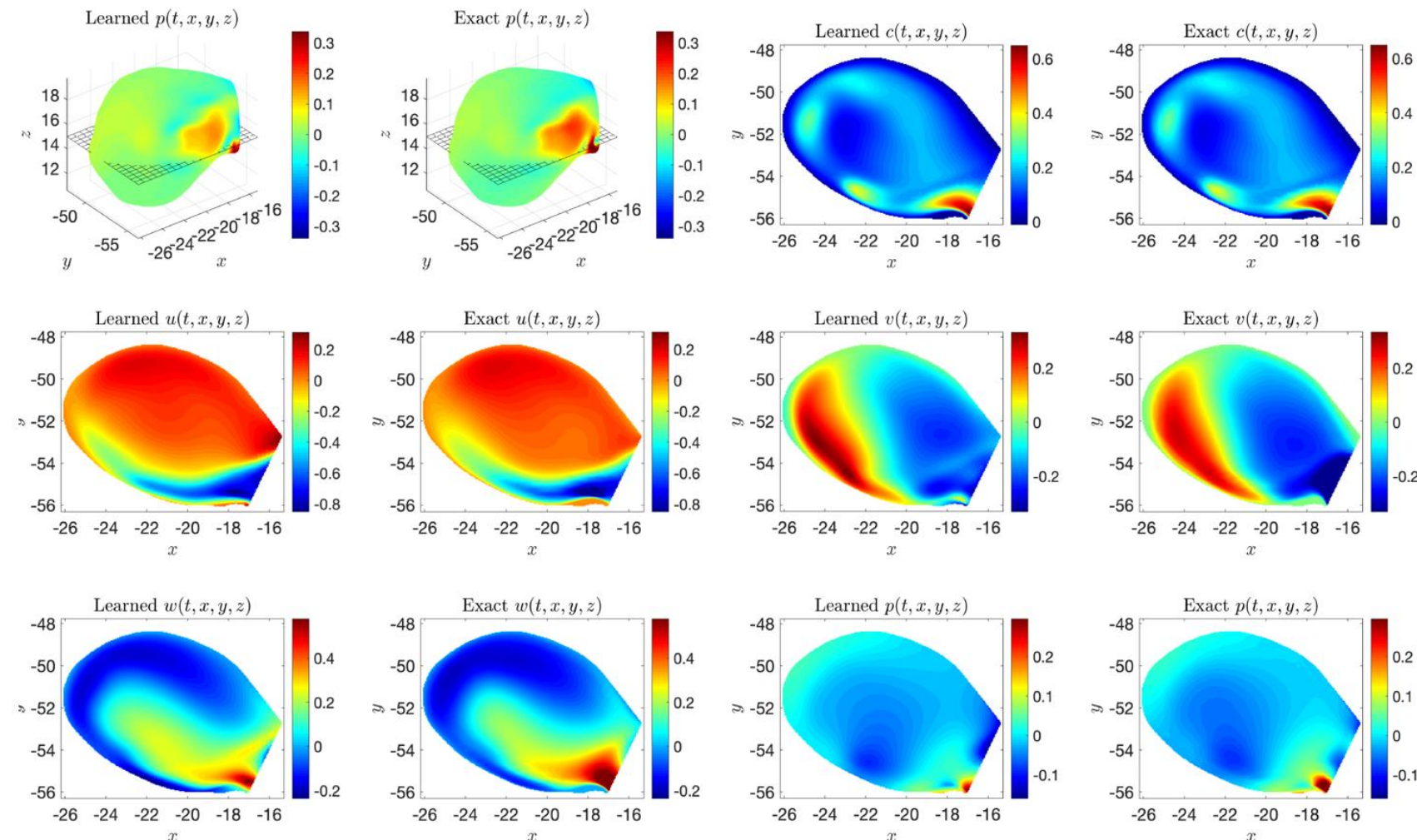
Bug in the lab: when doing the test/train split on time-series data, the data should not be shuffled!

- Try maximizing validation accuracy on both shuffled and un-shuffled validation sets



# STEADY STATE FLOW WITH NEURAL NETWORKS

Flow fields are simulated using computational fluid dynamics (CFD) solvers



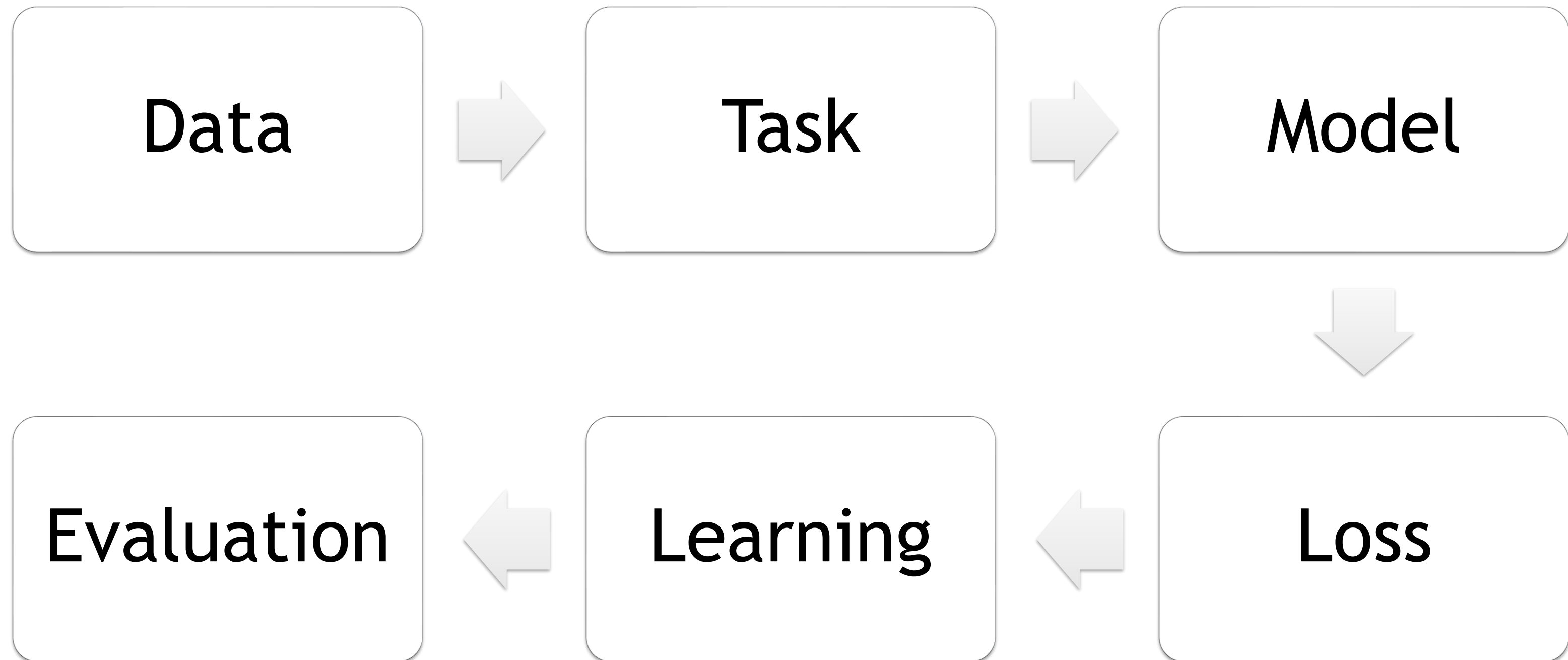
# STEADY STATE FLOW WITH NEURAL NETWORKS

Our aim is to predict 2D flow around objects. The input is the boundary around which we want to calculate the flow. Here is an example of input data and the corresponding flow that was calculated using the Lattice Boltzmann method. ([Mechsys](#)).



# 6 STEPS APPROACH

Steps to follow while solving a Machine Learning problem





## DATA AND TASK



# MODEL

We will be building the following Models and benchmarking them as we proceed :

- Simple Fully Connected Networks

*3 Layer Network*

*5 Layer Network*

- Convolution Neural Networks

*Binary Boundary*

*Signed Distance Function*

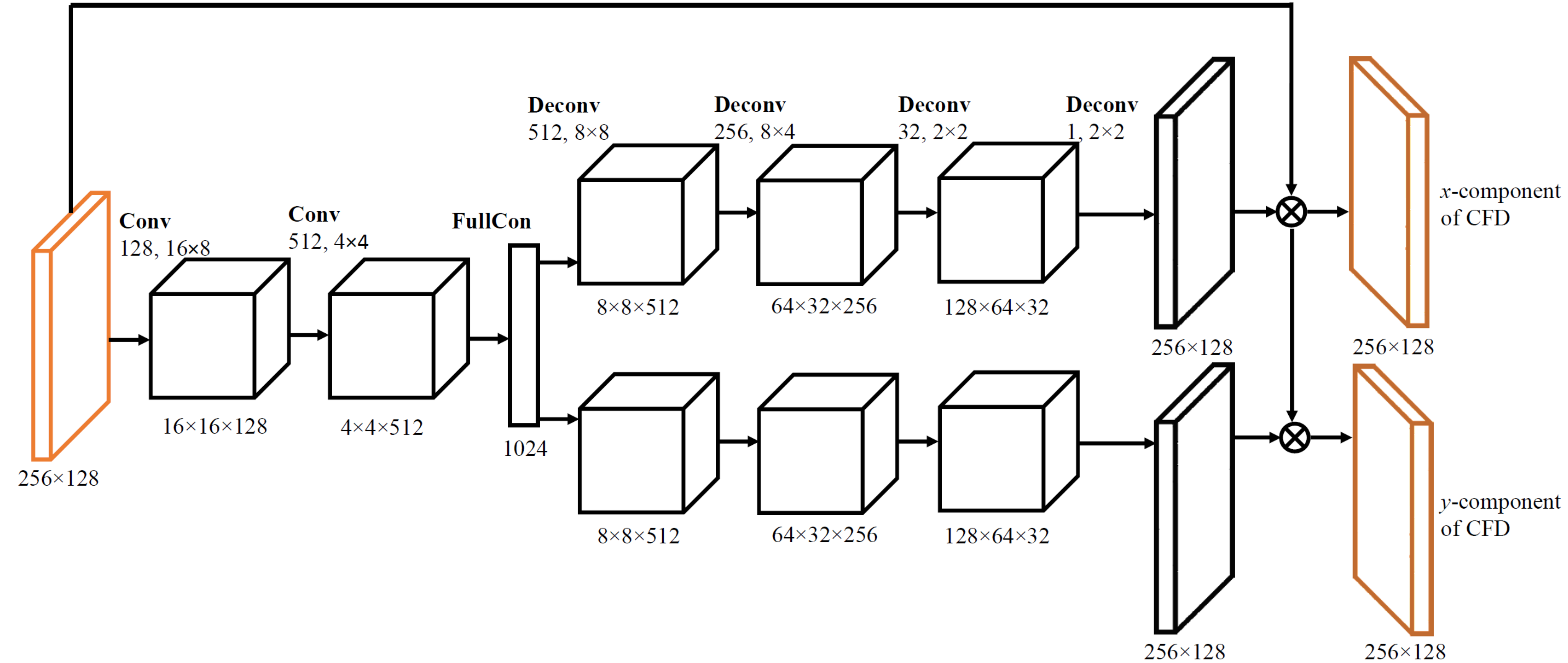
- Advanced Networks

*Gated Residual Network*

*Non-Gated Residual Network*



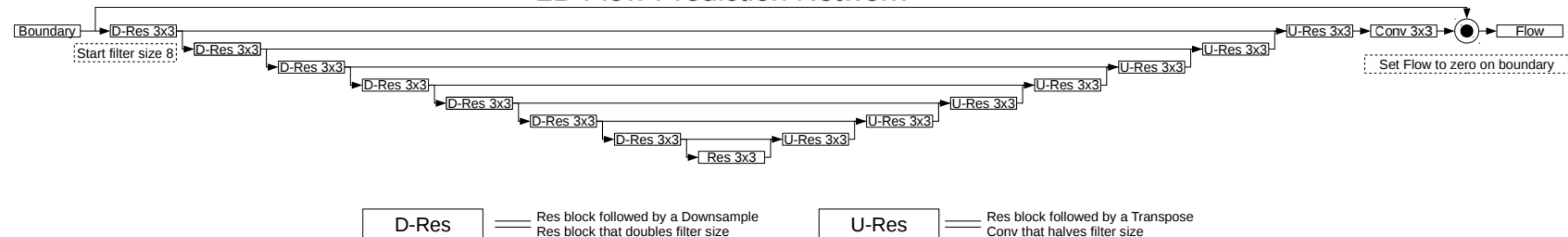
# SUMMARY OF APPROACH





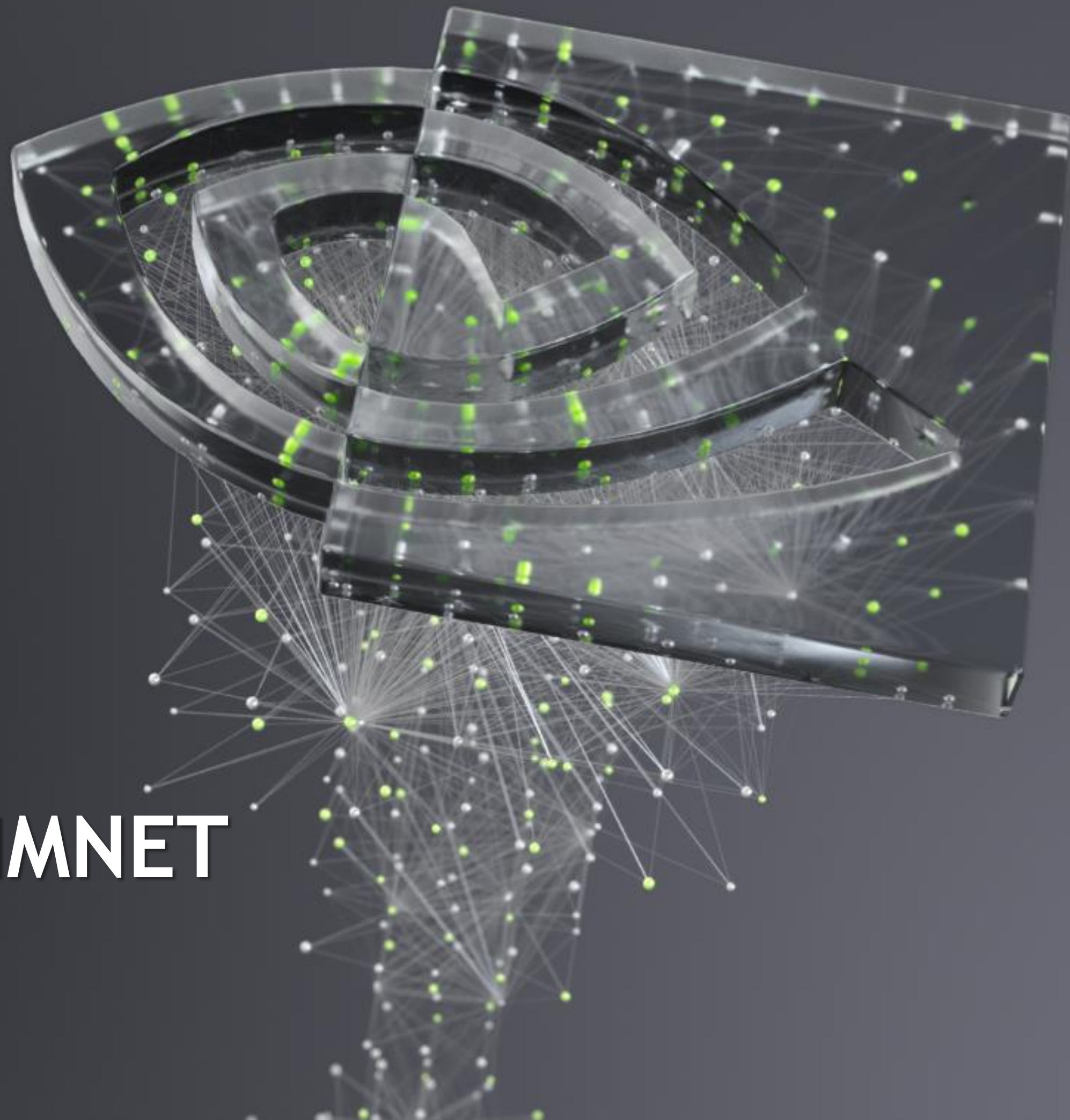
# U GATED NETWORK

## 2D Flow Prediction Network



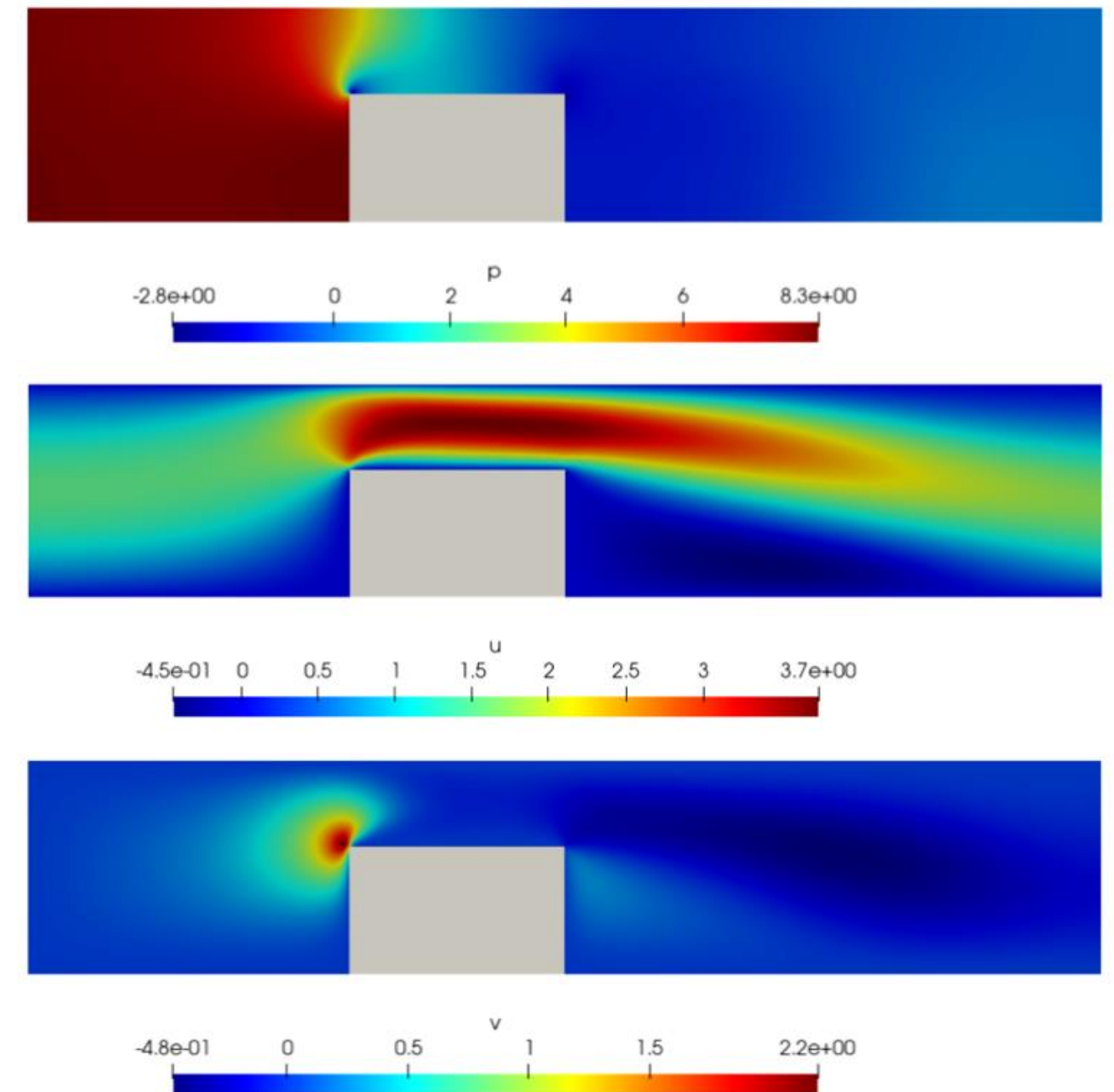


# AI FOR SCIENCE BOOTCAMP USING SIMNET



# OUTLINE

- Introduction to Physics Informed Neural Networks (PINN)
- Solving Partial Differential Equation system using SimNet toolkit
- Solving parameterized PDEs
- Solving transient problems
- Solving inverse problems
- Challenge CFD problem - Flow over a 2D chip





# DATA DRIVEN METHODS

## Pros

Not dependent on Physics

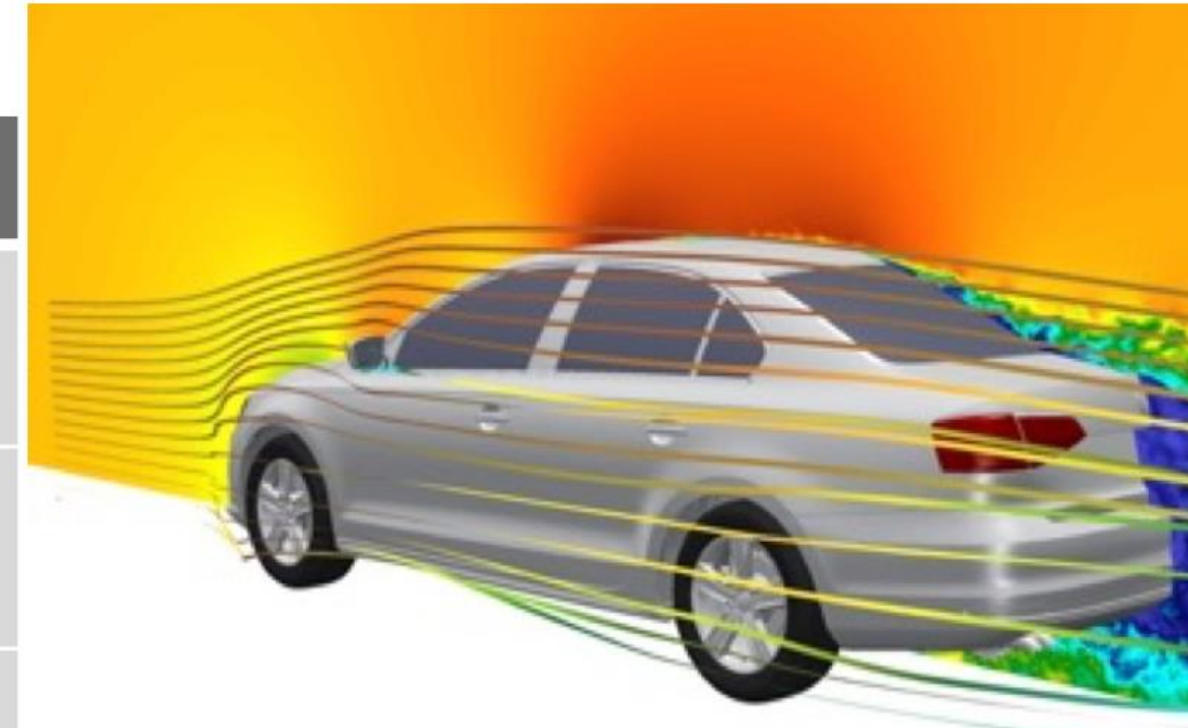
## Cons

No physics awareness; Generalization ability may be limited

Need to generate a lot of simulations (accuracy dependent on the simulation code)

Not very efficient for complex 3D geometries/curved surfaces

Interpolation/extrapolation errors



# NEURAL NETWORK SOLVER THEORY

Goal: Train a neural network to satisfy the boundary conditions and differential equations by constructing an appropriate loss function

- Consider an example problem:
- We construct a neural network  $u_{net}(x)$  which has a single value input  $x \in \mathbb{R}$  and single value output  $u_{net}(x) \in \mathbb{R}$ .
- We assume the neural network is infinitely differentiable  $u_{net} \in C^\infty$  - Use activation functions that are infinitely differentiable



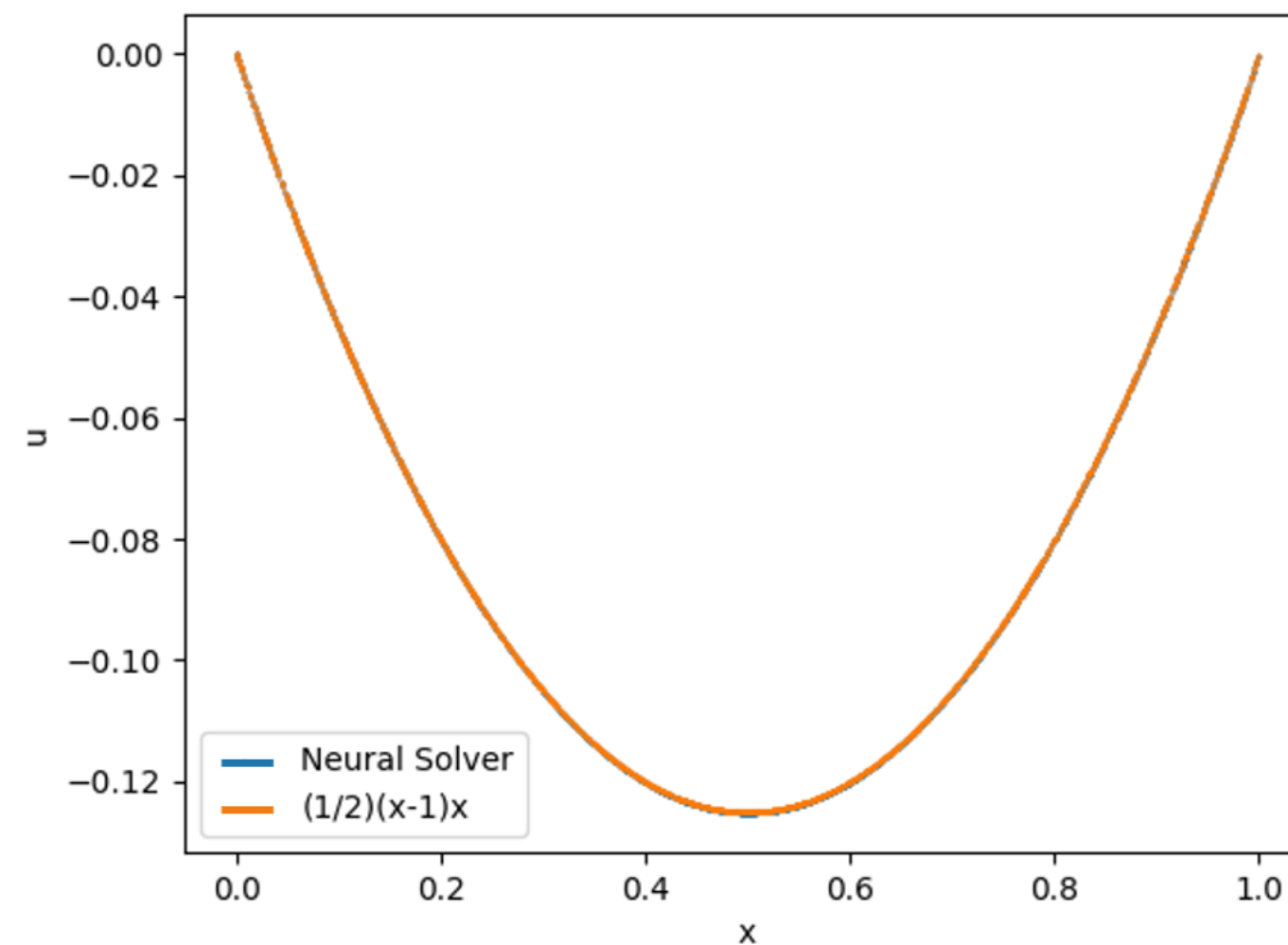
# NEURAL NETWORK SOLVER THEORY

- Construct the loss function. We can compute the second order derivatives  $\left(\frac{\delta^2 u_{net}}{\delta x^2}(x)\right)$  using Automatic differentiation
- Where  $x_i$  are a batch of points in the interior  $x_i \in (0, 1)$ . Total loss becomes  $L = L_{BC} + L_{Residual}$
- Minimize the loss using optimizers like Adam



# NEURAL NETWORK SOLVER THEORY

- For  $f(x) = 1$ , the true solution is  $\frac{1}{2}(x-1)x$ . After sufficient training we have,

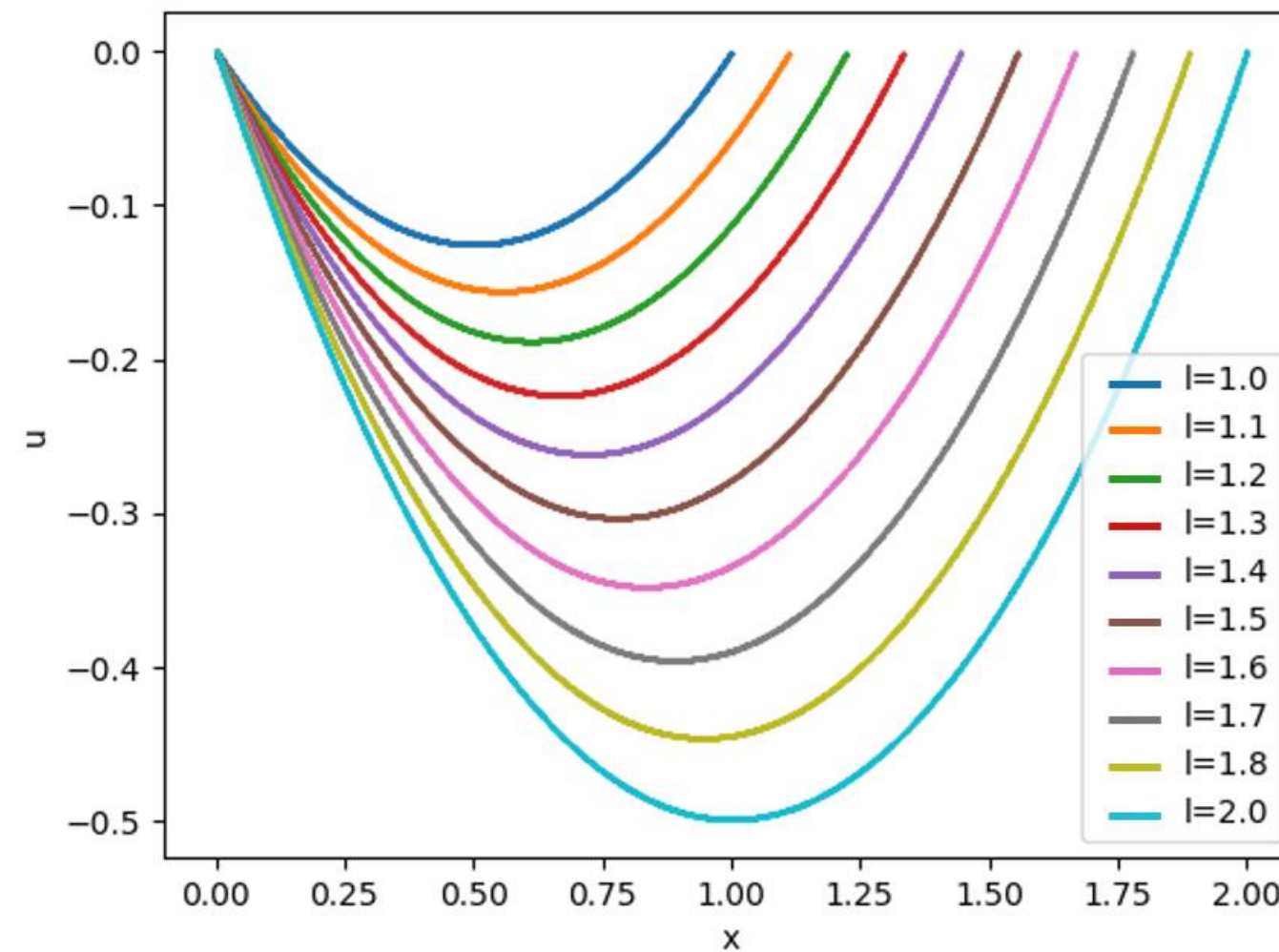


# SOLVING PARAMETERIZED PROBLEMS

- Consider the parameterized version of the same problem as before. Suppose we want to determine how the solution changes as we move the position on the boundary condition  $u(l) = 0$
- Parameterize the position by variable  $l \in [1, 2]$  and the problem now becomes:
- This time, we construct a neural network  $u_{net}(x, l)$  which has  $x$  and  $l$  as input and single value output  $u_{net}(x, l) \in \mathbb{R}$ .
- The losses become

# SOLVING PARAMETERIZED PROBLEMS

- For  $f(x) = 1$ , for different values of  $l$  we have different solutions



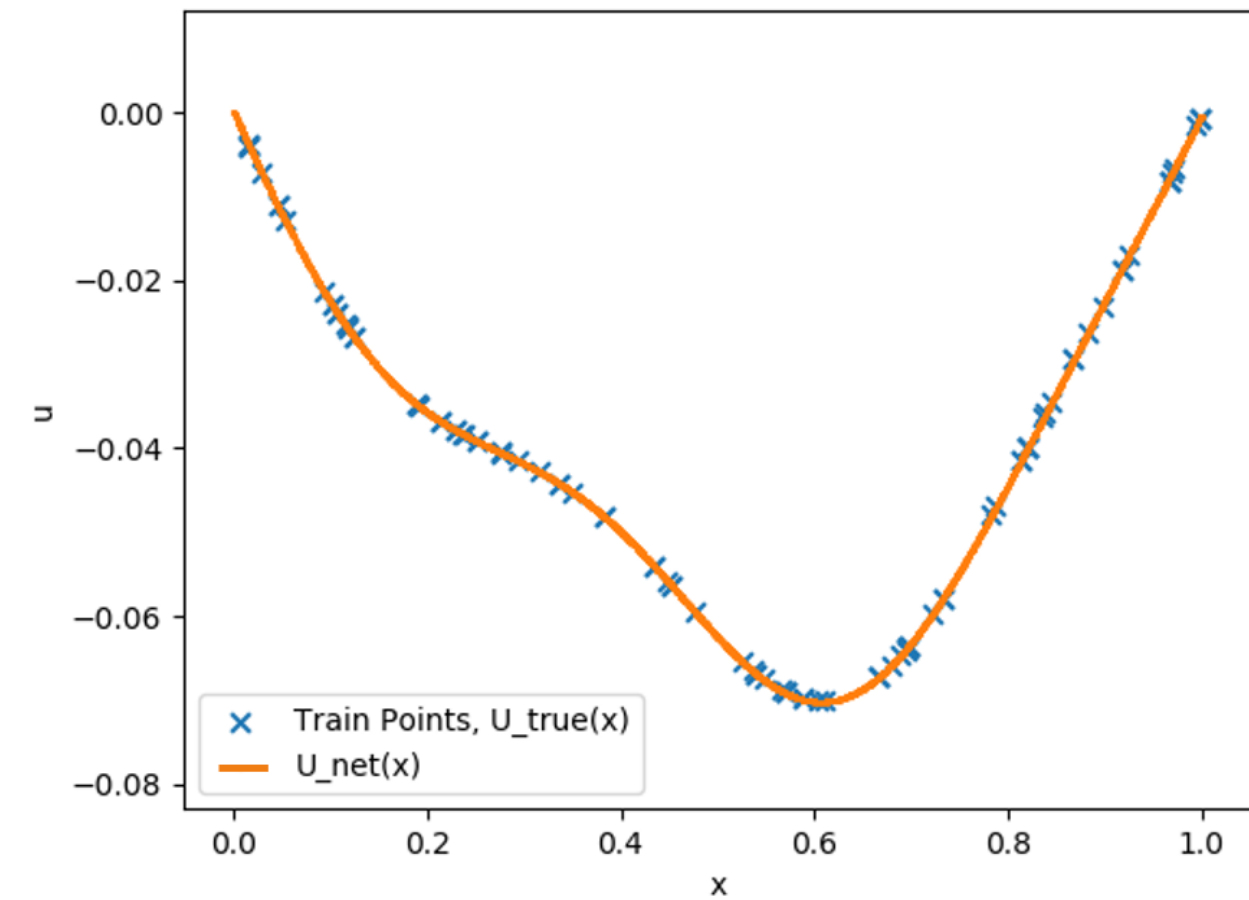
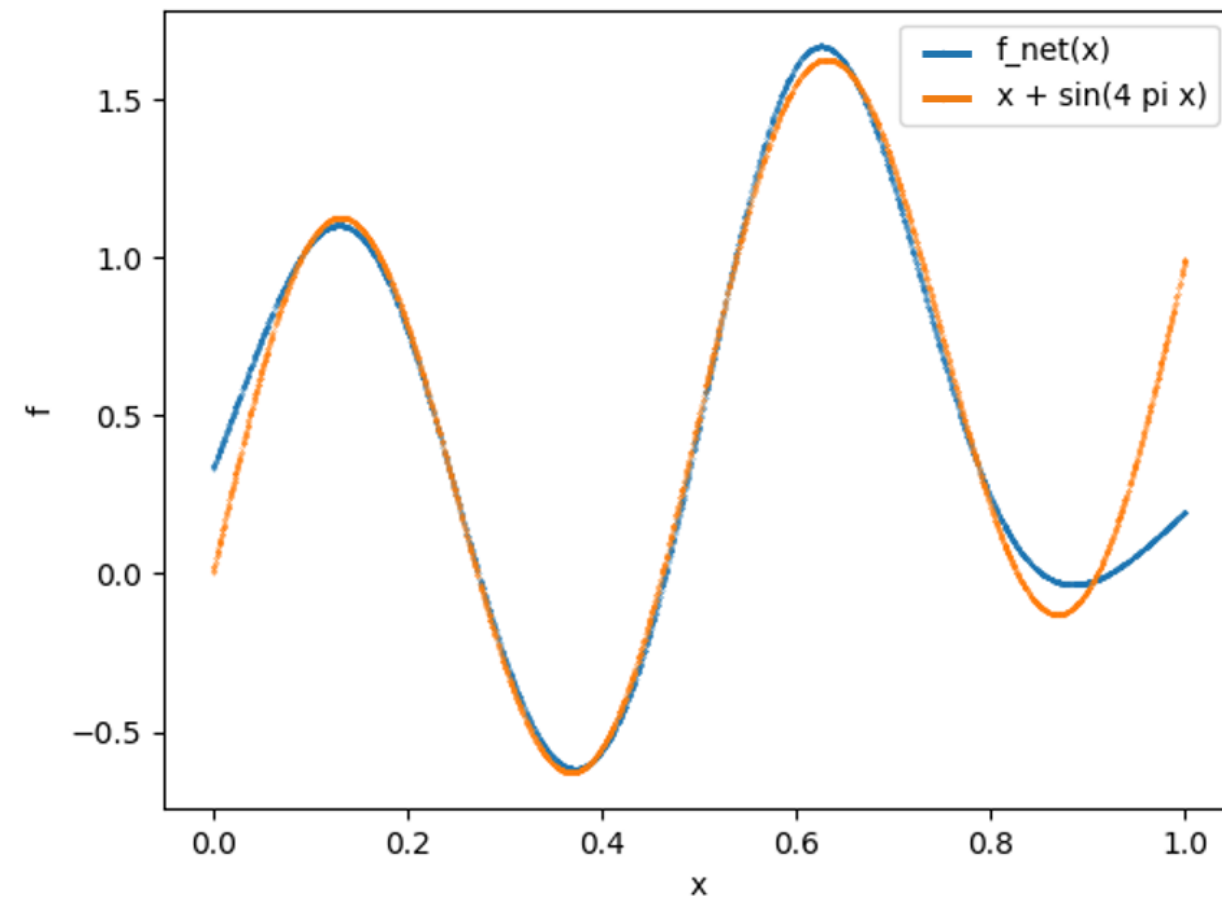


# SOLVING INVERSE PROBLEMS

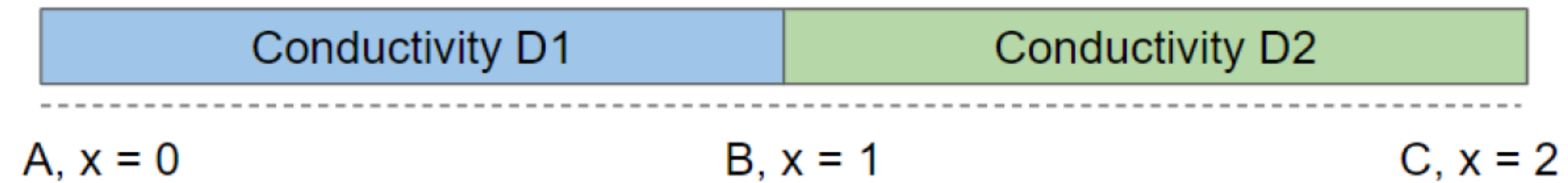
- For inverse problems, we start with a set of observations and then calculate the causal factors that produced them
- For example, suppose we are given the solution  $u_{true}(x)$  at 100 random points between 0 and 1 and we want to determine the  $f(x)$  that is causing it
- Train two networks  $u_{net}(x)$  and  $f_{net}(x)$  to approximate  $u(x)$  and  $f(x)$

# SOLVING INVERSE PROBLEMS

- For  $u_{true}(x) = \frac{1}{48} \left( 8x(-1 + x^2) - \frac{3 \sin(4\pi x)}{\pi^2} \right)$  the solution for  $f(x)$  is  $x + \sin(4\pi x)$



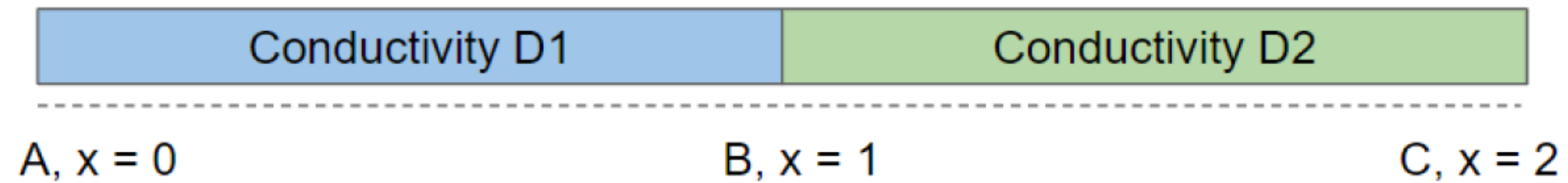
# SOLUTION TO PDES- 1D DIFFUSION



- Composite bar with material of conductivity  $D_1 = 10$  for  $x \in (0,1)$  and  $D_2 = 0.1$  for  $x \in (1,2)$ . Point A and C are maintained at temperatures of 0 and 100 respectively
- Equations: Diffusion equation in 1D
- Flux and field continuity at interface ( $x = 1$ )

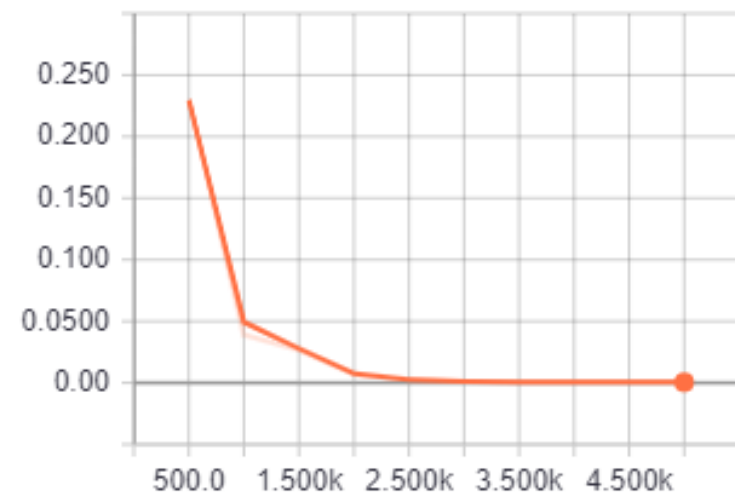


# SOLUTION TO PDES- 1D DIFFUSION

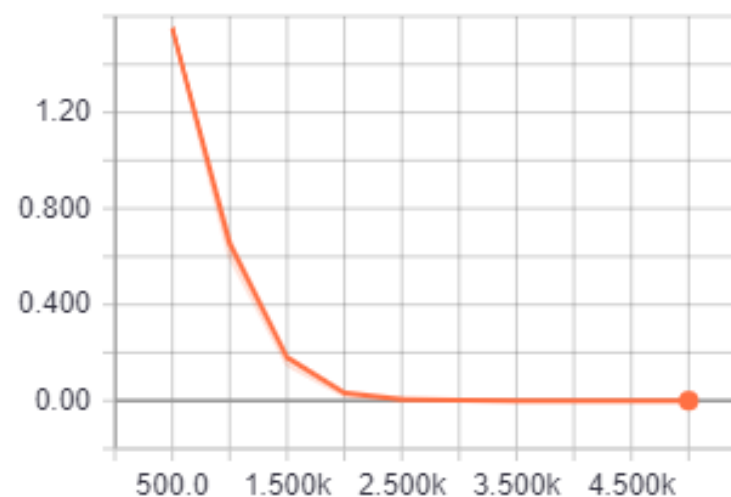


- Define the problem and train the neural network to obtain the temperature distribution in the bar
- Compare the results with analytical solution

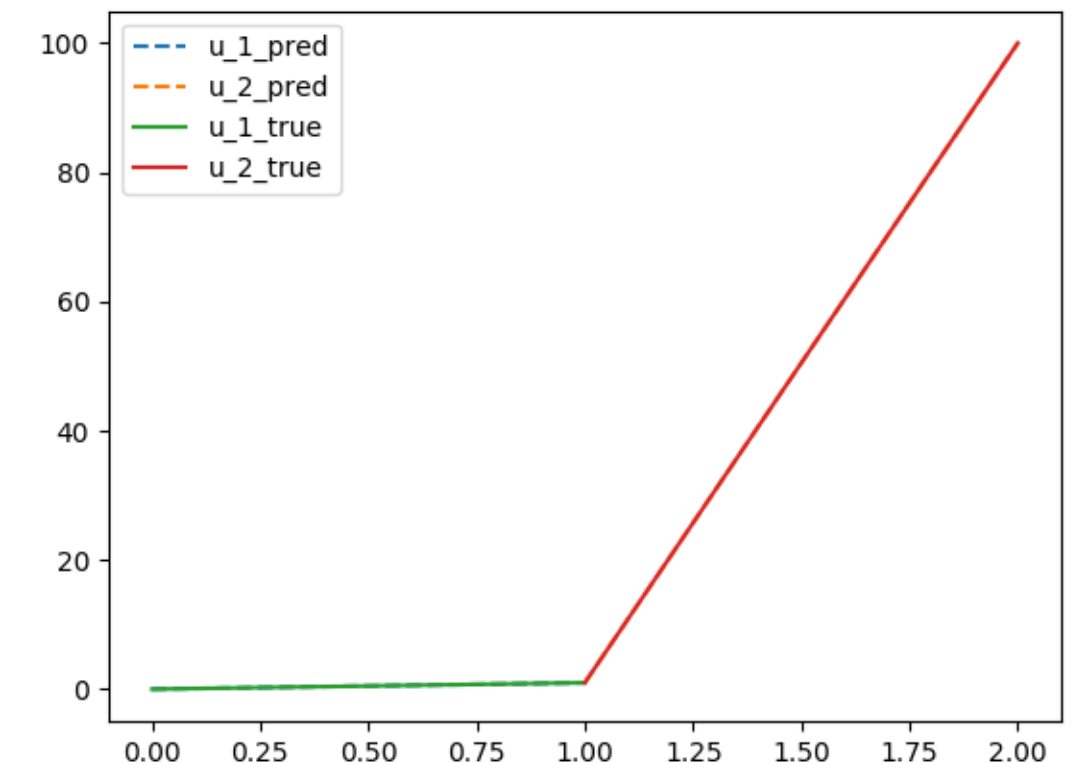
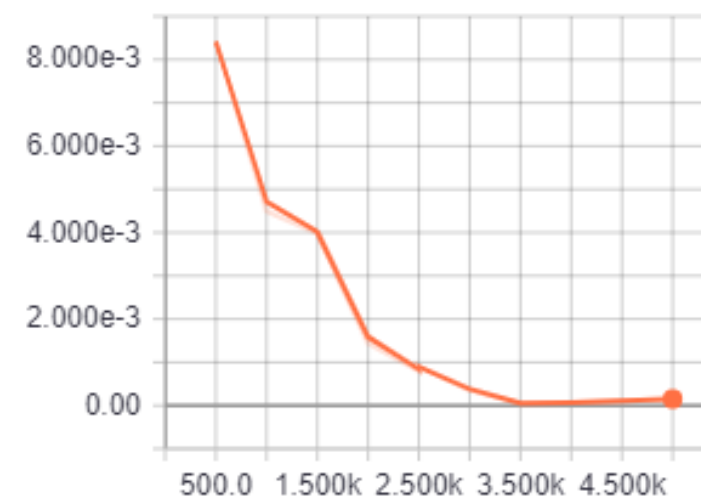
loss  
tag: AdamOptimizer/loss



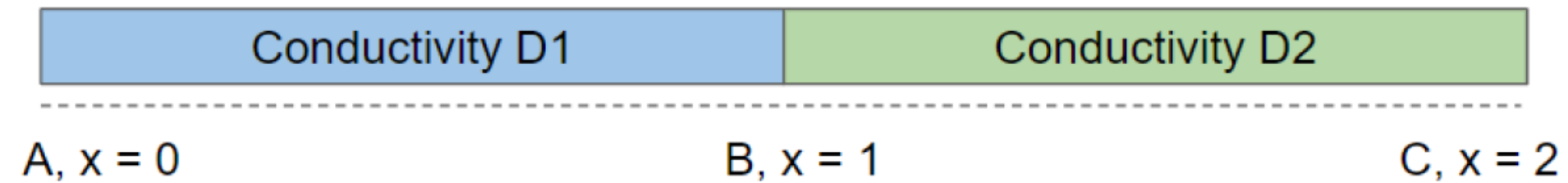
Val1/l2\_relative\_error\_u\_1  
tag: val/Val1/l2\_relative\_error\_u\_1



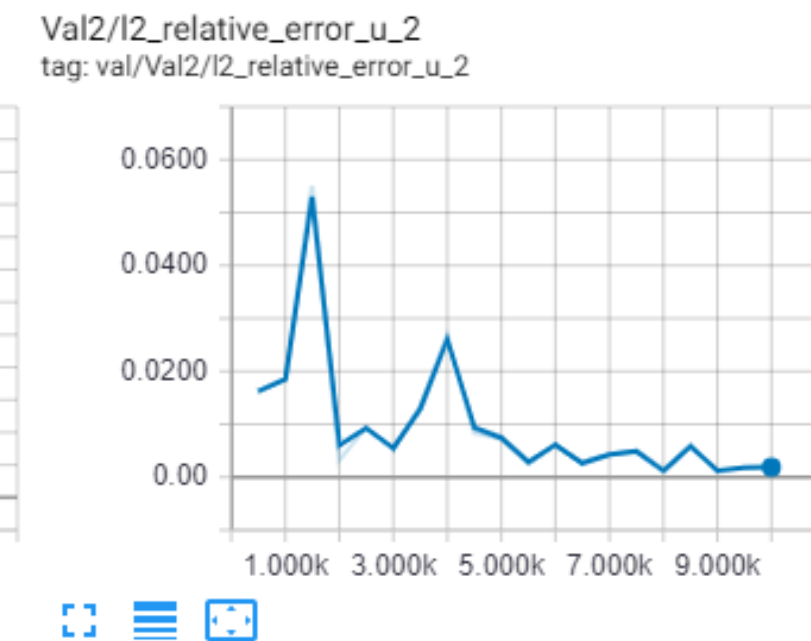
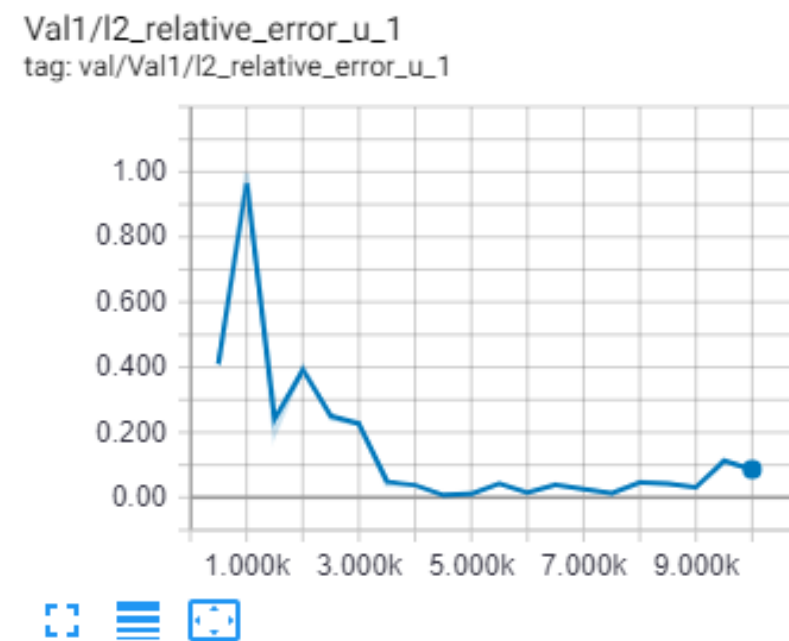
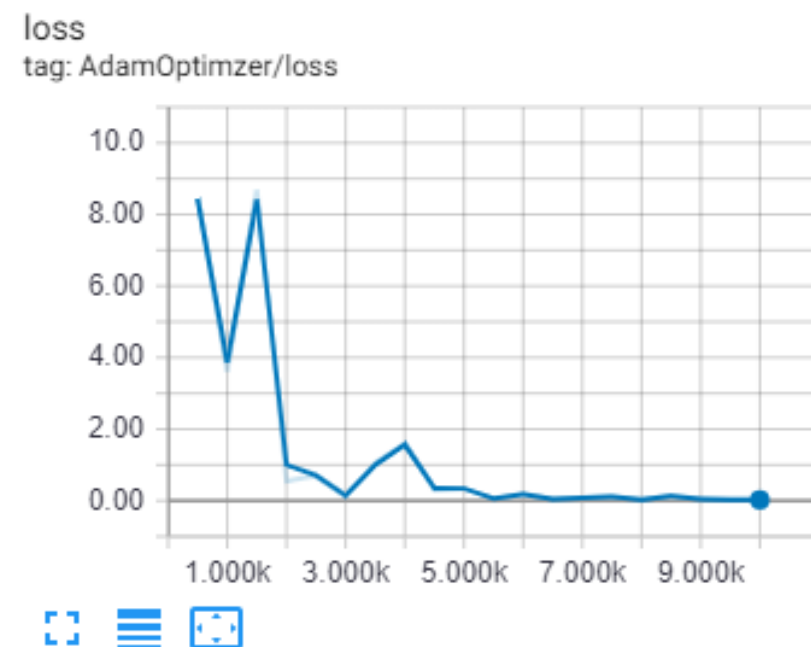
Val2/l2\_relative\_error\_u\_2  
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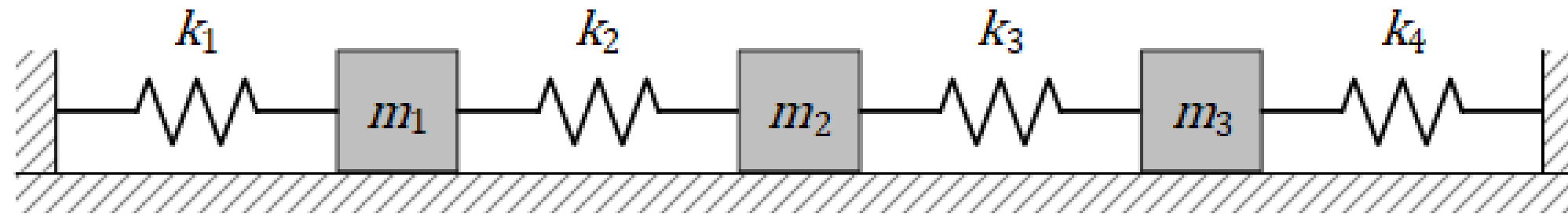
# SOLUTION TO PARAMETERIZED PDES- 1D DIFFUSION



- Composite bar with material of conductivity  $D_1$  for  $x \in (0,1)$  and  $D_2 = 0.1$  for  $x \in (1,2)$ .
- Solve the problem for multiple values of  $D_1$  in the range (5,25) in a single training
- Same boundary and interface conditions as before



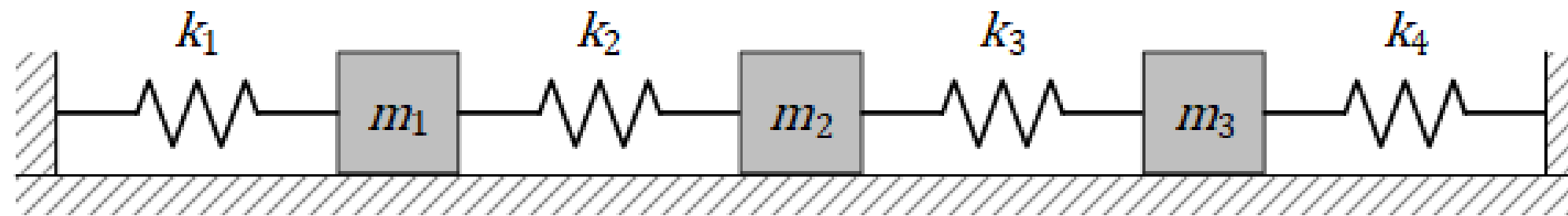
# SOLUTION TO ODES- COUPLED SPRING MASS SYSTEM



- Three masses connected by four springs
- System's equations (ordinary differential equations):
- For given values masses, spring constants and boundary conditions

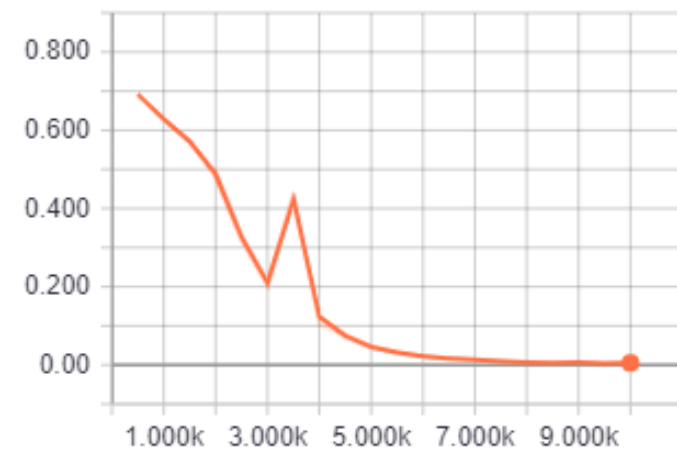


# SOLUTION TO ODES- COUPLED SPRING MASS SYSTEM

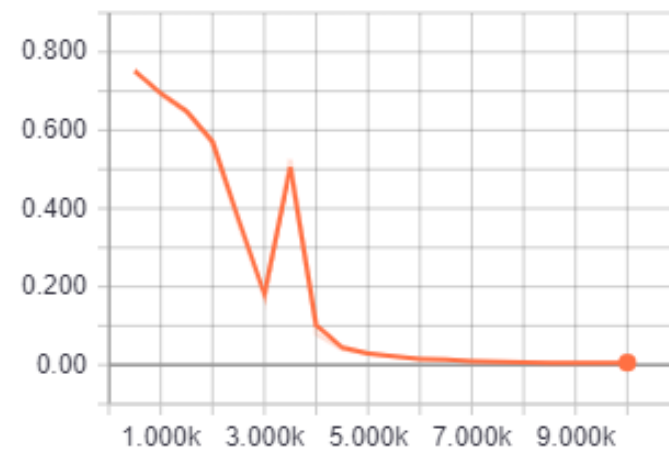


- Define the transient problem for time,  $t = (0, 10)$  and train the neural network to obtain the displacement of each mass
- Compare the results with analytical solution

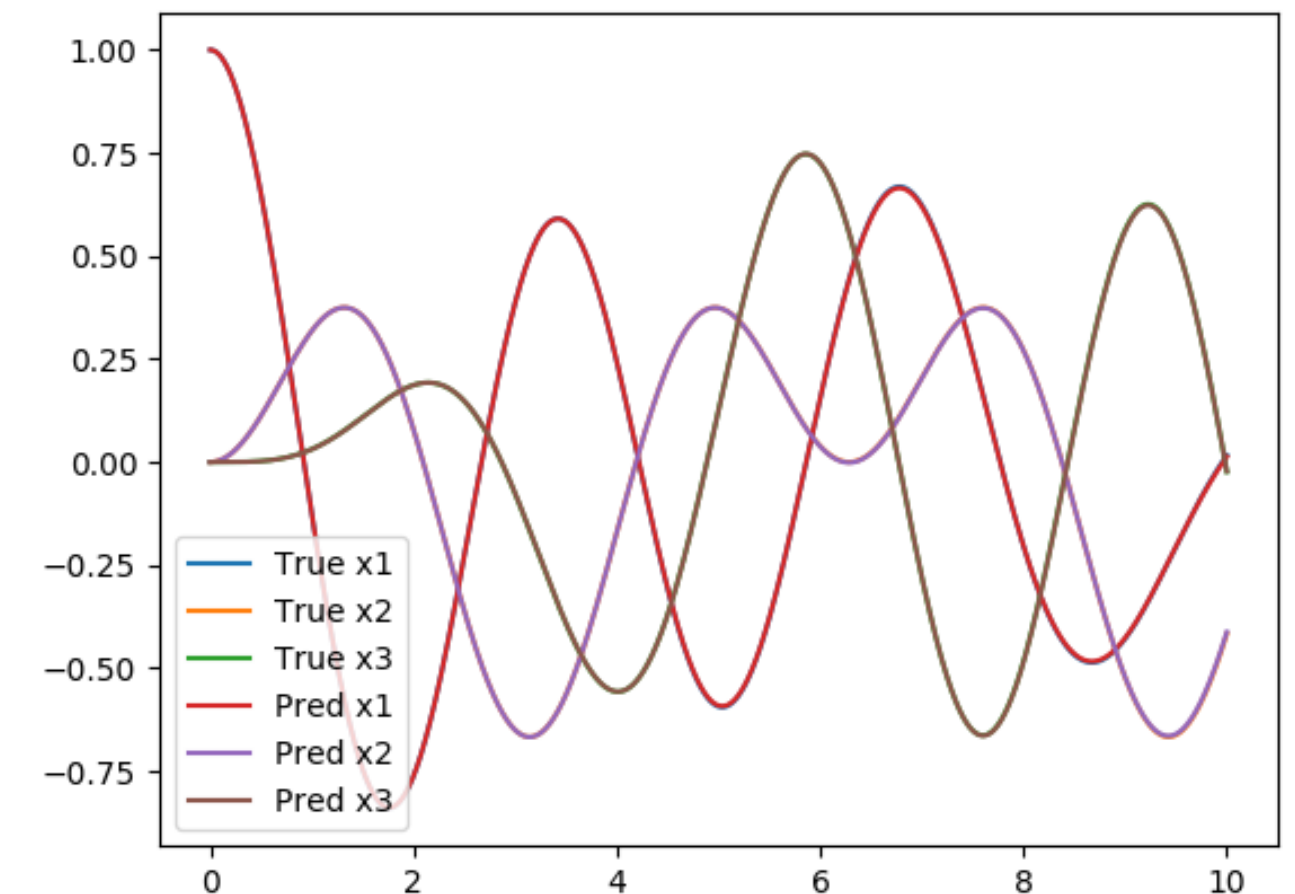
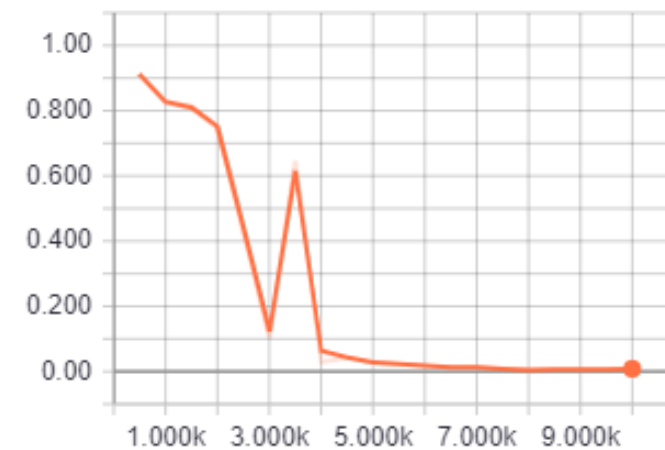
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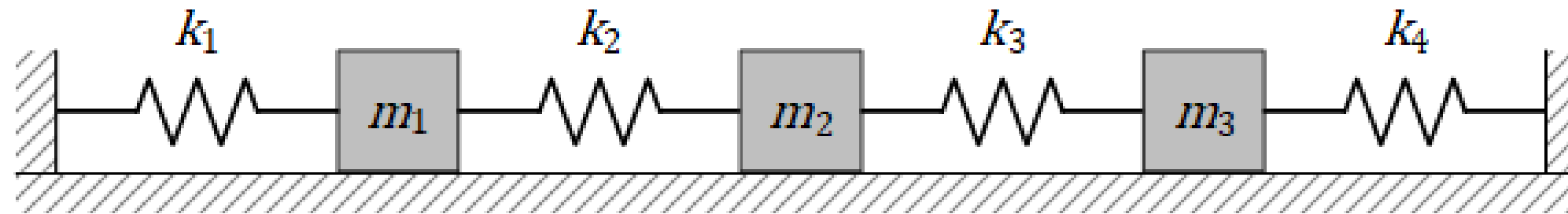
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Val/l2\_relative\_error\_x3  
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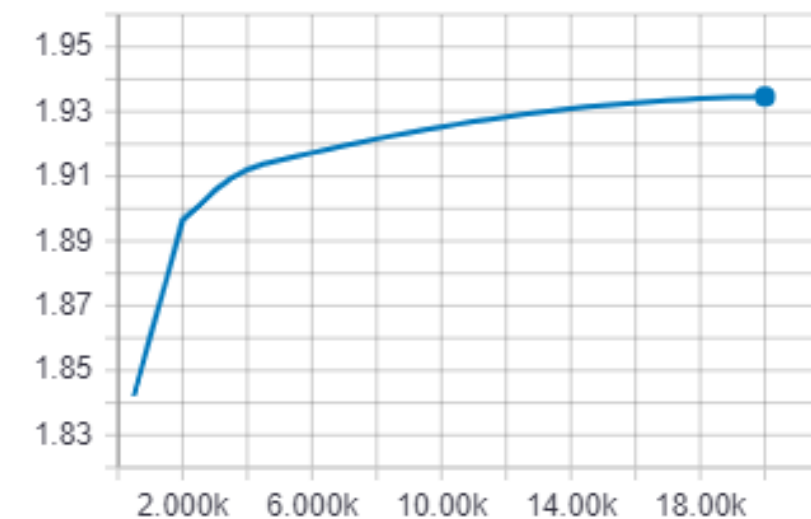


# INVERSE PROBLEMS- COUPLED SPRING MASS SYSTEM

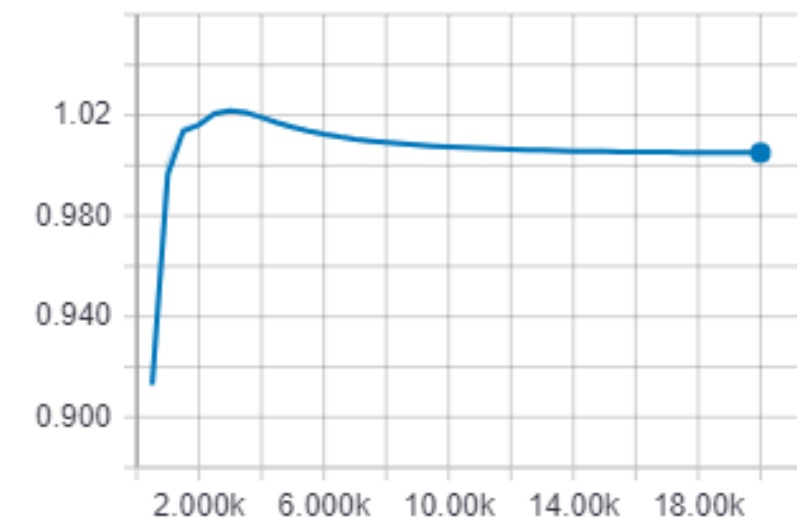


- For the same system, assume we know the analytical solution which is given by:
- With the above data and the values for  $m_2, m_3, k_1, k_2, k_3$  same as before, use the neural network to find the values of  $m_1$  and  $k_4$

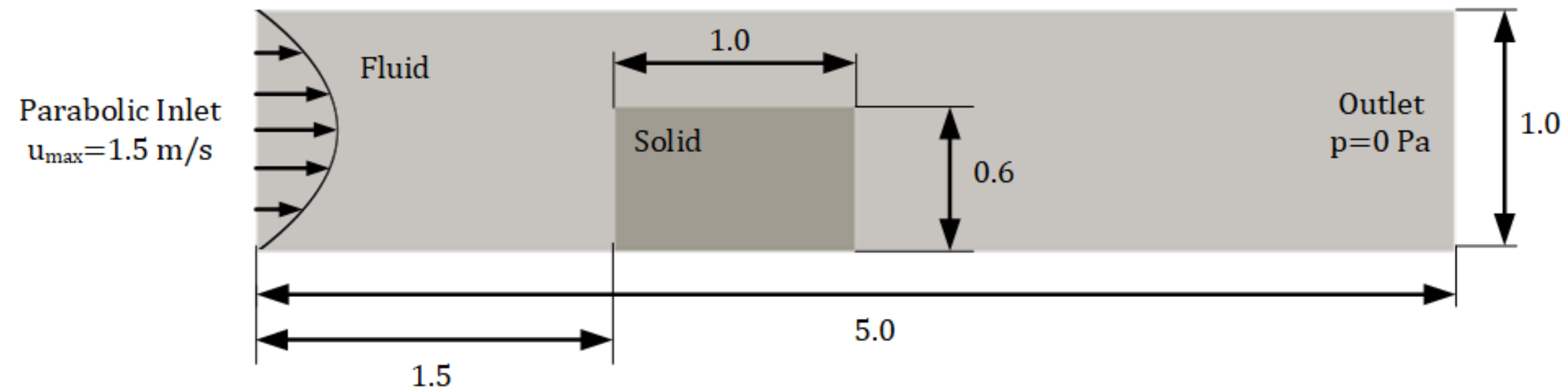
GlobalMonitor/average\_k4  
tag: monitor/GlobalMonitor/average\_k4



GlobalMonitor/average\_m1  
tag: monitor/GlobalMonitor/average\_m1



# CHALLENGE: FLOW OVER 2D CHIP

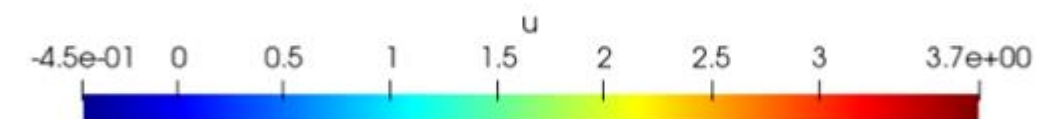
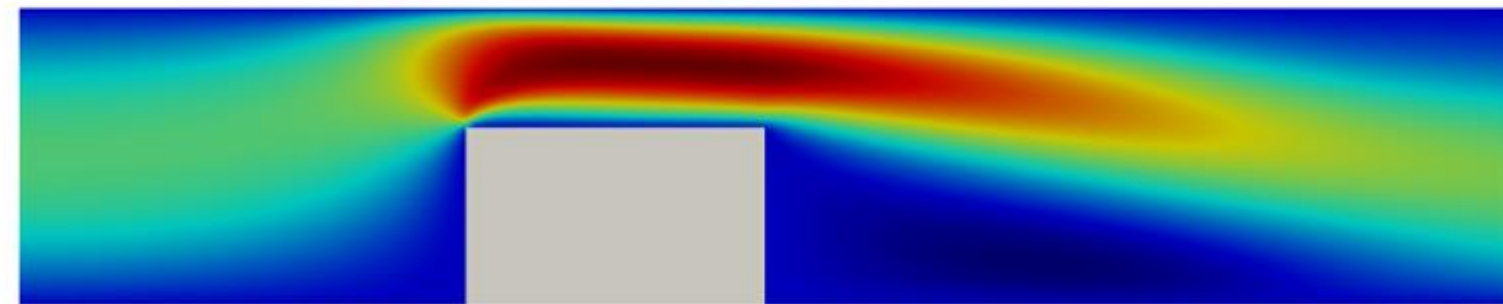


- Solve the flow over 2D chip for the given boundary conditions. The challenge problem has 3 parts:
  1. Solve the fluid flow for the given boundary conditions and geometry
  2. Solve the fluid flow for the parameterized Chip geometry
  3. Solve the inverse problem where, given a flow field, use it to invert out the viscosity of the flow

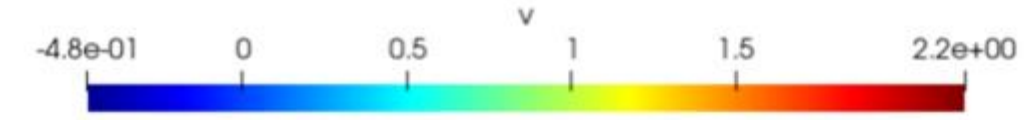
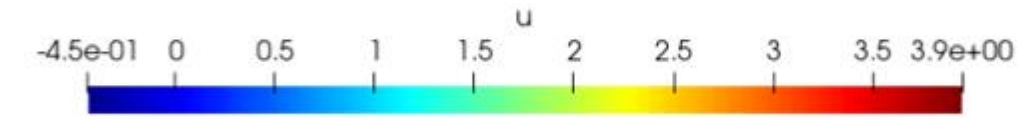
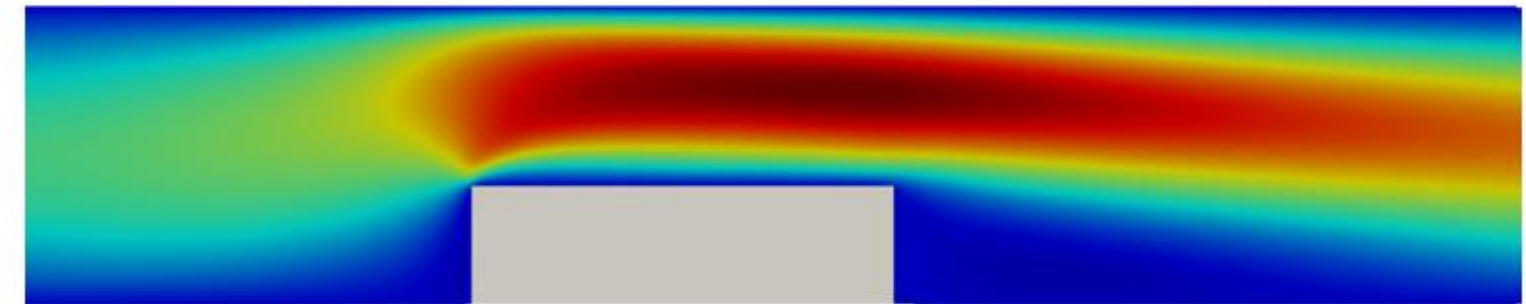
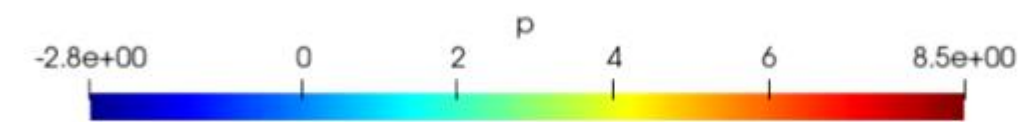


# CHALLENGE: FLOW OVER 2D CHIP

h: 0.6, w: 1.0



h: 0.4, w: 1.4



# CHALLENGE: FLOW OVER 2D CHIP- HINTS AND TIPS

- Use Signed Distance Function to weight the equation losses inside domain for faster convergence (User Guide Section 2.3.2)
- Use Integral Continuity for faster convergence (User Guide Section 8.3.1 and 8.3.2)

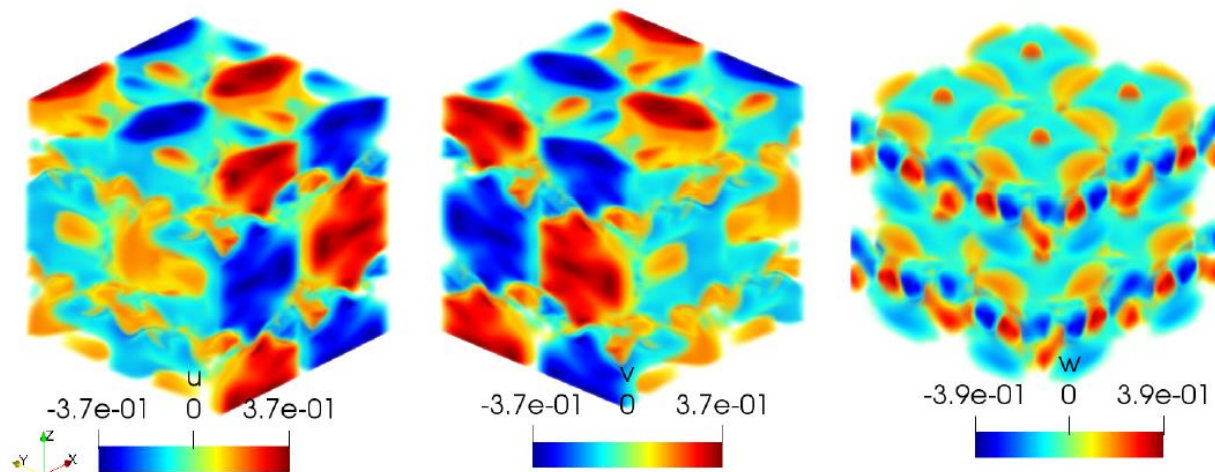
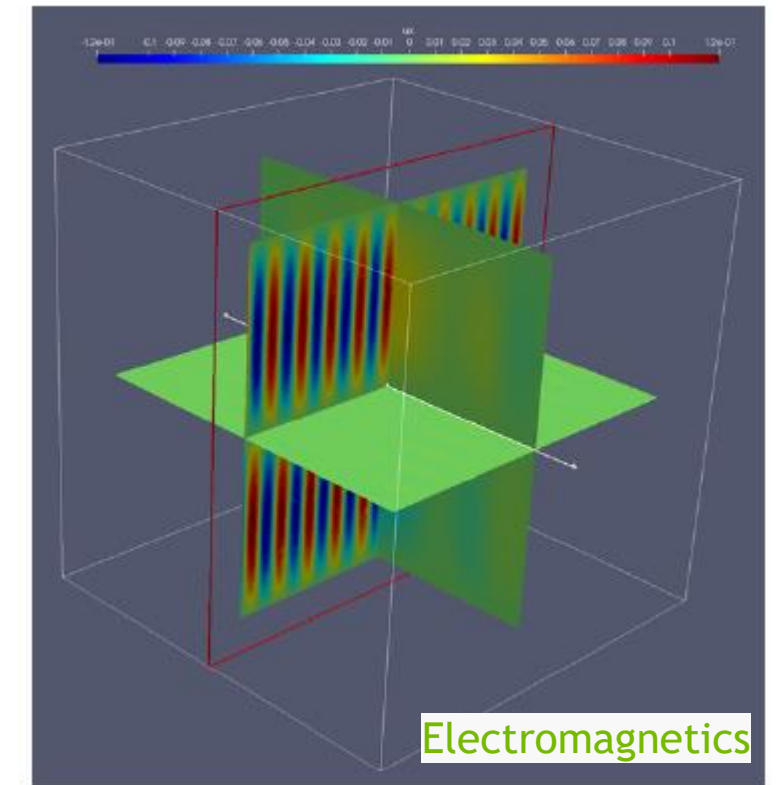
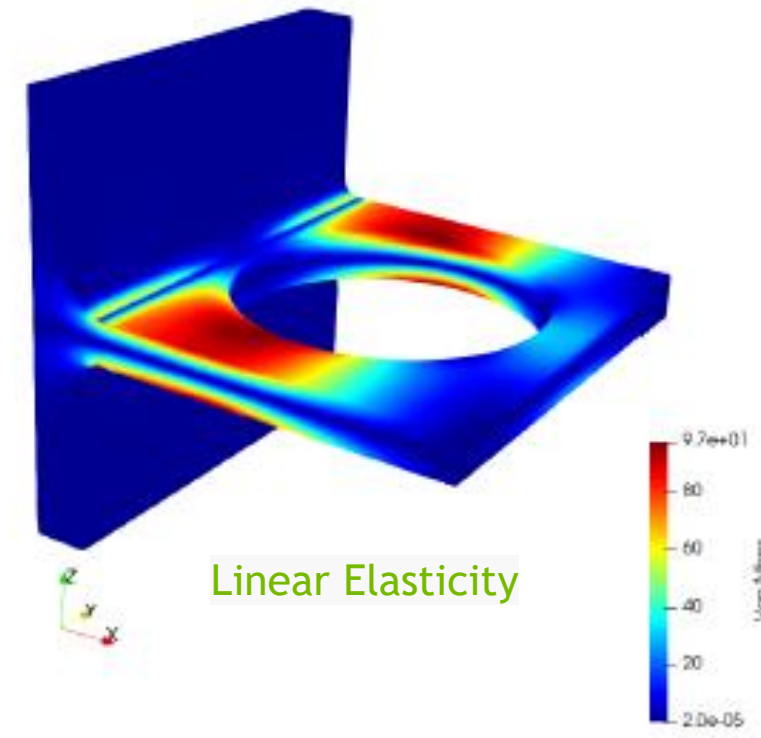
# SIMNET FEATURES AND ADVANCEMENTS

## Physics types:

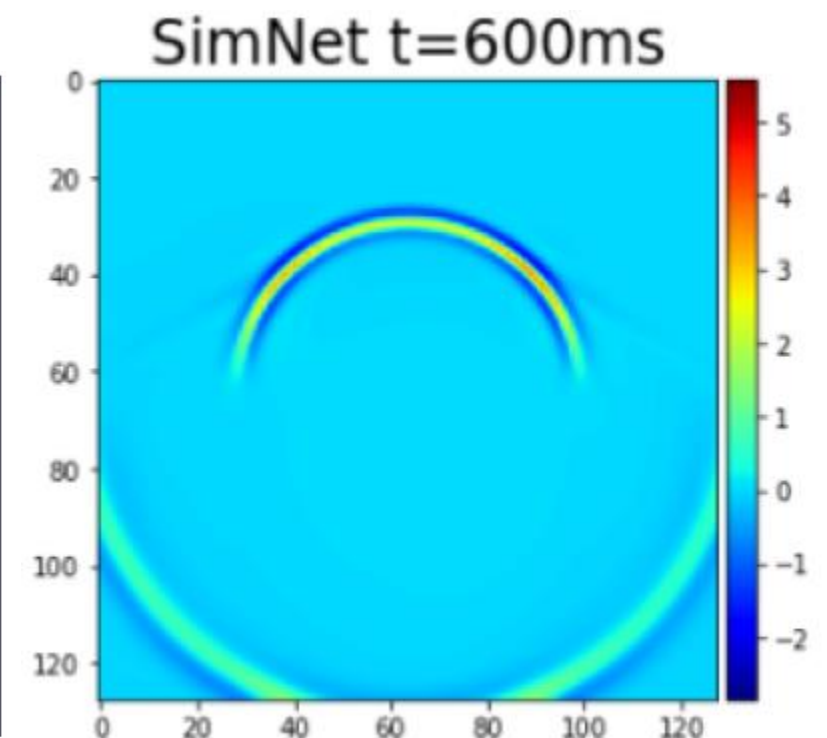
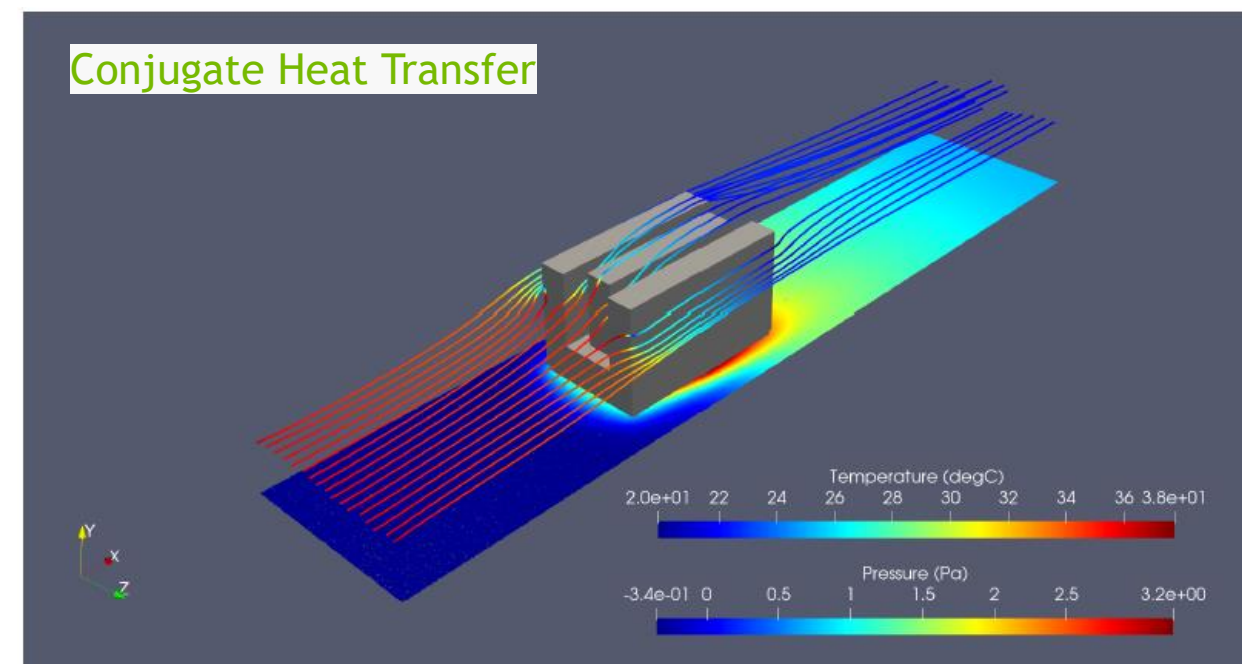
- Linear Elasticity (plane stress, plane strain and 3D)
- Fluid Mechanics
- Heat Transfer
- Coupled Fluid-Thermal
- Electromagnetics
- 2D wave propagation

## Solution of differential equations:

- Ordinary Differential Equations
- Partial Differential Equations
- Differential (strong) Form
- Integral (weak) form of the PDEs



Taylor-Green vortex decay



Wave Propagation





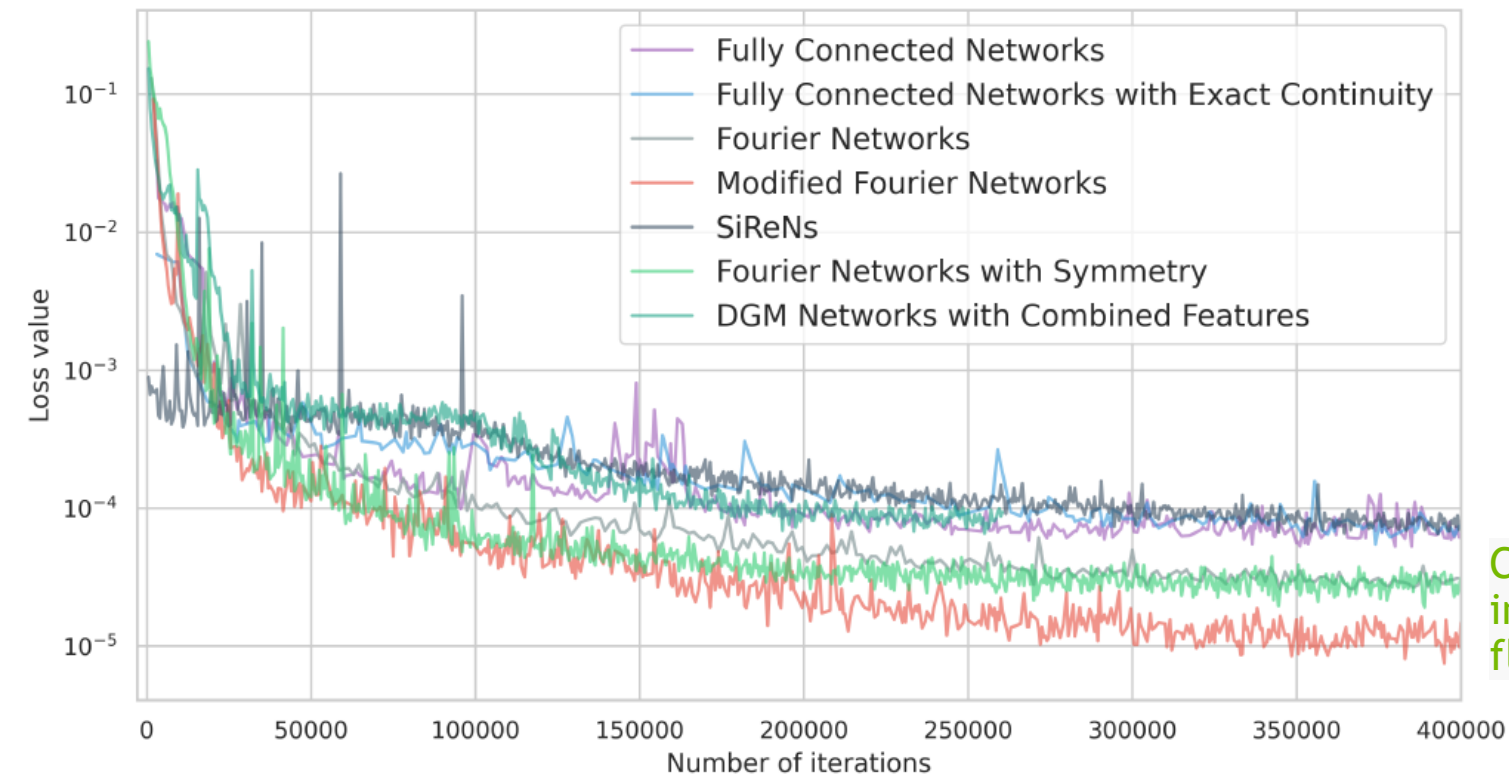
# SIMNET FEATURES AND ADVANCEMENTS

Several neural network architectures:

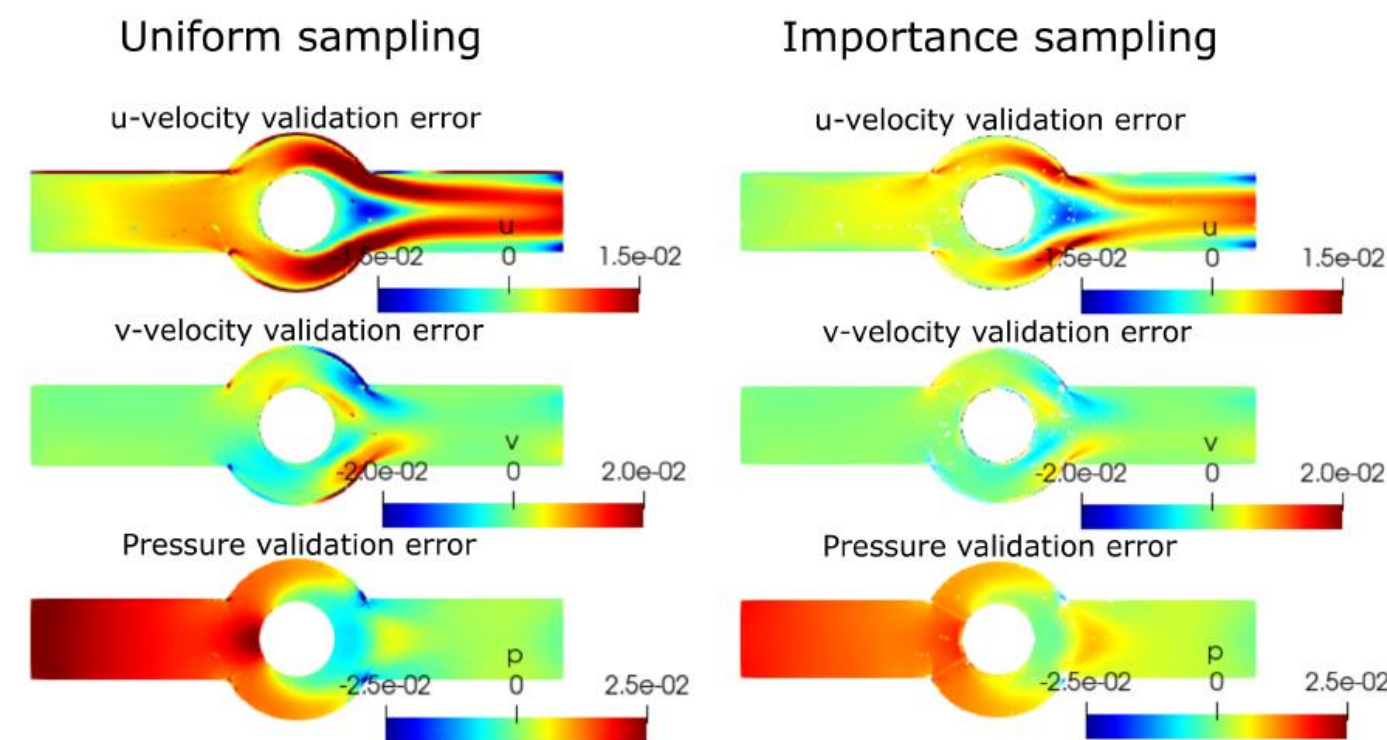
- Fully connected Network
- Fourier Feature Network
- Sinusoidal Representation Network (SiReN)
- Modified Fourier Network
- Deep Galerkin Method Network
- Modified Highway Network
- Multiplicative Filter Networks

Other Features include:

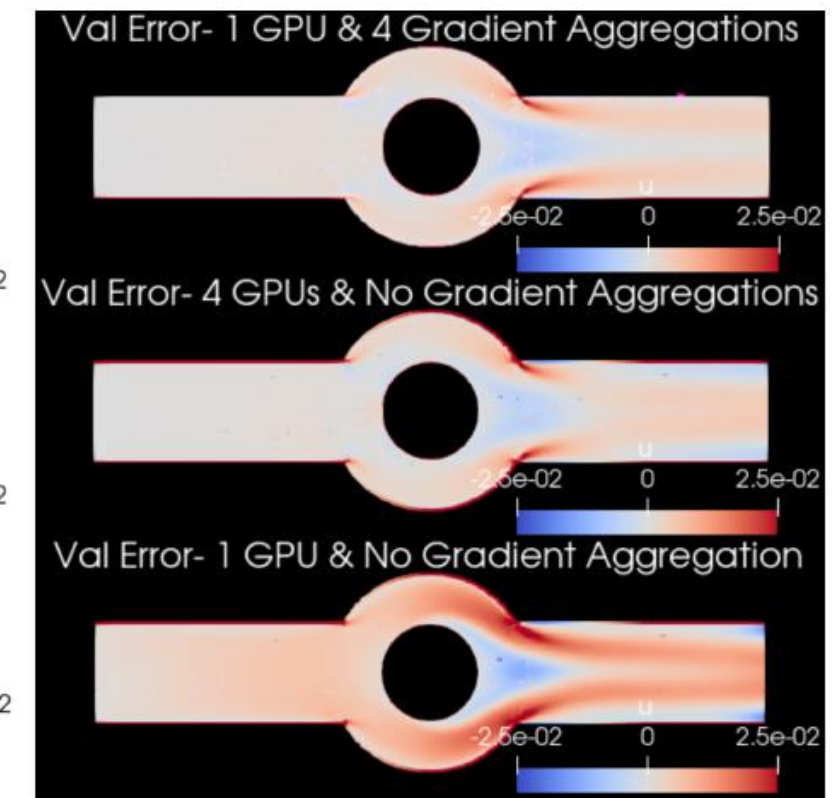
- Global and local learning rate annealing
- Global adaptive activation functions
- Halton sequences for low-discrepancy point cloud creation
- Gradient Accumulation
- Time-stepping schemes for transient problems
- Temporal loss weighting and time marching for the continuous time approach
- Importance sampling
- Homoscedastic task uncertainty quantification for loss weighting



Comparisons of various networks in SimNet applied to solve the flow over a heatsink



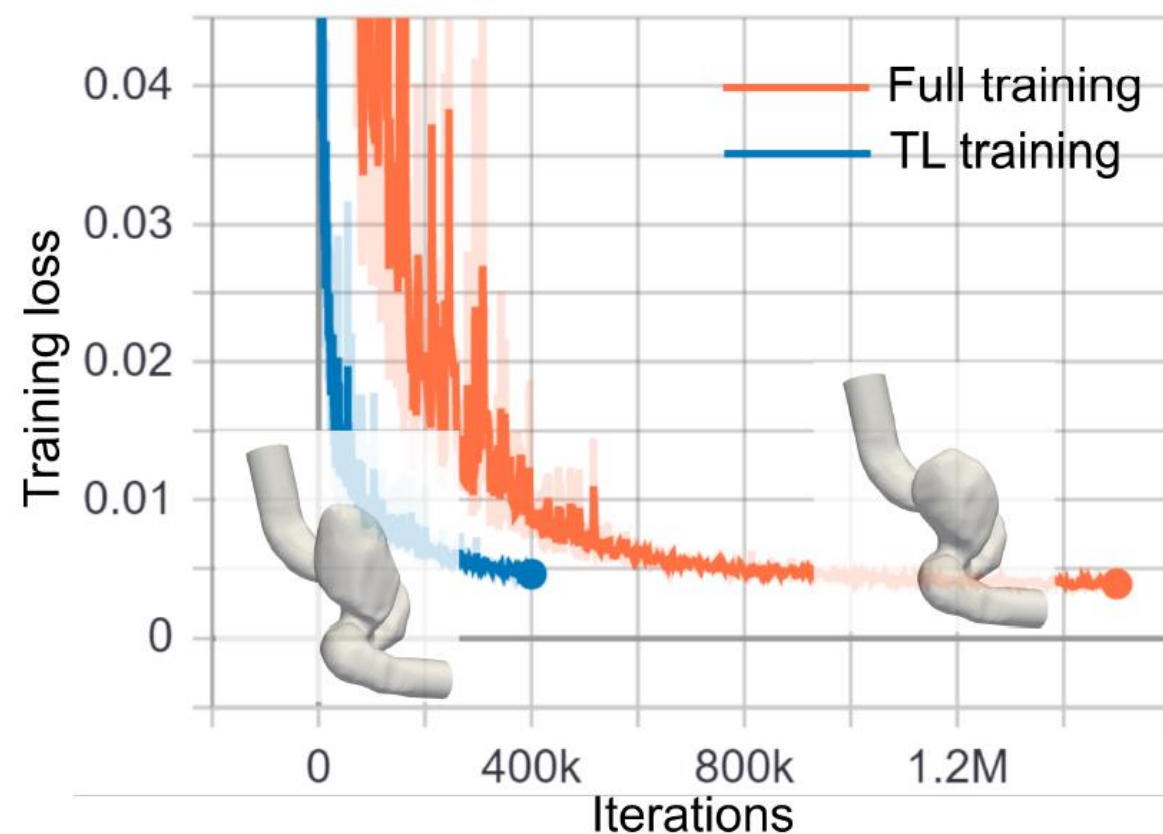
Importance sampling



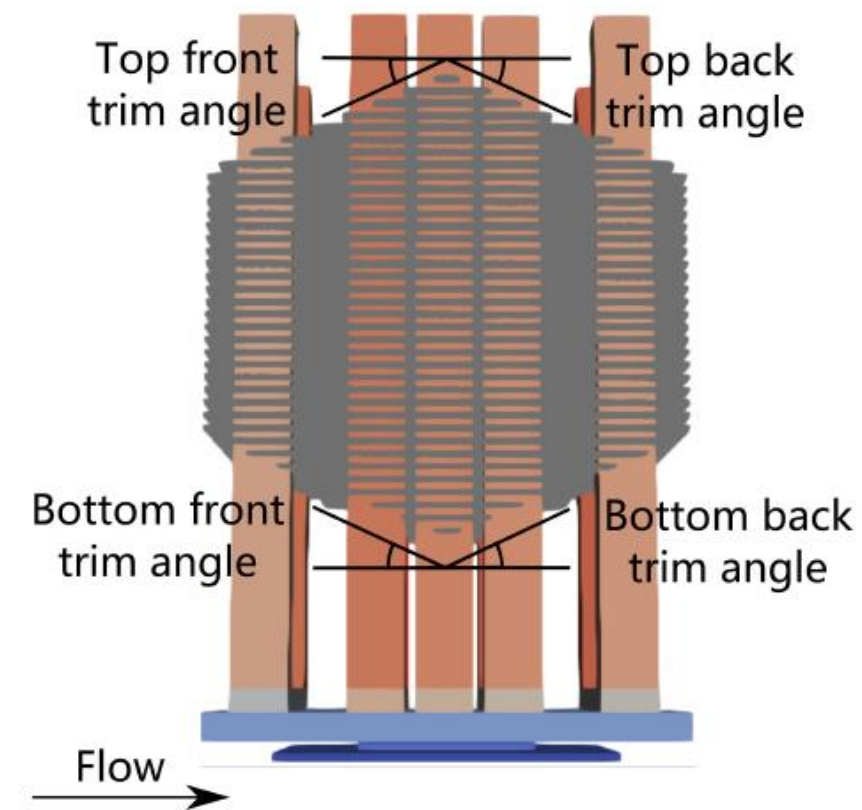
Handling larger batch sizes using Multi-GPU and/or Gradient Aggregation

# SIMNET FEATURES AND ADVANCEMENTS

- APIs to automatically generate point clouds from Boolean compositions of geometry primitives or import point cloud for complex geometry (e.g., STL files)
- Parameterized system representation that solves several configurations concurrently for analytical geometry using SimNet CSG module
- Transfer learning for efficient surrogate-based parameterization of STL and constructive solid geometries
- Polynomial Chaos Expansion method for assessing how uncertainties in a model input manifest in its output



STL geometry and Transfer Learning



Geometry parameterization using SimNet's CSG module

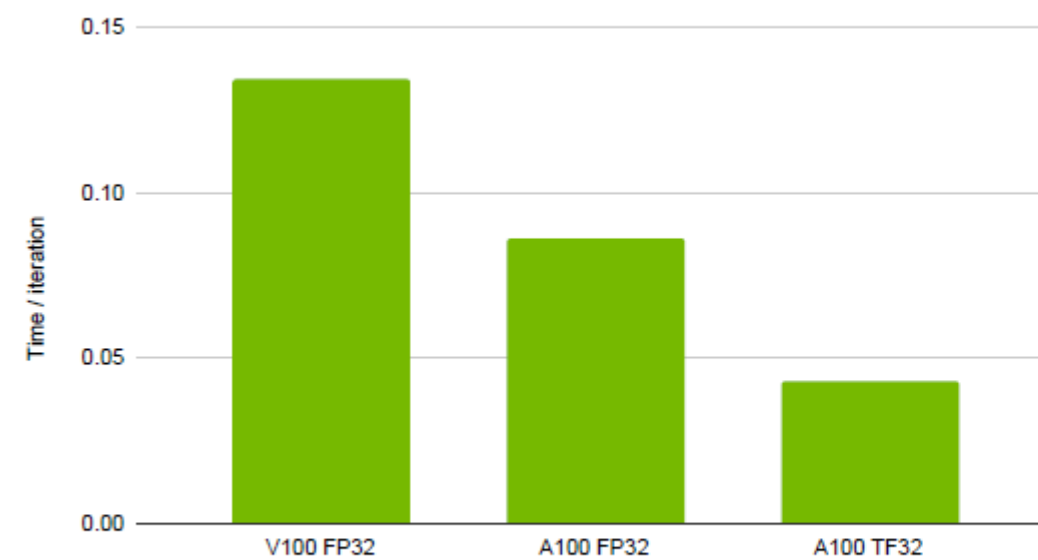
# SIMNET FEATURES AND ADVANCEMENTS

Improved performance with XLA enabled for TensorFlow models and multi-GPU/multi-Node runs

- Accelerated Linear Algebra (XLA)
- Strong scaling with learning rate adjustments

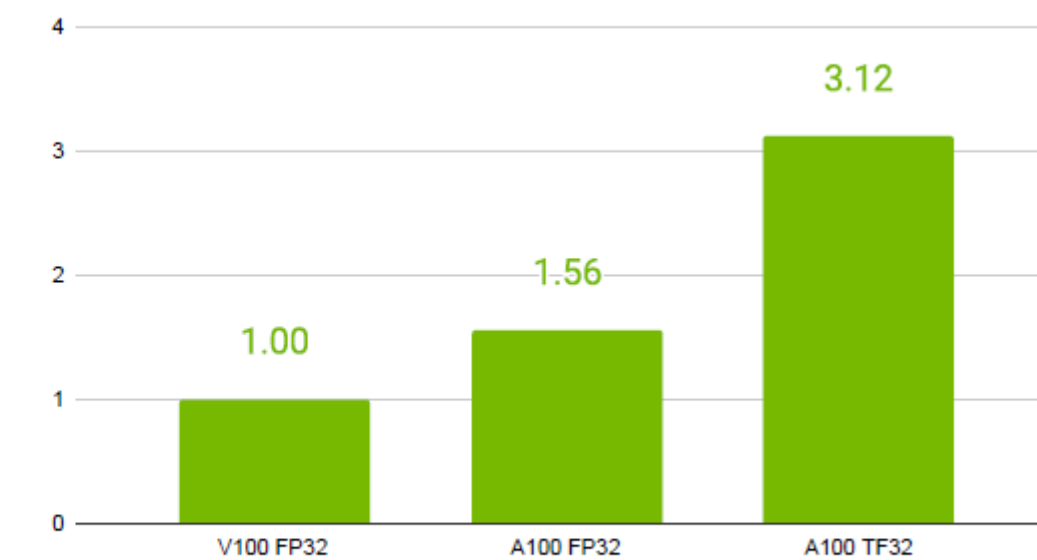
Improved stability in multi-GPU/multi-Node implementations using linear-exponential learning rate and utilization of TF32 precision for A100 GPUs

A100 FPGA Time / iteration



(a) Time per iteration

A100 FPGA Speedup

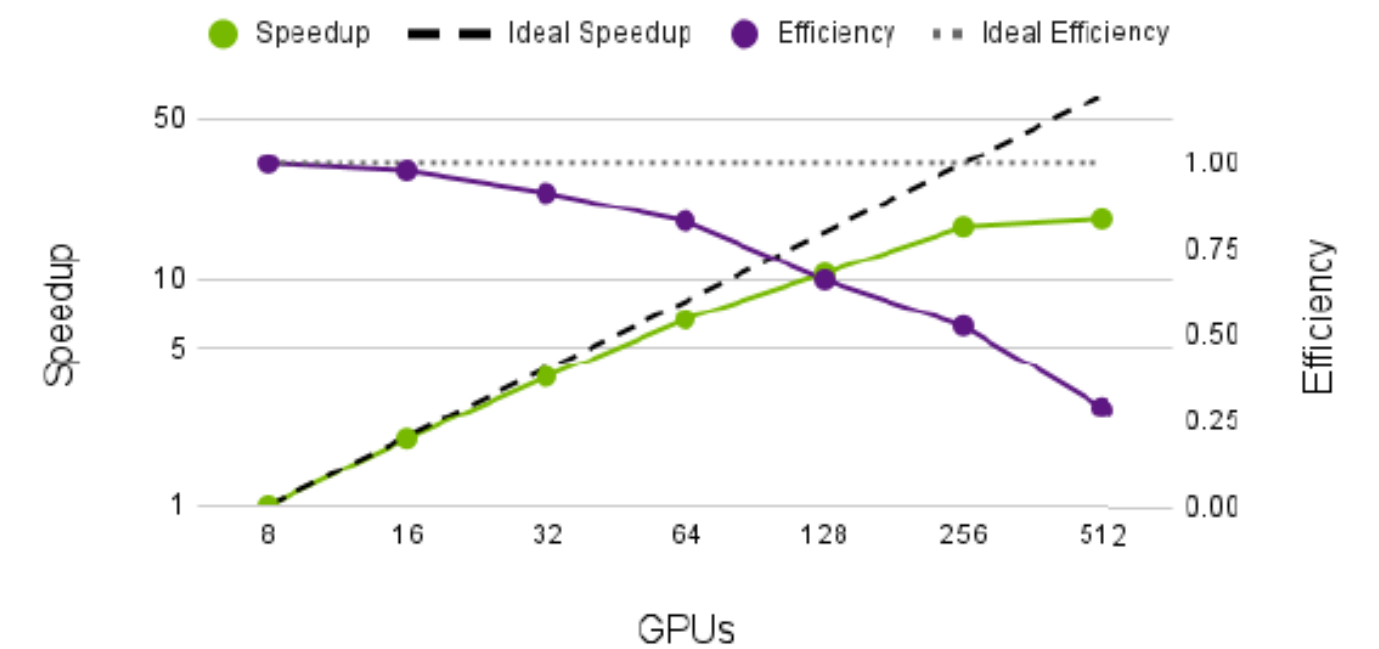


(b) Speed-up

Accelerated training using TF32 on A100 GPUs

3D Taylor Green strong scaling

DGX A100 80G



Strong Scaling- Speedup and Scaling Efficiency





*Thanks!*

